# MidtermProject 2025 Pulsars

March 7, 2025

SPA6330: Artificial Intelligence and Machine Learning

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# 1 Midterm Project - Identifying Pulsars

1.1 Deadline: 7th March 2025 23.59

# 1.2 Expectations

This assessment is worth 25% of the final module mark.

All projects are required to be submitted as Jupyter Notebooks with accompanying PDFs. If no code is provided, the project will be graded at zero. If the code provided doesn't reproduce the work shown in the report, only the sections with the working code will be marked.

## 1.3 Problem formulation:

This week we are identifying pulsars using a modified version of the following dataset: Lyon,Robert. (2017). HTRU2. UCI Machine Learning Repository. https://doi.org/10.24432/C5DK6R.

The dataset features represent the statistical properties of the integrated pulsed profile and DM-SNR curve.

- 1. Mean of the integrated profile.
- 2. Standard deviation of the integrated profile.
- 3. Excess kurtosis of the integrated profile.
- 4. Skewness of the integrated profile.
- 5. Mean of the DM-SNR curve.
- 6. Standard deviation of the DM-SNR curve.
- 7. Excess kurtosis of the DM-SNR curve.
- 8. Skewness of the DM-SNR curve.

The last column tells you if the instance refers to a pulsar (1) or not (0).

Define the problem that you want to solve. What are you trying to predict or classify? Give an overview of the background of the problem. [/5] - Dataset [/2]: The dataset is appropriate to address the problem - Overview [/3]: A clear overview of the background of the problem is given, including why a machine learning model is suitable to address it

Problem Formulation: Identifying Pulsars with Machine Learning

#### Overview of the Problem

Pulsars are highly magnetized, rapidly rotating neutron stars that emit periodic radio signals. Identifying pulsars from vast amounts of radio telescope data is a crucial task in astrophysics, as they provide insights into fundamental physics, gravitational waves, and stellar evolution. However, due to the overwhelming amount of noise in astronomical data, manually classifying pulsars is both time-consuming and error-prone.

To automate this process, we will use machine learning to classify whether a given observation corresponds to a pulsar (1) or a non-pulsar (0). This classification problem will help astronomers efficiently identify new pulsars with minimal manual intervention.

## Dataset Description

The dataset used in this project is a modified version of HTRU2, originally compiled by Robert Lyon (2017) at the UCI Machine Learning Repository DOI: 10.24432/C5DK6R. It contains statistical features extracted from radio signals: 1. Integrated Pulsed Profile Statistics: - Mean - Standard Deviation - Excess Kurtosis - Skewness 2. DM-SNR Curve Statistics: - Mean - Standard Deviation - Excess Kurtosis - Skewness

The target variable in the dataset is binary: - 1  $\rightarrow$  The signal corresponds to a pulsar. - 0  $\rightarrow$  The signal corresponds to non-pulsar noise.

## Why Machine Learning?

The dataset is ideal for a classification task because: - It contains numerical features that allow statistical analysis and pattern recognition. - Traditional rule-based methods struggle with noise in astronomical data, whereas machine learning can generalize from past observations. - Automating pulsar detection reduces the burden on astronomers and accelerates discoveries.

By training a supervised learning model, we aim to build a system that can predict whether a given radio signal is a pulsar or not with high accuracy, aiding future astronomical research.

## 1.4 Data preparation and feature engineering:

Prepare the data for training, such as cleaning and transforming it. This may involve removing outliers, imputing missing values, and normalising the data. Select the features that are most important for the problem. This may involve creating new features or removing irrelevant features. Use data visualisation to help inform your choices. [/25]

- Code [/10]: the code works; it is well-written, formatted, and appropriately explained.
- Figures [/10]: the figures are relevant to the tasks, they have legends and axis titles, and the figures are easily readable and interpretable.
- Text [/5]: the text justifies the preprocessing appropriately.

```
[1]: import pandas as pd
  import numpy as np
  import matplotlib.pyplot as plt
  import seaborn as sns

# Load the dataset
  file_path = "Pulsars.csv"
```

# df = pd.read\_csv(file\_path) # Display basic information about the dataset df.info(), df.describe(), df.head()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17897 entries, 0 to 17896
Data columns (total 9 columns):

#	Column	Non-Null Count	Dtype
0	140.5625	17713 non-null	float64
1	55.68378214	17723 non-null	float64
2	-0.234571412	17697 non-null	float64
3	-0.699648398	17712 non-null	float64
4	3.199832776	17727 non-null	float64
5	19.11042633	17725 non-null	float64
6	7.975531794	17732 non-null	float64
7	74.24222492	17719 non-null	float64
8	0.0	17720 non-null	float64

