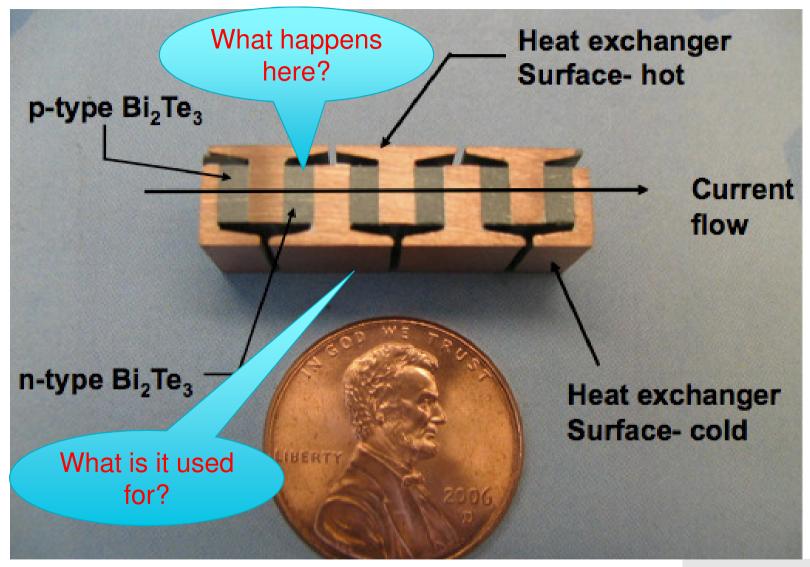
Thermoelectrics



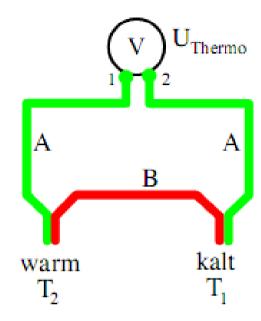


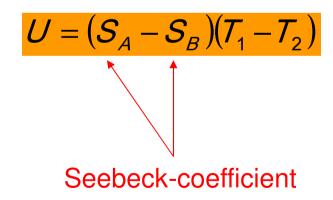
What is the relation between temperature and electricity?

Experiment: Thermo-voltages

Observations:

- DC voltage is generated
- Electrical polarity depends on the temperature polarity
- •Voltage is proportional to the temperature difference
- Proportionality depends on both materials connected







Electrical measurement of temperature differences



Offset voltage in many electrical measurements



Origin of thermovoltages

Imbalance of the temperature dependence of the work function

Electrical current and heat current

Validity of Ohm's law:

electrical field

current density $F = \frac{j}{\sigma}$ electrical conductivity

Electrons in electrical conductors have

- •a certain kinetic energy and momentum
- different directions of propagation
- •a distribution of different momentum

Electrical current microscopically means:

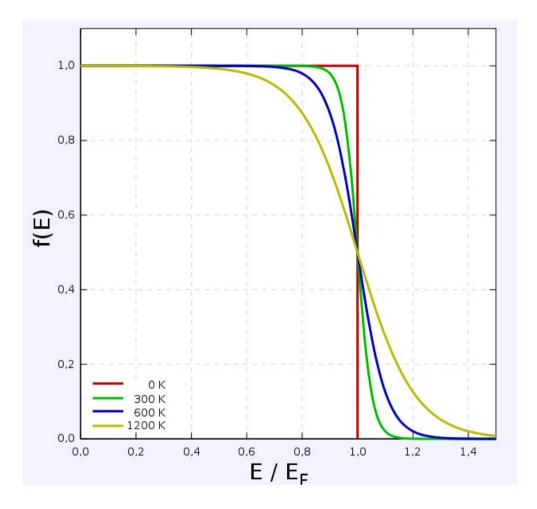
- charges are accelerated in an electrical field
- scattering events stops the accelerated motion quickly
- •the equal distribution of all directions of propagation is disturbed
- •the center of all electrons is moving slowly through the conductor



Distribution of energies of the electrons

A temperature gradient or a gradient of the electrochemical potential moves the charges resulting in an electrical field opposite to the external field

$$F = \frac{j}{\sigma} + S \cdot \frac{dT}{dz} - \frac{1}{e} \cdot \frac{d\mu}{dz}$$



Seebeck-effekt ("Thermoforce", thermo-voltage) is created by thermal diffusion of charges



How can you boil you soup?

