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응 {
    This is a simple script that performs an analysis of a time
 series, using
    the autocorrelational and the partial autocorrelational plots to
 find the
    best model (ARX, MAX, ARMAX) of the box-jenkins methodology, in
 order to
    make a parametric identification of the system.
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응 }
% Clean up the Matlab workspace
clear; close all; clc;
% Load the database
fprintf('Loading database....\n');
load('mat-files/motor_identification.mat');
% Define the variables of the system
yd = ST(:,2); % System response from Simulink
u = ST(:,1); % System setpoint from Simulink
% Define the iteration vector
k = 1:1:size(yd);
% Plot the input and the time response of the system
figure
plot(k,u,'r',k,yd,'b','linewidth',2);
legend("Reference", "Time response")
ylabel("Amplitud")
xlabel("Iteraciones [k] - (Ts = 0.01s)")
prettygraph("Identificación del sistema dinámico", "plot")
% Autocorrelation and partial autocorrelation plots
figure
autocorr(yd,size(yd,1) - 1); % Autocorrelation plot
prettygraph("Sample Autocorrelation Function", "plot")
figure
parcorr(yd,100); % Partial autocorrelation plot
prettygraph("Sample Partial Autocorrelation Function", "plot")
% Calculate the simulation matrix
data = iddata(yd,u,0.01); % iddata([out_sys],[in_sys],[Time_period])
%{ Autoregressive combined with movile mean model (ARMAX model) with
% exogenous input.
yarmax = armax(data,[2,1,2,0]) % [[out_sys_delays] [in_sys_delays]
 [error delays] [delays sys]]
ys1 = idsim(u,yarmax); % Simulate the armax system
figure
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plot(k,yd,'b',k,ys1,'r','linewidth',2);
legend("Real system", "armax model")
ylabel("Amplitud")
xlabel("Iteraciones [k] - (Ts = 0.01s)")
prettygraph("Comparación entre la planta y el modelo
paramétrico","plot")
fprintf('ARMAX model done!\n');
Loading database....
yarmax =
Discrete-time ARMAX model: A(z)y(t) = B(z)u(t) + C(z)e(t)
 A(z) = 1 - 1.997 z^{-1} + 0.9968 z^{-2}
 B(z) = 1.354e-05
  C(z) = 1 - 1.728 z^{-1} + 0.741 z^{-2}
Sample time: 0.01 seconds
Parameterization:
   Polynomial orders:
                        na=2
                              nb=1
                                      nc=2
                                             nk=0
  Number of free coefficients: 5
   Use "polydata", "getpvec", "getcov" for parameters and their
 uncertainties.
Status:
Estimated using ARMAX on time domain data "data".
Fit to estimation data: 99.99% (prediction focus)
FPE: 6.009e-05, MSE: 6.008e-05
ARMAX model done!
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