

Wiring up ion traps for quantum information



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Motivation

Ion-wire interaction

Characterization of the trap

Influence of the wire

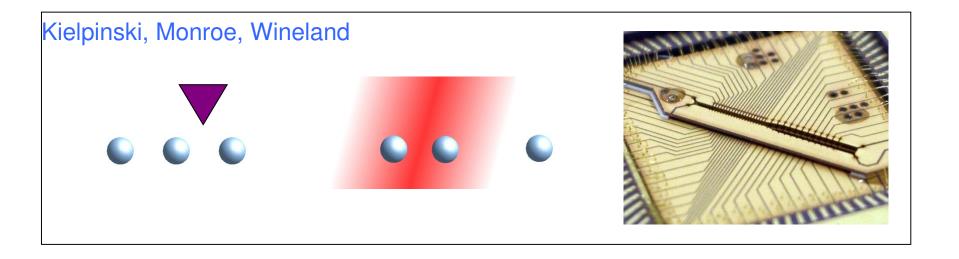
Summary

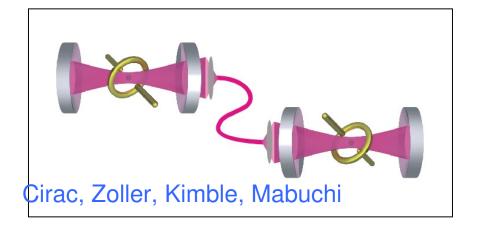


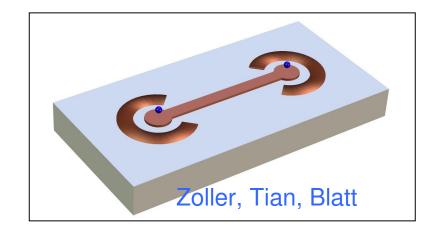


Scaling of ion-trap quantum computers









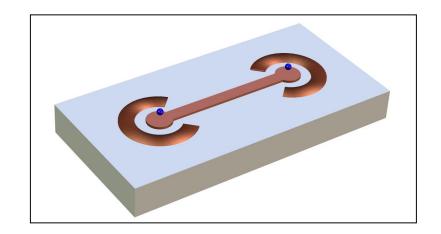


Scaling of ion-trap quantum computers





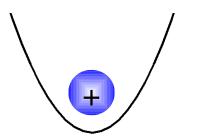


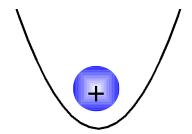






Two trapped ions ...

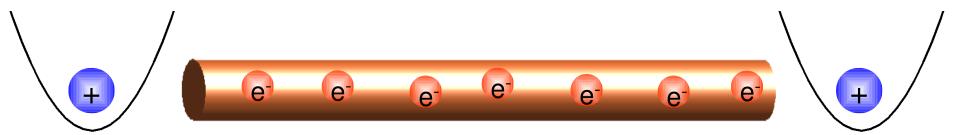








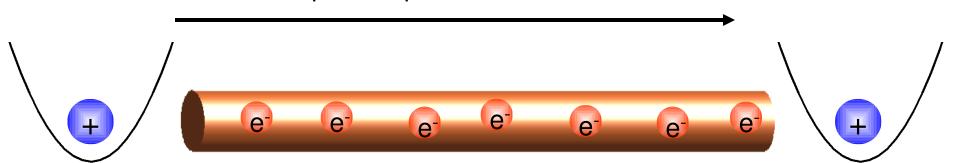
Two trapped ions + a wire





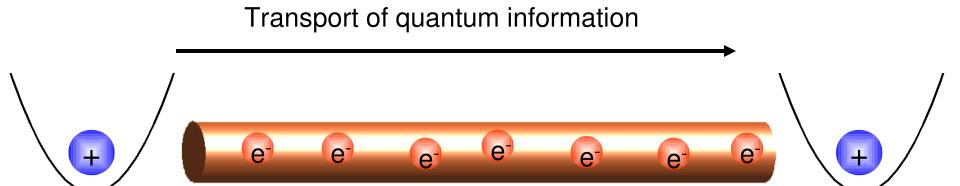












No trace of the quantum information should remain in the wire

super conducting wire



Physics with this set-up



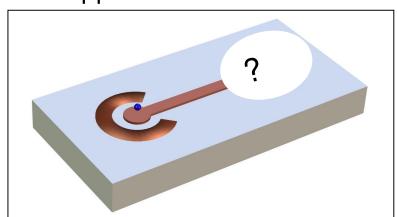
Physics:

- Decoherence in charge transport
- Wire mediated laser cooling to a few μK
- Cooling of LC resonators

Heinzen and Wineland, PRA PRA 47, 2977 (1990).

Technology:

- Scalable quantum computing with trapped ions/electrons
- Hybrid quantum computing
- Quantum detectors