With electrons

Scattering and diffusion forms a Fermi-Dirac distribution

$$f(E) = \frac{1}{\exp\left(\frac{E - E_F}{k_B T}\right) + 1}$$

With phonons

Scattering and diffusion forms a Bose-Einstein distribution

$$n(q) = \frac{1}{\exp\left(\frac{\hbar\omega_q}{k_BT}\right) - 1}$$

With photons

Thermal radiation according to Stefan Boltzmann

$$P(T) = \sigma \cdot A \cdot T^4 \cdot Wcm^{-2}$$



3 ways to transfer heat



How can you boil you soup?

 With electrons Scattering and diffusion forms a Fermi-Dirac distribution

"Bandgap engineering" Quantum electronics, semiconductor heterostructures

With phonons Scattering and diffusion forms a Bose-Einstein distribution

"Phononic bandgap engineering"

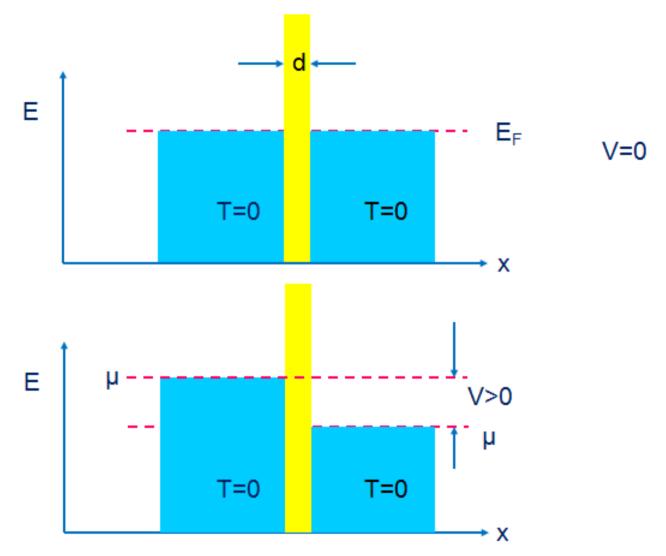
With photons Thermal radiation according to Stefan Boltzmann