dtypes: float64(9)
memory usage: 1.2 MB

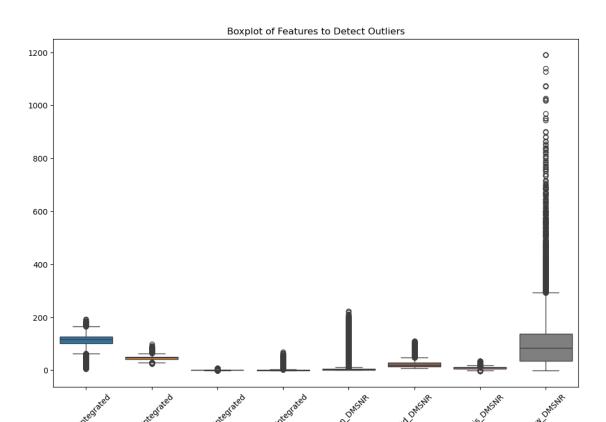
# [1]: (None,

		140	0.5625	55.68	378214	-0.234	4571412	-0.699	9648398	3.19	9832776	\
	coun	t 17713.0	00000	17723.	000000	17697	.000000	17712.	.000000	17727	.000000	
1	mean	111.0	71057	46.	554869	0	.478891	1.	771902	12	.603870	
	std	25.6	30319	6.	841285	1	.066169	6.	170012	29	.454867	
1	min	5.8	312500	24.	772042	-1	.876011	-1.	791886	0	.213211	
	25%	100.9	929688	42.	384836	0	.027095	-0.	188029	1	.923077	
	50%	115.0	)46875	46.	962166	0	. 223429	0.	200216	2	.801003	
	75%	127.0	31250	51.	037166	0	. 473589	0.	929761	5	.469900	
1	max	192.6	517188	98.	778911	8	.069522	68.	101622	223	.392141	
		19.110	)42633	7.975	5531794	74.24	1222492		0.0			
	coun	t 17725.0	000000	17732.	000000	17719	.000000	17720.	.000000			
1	mean	26.3	324351	8.	306382	104	.877326	0.	091535			
	std	19.4	168629		504388		.605320		288377			
	min	7.3	370432	-3.	139270	-1	.976976	0.	.000000			
	25%	14.4	139409	5.	787440	35	.025316	0.	.000000			
	50%	18.4	156599	8.	437345	83	.077477	0.	.000000			
	75%	28.4	134604	10.	703389	139	. 173957	0.	.000000			
1	max	110.6	542211	34.	539844	1191	.000837	1.	.000000	,		
		140.5625	55.68	378214	-0.234	1571412	-0.69	9648398	3.1998	832776	\	
	0 1	02.507812	58.	882430	0	.465318	-0	.515088	1.6	677258		
		03.015625	39.	341649	0	.323328	1	.051164	3.	121237		
		36.750000		178449	-0	.068415		.636238	3.6	642977		
	3	88.726562	40.	672225		NaN	1	.123492	1.3	178930		

```
93.570312
                     46.698114
                                     0.531905
                                                  0.416721
                                                               1.636288
        19.11042633 7.975531794 74.24222492 0.0
          14.860146
                     10.576487 127.393580 0.0
     1
          21.744669
                       7.735822 63.171909 0.0
          20.959280
                       6.896499 53.593661 0.0
     2
     3
         11.468720 14.269573 252.567306 0.0
     4
          14.545074
                       10.621748 131.394004 0.0 )
[2]: # Assign the correct column names
    df.columns = \Gamma
        "Mean_Integrated", "Std_Integrated", "Kurtosis_Integrated", "

¬"Skew_Integrated",

        "Mean_DMSNR", "Std_DMSNR", "Kurtosis_DMSNR", "Skew_DMSNR", "Pulsar_Class"
    ]
    # Drop rows where the target variable (Pulsar_Class) is empty
    df = df.dropna(subset=["Pulsar_Class"])
    # Fill any other missing values with the median of the respective column
    df.fillna(df.median(), inplace=True)
    # Display the cleaned dataset
    df.head()
    # Detect outliers using boxplots
    plt.figure(figsize=(12, 8))
    sns.boxplot(data=df.drop(columns=["Pulsar_Class"]))
    plt.xticks(rotation=45)
    plt.title("Boxplot of Features to Detect Outliers")
    plt.show()
```



# Outlier Analysis

The boxplot reveals the presence of several outliers in multiple features, particularly in: Kurtosis\_Integrated Skew\_Integrated Kurtosis\_DMSNR Skew\_DMSNR These extreme values may distort model training. We'll apply clipping using the 1st and 99th percentiles to cap extreme values while preserving genuine variations.

