

# Wiring up ion traps for quantum information



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**Motivation** 

Ion-wire interaction

First experiments

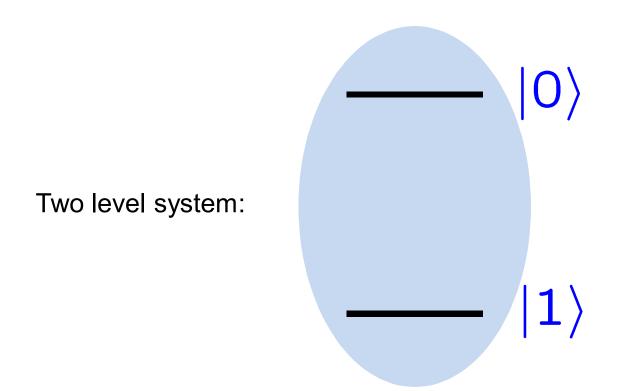
Summary





## **Quantum** bits

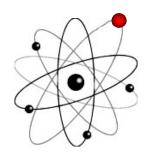


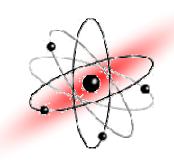


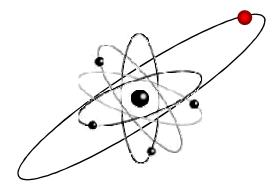


#### **Quantum bits**





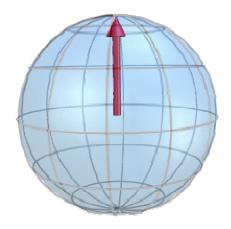


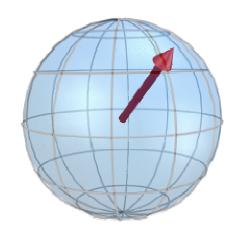


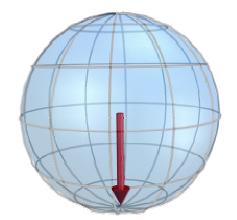
$$|0\rangle$$

$$\alpha |0\rangle + \beta |1\rangle$$

$$|1\rangle$$









## Why quantum information?

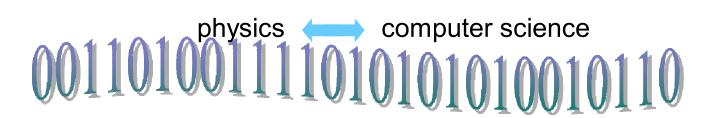


Schrödinger equation for 300 interacting spins.

Classical computation needs more bits than there are atoms in the universe.

Quantum computers can solve certain tasks much more efficiently than classical computers.

Allows a new view on nature: reduction to information





## **Experimental challenges**



#### Some examples of quantum control:

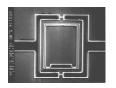
• Stern-Gerlach experiment





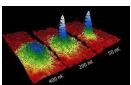
• NMR





SQUIDs



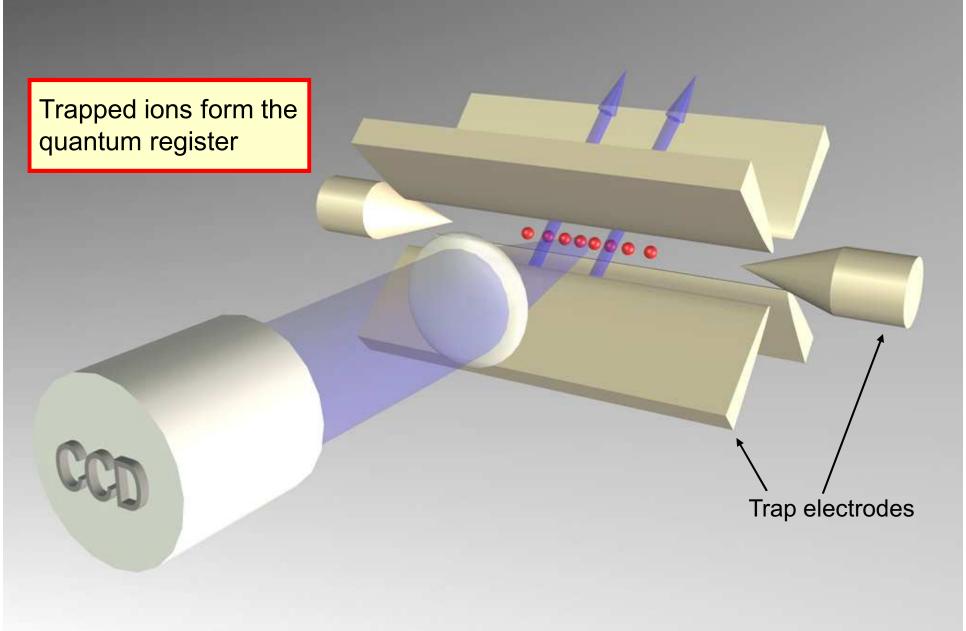


Full control of complex quantum systems is quite difficult.



