

# GY7702\_CW2

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This document was created to meet the requirements of GY7702 R for Data Science at University of Leicester. It was designed and created in R Markdown, a markup language that allows users to create documents that can be formatted to embed code blocks, code outputs and hyperlinks. When the R Markdown file is compiled, the markup language is hidden and the document is displayed in plain text.

This content was created using [R](#), [Rstudio](#), [RMarkdown](#) and [GitHub](#)

The libraries used in this assignment were

```
library(tidyverse)
library(pastecs)
library(knitr)
library(tinytex)
library(kableExtra)
```

## Load in the data

```
## Warning: 10036 parsing failures.
##   row      col      expected  actual
## 171373 LAD11NMW 1/0/T/F/TRUE/FALSE Ynys Môn 'Data/GY7702_2020-21_Assignment_2--data_pack/OA11_LSOA11
## 171374 LAD11NMW 1/0/T/F/TRUE/FALSE Ynys Môn 'Data/GY7702_2020-21_Assignment_2--data_pack/OA11_LSOA11
## 171375 LAD11NMW 1/0/T/F/TRUE/FALSE Ynys Môn 'Data/GY7702_2020-21_Assignment_2--data_pack/OA11_LSOA11
## 171376 LAD11NMW 1/0/T/F/TRUE/FALSE Ynys Môn 'Data/GY7702_2020-21_Assignment_2--data_pack/OA11_LSOA11
## 171377 LAD11NMW 1/0/T/F/TRUE/FALSE Ynys Môn 'Data/GY7702_2020-21_Assignment_2--data_pack/OA11_LSOA11
## .....
## See problems(...) for more details.
```

## Option A

### Joining the data sets

```
# Rename the column 'OA11CD' to OA so it matches the same column in OAC_2011
OAC_2011_meta <- OAC_2011_meta %>%
  dplyr::rename(
    OA = OA11CD
  )

# Join OAC_2011 with OAC_2011_meta, based on the OA column for each data frame
```

```
complete_OAC <-
  OAC_2011 %>%
  dplyr::left_join(.,OAC_2011_meta)
```

```
## Joining, by = "OA"
```

## Subsetting

- Selecting my LAD
- Selecting the appropriate variables

```
# Subset data based off LAD11NM = Wellingborough
wellingborough <- complete_OAC %>%
  dplyr::filter(LAD11NM == "Wellingborough")

# Select the appropriate variables, based on their 'VariableCode'
wellingborough_stats <- wellingborough %>%
  dplyr::select(k004, k009, k010, k027, k031, k041, k046)
```