Quantum control

Ion-wire interaction

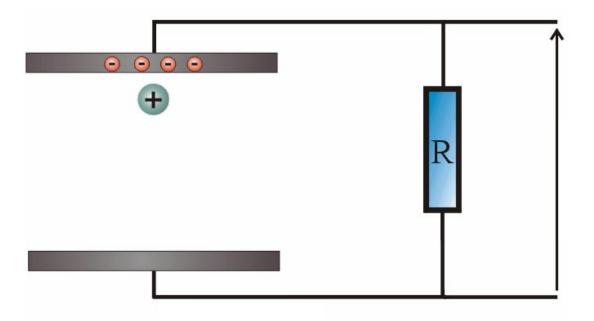
Experiments

Summary



Ion-resistor interaction

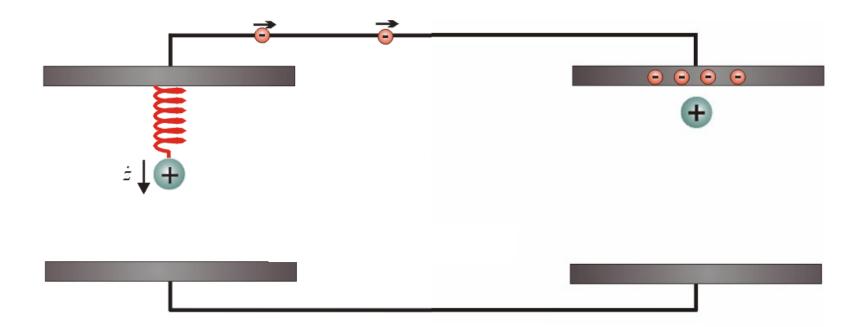






Ion-resistor interaction

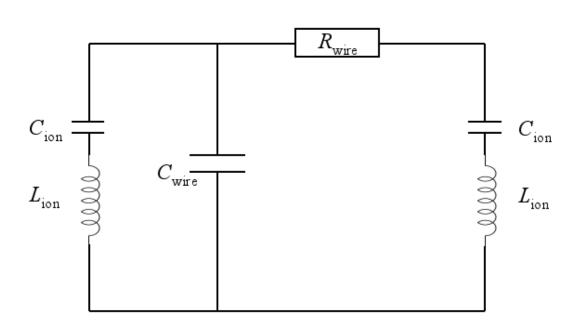






Coupling





with
$$I = \frac{q}{D}\dot{x}$$
, $L_{\rm ion} = \frac{mD^2}{q^2}$, $C_{\rm ion} = \frac{1}{\omega^2 L_{\rm ion}}$

Energy exchange rate:

$$rac{1}{T}=rac{1}{2\pi}rac{q^2}{mD^2}rac{1}{\omega}rac{1}{C_{\mathsf{Wire}}}$$

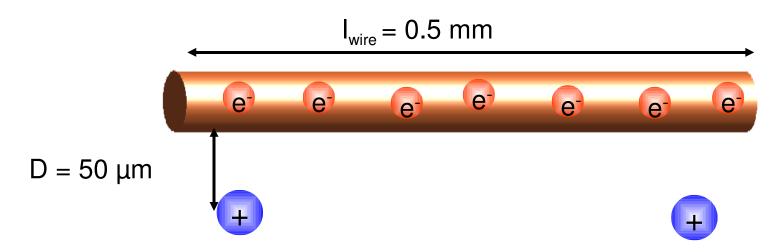
D.J. Wineland and H.G. Dehmelt, J. Appl. Phys **46**, 919 (1975).

D.J. Heinzen and D.J. Wineland, PRA 47, 2977 (1990).



Coupling





Projected numbers:

$$D_{eff} = 3.6 \times 50 \mu m$$

$$\omega = 2\pi \times 500 \text{ kHz}$$

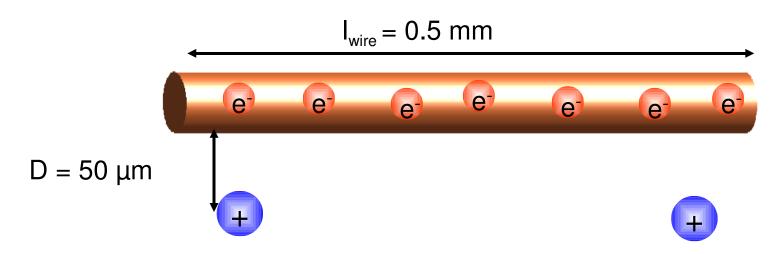
$$C_{\text{wire}} = 6 \text{ fF } (I_{\text{wire}} = 0.5 \text{mm})$$

$$y = 2\pi X 100 Hz$$



Coupling





Current numbers:

$$D_{eff} = 3.6 \times 300 \mu m$$

$$\omega = 2\pi \times 500 \text{ kHz}$$

$$C_{wire} = 120 \text{ fF } (I_{wire} = 1 \text{ cm})$$

 γ would be 2π X 0.14 Hz

Projected numbers:

$$D_{\rm eff} = 3.6 \; X \; 50 \; \mu m$$

$$\omega = 2\pi \times 500 \text{ kHz}$$

$$C_{\text{wire}} = 6 \text{ fF } (I_{\text{wire}} = 0.5 \text{mm})$$

$$y = 2\pi X 100 Hz$$





Dissipation in the wire

Trap parameters: $\omega = 2\pi \cdot 500 \text{ kHz}$, $D = 3.6 \cdot 50 \mu \text{m}$, $R = 0.1 \Omega$

Induced current: $I = \frac{q}{D}\dot{x} = \frac{q}{D}\sqrt{\frac{\hbar\omega}{m}} \approx 10^{-16}\,A$ Dissipation rate for motional quantum: $\gamma = \frac{I^2R}{\hbar\omega} \approx 10^{-6}\,\frac{1}{s}$

But what about Johnson noise?





Dissipation in the wire

Trap parameters: $\omega = 2\pi \cdot 500 \text{ kHz}$, $D = 3.6 \cdot 50 \mu \text{m}$, $R = 0.1 \Omega$

Induced current:
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Johnson noise heating

Heating rate :
$$\gamma_{\rm J}=\frac{P_{\rm J}}{\hbar\omega}=\frac{k_{\rm B}T\gamma}{\hbar\omega}\approx 14\frac{1}{s}$$