# Ion trap quantum computing

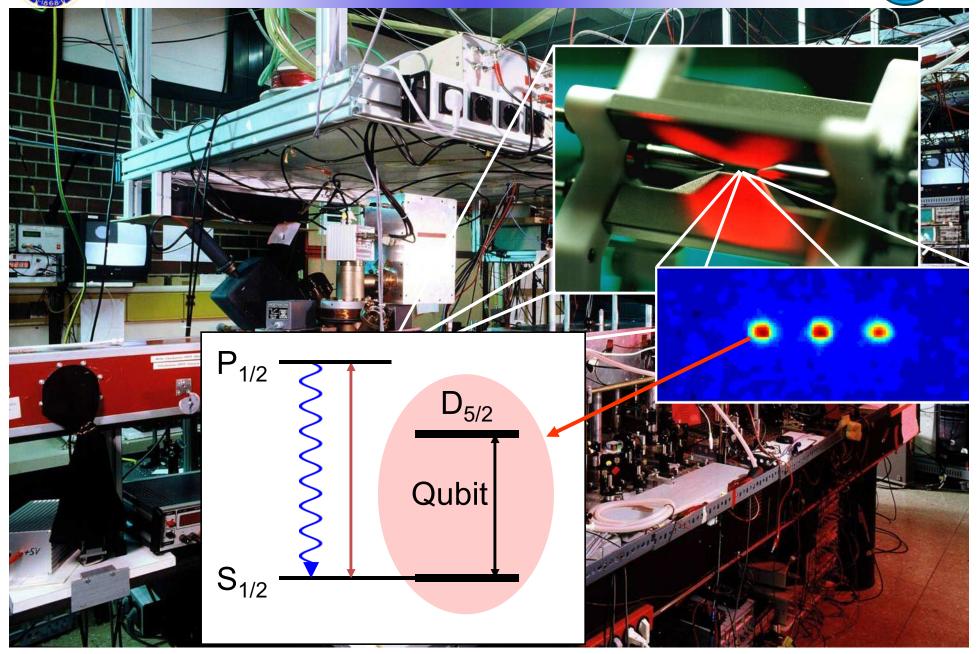






# Ion trap quantum computing



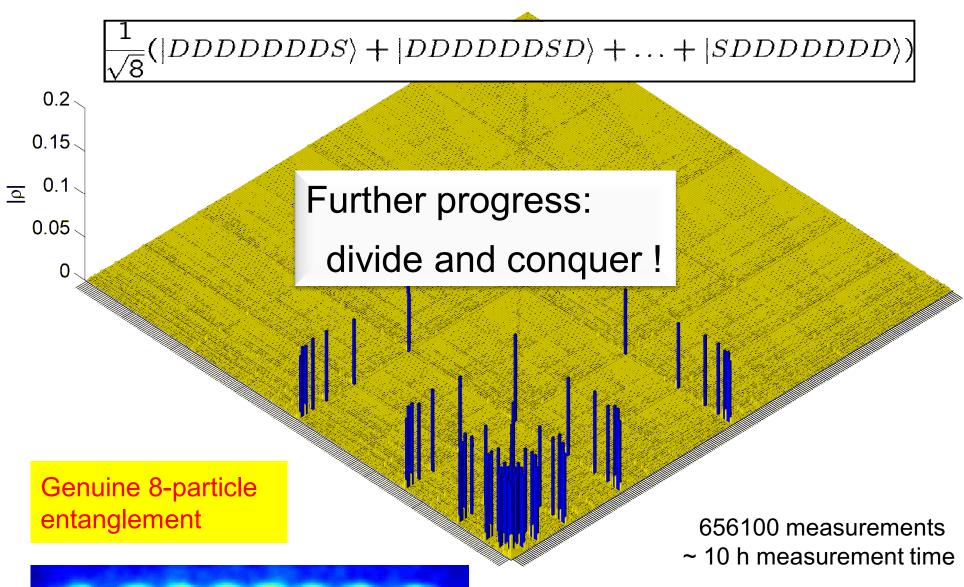




## Eight particle entanglement



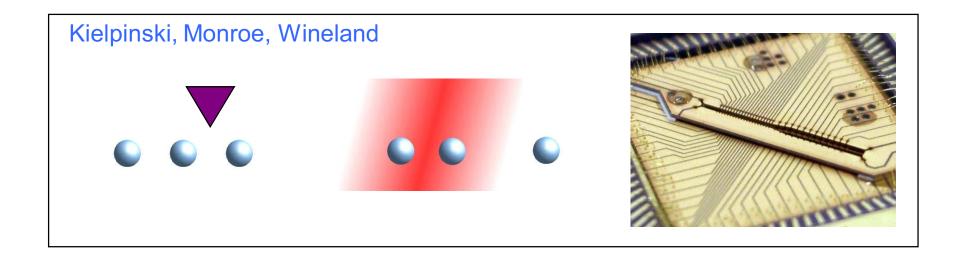
Häffner et al., Nature 438, 643 (2005)