"Photonic bandgap engineering" Photonic crystal



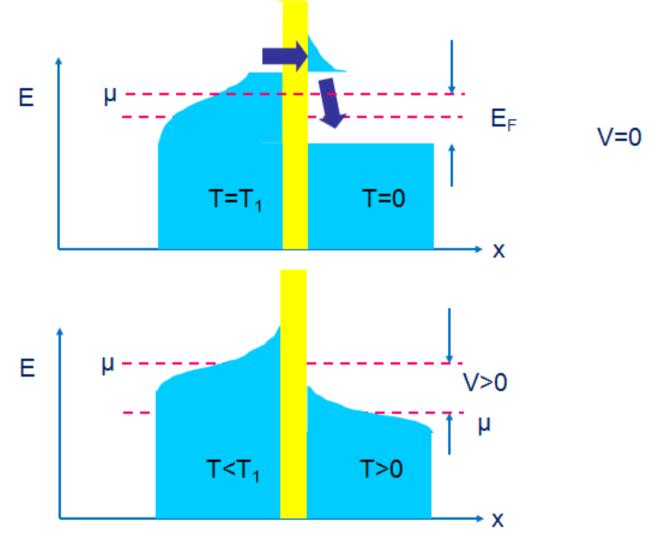


Transport through a tunnel-barrier



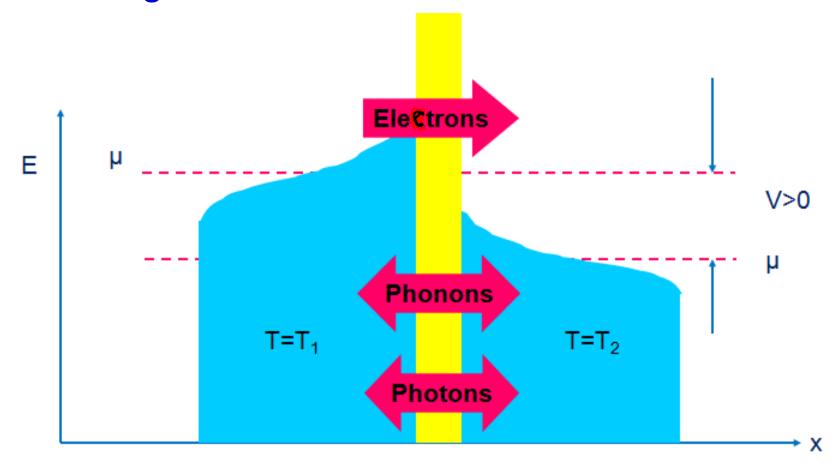


Transport through a tunnel-barrier





Transport through a tunnel-barrier

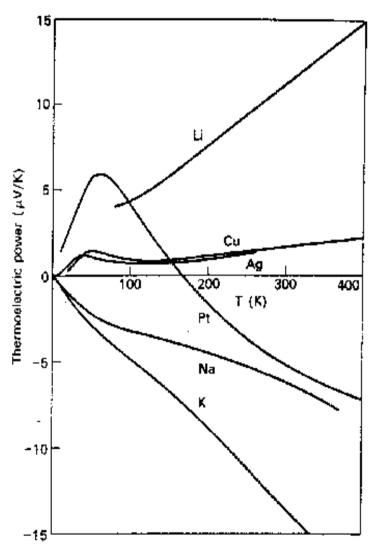


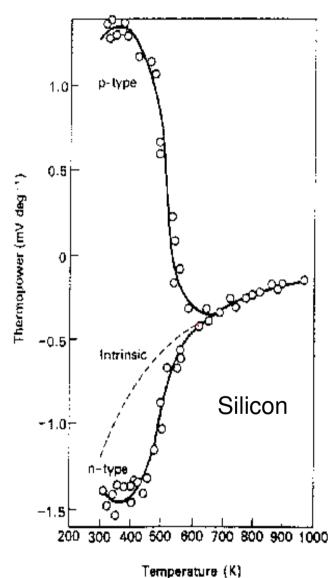


Tunnel-barrier may consist of vacuum



Seebeck-coefficients for metals and silicon





[S] = V/K =energy
charge · temperature



Peltier-effect (1832), Thompson-effect (1851)

Electrical current flowing through an interface is linked to a heat current

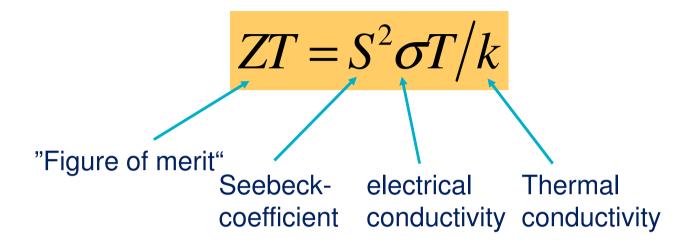


- •Heat current can be either positive or negative depending on the direction of the electrical current (contrary to Joule's heat)
- Each electron carries a certain amount of energy (heat)

$$E_c - E_F + \frac{3}{2}k_B T$$



Quality of TE-materials



<u>Aim</u>: Materials with high electrical and low thermal conductivity

Approach: Block phonon transport, enhance electron transport

Contradiction to Wiedemann-Franz law!