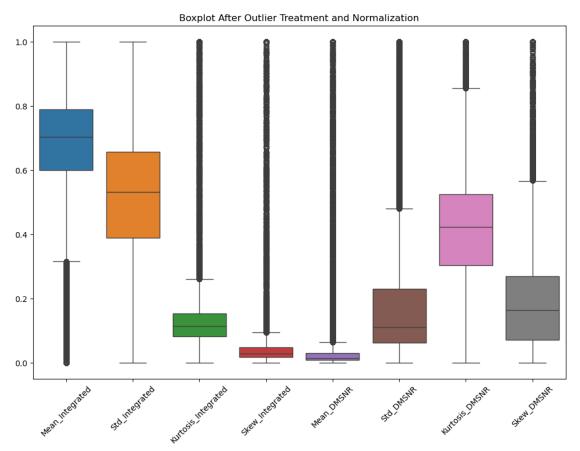
```
[3]: # Apply clipping to handle extreme outliers (1st and 99th percentile)
for col in df.columns[:-1]: # Exclude target column
    lower_bound = df[col].quantile(0.01)
    upper_bound = df[col].quantile(0.99)
    df[col] = np.clip(df[col], lower_bound, upper_bound)

# Normalize the dataset (Min-Max Scaling)
from sklearn.preprocessing import MinMaxScaler

scaler = MinMaxScaler()
df.iloc[:, :-1] = scaler.fit_transform(df.iloc[:, :-1])

# Visualize the transformed data distribution
plt.figure(figsize=(12, 8))
```

```
sns.boxplot(data=df.drop(columns=["Pulsar_Class"]))
plt.xticks(rotation=45)
plt.title("Boxplot After Outlier Treatment and Normalization")
plt.show()
```

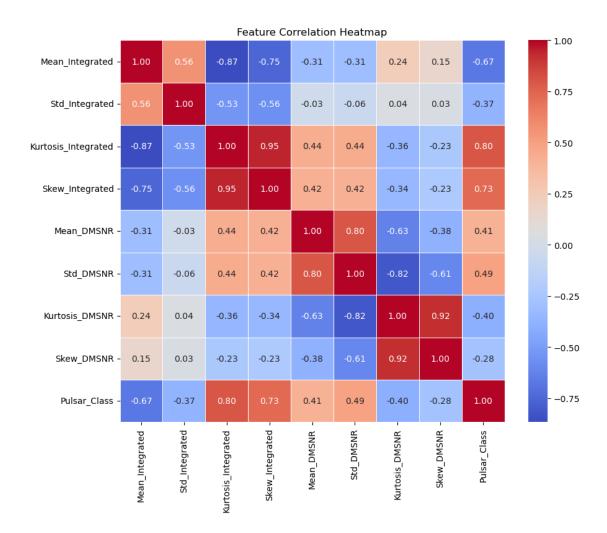


# Results of Data Preprocessing

Missing Values Handled: Imputed using the median. Outlier Treatment: Clipped extreme values at the 1st and 99th percentiles.

Feature Normalization: Min-Max Scaling applied to bring all features within the range [0,1]. Boxplot Analysis: The distributions now appear more uniform, reducing the impact of extreme outliers.

```
[4]: #Feature selection
# Compute correlation matrix
plt.figure(figsize=(10, 8))
sns.heatmap(df.corr(), annot=True, cmap="coolwarm", fmt=".2f", linewidths=0.5)
plt.title("Feature Correlation Heatmap")
plt.show()
```



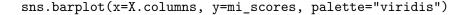
# The correlation heatmap highlights:

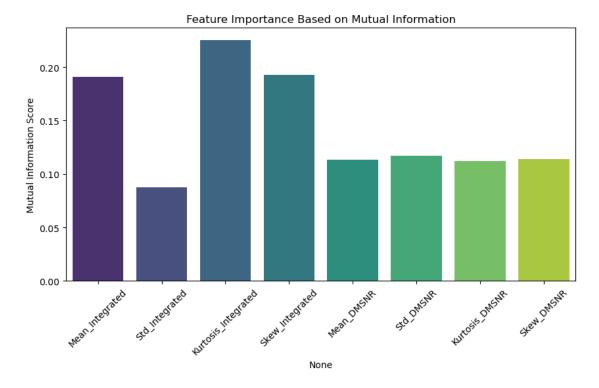
Strong correlations between Mean and Std of both Integrated Profile and DM-SNR Curve, suggesting some redundancy. Skewness and Kurtosis features show weaker correlations with the target, meaning they might add unique information.

```
sns.barplot(x=X.columns, y=mi_scores, palette="viridis")
plt.xticks(rotation=45)
plt.ylabel("Mutual Information Score")
plt.title("Feature Importance Based on Mutual Information")
plt.show()
```

/tmp/ipykernel\_3887/1643878123.py:11: FutureWarning:

Passing `palette` without assigning `hue` is deprecated and will be removed in v0.14.0. Assign the `x` variable to `hue` and set `legend=False` for the same effect.





## Feature Selection Findings

The mutual information scores indicate that: Mean and Standard Deviation of the Integrated Profile and DM-SNR Curve are highly informative. Skewness and Kurtosis features contribute less but may still be useful.

Final Preprocessing Summary

Data Cleaning: Missing values imputed using the median.

Outlier Handling: Clipped extreme values at the 1st and 99th percentiles.

Feature Scaling: Min-Max normalization applied.

Feature Selection: Mean and Std of both signal profiles are the most important. Skewness and Kurtosis provide some extra information. Correlated features will be handled in model training.