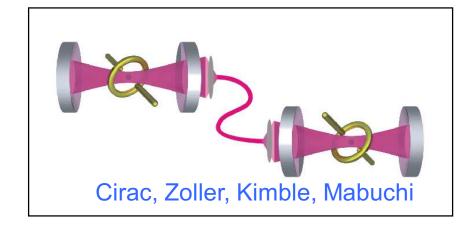


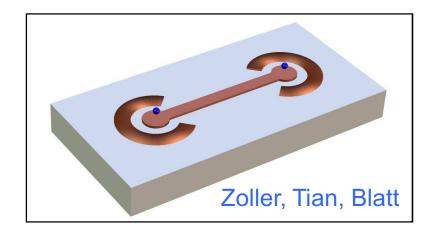


#### Scaling of ion trap quantum computers





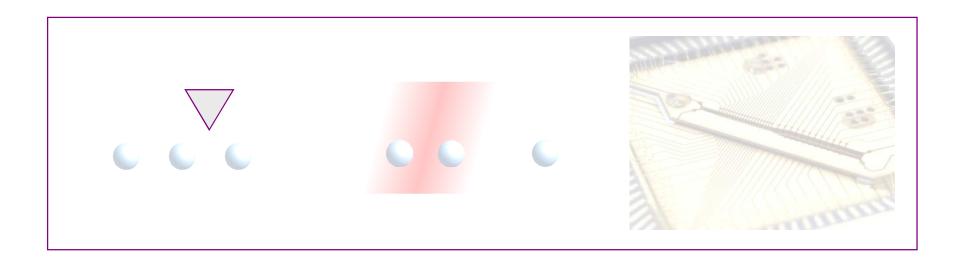


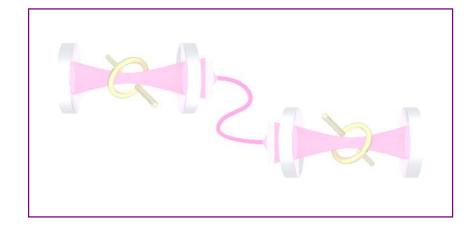


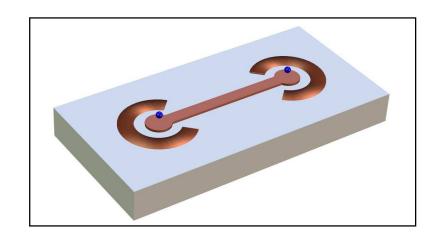


## Scaling of ion trap quantum computers





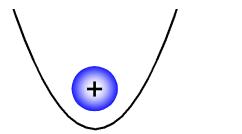


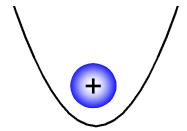






Two trapped ions ...

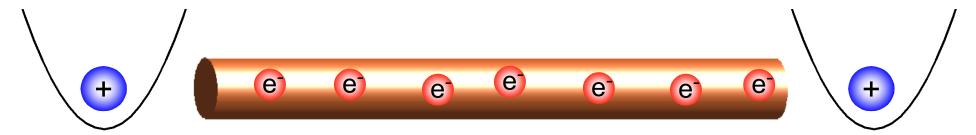








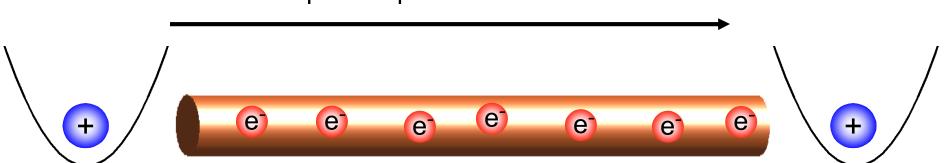
Two trapped ions + a wire







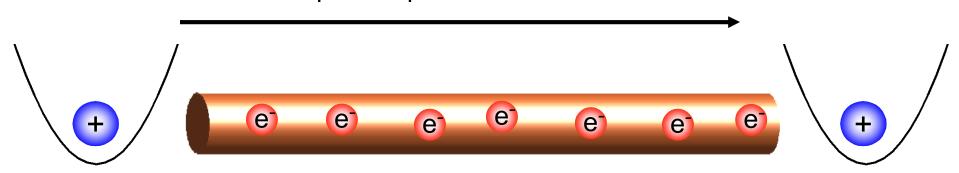
#### Transport of quantum information







#### Transport of quantum information



No trace of the quantum information should remain in the wire

super cenducting wire



#### Physics with this set-up



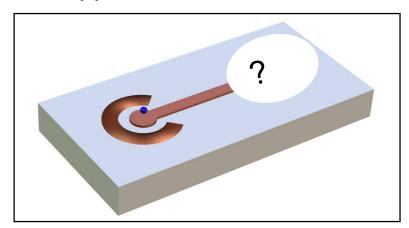
#### Physics:

- Decoherence in charge transport
- Wire mediated laser cooling to a few μK
- Cooling of LC resonators

Heinzen and Wineland, PRA PRA 47, 2977 (1990).

