

Can Selective Predation Slow the Spread of CWD?

Modeling disease, predation, dispersal, and population dynamics
in Wisconsin

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March 30, 2020

Acknowledgement

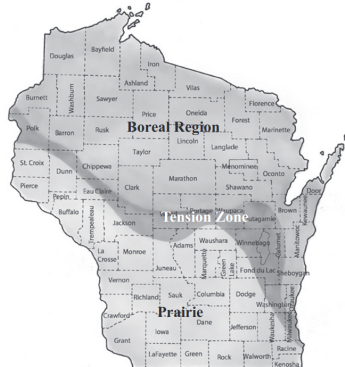
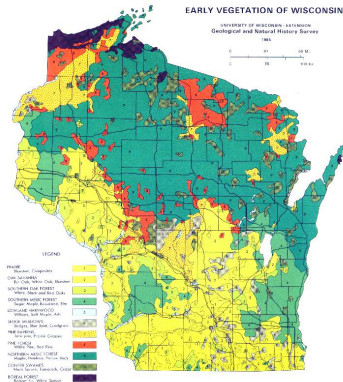


Prof. Tim Van Deelen

The setting: **Wisconsin**

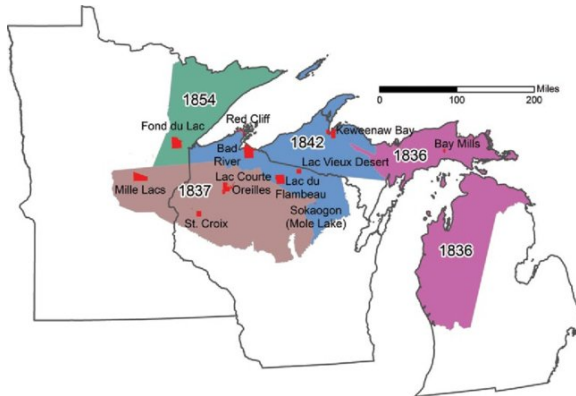


The setting: Wisconsin



- **Southwest:** Mainly agricultural / ex-prairie and oak savanna.
- **Northeast:** Conifer-hardwood forest / bogs / also agriculture

The setting: **Wisconsin**



Wildlife management and fishing rights largely retained by Ojibwe tribes in the North.

Three characters

- ① White-tailed deer
- ② Chronic wasting disease
- ③ Wolves

White-tailed deer in Wisconsin

Odoiceulus virginianus

- (over)-abundant: 1.9-2.1 million ind.
- major ecological impacts
- $\approx 350,000$ hunted annually (and falling)
- \$1.4 billion dollars / year to economy
- a big chunk of which funds research / mitigation of those ecological impacts

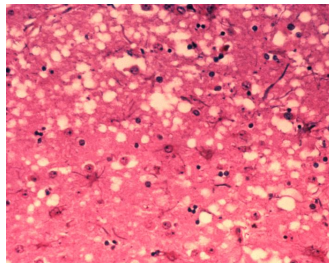
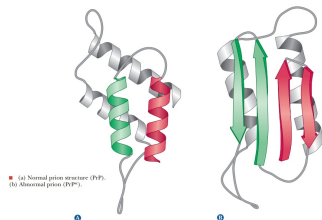


Todd Hubler - *The Isthmus*

Chronic Wasting Disease

Transmissible spongiform encephalopathy

- Turns brains into sponges
- Invariably fatal
- Caused by **prion**
 - misfolded protein found in nervous system
- Only affects cervids
 - only TSE in *wildlife*
- Major focus of concern / research among agencies



Chronic Wasting Disease

Clinical Signs

“Zombie Disease”

- Emaciation
- Lack of coordination
- Drooping head/ears
- Excessive drooling
- Excessive drinking
- Excessive urination



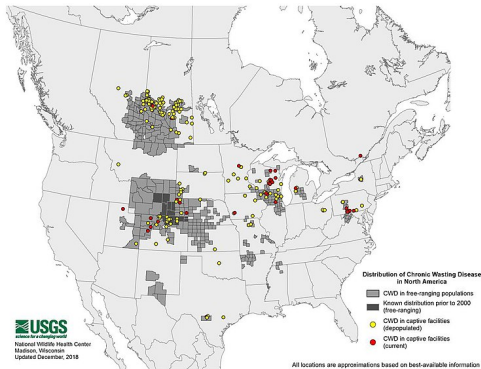
Incubation: (asymptomatic) period lasts on average 18 months

Transmission: urine, feces, blood. Direct contact. Long-term environmental persistence (even uptake by plants).