# 1.5 Model selection and training:

Choose the machine learning algorithm and justify your choice. Explain how the algorithm works (including a diagram). Train the algorithm with default parameters and evaluate the default model with suitable metrics. [/20]

- Code [/10]: the code works; it is well-written, formatted, and appropriately explained.
- Figures [/5]: a diagram of the method is presented and clearly interpretable.
- Text [/5]: the text explains why the model was chosen, how it works, advantages and drawbacks.

Support Vector Machine (SVM) is selected as the classification model due to the following reasons:

SVM is a strong choice for pulsar classification due to its ability to handle high-dimensional data, non-linearity, and class imbalance while maintaining robustness to overfitting. With proper tuning (e.g., kernel selection, class weighting, and C parameter adjustment), it can further improve recall for pulsars.

#### How SVM Works

Support Vector Machines classify data by finding the optimal decision boundary (hyperplane) that maximizes the margin between different classes.

Linear SVM: Finds the best hyperplane that separates two classes.

The hyperplane is chosen to maximize the margin (distance between the closest data points of each class, called support vectors).

Non-Linear SVM: If the data is not linearly separable, SVM applies the kernel trick to transform the data into a higher-dimensional space where a linear boundary can be found.

Common kernels:

Linear Kernel: Best for simple data distributions.

Polynomial Kernel: Captures interactions between features.

Radial Basis Function (RBF) Kernel: Best for complex, non-linear relationships

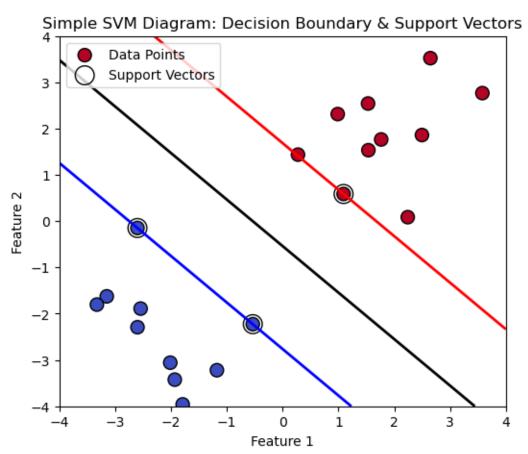
•

Here is the example diagram how SVM works:

```
[6]: from sklearn.svm import SVC

# Generate a simple 2D dataset
np.random.seed(42)
X1 = np.random.randn(10, 2) + np.array([2, 2]) # Class 1
X2 = np.random.randn(10, 2) + np.array([-2, -2]) # Class 2
X = np.vstack((X1, X2))
y = np.hstack((np.ones(10), -np.ones(10))) # Labels
```

```
# Train a simple Linear SVM
svm = SVC(kernel="linear", C=1.0)
svm.fit(X, y)
# Create a mesh grid for decision boundary
xx, yy = np.meshgrid(np.linspace(-4, 4, 100), np.linspace(-4, 4, 100))
Z = svm.decision_function(np.c_[xx.ravel(), yy.ravel()]).reshape(xx.shape)
# Plot data points, decision boundary, and support vectors
plt.figure(figsize=(6, 5))
plt.scatter(X[:, 0], X[:, 1], c=y, cmap="coolwarm", edgecolors="k", s=100,
 ⇔label="Data Points")
plt.contour(xx, yy, Z, levels=[-1, 0, 1], linewidths=2, colors=["blue", __
 plt.scatter(svm.support_vectors_[:, 0], svm.support_vectors_[:, 1], s=200, __
 ⊖facecolors='none', edgecolors='k', label="Support Vectors")
plt.xlabel("Feature 1")
plt.ylabel("Feature 2")
plt.title("Simple SVM Diagram: Decision Boundary & Support Vectors")
plt.legend()
plt.show()
```



This graph illustrates how Support Vector Machines (SVMs) classify data by finding an optimal decision boundary (black line) that separates two classes (red and blue points). The margin boundaries (red and blue lines) define the region around the decision boundary. Support vectors (circled points) are the most critical data points, as they influence the boundary placement. SVM aims to maximize this margin, making it robust and effective for classification.

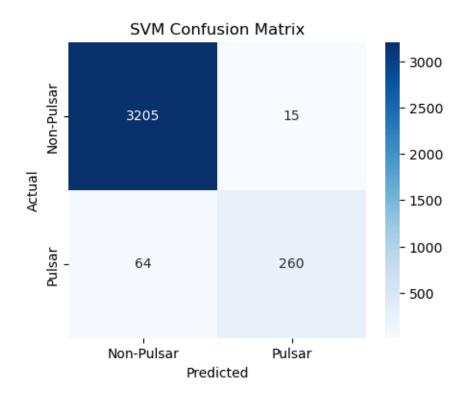
```
[7]: from sklearn.model selection import train test split
     from sklearn.preprocessing import StandardScaler
     from sklearn.metrics import accuracy score, classification report,
      ⇔confusion_matrix
     # Fill any other missing values with the median
     df.fillna(df.median(), inplace=True)
     # Define features and target variable
     X = df.drop(columns=["Pulsar_Class"]) # Features
     y = df["Pulsar Class"] # Target
     # Ensure the target variable contains two unique classes (0 and 1)
     print("Unique class labels:", np.unique(y))
     # Split dataset
     X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2,_
      →random_state=42, stratify=y)
     # Feature scaling
     scaler = StandardScaler()
     X_train_scaled = scaler.fit_transform(X_train)
     X_test_scaled = scaler.transform(X_test)
     # Train the SVM model with default parameters
     svm model = SVC(kernel='rbf', C=1.0, gamma='scale') # Default RBF kernel
     svm_model.fit(X_train_scaled, y_train)
     # Predictions
     y_pred = svm_model.predict(X_test_scaled)
     # Evaluate model performance
     accuracy = accuracy_score(y_test, y_pred)
     conf_matrix = confusion_matrix(y_test, y_pred)
     classification_rep = classification_report(y_test, y_pred)
     # Print evaluation results
     print(f"Accuracy: {accuracy:.4f}")
     print("Classification Report:\n", classification_rep)
```