#### **Technology:**

- Scalable quantum computing with trapped ions/electrons
- Hybrid quantum computing
- Quantum detectors



Quantum control

Ion-wire interaction

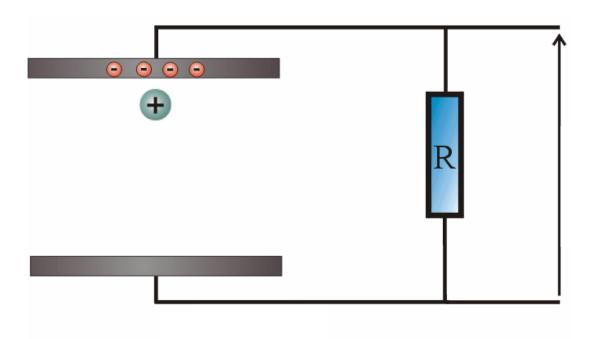
Experiments

Summary



## **Ion-resistor interaction**

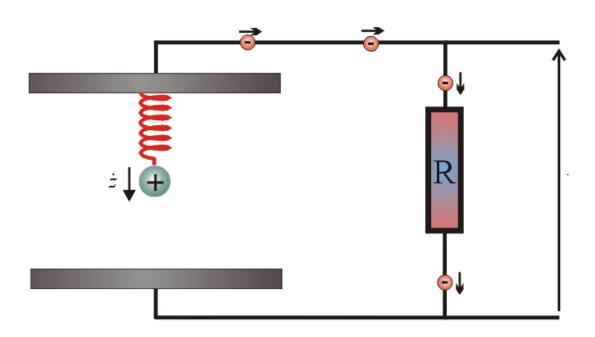






## **Ion-resistor interaction**

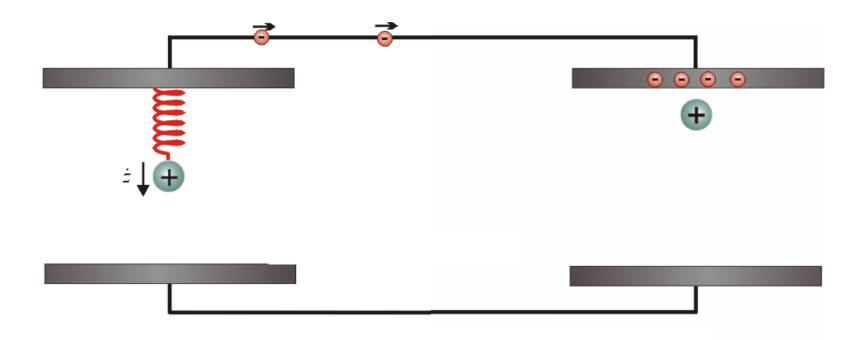






## Ion-resistor interaction

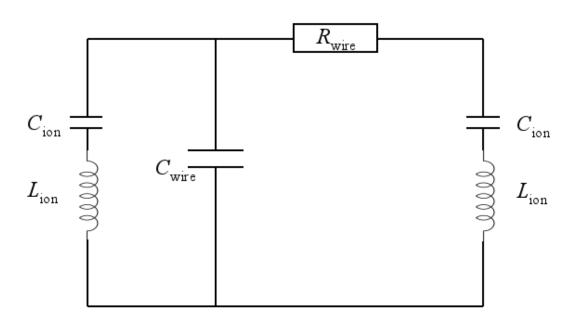






## Coupling





with 
$$I=rac{q}{D}\dot{x}$$
,  $L_{\mathrm{ion}}=rac{mD^2}{q^2}$ ,  $C_{\mathrm{ion}}=rac{1}{\omega^2L_{\mathrm{ion}}}$ 

Energy exchange rate:

$$rac{1}{T}=rac{1}{2\pi}rac{q^2}{mD^2}rac{1}{\omega}rac{1}{C_{
m wire}}$$

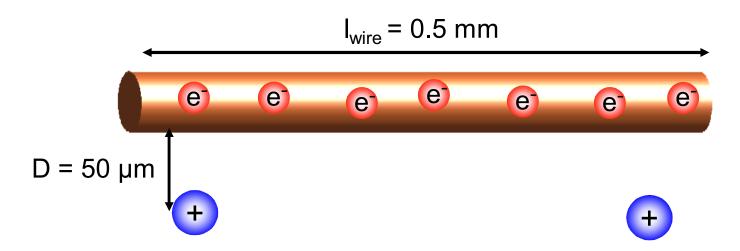
D.J. Wineland and H.G. Dehmelt, J. Appl. Phys 46, 919 (1975).

D.J. Heinzen and D.J. Wineland, PRA 47, 2977 (1990).



## Coupling





#### Projected numbers:

$$D_{eff} = 3.6 \times 50 \mu m$$

$$ω = 2π X 500 kHz$$

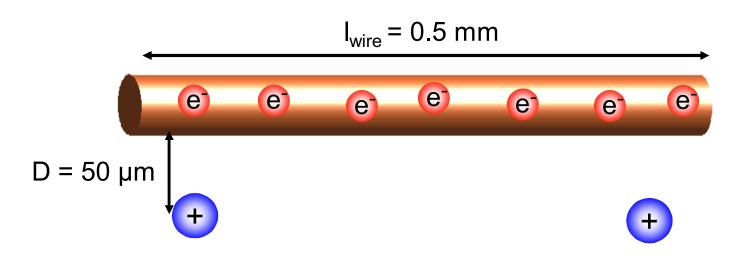
$$C_{\text{wire}} = 6 \text{ fF } (I_{\text{wire}} = 0.5 \text{mm})$$

$$\gamma = 2\pi \times 100 \text{ Hz}$$



## Coupling





#### **Current numbers:**

$$D_{eff} = 3.6 \times 300 \mu m$$

$$ω = 2π X 500 kHz$$

$$C_{\text{wire}} = 120 \text{ fF } (I_{\text{wire}} = 1 \text{cm})$$

 $\gamma$  would be  $2\pi \times 0.14 \text{ Hz}$ 

#### Projected numbers:

$$D_{eff} = 3.6 \times 50 \mu m$$

$$ω = 2π X 500 kHz$$

$$C_{\text{wire}} = 6 \text{ fF } (I_{\text{wire}} = 0.5 \text{mm})$$

$$\gamma = 2\pi \times 100 \text{ Hz}$$





#### Dissipation in the wire

Trap parameters:  $\omega = 2\pi \cdot 500 \text{ kHz}$ ,  $D = 3.6 \cdot 50 \mu \text{m}$ ,  $R = 0.1 \Omega$ 