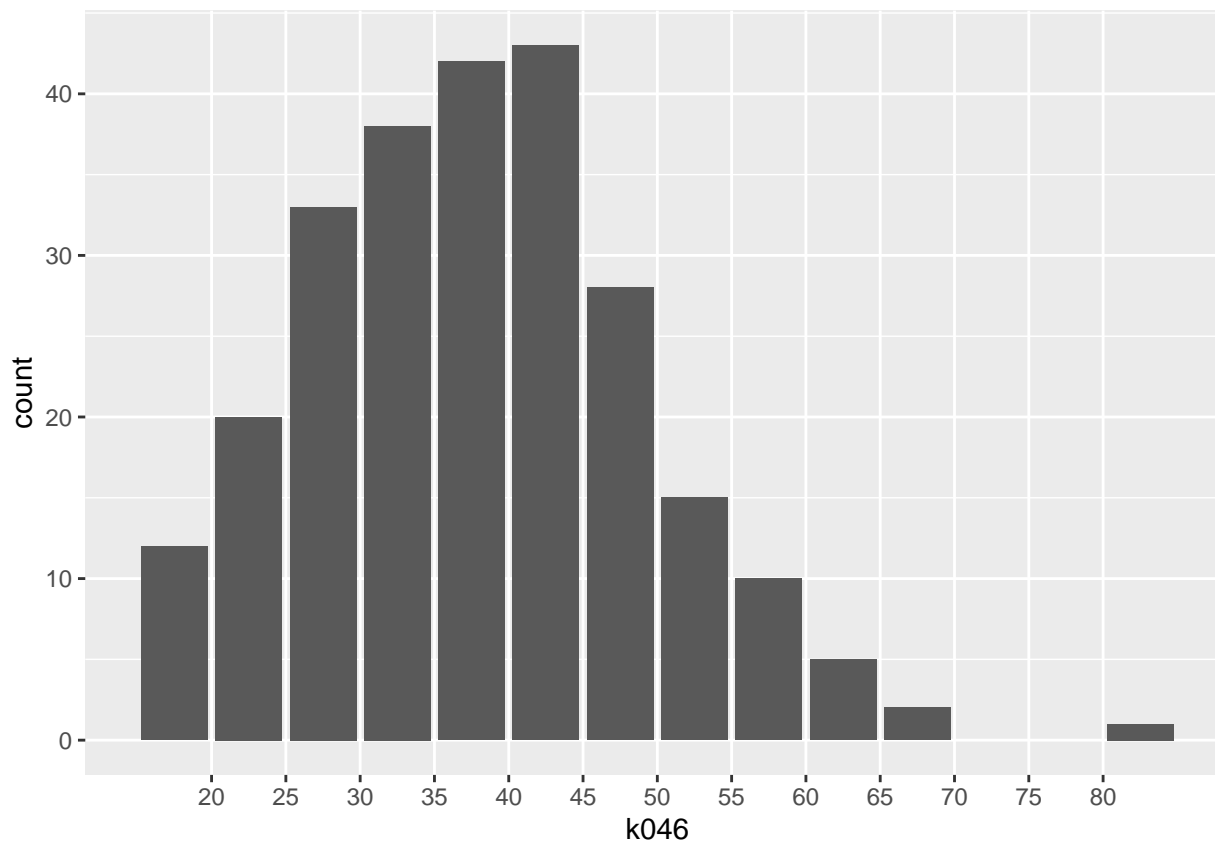
## Question A.1

### Exploring the distribution of Employed persons aged between 16 and 74 who work part-time

For this exploratory analysis, we are going to investigate the distribution of part-time employed persons (PTEP) throughout 249 output areas (OA's) in the Local Area District (LAD) of Wellingborough

#### Basic histogram for visual histogram

```
wellingborough %>%
  ggplot2::ggplot(aes(x = k046))+
  ggplot2::geom_bar()+
  scale_x_binned(n.breaks = 15)
```



An initial assessment suggests that the distribution of PTEPs throughout Wellingborough is normal, that is bell-shaped. In other words, the majority of OA's in Wellingborough have 35-45 PTEPS. Some OA's have as little as 20 and at least one OA has >80 PTEPS.

We previously stated that most OA's have 35-45 PTEPS. Due to this, we would expect the average to be around this range. We can check this with

```
wellingborough %>%
  dplyr::select(k046)%>%
  pastecs::stat.desc(basic = FALSE, desc = TRUE, norm = FALSE)
```

```
##              k046
## median      38.000000
## mean        38.3293173
## SE.mean      0.7237324
## CI.mean.0.95  1.4254458
## var          130.4233709
## std.dev       11.4203052
## coef.var      0.2979522
```

Note, this can also be achieved with

```
wellingborough%>%
  dplyr::summarise(Avg_PTEP = mean(k046))
```