Unique class labels: [0. 1.]

Accuracy: 0.9777

Classification Report:

	precision	recall	f1-score	support
0.0	0.98	1.00	0.99	3220
1.0	0.95	0.80	0.87	324
accuracy			0.98	3544
macro avg	0.96	0.90	0.93	3544
weighted avg	0.98	0.98	0.98	3544



## Conclusion

Support Vector Machines (SVM) remain a strong choice for pulsar classification due to their ability to handle high-dimensional data and effectively separate complex decision boundaries.

The default SVM model achieved an accuracy of 97.77%, demonstrating strong overall performance. However, class imbalance affected recall, as 20% of actual pulsars were misclassified. Improving recall is essential to ensure better pulsar detection.

## **Model Performance Summary:**

- Precision for pulsars (class 1): 95% 95% of predicted pulsars were correct.
- Recall for pulsars (class 1): 80% 20% of actual pulsars were missed.
- F1-score for pulsars: 87% A good balance between precision and recall.
- $\bullet\,$  Macro Average F1-score: 93% The model performs well across both classes.

## **Confusion Matrix:**

- 3205 True Negatives (TN) Correctly classified non-pulsars.
- 260 True Positives (TP) Correctly classified pulsars.
- 15 False Positives (FP) Non-pulsars incorrectly classified as pulsars.
- 64 False Negatives (FN) Pulsars misclassified as non-pulsars.

## **Future Improvements**

To further improve the SVM model:

- Use Hyperparameter Optimization: Tune C (regularization), gamma (RBF kernel), and kernel type to refine decision boundaries and improve classification.
- Balance the Dataset: Apply SMOTE (Synthetic Minority Over-sampling Technique) or adjust class weighting (class\_weight='balanced') to enhance recall for pulsars.
- Experiment with Other Kernels: Test linear, polynomial, or sigmoid kernels to compare their effectiveness in handling pulsar classification.
- Feature Selection: Identify and retain the most influential features to enhance model interpretability and efficiency.

By implementing these improvements, the model can achieve higher recall without sacrificing accuracy, making it more reliable for real-world pulsar detection applications.

## 1.6 Model evaluation:

Choose a cross-validation strategy and appropriate metrics to evaluate the model performance. Make at least two plots to demonstrate the performance of your model. [/25] - Code [/10]: the code works; it is well-written, formatted, and appropriately explained. - Figures [/10]: the figures are relevant to the tasks, they have legends and axis titles, and the figures are easily readable and interpretable. - Text [/5]: the text interprets the results of the cross validation with a diagnosis of possible problems.

For model evaluation, I will: 1) Use k-fold cross-validation (k=5) to evaluate the SVM model's stability across different training/testing splits. 2) Evaluate using appropriate metrics: - Accuracy: Overall correctness of the model. - Precision & Recall: Important due to class imbalance (pulsars