Expected coupling over 0.5 mm: $2\pi \times 100 \text{ 1/s}$



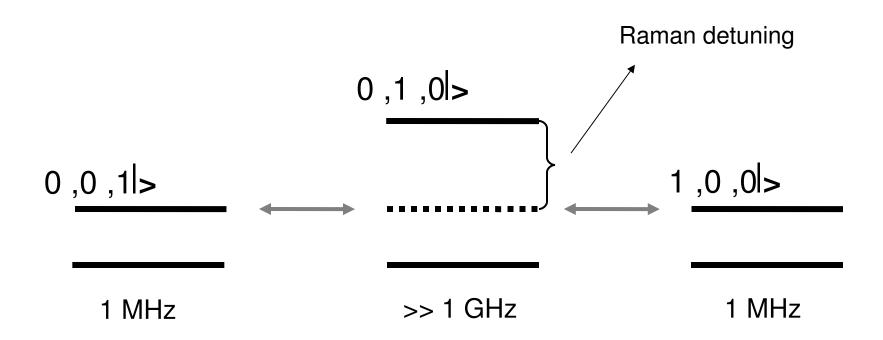


Three coupled harmonic oscillators:





Three coupled harmonic oscillators:



lion₁, wire, ion₁>





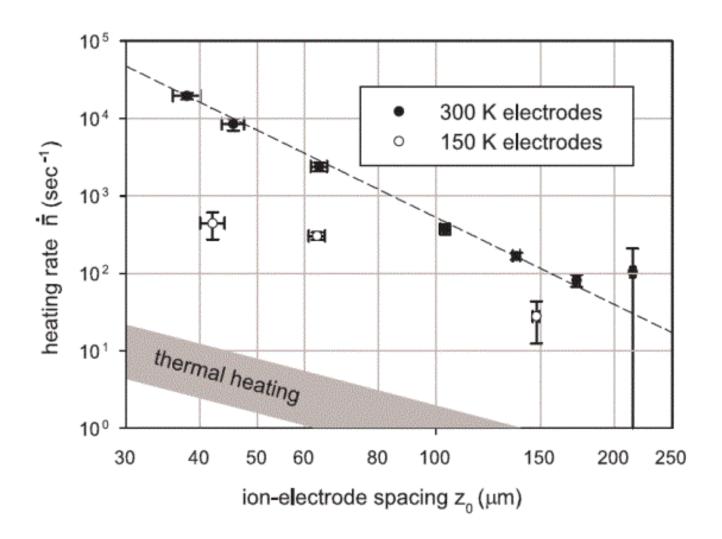
Anything else?

See: J.R. Zurita-Sánchez and C. Henkel, submitted to New J. Phys. (2008).



Anomalous heating



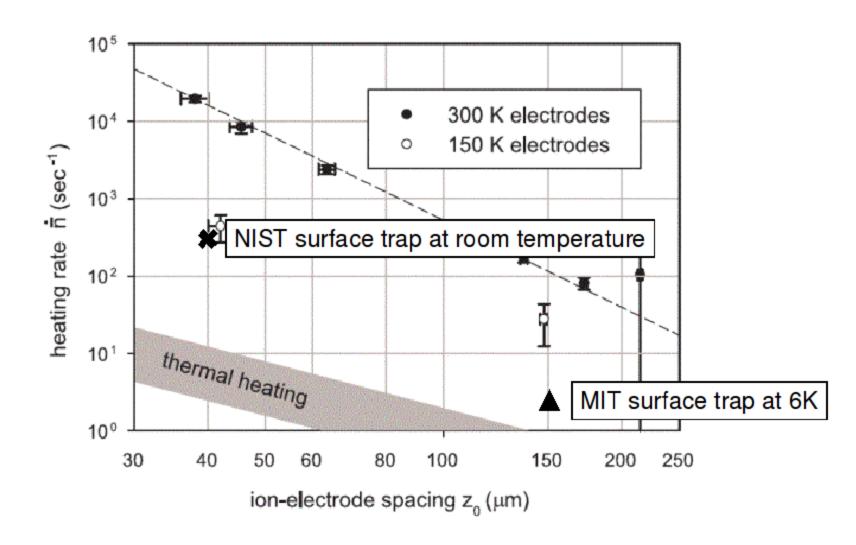


From: L. Deslauriers et al., PRL 97, 103007 (2006).



Anomalous heating



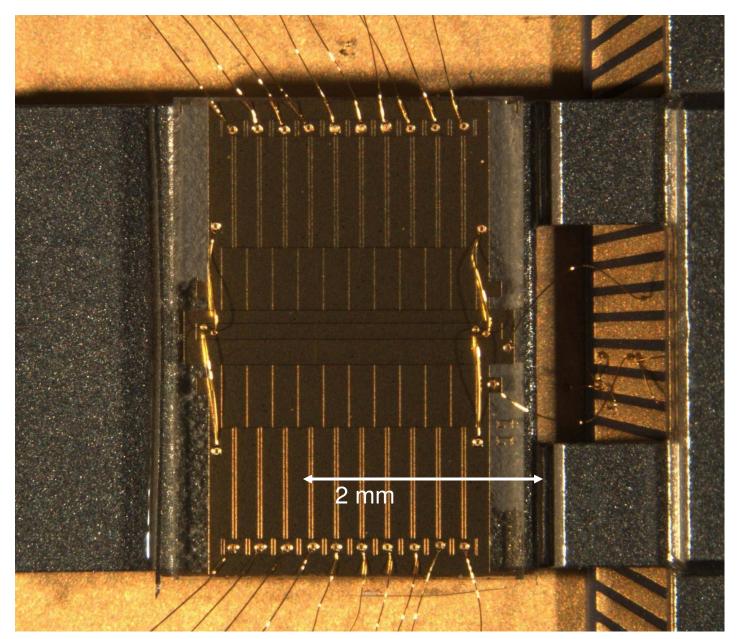


From: L. Deslauriers et al., PRL 97, 103007 (2006).



