

Exercise 2b: Modelling fluid heat flow in Python

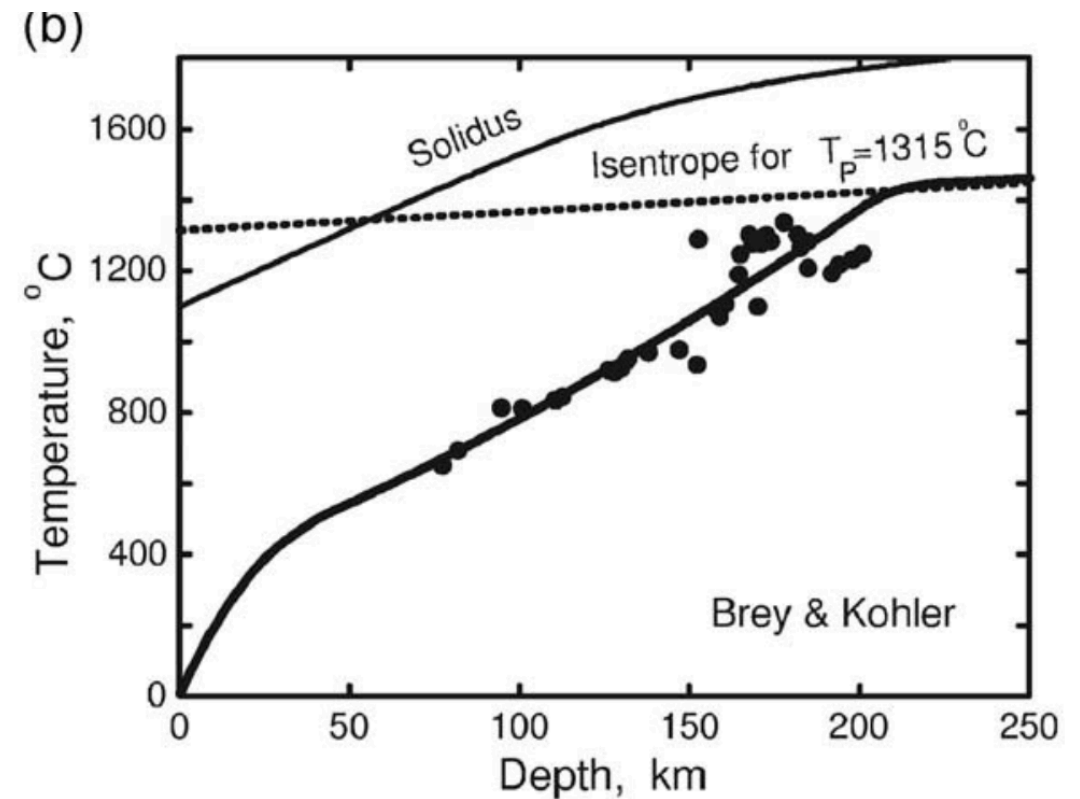
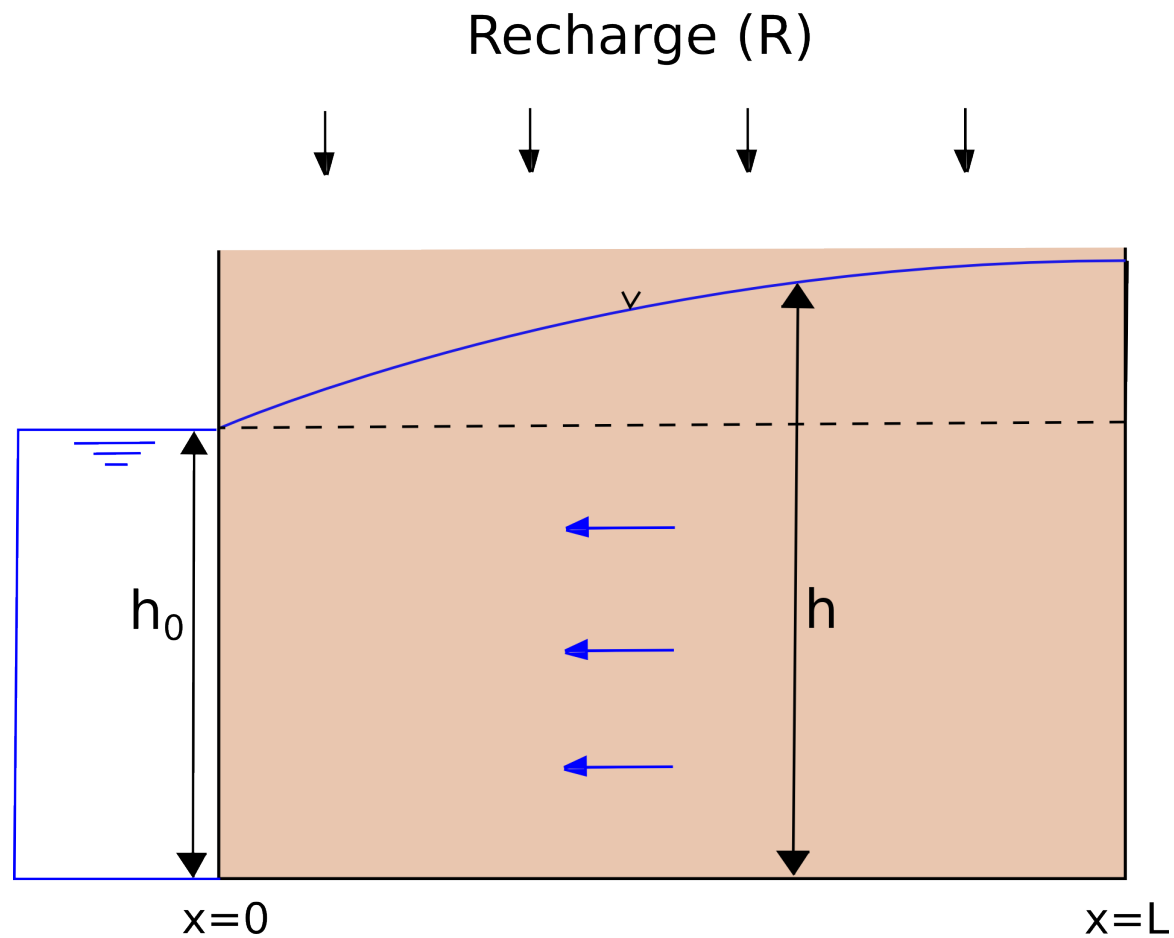


