INFDEV026A - Algoritmiek Week 7

G. Costantini, F. Di Giacomo, G. Maggiore

costg@hr.nl, giacf@hr.nl, maggg@hr.nl - Office H4.204

Today

- ➤ Why is my code slow?
 - **▶** Empirical and complexity analysis
- ► How do I order my data?
 - **▶** Sorting algorithms
- ► How do I structure my data?
 - ► Linear, tabular, recursive data structures
- ► How do I represent relationship networks?
 - **▶** Graphs



Proeftentamen

What is the (tightest) complexity class of the code below with the big-Oh notation?

```
public int factorial(int n)
{
   if (n == 0)
     return 1;
   else
     return n * factorial(n - 1);
}
```

INFDEV026A - G. Costantini, F. Di Giacomo, G. Maggiore

- Answer:
 - \triangleright O(n)
- ► Why?
 - ightharpoonup The factorial method is called n times
 - ightharpoonup The base case (n == 0) has constant complexity

► Complete the code below (in correspondence of) so that it produces the desired result: insertion of a given new node (newNode) in a doubly linked list (list), after a specified node (node).

```
public void insertAfter(DLinkedList list, Node node, Node newNode)
{
    newNode.prev = ......;
    newNode.next = .....;
    if (node.next == null)
        list.lastNode = .....;
    else
        node.next.prev = newNode;
    node.next = .....;

INFDEVOJ6A - G. Costantini, F. Di Giacomo, G. Maggiore
```

► Complete the code below (in correspondence of) so that it produces the desired result: insertion of a given new node (newNode) in a doubly linked list (list), after a specified node (node).

```
public void insertAfter(DLinkedList list, Node node, Node newNode)
{
   newNode.prev = node;
   newNode.next = node.next;
   if (node.next == null)
        list.lastNode = newNode;
   else
        node.next.prev = newNode;
   node.next = newNode;
```

INFDEV026A - G. Costantini, F. Di Giacomo, G. Maggiore

- What is the output of the following algorithm if input is the array {800, 11, 50, 771, 649, 770, 240, 9 }; ?
- What is the worst-case complexity class of the algorithm using the big-Oh notation?

```
public void MysteryMethod(int[] numarray)
      for (int i = 1; i < numarray.Length; i++)</pre>
        int j = i;
        while (j > 0)
          if (numarray[j - 1] < numarray[j])</pre>
            int temp = numarray[j - 1];
            numarray[j - 1] = numarray[j];
            numarray[j] = temp;
            j--;
          else
            break;
```

- Answers
 - 1. The output is {**800**, **771**, **770**, **649**, **240**, **50**, **11**, **9**};
 - 2. The worst-case complexity is $O(n^2)$, where n = length of the array
 - ightharpoonup The outer **for** loop is executed approximately n times
 - ► For each iteration of the outer loop there is a **while** loop which could (in the worst case) be executed approximately *n* times
 - ► The body of the **while** loop takes constant time

Complete the code below (in correspondence of) so that it correctly performs the insertion of a new node in a binary search tree. The Node class contains three fields: key (integer value), left (left child node), right (right child node).

```
public void insert(int key)
 root = insertRec(root, key);
public Node insertRec(Node root, int key)
 if (root == null)
   root = new Node(key);
   return root;
 if (key < root.key)</pre>
   root.left = insertRec(......);
 else if (key .....)
   root.right = .....;
 return root;
```

Complete the code below (in correspondence of) so that it correctly performs the insertion of a new node in a binary search tree. The Node class contains three fields: key (integer value), left (left child node), right (right child node).

```
public void insert(int key)
 root = insertRec(root, key);
public Node insertRec(Node root, int key)
 if (root == null)
   root = new Node(key);
   return root;
 if (key < root.key)</pre>
   root.left = insertRec( root.left , key );
 else if (key > root.key )
   root.right = insertRec( root.right, key );
 return root;
```

MysteryMethod(Graph, root)

S.pop()

▶ Suppose that a graph is stored as a list of nodes (and each node contains information on its neighbours). What does the following algorithm (written in pseudocode) do and with which complexity?

```
create empty stack S
root.visited = TRUE
print(root)
S.push(root)
while S is not empty:
  currentTop = S.peek()
  while (exist v adjacent to currentTop that is not visited yet) {
     v.visited = TRUE
     print(v)
     S.push(v)
     currentTop = S.peek()
```

- Answers
 - 1. The code performs a depth first traversal of the graph
 - 2. The complexity is O(|V| + |E|)
 - \blacktriangleright Where V is the vertices set (and thus |V| is the number of vertices)...
 - \blacktriangleright ...and E is the edges set (and thus |E| is the number of edges)

Proeftentamen feedback

- ► How did you find it?
- ▶ Where do you have more difficulties?
- Do you have specific doubts/questions?