

# Exercises: Linear Data Structures – Stacks and Queues

This document defines the **exercise assignments** for the ["Data Structures" course @ Software University](https://judge.softuni.bg/Contests/567/Linear-Data-Structures-Stacks-and-Queues-CSharp-Exercise). You can submit your code in the SoftUni Judge System - <https://judge.softuni.bg/Contests/567/Linear-Data-Structures-Stacks-and-Queues-CSharp-Exercise>.

## Problem 1. Reverse Numbers with a Stack

Write a program that reads **N integers** from the console and **reverses them using a stack**. Use the **Stack<int>** class from .NET Framework. Just put the input numbers in the stack and pop them. Examples:

Input	Output
1 2 3 4 5	5 4 3 2 1
1	1
(empty)	(empty)
1 -2	-2 1

## Problem 2. Calculate Sequence with a Queue

We are given the following sequence of numbers:

- $S_1 = N$
- $S_2 = S_1 + 1$
- $S_3 = 2 * S_1 + 1$
- $S_4 = S_1 + 2$
- $S_5 = S_2 + 1$
- $S_6 = 2 * S_2 + 1$
- $S_7 = S_2 + 2$
- ...

Using the **Queue<T>** class, write a program to print its first 50 members for given N. Examples:

Input	Output
2	2, 3, 5, 4, 4, 7, 5, 6, 11, 7, 5, 9, 6, ...
-1	-1, 0, -1, 1, 1, 1, 2, ...
1000	1000, 1001, 2001, 1002, 1002, 2003, 1003, ...

## Problem 3. Implement an Array-Based Stack

Implement the **"stack"** data structure **Stack<T>** that holds its elements in an array:

```
public class ArrayStack<T>
{
    private T[] elements;
    public int Count { get; private set; }
    private const int InitialCapacity = 16;

    public ArrayStack(int capacity = InitialCapacity) { ... }
    public void Push(T element) { ... }
```

```

public T Pop() { ... }
public T[] ToArray() { ... }
private void Grow() { ... }
}

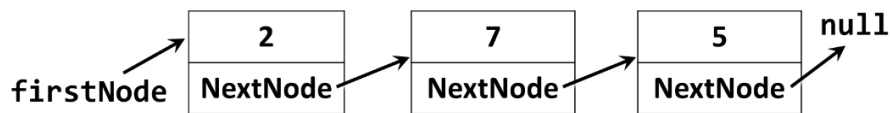
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Follow the concepts from the **CircularQueue<T>** class from the exercises in class. The stack is simpler than the circular queue, so you will need to follow the same logic, but more simplified. Some hints:

- The stack **capacity** is **this.elements.Length**
- Keep the stack **size** (number of elements) in **this.Count**
- **Push(element)** just saves the **element** in **elements[this.Count]** and increases **this.Count**
- **Push(element)** should invoke **Grow()** in case of **this.Count == this.elements.Length**
- **Pop()** decreases **this.Count** and returns **this.elements[this.Count]**
- **Grow()** allocates a new array **newElements** of size **2 \* this.elements.Length** and copies the first **this.Count** elements from **this.elements** to **newElements**. Finally, assign **this.elements = newElements**
- **ToArray()** just creates and returns a **sub-array** of **this.elements[0...this.Count-1]**
- **Pop()** should throw **InvalidOperationException** (or **IllegalArgumentException**) if the stack is empty

## Problem 4. Linked Stack

Implement a stack by a "linked list" as underlying data structure:



Use the following code as start:

```

public class LinkedStack<T>
{
    private Node<T> firstNode;
    public int Count { get; private set; }
    public void Push(T element) { ... }
    public T Pop() { ... }
    public T[] ToArray() { ... }

    private class Node<T>
    {
        private T value;
        public Node<T> NextNode { get; set; }
        public Node(T value, Node<T> nextNode = null) { ... }
    }
}