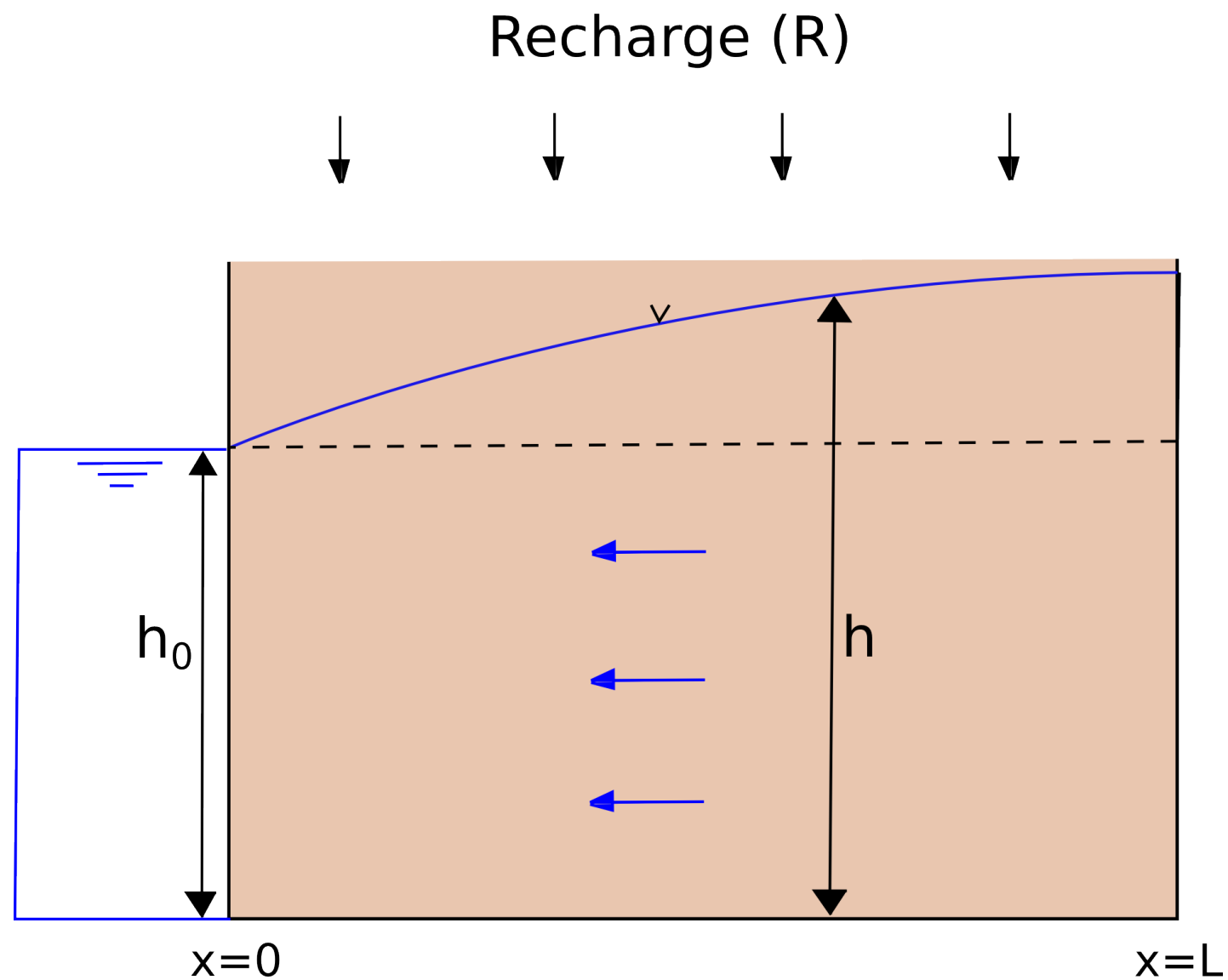
Fig. 8. Geotherms that best fit two sets of pressure and temperature estimates from the nodules from the Jericho kimberlite [32] in northern Canada. The total crustal thickness of 43 km was obtained