Induced current:  $I = \frac{q}{D}\dot{x} = \frac{q}{D}\sqrt{\frac{\hbar\omega}{m}} \approx 10^{-16}\,A$  Dissipation rate for motional quantum:  $\gamma = \frac{I^2R}{\hbar\omega} \approx 10^{-6}\,\frac{1}{s}$ 

But what about Johnson noise?





#### Dissipation in the wire

Trap parameters:  $\omega = 2\pi \cdot 500 \text{ kHz}$ ,  $D = 3.6 \cdot 50 \mu \text{m}$ ,  $R = 0.1 \Omega$ 

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#### Johnson noise heating

Heating rate : 
$$\gamma_{\rm J}=\frac{P_{\rm J}}{\hbar\omega}=\frac{k_{\rm B}T\gamma}{\hbar\omega}\approx 14\frac{1}{s}$$

Expected coupling over 0.5 mm:  $2\pi \times 100 \text{ 1/s}$ 



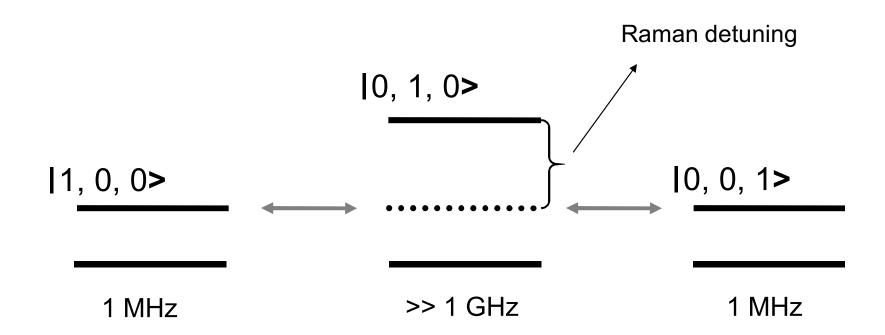


Three coupled harmonic oscillators:





Three coupled harmonic oscillators:



lion₁, wire, ion₁>





Anything else?

See: J.R. Zurita-Sánchez and C. Henkel, submitted to New J. Phys. (2008).

