

Albert enjoys playing "Mini BINGO" on a 3x3 grid. You don't need to know about BINGO to solve this problem.

A	B	C
E	F	G
I	J	K

To play Mini BINGO, Albert begins by writing down 9 distinct English upper-case alphabets on the 3x3 grid. Then, he arbitrarily shuffles these 9 alphabets to choose a "seed" string  $S$  of length 9.

Albert will then color the alphabet cells according to the order given by the seed string, and calculate the score for each cell as follows.

- If all 3 cells in the same row as the cell being colored have been colored, then add 1 point to the cell's score.
- If all 3 cells in the same column as the cell being colored have been colored, then add 1 point to the cell's score.
- If all 3 cells in the main diagonal (A, F, and K in the example above) have been colored and the cell being colored is also in the main diagonal, then add 1 point to the cell's score.
- If all 3 cells in the anti diagonal (C, F, and I in the example above) have been colored and the cell being colored is also in the anti diagonal, then add 1 point to the cell's score.

Given these rules, each cell's score will always be between 0 and 4 (inclusive), and we can obtain a string of length 9 by writing the scores of the cells in the same order as the seed string -- let us call this score string  $T(S)$ .

For instance, consider the seed string  $S = \text{"JGFACKIEB"}$ . In the figure below, the first row's five images and the second row's four images show how the grid will be colored in the order given by the seed string.

- The first five cells being colored are "J", "G", "F", "A", and "c", each cell's score is 0.
- The sixth cell to be colored is "k", which yields 2 points due to the main diagonal and column 3.
- The seventh cell to be colored is "I", which yields 2 points due to the anti diagonal and row 3.
- The eighth cell to be colored is "E", which yields 2 points due to column 1 and row 2.
- The final cell to be colored is "B", which yields 2 points due to column 2 and row 1.
- As a result, the score string Albert obtains will be  $T(S) = \text{"000002222"}$ .

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

In the same grid, if the seed string is  $S = \text{"ABEGKCFIJ"}$ , then the grid will be colored as shown below, and the score string will be  $\text{"000002222"}$ .

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

A	B	C
E	F	G
I	J	K

As these examples show, different seed strings can yield the same score string.

Albert believes that it is too trivial to compute  $T(S)$  given the grid's alphabets and the seed string  $S$ . Hence, after computing the score string of  $S$ , Albert wants to find the seed string that yields the same score string  $T(S)$  and comes lexicographically first. Let's help Albert.

## Input

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The first line will contain  $S$ , the number of test cases.

Each test case's first line will contain the seed string  $S$  of length 9.

The next three lines will describe the 3x3 grid by containing one string per line without whitespace.

## Output


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For each test case, output in a single line the score string  $T(S)$  and the seed string that yields it and comes lexicographically first.

## Limit

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- $1 \leq S \leq 100$ ...
- The seed string  $S$  will be of length 9 and will only contain alphabets 'A'-'Z'.  $S$  will not contain duplicate alphabets.

- The 9 alphabets that describe the game grid will not contain duplicates, and these are exactly the alphabets given by .

## Sample Input 1 Copy

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```
4
JGFACKIEB
ABC
EFG
IJK
ADSFGHJKL
ASD
FGH
JKL
QPWOEIRUT
QWE
RTU
IOP
AZSXDCFVG
ZFC
DGX
ASV
```

## Sample Output 1 Copy

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```
000002222 ABEGKCFIJ
001001213 ADSFGHJKL
000011114 EIOQPRUWT
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000010124 ACDSVFXZG

Case 1: Described in the problem statement.

Case 2: The input seed string may come lexicographically first.

Cases 3-4: No explanation provided.

## Hints

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Lexicographic Order: Given two different strings  $s$  and  $t$  of the same length  $n$  where the two strings first differ at position  $i$ , let  $s[i]$  and  $t[i]$  be the characters of  $s$  and  $t$  at position  $i$ , respectively. Then, the lexicographic order of the strings  $s$  and  $t$  follow the lexicographic order of the alphabets  $s[i]$  and  $t[i]$ .

## Time Limit

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- Java 8: 3 seconds
- PyPy3: 3 seconds