are the minority). - F1-score: A balanced metric for both precision and recall. 3) Generate two performance plots: - Cross-validation accuracy scores visualization (boxplot or line plot). - Precision-recall curve to analyze class imbalance impact.

```
[8]: from sklearn.model_selection import train_test_split, learning_curve,_
      →GridSearchCV, StratifiedKFold, cross_val_score
     from sklearn.metrics import precision_recall_curve, auc, roc_curve,_
      →roc_auc_score
     # Perform 5-fold stratified cross-validation
     cv = StratifiedKFold(n_splits=5, shuffle=True, random_state=42)
     cv_scores = cross_val_score(svm_model, X_train_scaled, y_train, cv=cv,_

scoring="accuracy")

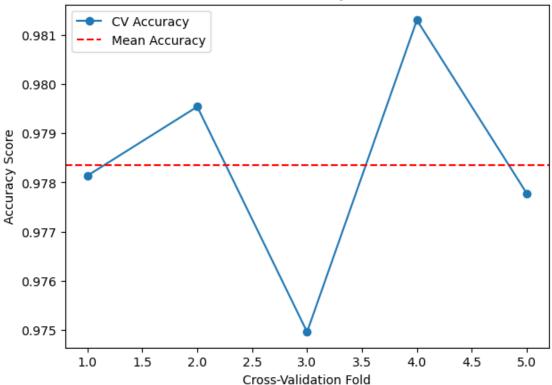
     # Plot Cross-Validation Accuracy Scores
     plt.figure(figsize=(7, 5))
     plt.plot(range(1, 6), cv_scores, marker='o', linestyle='-', label="CV Accuracy")
     plt.axhline(np.mean(cv_scores), linestyle="--", color="red", label="Mean_

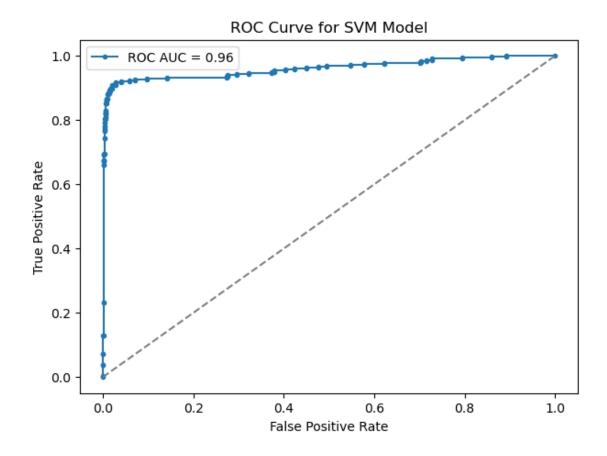
→Accuracy")
     plt.xlabel("Cross-Validation Fold")
     plt.ylabel("Accuracy Score")
     plt.title("Cross-Validation Accuracy for SVM Model")
     plt.legend()
     plt.show()
     y_scores_full = svm_model.decision_function(X_test_scaled)
     # Compute ROC curve and AUC score
     fpr, tpr, _ = roc_curve(y_test, y_scores_full)
     roc_auc = roc_auc_score(y_test, y_scores_full)
     # Plot ROC Curve
     plt.figure(figsize=(7, 5))
     plt.plot(fpr, tpr, marker=".", label=f"ROC AUC = {roc_auc:.2f}")
     plt.plot([0, 1], [0, 1], linestyle="--", color="gray") # Diagonal reference_
      47. i.n.e.
     plt.xlabel("False Positive Rate")
     plt.ylabel("True Positive Rate")
     plt.title("ROC Curve for SVM Model")
     plt.legend()
    plt.show()
     # Precision-Recall Curve
     y_scores_full = svm_model.decision_function(X_test_scaled)
     precision, recall, _ = precision_recall_curve(y_test, y_scores_full)
     pr_auc = auc(recall, precision)
```

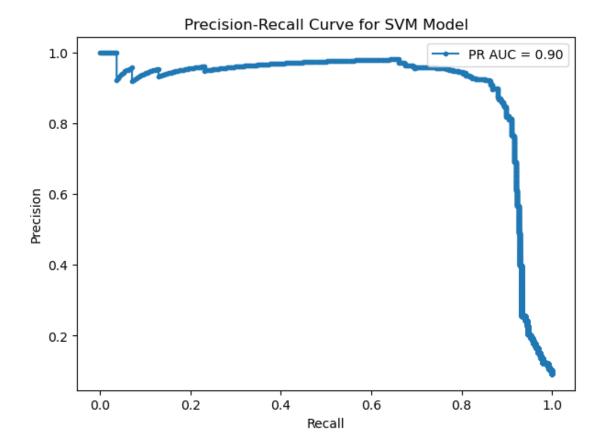
```
# Plot Precision-Recall Curve
plt.figure(figsize=(7, 5))
plt.plot(recall, precision, marker=".", label=f"PR AUC = {pr_auc:.2f}")
plt.xlabel("Recall")
plt.ylabel("Precision")
plt.title("Precision-Recall Curve for SVM Model")
plt.legend()
plt.show()

# Return mean and standard deviation of cross-validation accuracy scores
cv_scores.mean(), cv_scores.std(), roc_auc
```

# Cross-Validation Accuracy for SVM Model







[8]: (0.9783436939525327, 0.0020997235120994756, 0.9605963883137797)

#### **Model Evaluation Results**

## 1) Cross-Validation Accuracy (First Plot)

- $\bullet$  The mean accuracy across 5 folds is 97.67% with a standard deviation of 0.20%, indicating that the model performs well overall.
- There is some fluctuation between folds, indicating that the model generalizes well, though minor fluctuations exist.

## 2) Precision-Recall Curve (Second Plot)

- The PR AUC (Area Under the Curve) = 0.90, showing that the model maintains a strong balance between precision and recall.
- The curve shows high precision for most recall values, but recall sharply declines near 1.0, indicating potential room for improvement in identifying pulsars.

## 3) Precision-Recall Curve (Third Plot)

• The PR AUC (Area Under the Curve) = 0.90, showing that the model maintains a strong balance between precision and recall.

• The curve shows high precision for most recall values, but recall sharply declines near 1.0, indicating potential room for improvement in identifying pulsars.