Chronic Wasting Disease

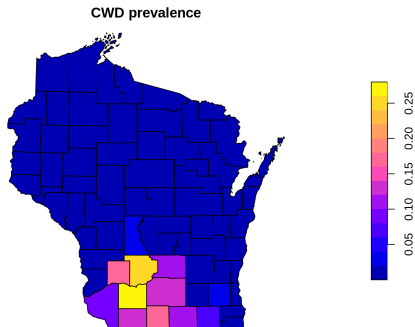
Global Expansion

- 1967 - First detected (mule deer) in research facility Colorado.
- 1981 - First wild animal (elk) detected in Colorado
- 2002 - Found in wild WTD in Wisconsin
- 2011 - Found in wild WTD in Maryland
- 2017 - Appeared in 3 reindeer in Norway (!) - entire 2000 animal herd summarily executed



Chronic Wasting Disease: In Wisconsin

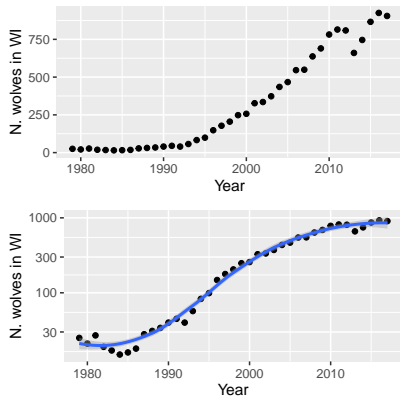
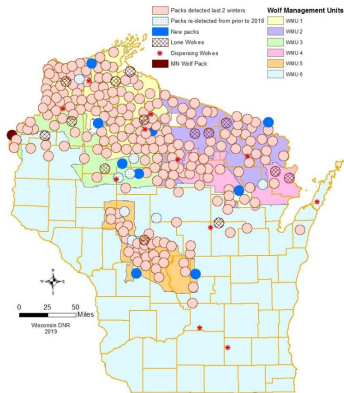
Concentrated in southern counties, up to 25% prevalence.



Good data: In affected counties, all hunted carcasses need to be tested. In non-affected counties, a sample of carcasses is tested.

Wolves in Wisconsin

Extirpated early 1900's. Re-colonized from Minnesota post-ESA.



Currently, approx. 1000 ind. mainly in North. Expansion slowing. **Good Data.**

The question

Wolves selectively predate on old, young, weak or **infirm(?)** individuals . . . though there is no direct evidence w.r.t. CWD (or - actually - other diseases).

Given that CWD is concentrated in the SW - and expanding - and wolves are concentrated in NE - and maybe still expanding? - What happens when they meet?

Specifically, how do wolf presence and selective predation influence:

- **CWD prevalence**
- **CWD spread**
- **Deer abundance**

Approaches to look at this question

Lots of **Mathematical Modeling!!** Mainly, continuous-time, non-spatial SEIR-type ODE's.

Journal of Wildlife Diseases, 47(1), 2011, pp. 75-83
© Wildlife Disease Association 2011

THE ROLE OF PREDATION IN DISEASE CONTROL: A COMPARISON OF SELECTIVE AND NONSELECTIVE REMOVAL ON PRION DISEASE DYNAMICS IN DEER