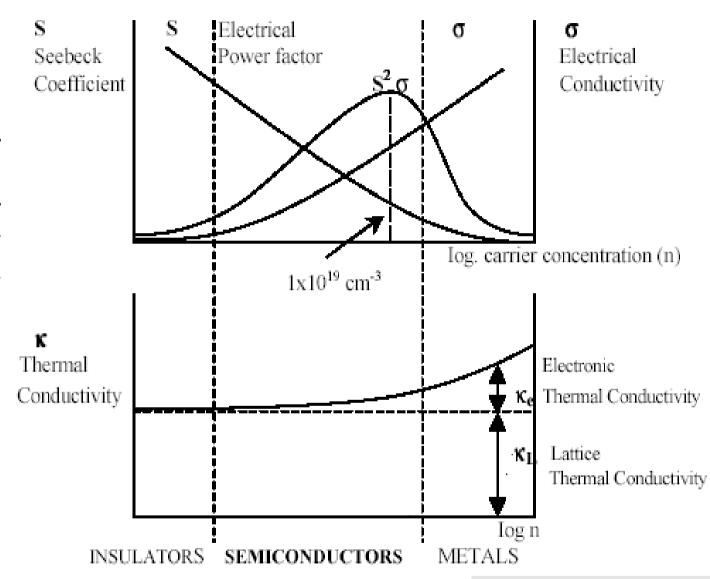
$$k/\sigma = LT$$

12



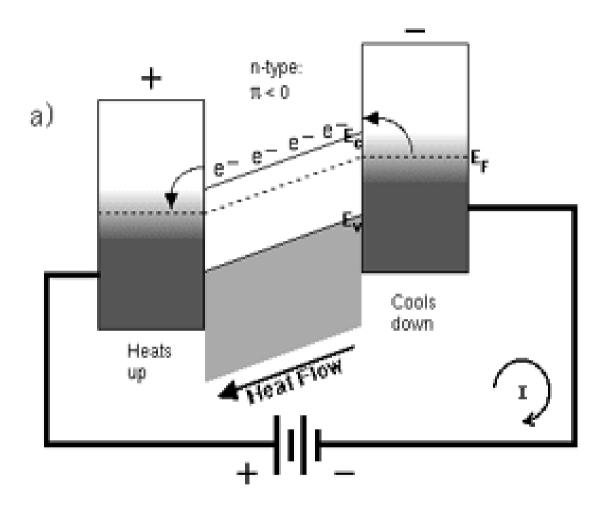
Which materials are suitable?

Optimum carrier density for a high Seebeck-coefficient for moderately to highly doped semiconductors





Flow of electrons and heat n-doped

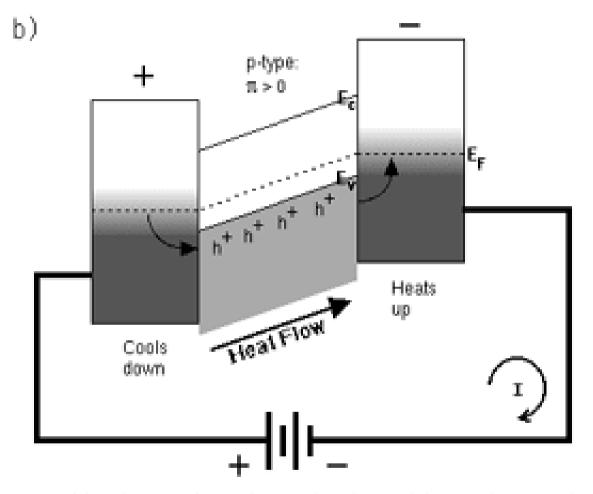


Heat and electrical current flow in opposite directions

Hot electrons flow from the hot side to the cold side



Flow of electrons and heat p-doped



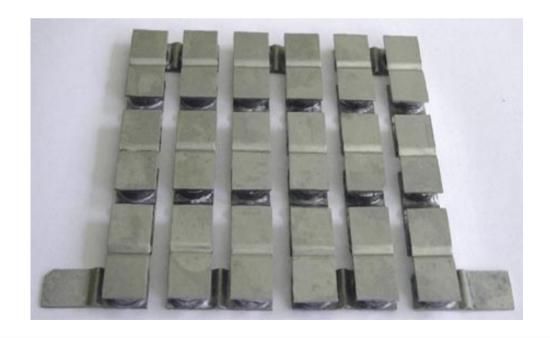
Heat and electrical current flow in the same direction

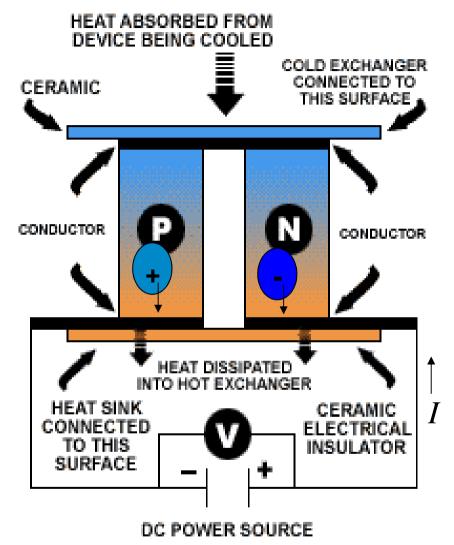
Hot holes flow from the hot side to the cold side