A surface trap





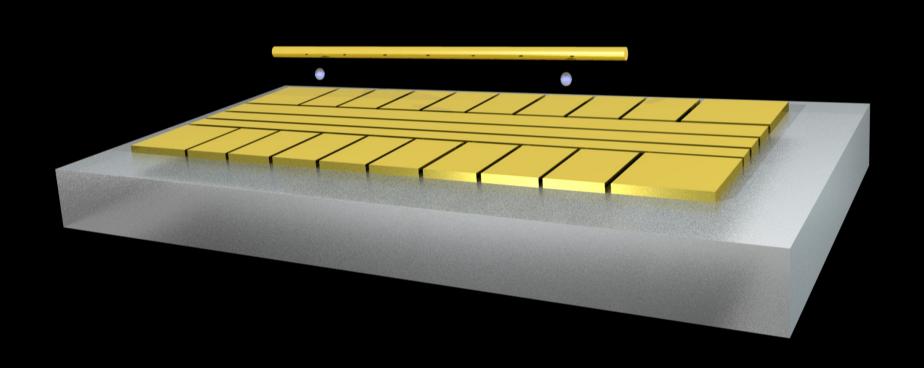


Nikos



Experimental set-up

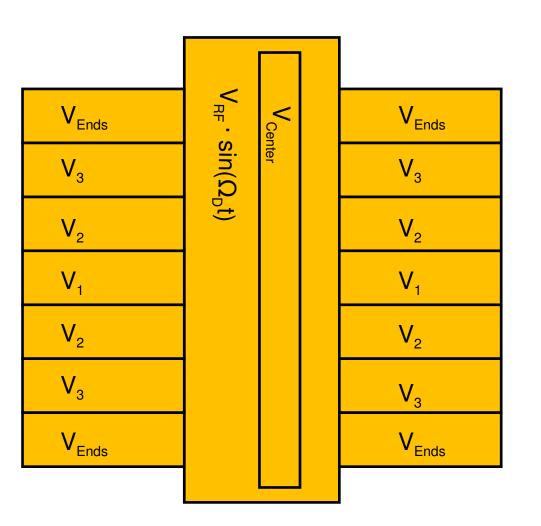






Trap parameters





Trap parameters:

Ion height $\approx 220 \, \mu \text{m}$

$$\Omega_{\rm D} = 2\pi \cdot 15 \, \text{MHz}$$

$$V_{RF} \approx 100 \text{ V}$$

$$V_{DC} < 10 \text{ V}$$

$$\omega_{\rm H} \approx 2\pi \cdot 1.3 \text{ MHz}$$

$$\omega_{\rm v} \approx 2\pi \cdot 1.5 \, \text{MHz}$$

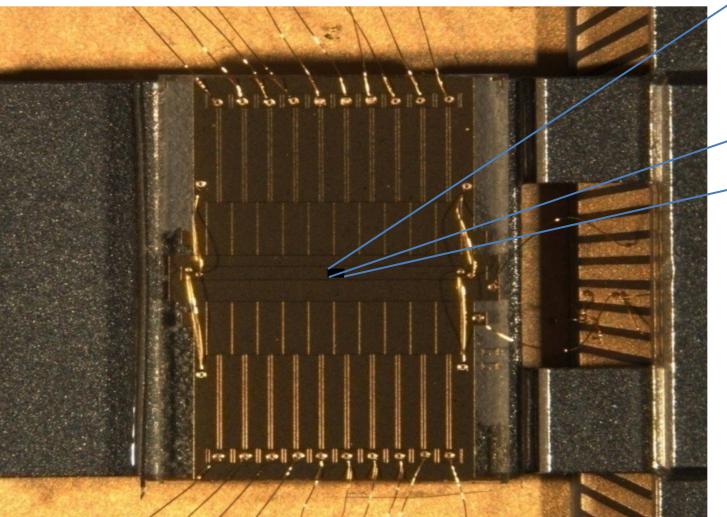
$$\omega_{\scriptscriptstyle A} \approx 2\pi \cdot 300 \text{ kHz}$$