Quantum control

Ion-wire interaction

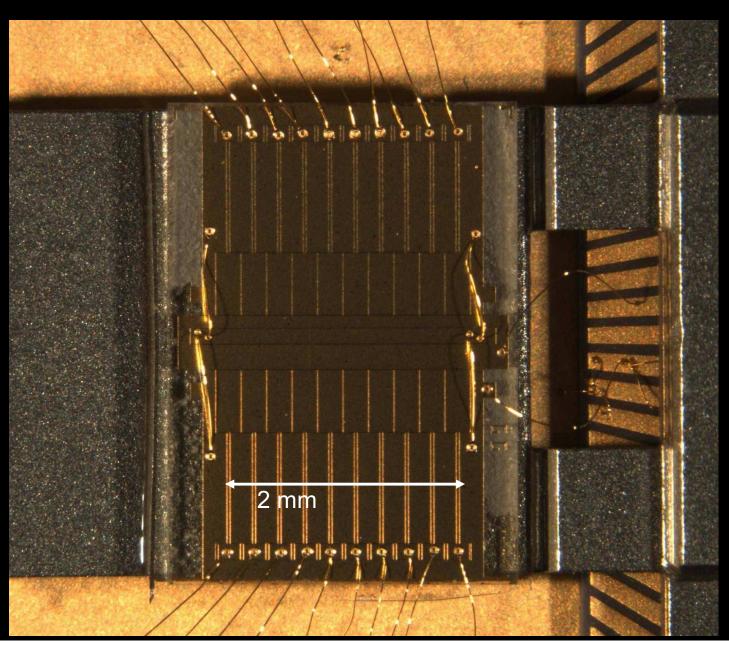
Experiments

Summary



# A segmented trap

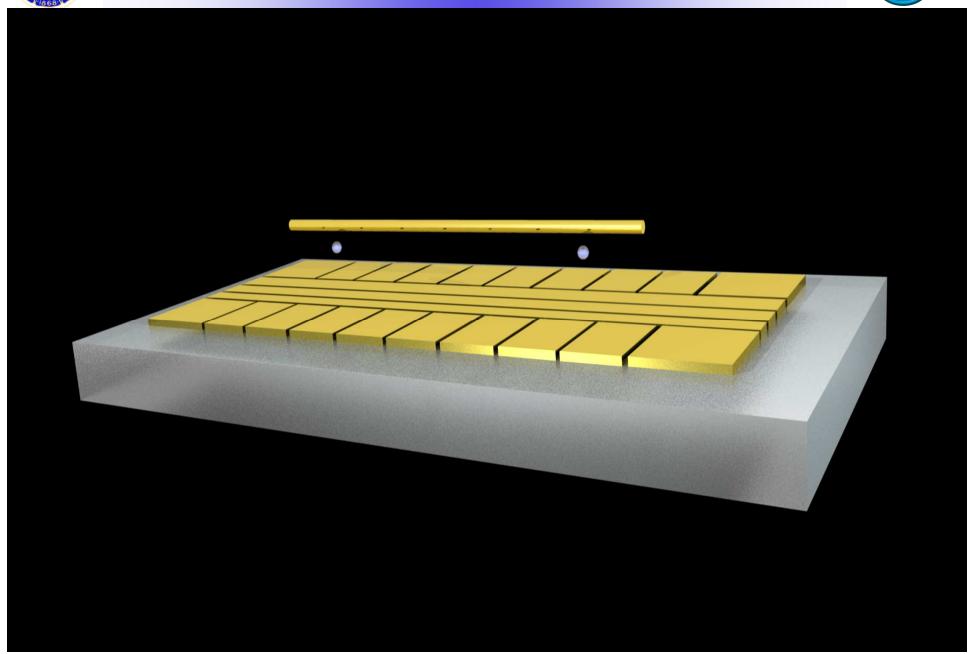






# **Experimental set-up**

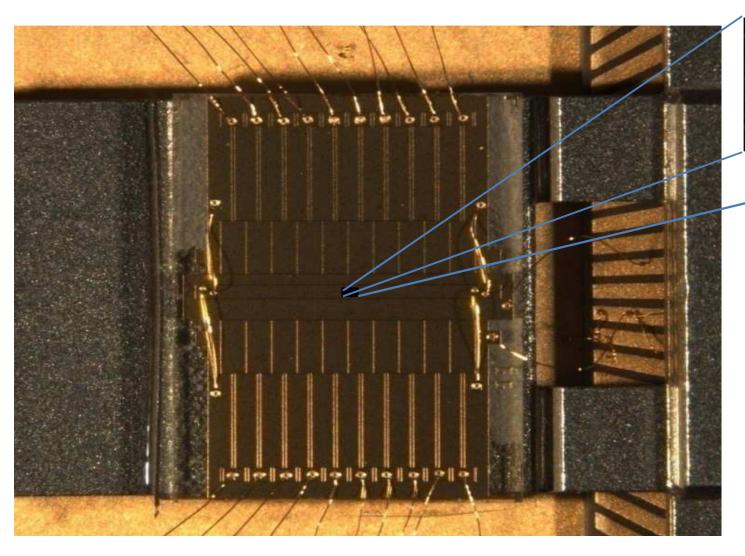


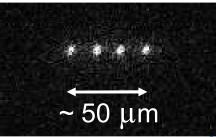




# **Experimental set-up**







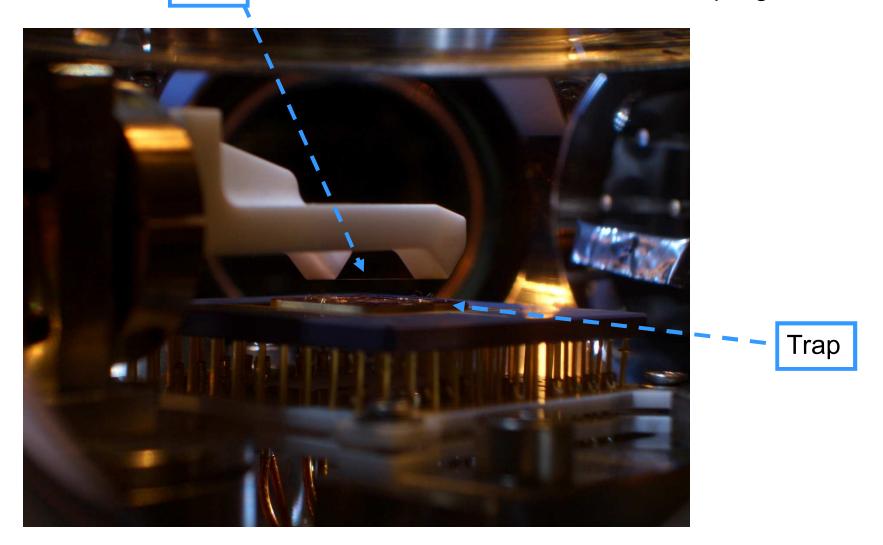


# **Experimental set-up**



Wire