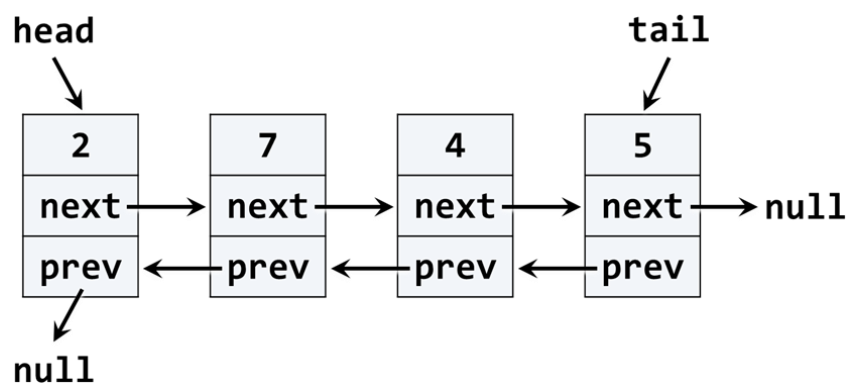
```

The **Push(element)** operation should create a new **Node<T>** and put it as **firstNode**, followed by the old value of the **firstNode**, e.g. **this.firstNode = new Node<T>(element, this.firstNode)**.

The **Pop()** operation should return the **firstNode** and replace it with **firstNode.NextNode**. If the stack is empty, it should throw **InvalidOperationException**.

## Problem 5. Linked Queue

Implement a queue by a "doubly-linked list" as underlying data structure:



Use the following code as start:

```

public class LinkedQueue<T>
{
    public int Count { get; private set; }
    public void Enqueue(T element) { ... }
    public T Dequeue() { ... }
    public T[] ToArray() { ... }

    private class QueueNode<T>
    {
        public T Value { get; private set; }
        public QueueNode<T> NextNode { get; set; }
        public QueueNode<T> PrevNode { get; set; }
    }
}

```

You may modify and adjust the code from the **DoublyLinkedList<T>** class from the last lesson. If the queue is empty, the **Dequeue()** should throw **InvalidOperationException**.

## Problem 6. \* Sequence $N \rightarrow M$

We are given numbers **n** and **m**, and the following operations:

- a)  $n \rightarrow n + 1$
- b)  $n \rightarrow n + 2$
- c)  $n \rightarrow n * 2$

Write a program that **finds the shortest sequence of operations** from the list above that **starts from n and finishes in m**. If several shortest sequences exist, find the first one of them. Examples:

Input	Output
3 10	3 -> 5 -> 10
5 -5	(no solution)
10 30	10 -> 11 -> 13 -> 15 -> 30

**Hint:** use a **queue** and the following algorithm:

1. create a queue of numbers
2.  $queue \leftarrow n$
3. while (queue not empty)
  1.  $queue \rightarrow e$
  2. if ( $e < m$ )
    - i.  $queue \leftarrow e + 1$
    - ii.  $queue \leftarrow e + 2$
    - iii.  $queue \leftarrow e * 2$
  3. if ( $e == m$ ) Print-Solution; exit

The above algorithm either will find a solution, or will find that it does not exist. It cannot print the numbers comprising the sequence  $n \rightarrow m$ .

To print the sequence of steps to reach **m**, starting from **n**, you will need to keep the previous item as well. Instead using a queue of numbers, use a queue of items. Each item will keep a number and a pointer to the previous item. The algorithms changes like this:

#### Algorithm Find-Sequence (n, m):

1. create a queue of items { value, previous item }
2.  $queue \leftarrow \{ n, \text{null} \}$
3. while (queue not empty)
  1.  $queue \rightarrow \text{item}$
  2. if ( $\text{item.value} < m$ )
    - i.  $queue \leftarrow \{ \text{item.value} + 1, \text{item} \}$
    - ii.  $queue \leftarrow \{ \text{item.value} + 2, \text{item} \}$
    - iii.  $queue \leftarrow \{ \text{item.value} * 2, \text{item} \}$
  3. if ( $\text{item.value} == m$ ) Print-Solution; exit

#### Algorithm Print-Solution (item):

1. while (item not null)
  1. print item.value
  2.  $\text{item} = \text{item.previous}$