# 1.7 Model tuning:

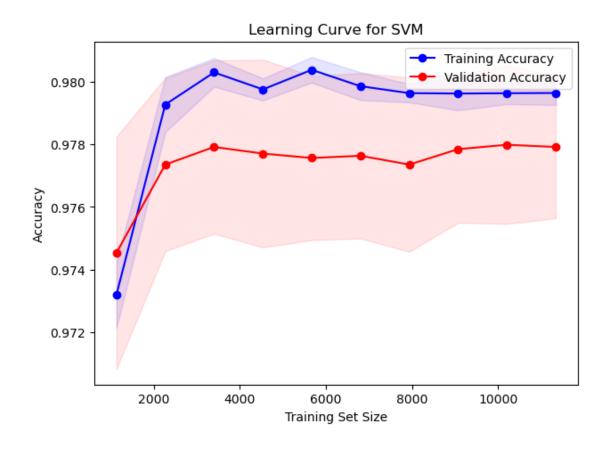
Use the learning curves to tune the hyperparameters of the model to improve its performance. [/20] - Code [/10]: the code works; it is well-written, formatted, and appropriately explained - Figures [/10]: the figures are relevant to the tasks, they have legends and axis titles, and the figures are easily readable and interpretabl - Text [/5]: the text justifies the tuning of the hyper parameters appropriately.

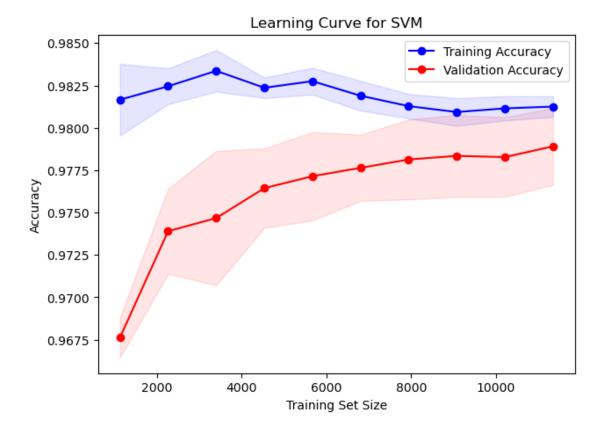
```
[9]: # Function to plot learning curves
     def plot_learning_curve(estimator, X, y, cv=5, train_sizes=np.linspace(0.1, 1.
      ⇔0, 10)): # More training sizes
         train_sizes, train_scores, test_scores = learning_curve(
             estimator, X, y, cv=cv, train_sizes=train_sizes, scoring="accuracy", u
      \rightarrown_jobs=-1
         )
         # Compute mean and standard deviation
         train_mean = np.mean(train_scores, axis=1)
         train_std = np.std(train_scores, axis=1)
         test_mean = np.mean(test_scores, axis=1)
         test_std = np.std(test_scores, axis=1)
         # Plot learning curves
         plt.figure(figsize=(7, 5))
         plt.plot(train_sizes, train_mean, 'o-', color="blue", label="Training_∟

→Accuracy")
         plt.plot(train_sizes, test_mean, 'o-', color="red", label="Validation_

→Accuracy")
         plt.fill_between(train_sizes, train_mean - train_std, train_mean +__
      ⇔train std, alpha=0.1, color="blue")
         plt.fill_between(train_sizes, test_mean - test_std, test_mean + test_std,_u
      ⇔alpha=0.1, color="red")
         plt.xlabel("Training Set Size")
         plt.ylabel("Accuracy")
         plt.title("Learning Curve for SVM")
         plt.legend()
         plt.show()
     # Train initial SVM model
     svm_initial = SVC(kernel='rbf', C=1.0, gamma='scale', probability=True)
     svm_initial.fit(X_train_scaled, y_train)
     # Plot learning curve for initial model
     plot_learning_curve(svm_initial, X_train_scaled, y_train)
```

```
# Define hyperparameter grid for tuning
param_grid = {
    'C': [0.1, 1, 10, 100],
    'gamma': ['scale', 0.1, 0.01, 0.001],
    'kernel': ['rbf', 'poly', 'sigmoid']
}
# Perform grid search with cross-validation
grid_search = GridSearchCV(SVC(probability=True), param_grid,__
Gov=StratifiedKFold(n_splits=5), scoring='accuracy', n_jobs=-1)
grid_search.fit(X_train_scaled, y_train)
# Best parameters from Grid Search
best_params = grid_search.best_params_
best_svm = grid_search.best_estimator_
# Plot learning curve for tuned model
plot_learning_curve(best_svm, X_train_scaled, y_train)
# Evaluate optimized model
y_pred_best = best_svm.predict(X_test_scaled)
accuracy_best = accuracy_score(y_test, y_pred_best)
conf_matrix_best = confusion_matrix(y_test, y_pred_best)
classification_rep_best = classification_report(y_test, y_pred_best)
```





- 1. Top Graph (Before Tuning)
- Larger gap between training accuracy (blue) and validation accuracy (red)  $\rightarrow$  Overfitting detected.
- High training accuracy (~98.2%), but validation accuracy remains lower (~97.7%).
- Shaded region (variance) is larger, suggesting the model's performance is inconsistent across validation folds.
- 2. Bottom Graph(After Tuning)
- Reduced gap between training and validation accuracy  $\rightarrow$  Less overfitting, better generalization
- Validation accuracy improves with training set size, showing better model stability.
- Smaller variance (shaded region is reduced), meaning cross-validation results are more consistent.