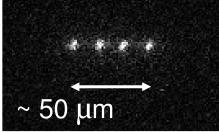
Tilt
$$\approx 20^{\circ}$$



Experimental set-up



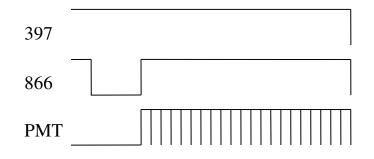




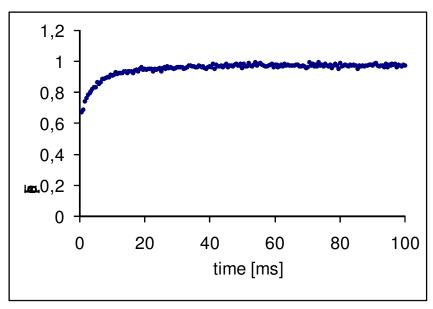


Heating rate measurement





Heating rate determined from difference in fluorescence

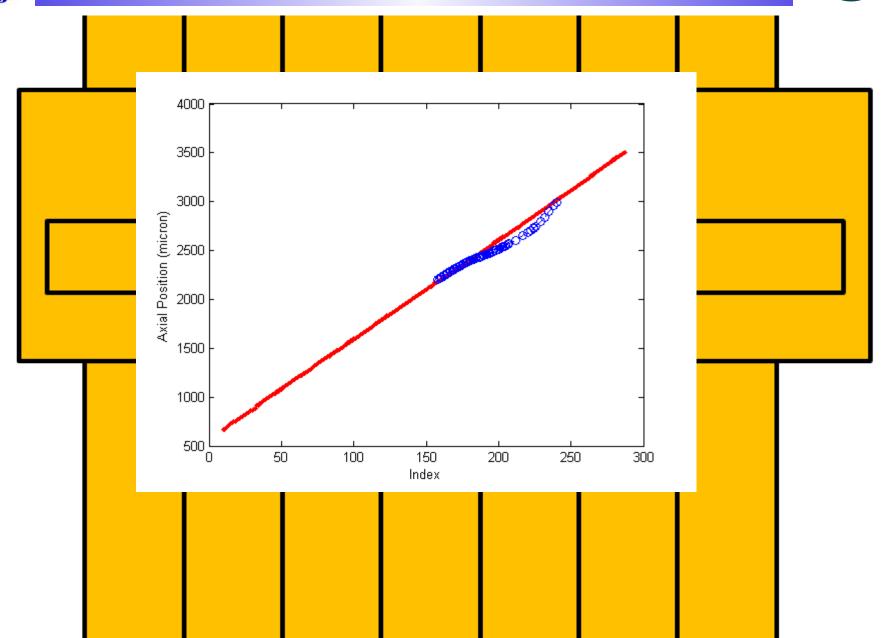


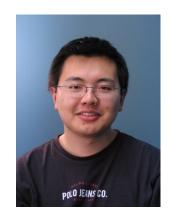
Preliminary result: 5 Quanta/ms



Trap characterization











Rob



Sankar



Nikos



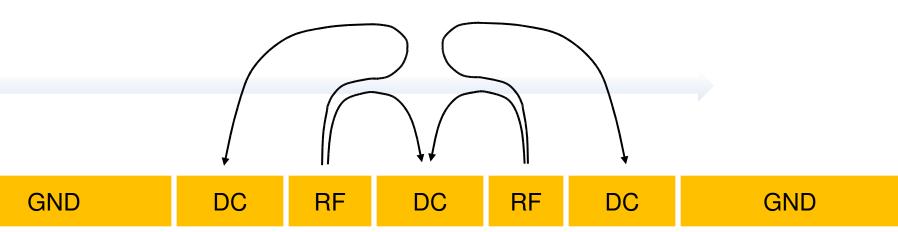
Sönke

+ Andreas Wallraff, Peter Leek (Zürich)

Frank Ziesel, Uli Poschinger, Kilian Singer, Ferdinand Schmidt-Kaler (Ulm)

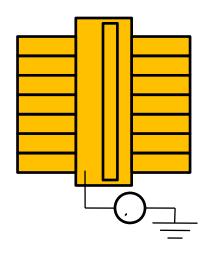




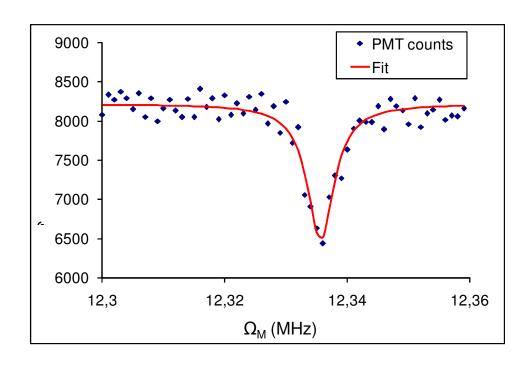






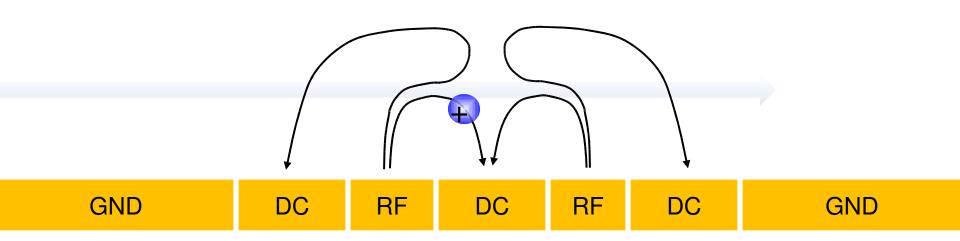


Drive a motional sideband (of the micromotion)



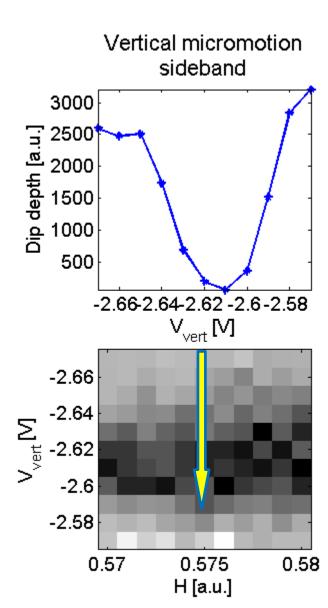












Compensated position:

 $\Delta x_v = 300 \text{ nm}$

 $A_{mm,v} = 38 \text{ nm}$

 $\Delta x_H = 47 \text{ nm}$

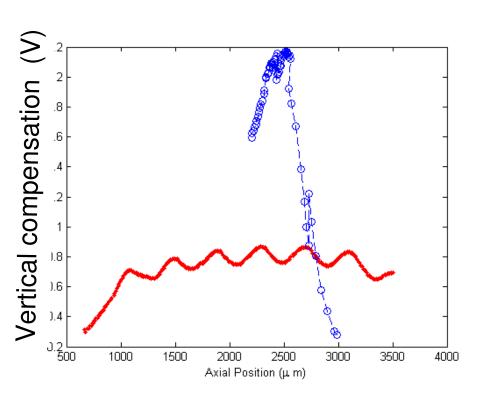
 $A_{mm,H} = 5.9 \text{ nm}$

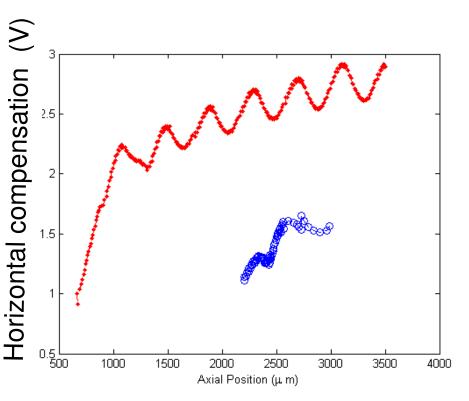
can be improved



Compensation



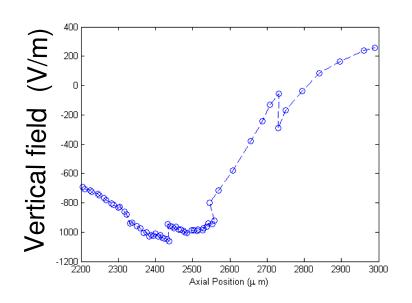


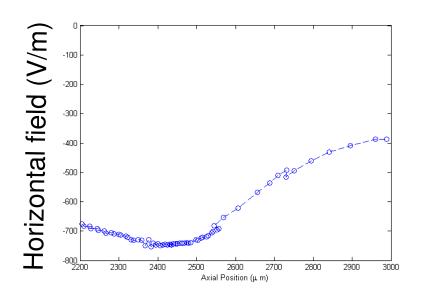


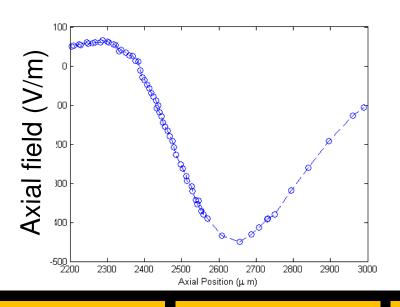


Derived electric stay fields





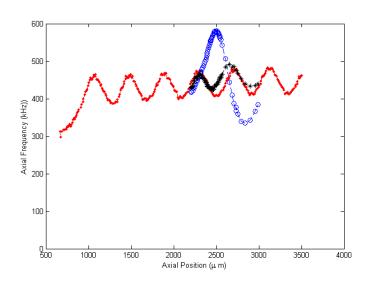


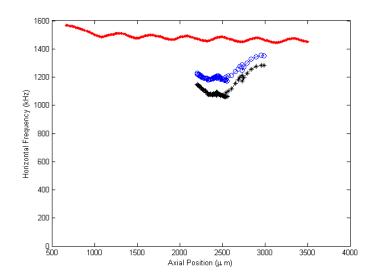


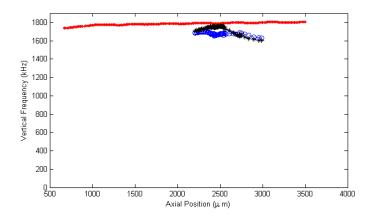


Trap frequencies





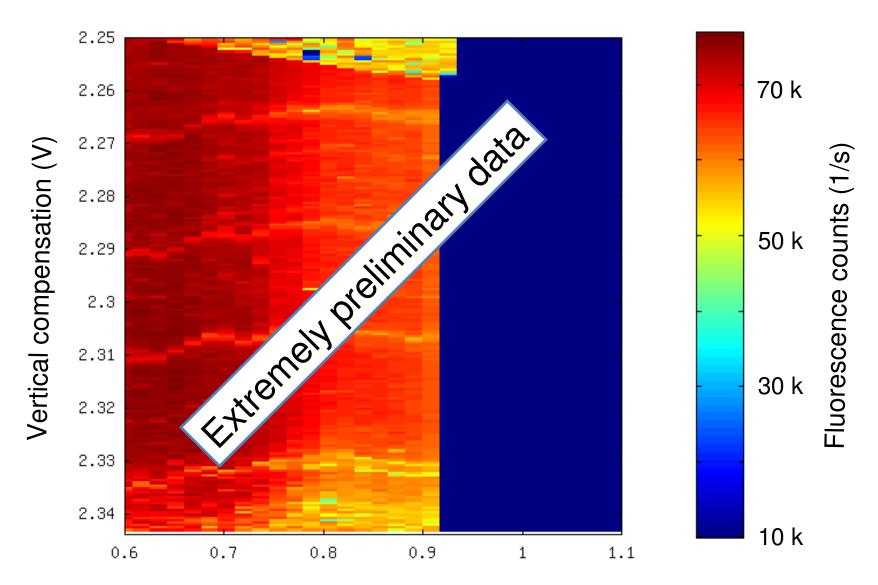






Stability diagramm



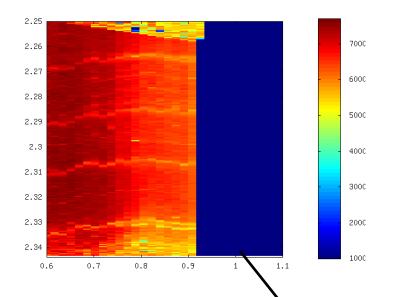


Horizontal compensation (V)