M.Geo.239

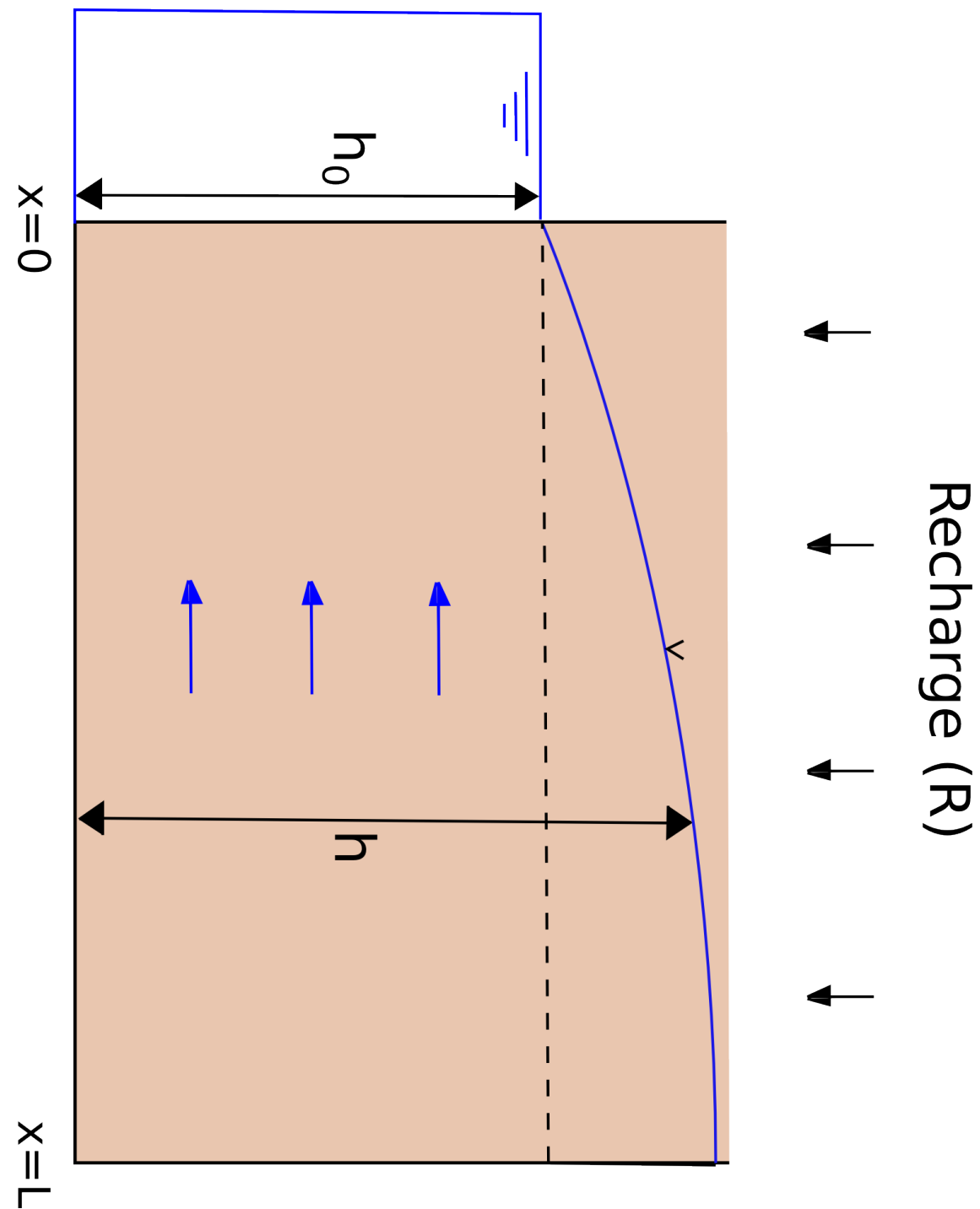
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