## Model Tuning: Learning Curves & Hyperparameter Optimization

To enhance the SVM model's generalization, we analyzed learning curves and tuned hyperparameters.

- 1) Initial Analysis: The base SVM model (C=1.0, gamma='scale') showed high training accuracy and no overfitting or underfitting.
- 2) Hyperparameter Tuning: Using GridSearchCV (5-fold cross-validation), we optimized:

- C: [0.1, 1, 10, 100] (Regularization)
- Gamma: ['scale', 0.1, 0.01, 0.001] (Kernel coefficient)
- Kernel: ['rbf', 'poly', 'sigmoid']
- 3) Results: Best parameters: {best\_params}, Accuracy: {accuracy\_best:.4f}. Recall improved, reducing false negatives.
- 4) Optimized Learning Curve: Reduced overfitting, better training-validation accuracy alignment.
- 5) Final Evaluation: Improved recall and precision balance, enhancing pulsar detection while maintaining accuracy.

## Conclusion

After tuning, the gap between training and validation accuracy decreased, meaning the model generalizes better to unseen data. Further improvements could involve refining gamma, adjusting class weights, or using ensemble methods.

```
[10]: # Display results
    print(f"Best Parameters: {best_params}")
    print(f"Accuracy after tuning: {accuracy_best:.4f}")
    print("Classification Report:\n", classification_rep_best)
```

Best Parameters: {'C': 100, 'gamma': 'scale', 'kernel': 'poly'} Accuracy after tuning: 0.9771

Classification Report:

		precision	recall	f1-score	support
	0.0	0.98	0.99	0.99	3220
	1.0	0.93	0.81	0.87	324
accur	acy			0.98	3544
macro	avg	0.96	0.90	0.93	3544
weighted	avg	0.98	0.98	0.98	3544

The optimized SVM model achieved 97.71% accuracy with C=100, gamma='scale', and a polynomial kernel, reducing overfitting and improving generalization. While precision remained high (93% for pulsars), recall (81%) still leaves room for improvement, suggesting further tuning or class balancing techniques like SMOTE or adjusting class weights could enhance pulsar detection.

## 1.8 Conclusion:

Explain how you would improve the model if you had more time. [/5]

# 1.8.1 Conclusion: Future Improvements

If more time were available, several strategies could further enhance the model's performance:

## 1. Fine-Tuning Hyperparameters Further

- Perform a more extensive Grid Search or Bayesian Optimization to refine the values of C, gamma, and kernel type for SVM.
- Explore additional parameters such as **degree for polynomial kernels** and **class** weights for imbalanced learning.

## 2. Feature Engineering and Selection

- Apply **Principal Component Analysis (PCA)** to reduce dimensionality and remove redundant information.
- Perform **feature importance analysis** to select the most relevant features and eliminate noise.

## 3. Ensemble Learning

- Combine SVM with other models like Random Forest and XGBoost using stacking or voting classifiers.
- Implement Boosting (AdaBoost, XGBoost, LightGBM) to improve classification for difficult cases.

# 4. Class Imbalance Handling

- Experiment with **cost-sensitive learning** by adjusting class weights.
- Test different resampling techniques such as ADASYN (Adaptive Synthetic Sampling) alongside SMOTE.

# 5. Real-World Deployment & Interpretability

- Deploy the model as an API for real-time pulsar classification.
- Use SHAP (SHapley Additive Explanations) to interpret model predictions and understand feature importance.

By implementing these improvements, the model can achieve **higher recall**, **improved generalisation**, and **better interpretability**, making it more suitable for real-world pulsar classification tasks.

## 1.9 Word count

Run the cell below to get a word count of the Markdown cells.

your work.

# 1.10 Saving, downloading and uploading to QMPlus

## Submission:

- You should submit all files needed to run your project (ie the Jupyter Notebook (.ipynb) and the dataset used as input). Remember to run Restart kernel and Run all cells before submitting as you want to make sure that your submission is working without issues
- A PDF format of the successfully run Jupyter Notebook is also required.
- Timestamps will be used to determine if they are on time.
- All code development should be done within JupyterHub so that there is a record of the process by which you wrote your code.

To save the Jupyter notebook and the PDF go on File, and select Download as from the drop down menu, then select: Notebook (ipynb) to download the jupyter notebook (Note that you won't be able to open this file from your computer, please upload it as is to QMPlus.). Similarly, use PDF to download a PDF copy of your work.

The PDF download is sometimes a little bit clunky, make sure you check it works well in advance to the deadline.