Stability diagramm





Towards compensated trap



Experimental set-up



"Almost" all-metal arm

Wire

Separation of trapping and coupling

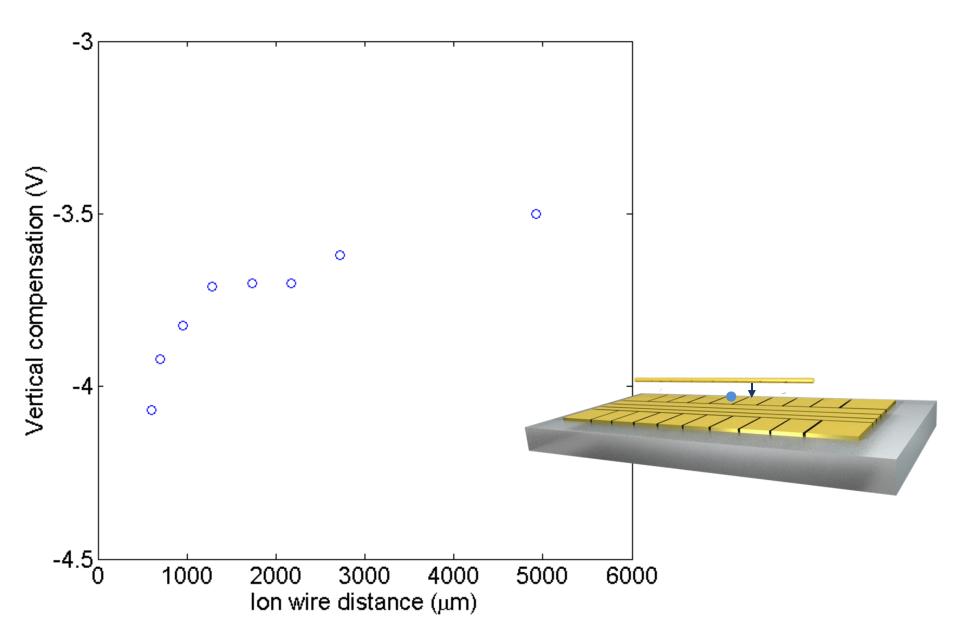


Trap



Moving the wire closer

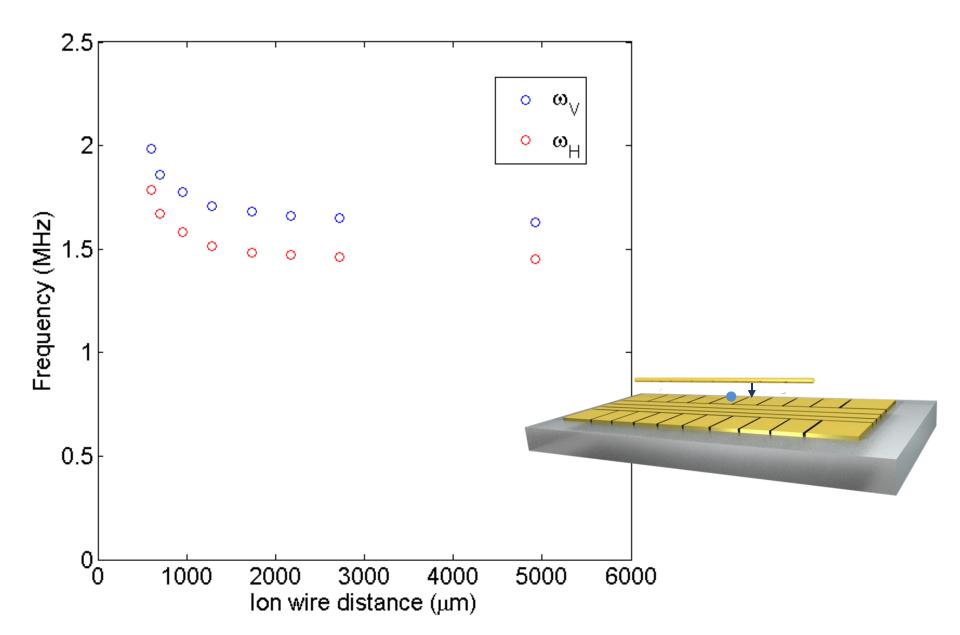






Moving the wire in

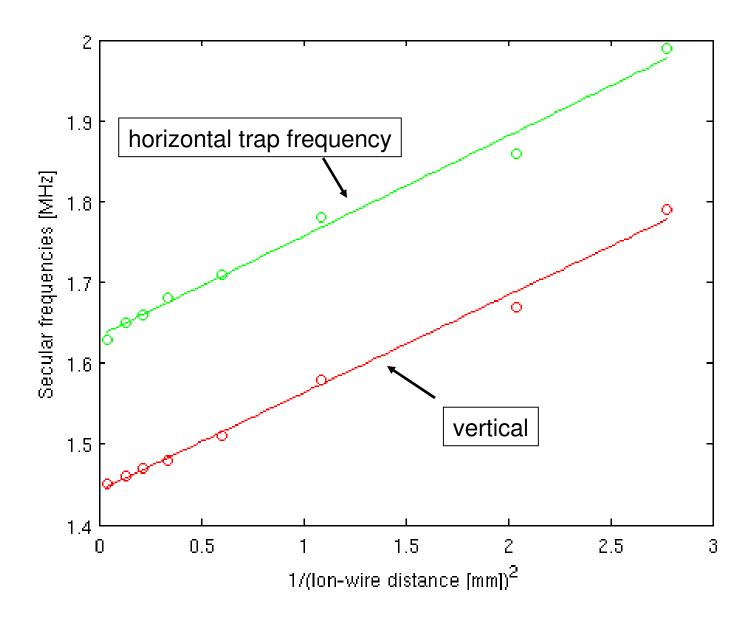






Moving the wire in

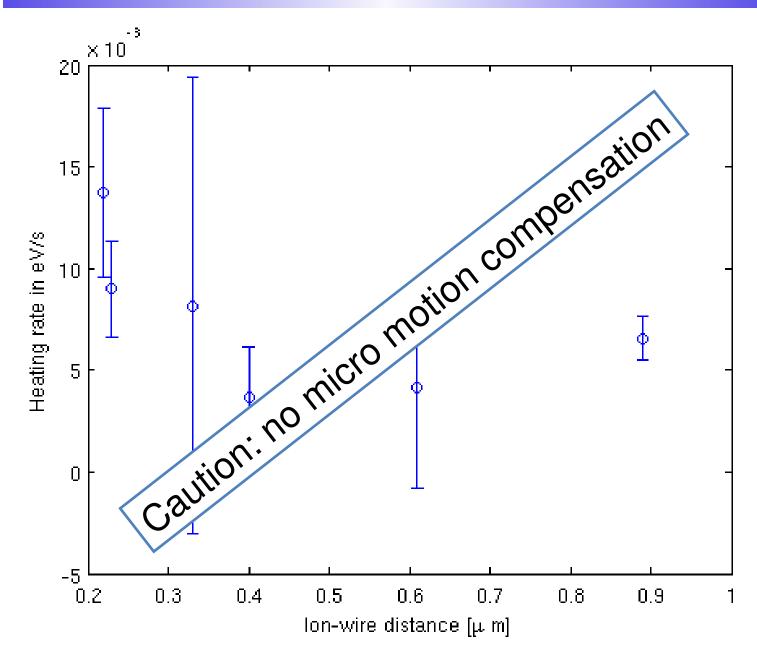






Moving the wire in

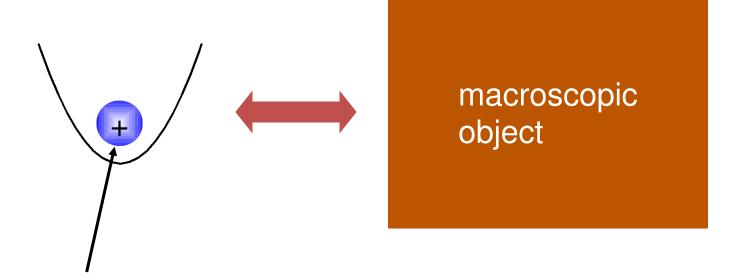






Quantum sensors