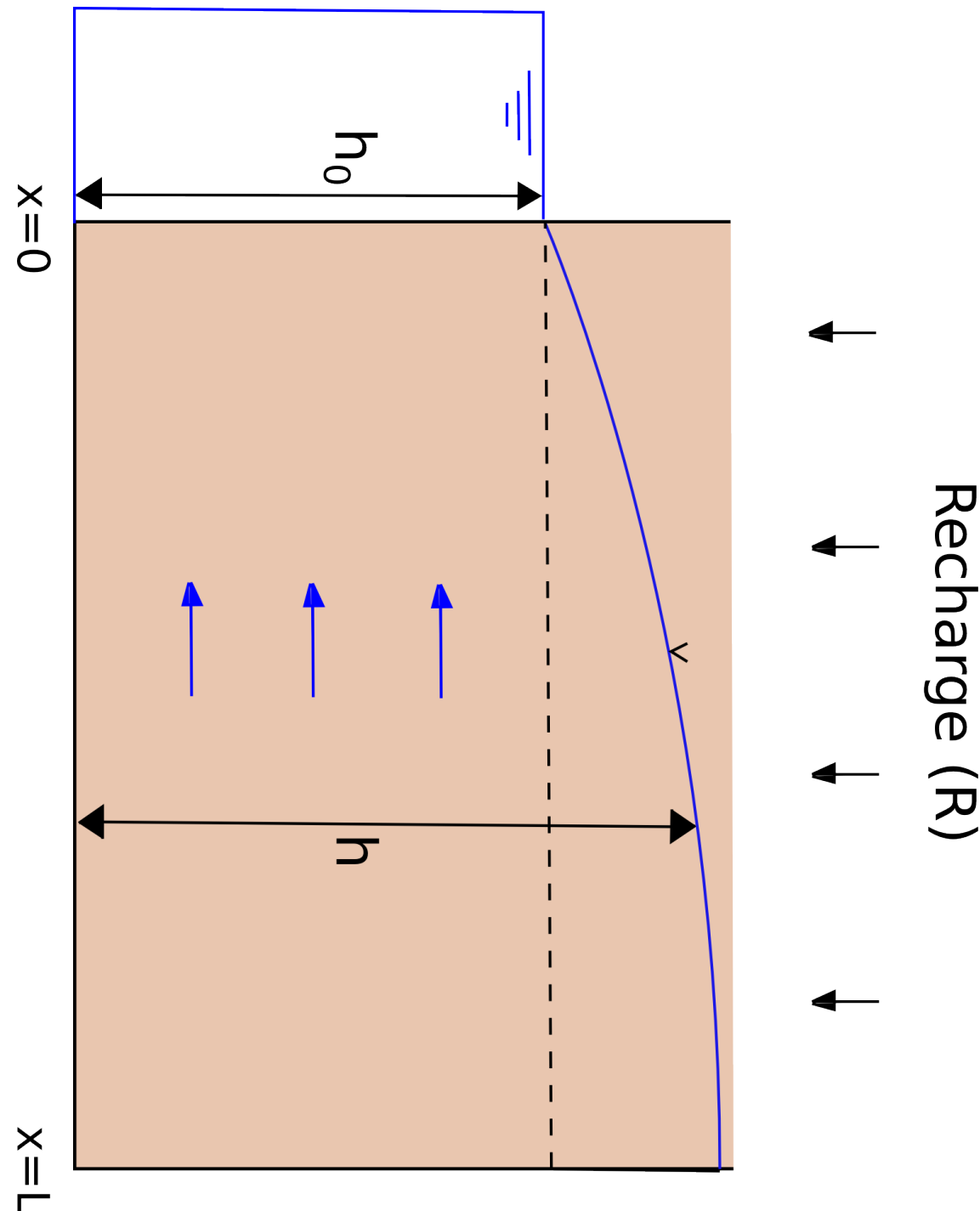
Numerical model of groundwater flow:



Numerical model of heat flow:

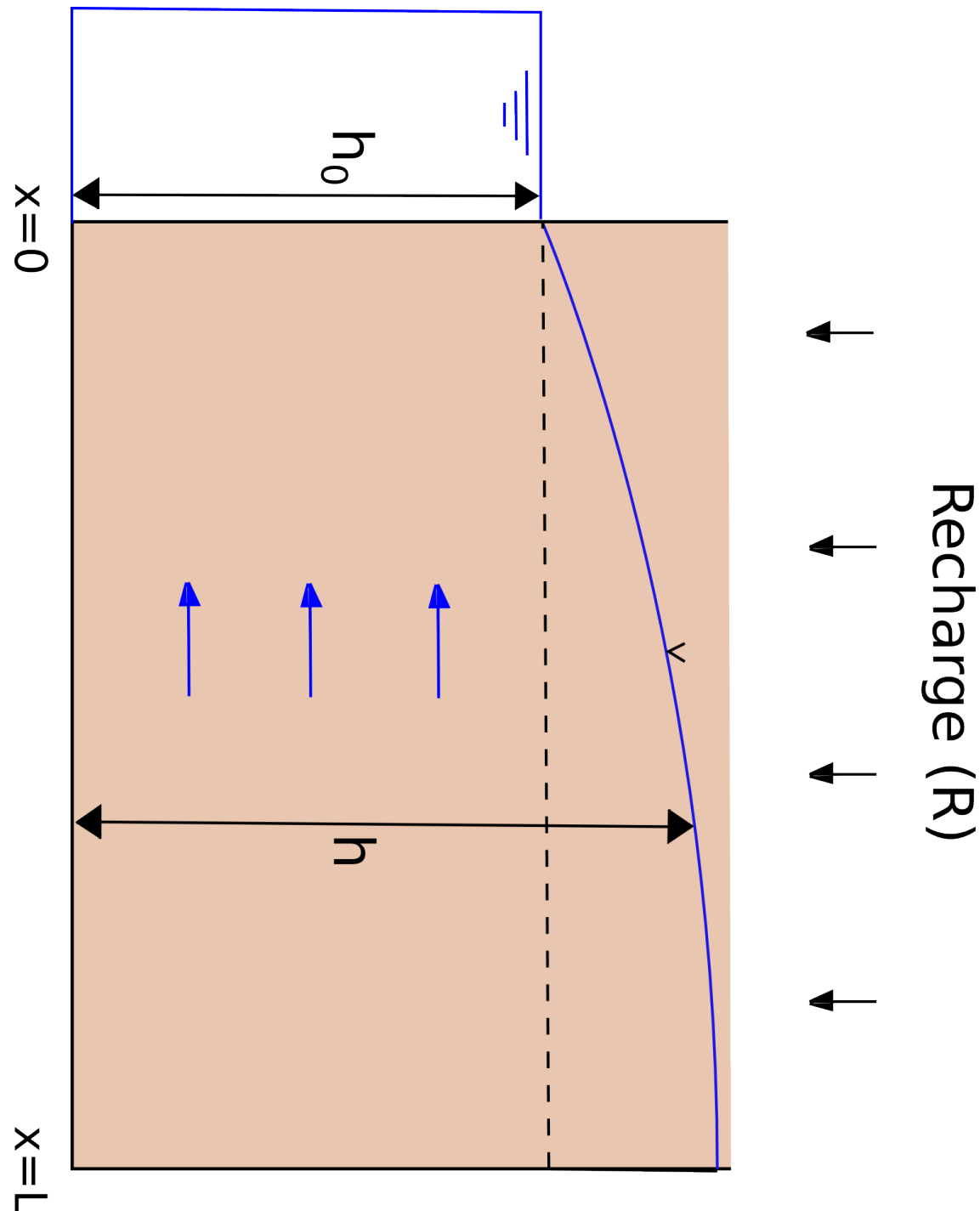


Numerical model of heat flow:



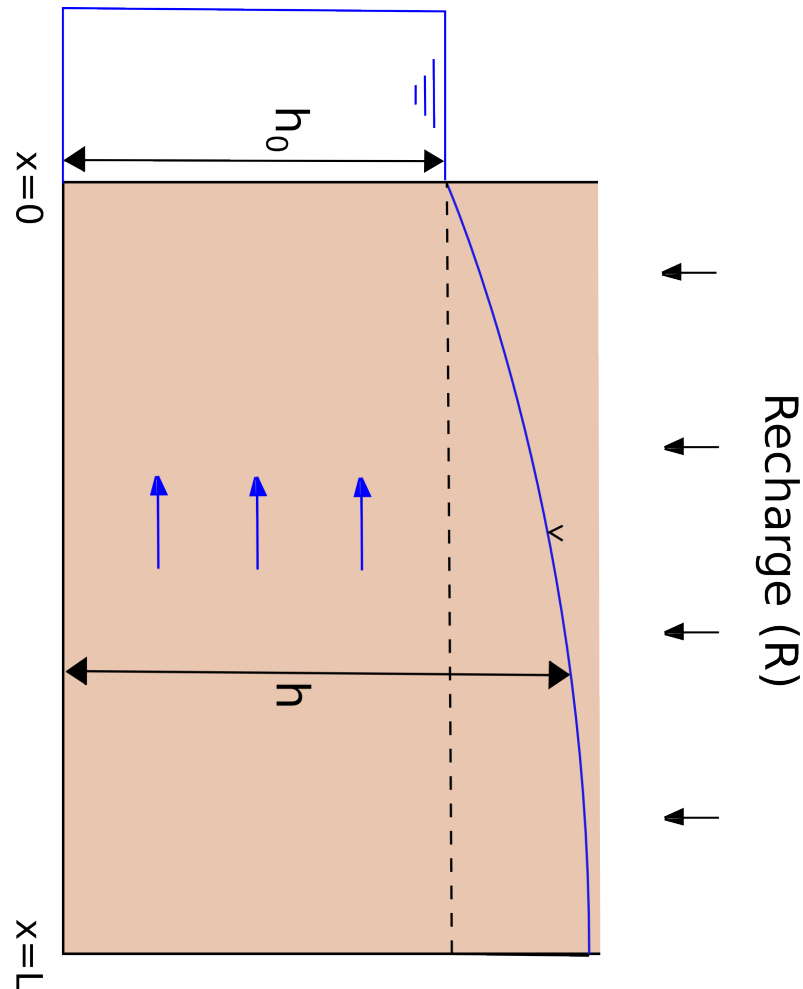
- ~~$q = K dh/dx$~~
- heat conduction: $q = K dT/dz$
- heat balance: $dq/dz = W$
- K = thermal conductivity ($W m^{-1} K^{-1}$), q has units of W (or J/sec)
- Boundary conditions?
 - Top: ?
 - Bottom: ?
 - Source term: ?

Numerical model of heat flow:



- ~~$q = K dh/dx$~~
- $q = K dT/dz$
- heat balance: $dq/dz = W$
- K = thermal conductivity ($\text{W m}^{-1} \text{K}^{-1}$), q has units of W (or J/sec)
- Boundary conditions?
 - Top: Surface temperature (\approx average annual temperature, 10°C)
 - Bottom: Lithosphere-asthenosphere boundary, temperature = 1300°C
 - Source term: Heat production (W m^{-3})

How to implement this in the notebook:



- Change variable h to T , h_0 to T_0 , h_{old} to T_{old} , etc...
- Change values of W_{array} (source term) to zero for now, and later on to heat production of the crust and mantle
- Note: no more complicated recalculation needed for the source term like for recharge, the units for W_{array} are already the ones we need for heat production ($W\ m^{-3}$)
- Change L to the thickness of the lithosphere, K to a value of thermal conductivity and T_0 to the surface temperature.
- Change the grid size (dx) and increase the number of iterations (more needed for steady-state)
- Change the lower boundary condition, remove equation and fix temperature at $1300.0\ ^\circ C$
- More info in jupyter notebook
- Good luck!