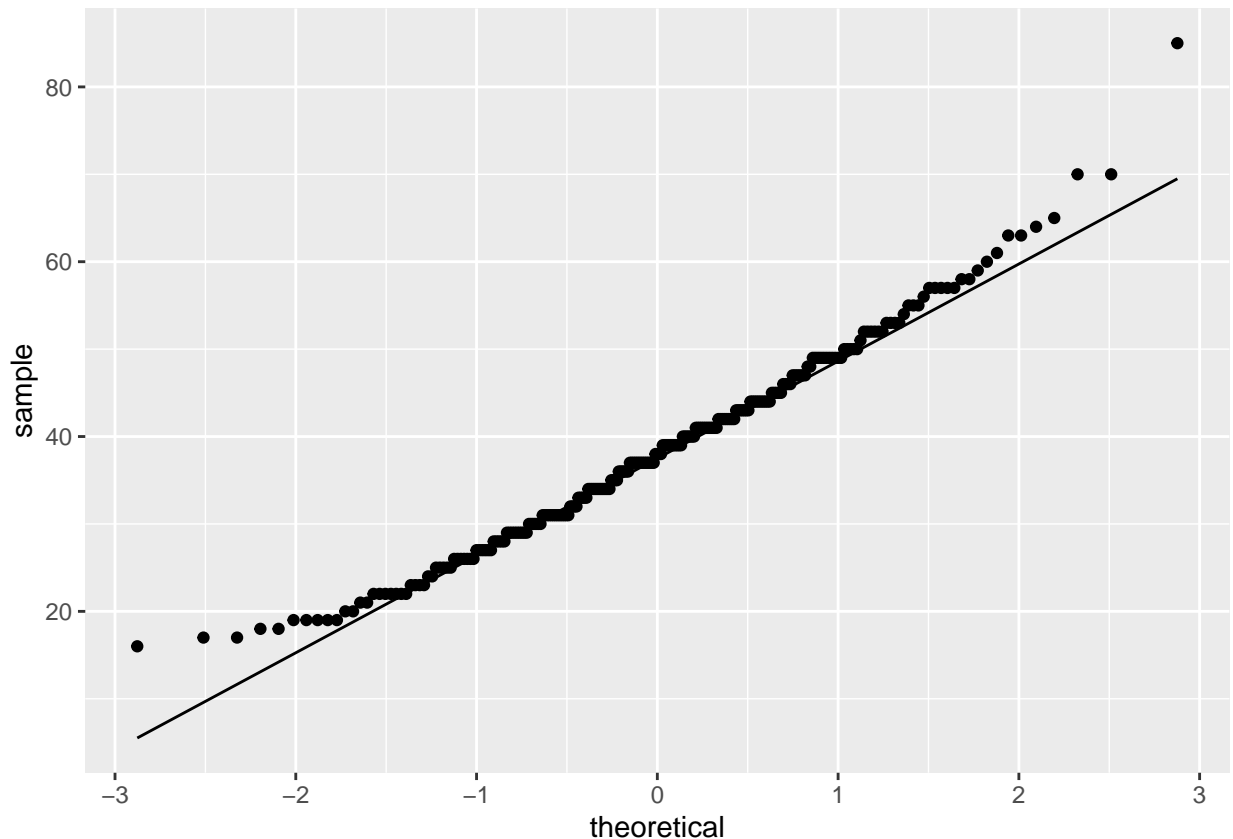
Though the code can get lengthy with the addition of more and more statistics

## Plotting against normal distribution

We have seen that the distribution of PTEPs throughout Wellingborough looks normal, with an average (38 PTEPs per OA) that sits neatly in the middle of the histogram.

The distribution can be assessed alternatively in a plot that gives insight into where values may lie that are affecting the normal distribution

```
wellingborough %>%  
  ggplot2::ggplot(aes(sample = k046))+  
  ggplot2::stat_qq()+  
  ggplot2::stat_qq_line()
```



The function `stat_qq` highlights a theoretical, normal distribution with the distribution of the PTEP data. This demonstrates that there are an elevated number of PTEPs at the tails of the distribution. That is, there are a considerable number of OA's with a minimum and maximum number of PTEPs. Additionally, notice the outlier on figure 1 here, >80.

## Shapiro Wilko test

After visualising the data, we can quantitatively assess if this is indeed a normal distribution or not

```
wellingborough %>%  
  dplyr::pull(k046)%>%  
  stats::shapiro.test()
```

```
##
## Shapiro-Wilk normality test
##
## data:  .
## W = 0.98179, p-value = 0.002799
```

In the shapiro-wilk test, we set a null hypothesis that the data is normally distributed. The null hypothesis is rejected if the p-value  $< 0.01$ . That is, there is a  $< 1\%$  of the data being normally distributed. In this case  $p < 0.01$ , the data is not normally distributed.

## Exploring skewness and kurtosis

We can gain more information on the shape of the data by assessing its skew and kurtosis

```
wellingborough %>%
  dplyr::select(k046)%>%
  paste0::stat.desc(basic = FALSE, desc = FALSE, norm = TRUE)
```

```
##                k046
## skewness      0.488897219
## skew.2SE      1.584182399
## kurtosis       0.467077450
## kurt.2SE       0.759687689
## normtest.W    0.981793520
## normtest.p    0.002799036
```

In this case, a positive skew means the data leans towards the left. The standard error for the skew `skew.2SE` also lies outside of the range  $-1 + 1$ , meaning the result is significant. A positive kurtosis also means the data has heavy tails. However, this result is not significant as the standard error `kurt.2SE` lies within  $-1 + 1$