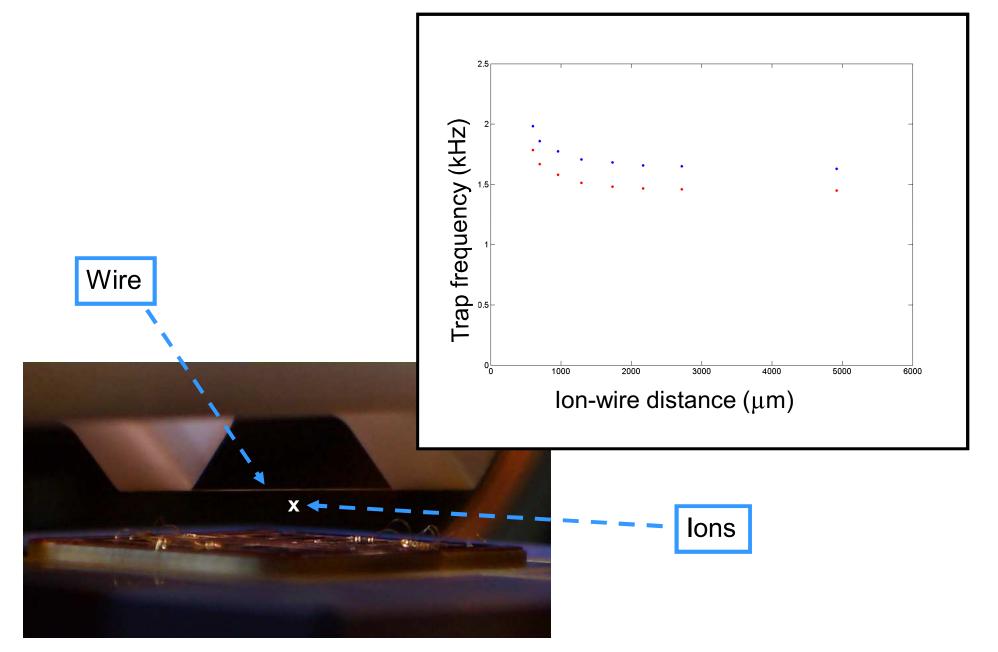
Separation of trapping and coupling





## Ion-wire interaction

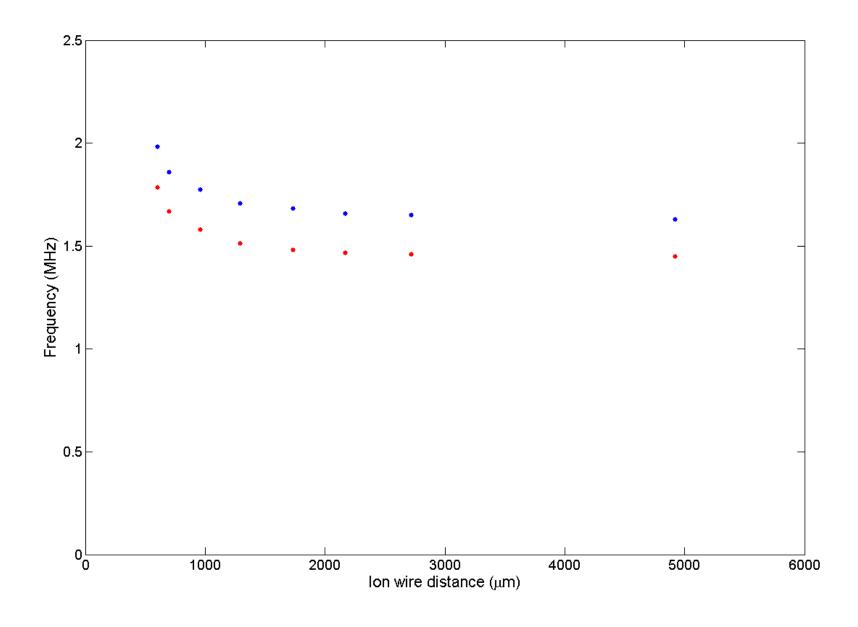






#### **Ion-wire interaction**

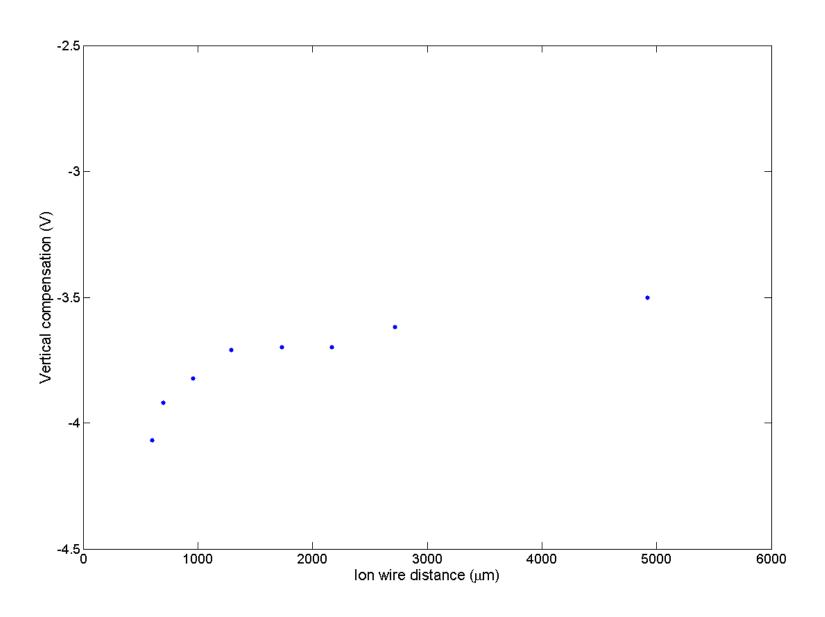






## **Ion-wire interaction**

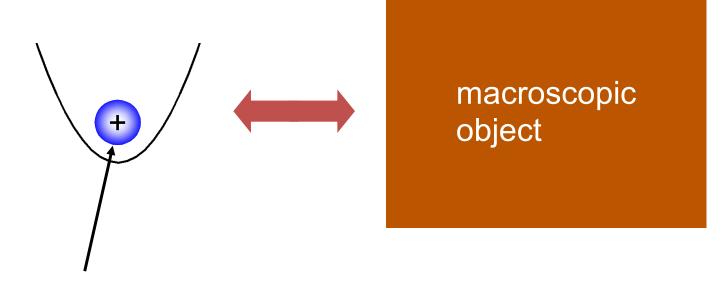






## **Quantum sensors**





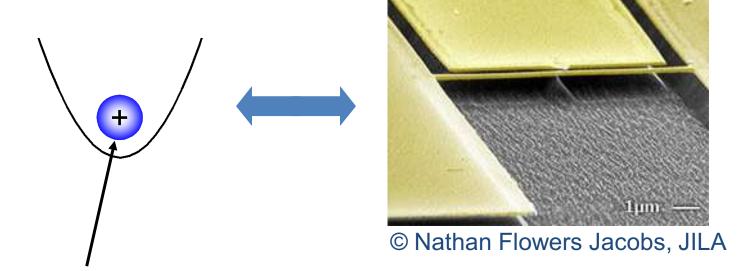
Quantum sensor