Margaret A. Wild,^{1,2} N. Thompson Hobbs,² Mark S. Graham,^{1,4} and Michael W. Miller³

$$\begin{aligned}\frac{dS}{dt} = & a(S+I) \left(1 - \frac{S+I}{K_a} \right) - S(\gamma E + m) \\ & - (1-p)\delta(S+I),\end{aligned}$$

$$\frac{dI}{dt} = \gamma SE - I(m + \mu) - p(1-c)\delta(S+I),$$

$$\frac{dE}{dt} = \varepsilon I - \tau E,$$

Very influential, but no data (and no spatial structure)

Wolves contribute to disease control in a multi-host system

E. Tanner¹, A. White¹, P. Acevedo², A. Balseiro^{3,4}, J. Marcos⁵ & C. Gortázar²

$$\frac{dS_1}{dt} = \lambda_1(Y + A)(1 - qN) - mS_1 - d_1P_1 - \beta_{1W}P_1\frac{G}{N} - \omega_{1W}P_1P^* - c_1P_1W \quad (1a)$$

$$\frac{dI_1}{dt} = \beta_{1W}P_1\frac{G}{N} + \omega_{1W}P_1P^* - mI_1 - d_1I_1 - c_1P_1 - d_1P_1W \quad (1b)$$

$$\frac{dP_1}{dt} = c_1P_1 - mP_1 - \alpha P_1 - d_1P_1 - c_1P_1W \quad (1c)$$

$$\frac{dY_1}{dt} = mS_1 - mY_1 - d_1Y_1 - \beta_{1W}P_1\frac{G}{N} - \omega_{1W}Y_1P^* - cY_1 - \alpha_{1W}Y_1W \quad (1d)$$

$$\frac{dY_2}{dt} = \beta_{2W}P_2\frac{G}{N} + \omega_{2W}Y_2P^* + mY_1 - mY_2 - d_2Y_2 - c_2Y_2 - \alpha_{2W}Y_2W \quad (1e)$$

$$\frac{dY_3}{dt} = c_2Y_2 + mY_3 - mY_3 - \alpha Y_3 - d_1Y_3 - cY_3 - \alpha_{1W}Y_3W \quad (1f)$$

$$\frac{dA_1}{dt} = mY_2 - d_1A_1 - \beta_{1W}A_1\frac{G}{N} - \omega_{1W}A_1P^* - cA_1 - \alpha_{1W}A_1W \quad (1g)$$

$$\frac{dA_2}{dt} = \beta_{2W}A_2\frac{G}{N} + \omega_{2W}A_2P^* + mY_2 - d_2A_2 - c_2A_2 - \alpha_{2W}A_2W \quad (1h)$$

$$\frac{dA_3}{dt} = c_2A_2 + mY_3 - \alpha A_3 - d_1A_3 - cA_3 - \alpha_{1W}A_3W \quad (1i)$$

$$W = W(t) \quad (1j)$$

Lots of compartments - and some data (but no spatial structure)

Modeling goals

- Capturing dynamics of:
 - **disease,**
 - **predation,**
 - **population**
 - **dispersal**
- Biologically meaningful parameters
 - independently estimated / estimable?
- Provide spatially and temporally explicit predictions
- Balances realism with tractability

Basic model structure:

Discrete time / discrete space

- **Annual** - matches data collection and deer biology (birth / seasonal mortality / dispersal?)
- **County-level metapopulation** - matches data reporting and collection

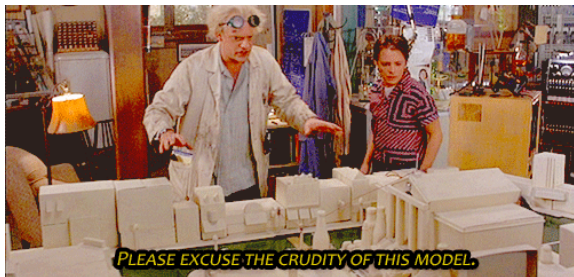
Two classes: Susceptible and Infected

$$S_{i,t+1} = S_{i,t} - \text{infected} + \text{recruited} - \text{died} + \text{immigrated} - \text{emigrated}$$

$$I_{i,t+1} = I_{i,t} + \text{infected} - \text{died} + \text{immigrated} - \text{emigrated}$$