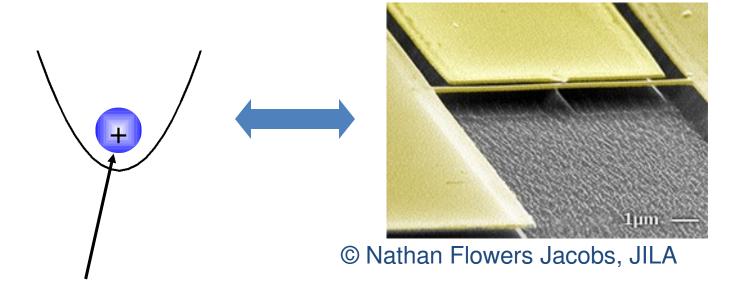
Quantum sensor

Ultimate control and detection



Quantum sensors





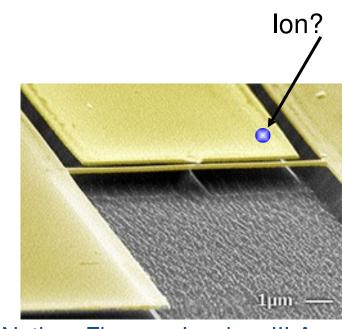
Quantum sensor

Ultimate control and detection



Quantum sensors





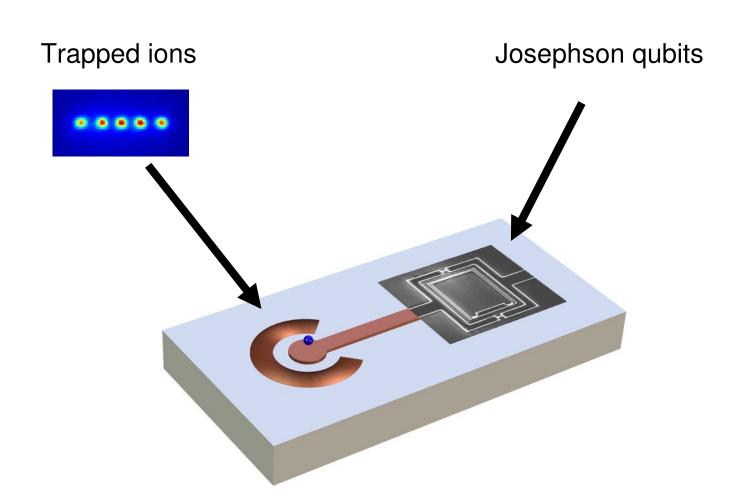
© Nathan Flowers Jacobs, JILA

See: L. Tian, P. Zoller, PRL 93, 266403 (2004). W. K. Hensinger, PRA 72, 041405R (2005).



Hybrid devices

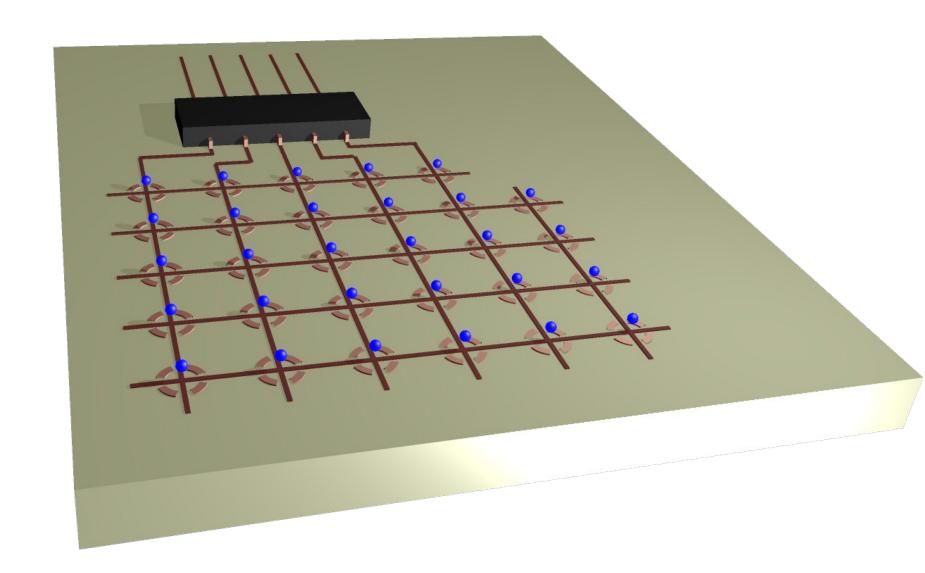






A vision







Summary