Ultimate control and detection



## **Quantum sensors**





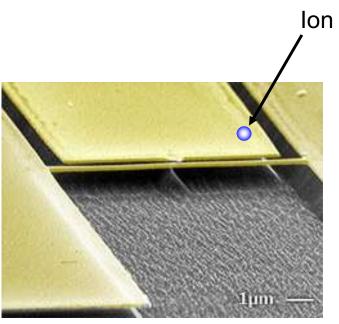
Quantum sensor

Ultimate control and detection



# **Quantum sensors**



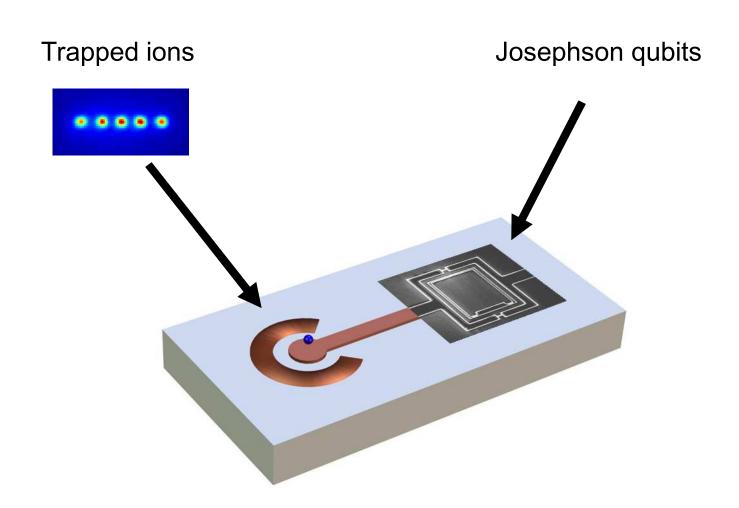


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# **Hybrid quantum devices**

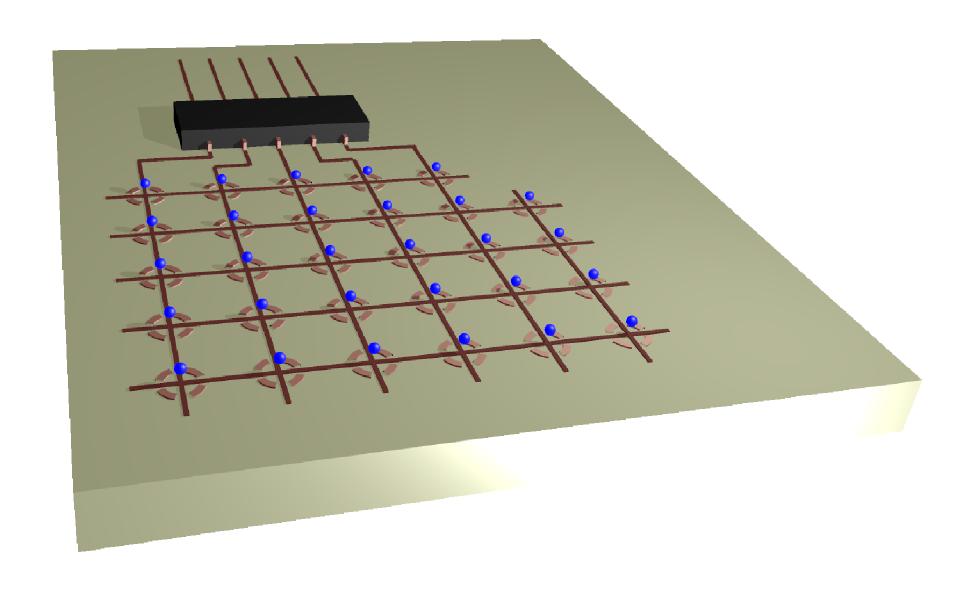






# A vision







# **Summary**