Complete model

	Susceptible ($S_{i,t+1}$)	Infected ($I_{i,t+1}$)
disease	$-\gamma \frac{S_{i,t} I_{i,t}}{\text{area}}$	$\gamma \frac{S_{i,t} I_{i,t}}{\text{area}}$
predation	$-\left(\frac{S_{i,t}}{S_{i,t} + I_{i,t}}\right) \left(\frac{1}{1+\alpha}\right) W_{\max}$	$-\left(\frac{I_{i,t}}{S_{i,t} + I_{i,t}}\right) \left(\frac{\alpha}{1+\alpha}\right) W_{\max}$
other mortality	$-\mu_s S_{i,t}$	$-\mu_I I_{i,t}$
recruitment	$\rho S_{i,t} (1 - S_{i,t}/K_i)$	
immigration	$\sum_j M_{S,ij}$	$\sum_j M_{I,ij}$
emigration	$-\sum_j E_{S,ji}$	$-\sum_j E_{I,ji}$



Recruitment

Approximate number of new (non-infected) individuals entering population annually:

$$\rho S_{i,t}(1 - S_{i,t}/K_i)$$

Assumptions:

- 1 Logistic, density dependent growth with carrying capacity: K
- 2 Intrinsic adult recruitment rate, ρ , uniform across range

Mortality

Non-Wolf:

Annual mortality rate: μ_S and μ_I :

- Equal (!?)
- Constant across range (??)

Mortality

Wolf:

Assume: **Wolves gonna kill what wolves gonna kill** - (almost entirely deer).

- e.g. 10 wolves, each kills 20 deer / year = 200 deer/year/county killed

Apportioning of S and I killed is proportional to the *availability* ($\frac{I}{S+I}$) and the *preference* ($\frac{\alpha}{1+\alpha}$).

- $P(I \text{ killed}) \propto P(I) \times P(\text{killed} | I) = \left(\frac{I}{S+I}\right) \left(\frac{\alpha}{1+\alpha}\right) N_w K_{rate}$
- $P(S \text{ killed}) \propto P(S) \times P(\text{killed} | S) = \left(\frac{S}{S+I}\right) \left(\frac{1}{1+\alpha}\right) N_w K_{rate}$

where α is the odds of selecting infected over non-infected deer, i.e. the **Predation Selection Coefficient** (presumably > 1).

This is the key, unobservable parameter of interest!

Number of infected ...

(by county by year)

$$-\gamma \frac{S \times I}{area}$$

- γ is infection rate per encounter
- Total number of infections is higher if areas are smaller (densities are higher).
- Lots of mechanism and structure swept under rug here!

Dispersal

Necessary for disease to spread! (or not spread)

Immigration

$$M_i = \kappa_m \sum_j S_j \exp \left(-\frac{d_{ij}}{\lambda} \right)^\beta$$

Emigration

$$E_j = \kappa_e S_i \sum_j \exp \left(-\frac{d_{ij}}{\lambda} \right)^\beta$$

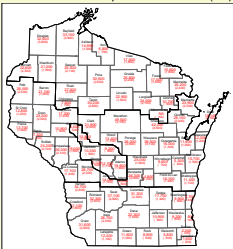
- **Exponential** ($\beta = 1$) or **Gaussian** ($\beta = 2$) dispersal kernel with mean λ
- κ - normalization, so that probability of emigrating from site j sums to 1
- Assumes homogenous dispersal in all directions, dependent only on distance.
- *Estimable (and refinable) from movement data!?*

Deer Abundance

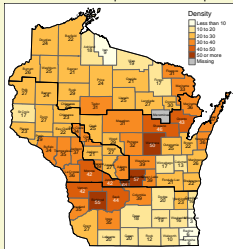
Wisconsin DNR winter population survey:

<https://dnr.wi.gov/topic/hunt/maps.html>

2018 Winter Deer Population Estimates (SD)



2018 Winter Deer Pop Estimate Per Sq. Mile

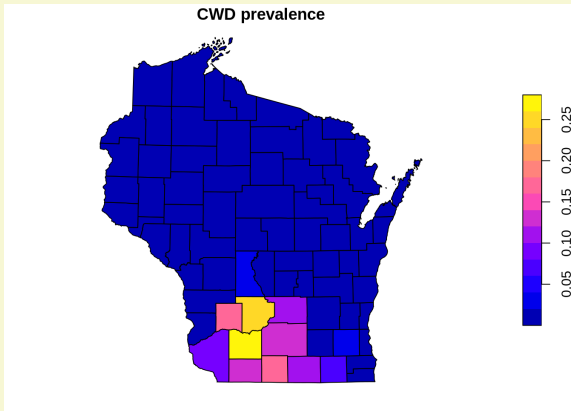


Fall population estimates - total harvest, by county.

Working assumption: Carrying Capacity $K_i = 2N_i$.

CWD prevalence

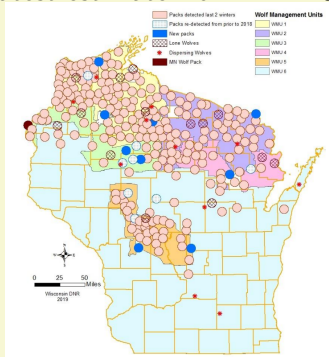
Wisconsin DNR CWD monitoring efforts (by county)



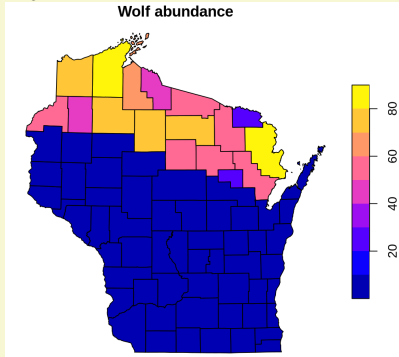
<https://dnr.wi.gov/wmcwd/Summary/YearCounty/2019>

Wolves

Latest estimate from DNR: 950 ind.



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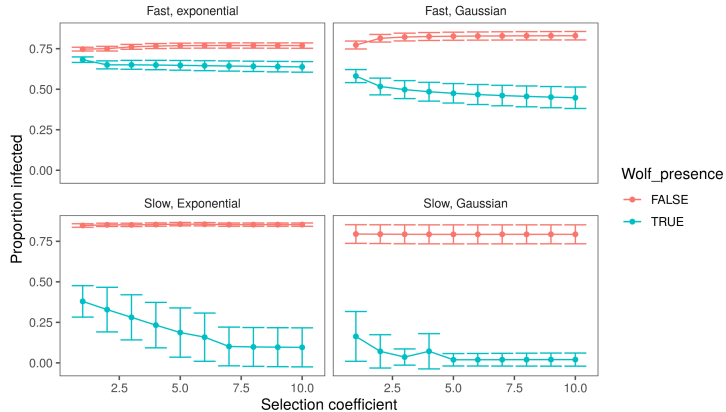
County data not readily available ... so I allocated 1000 wolves across the counties north of this line.

Shiny App.

A brand new skill! Facilitates exploring parameters and visualizing results.

(enjoy demo)

A Result: Selective Predation Decreases CWD Prevalence!



In ALL parameterizations, wolves depress CWD. Note - dispersal scale (10 and 80 km) AND shape both important.

$\rho = 0.5$, $\gamma = .02$, $\mu_S = 0.06$, $\mu_I = 0.06$, $W_{\max} = 60$,
 $\lambda = 10$ or 80

Next steps

Model structure

- Add **Male** / **Female** sex classes!
- Separate **Infected** / **Asymptomatic** from **Infected** / **Symptomatic**
- Assess assumptions: Density dependence? | Disease transmission?

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Data

- Obtain better **wolf distribution** and **predation** data
- Use **Harvest** for mortality!
- Use **GPS data** for dispersal portion
- Fit to historical data!?
 - Infer γ by matching to observed CWD spread?

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Larger strategy

- Thoroughly analyze / explore parameter space
- Find PhD student to do the work!?
- Get funding!

Thanks!