Commercial thermoelectrical cooler

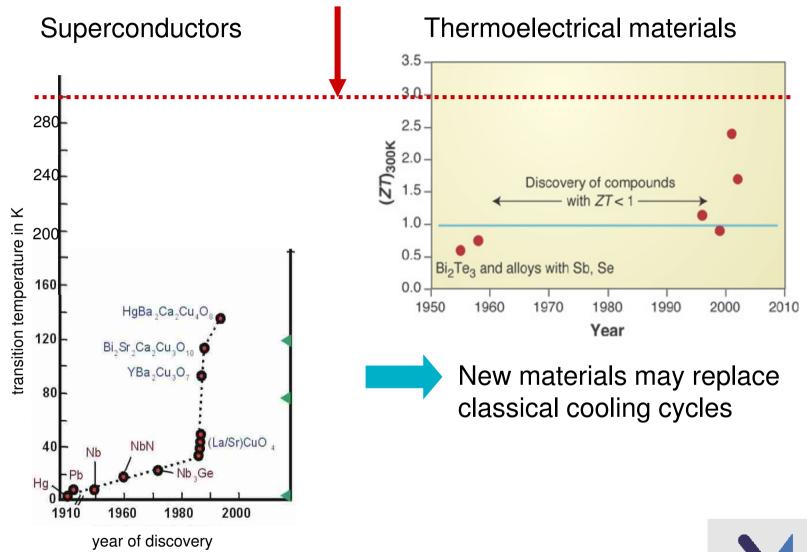
- •High doping leads to low electrical resistance
- Very high currents and low voltages are not useful for applications
- •Electrical and thermal connections are necessary (electrical series, thermal parallel)







Advances in thermoelectrics: Level for commercial relevance

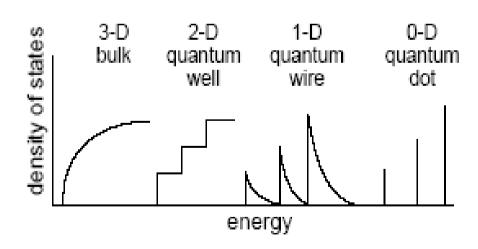


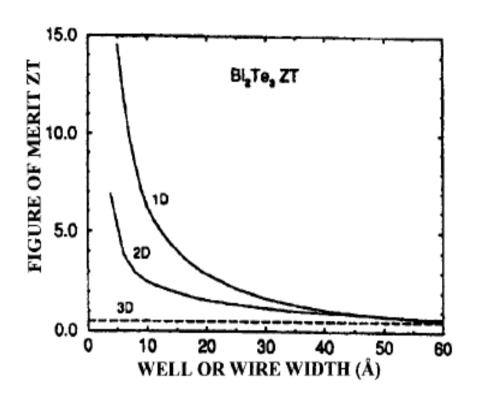


Theoretical limits using nanostructures

Seebeck-coefficient depends on the density of states

$$S \approx \frac{1}{g(E)} \frac{\partial g(E)}{\partial E} \bigg|_{E=E_F}$$

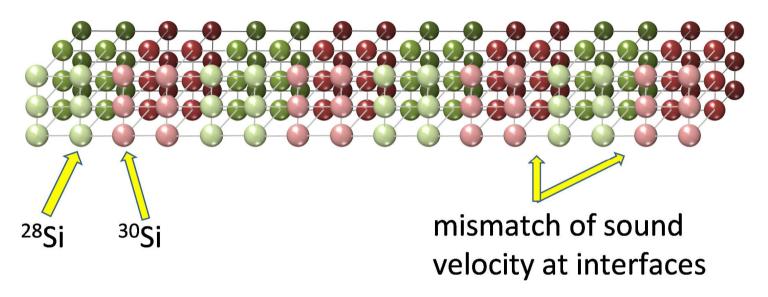




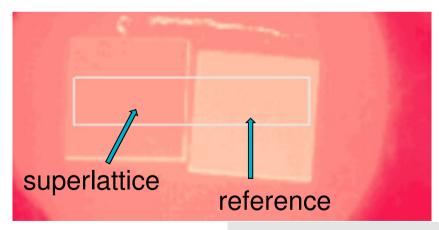
Dependence on the dimensionality and size



Tailoring phonon transport and density of states



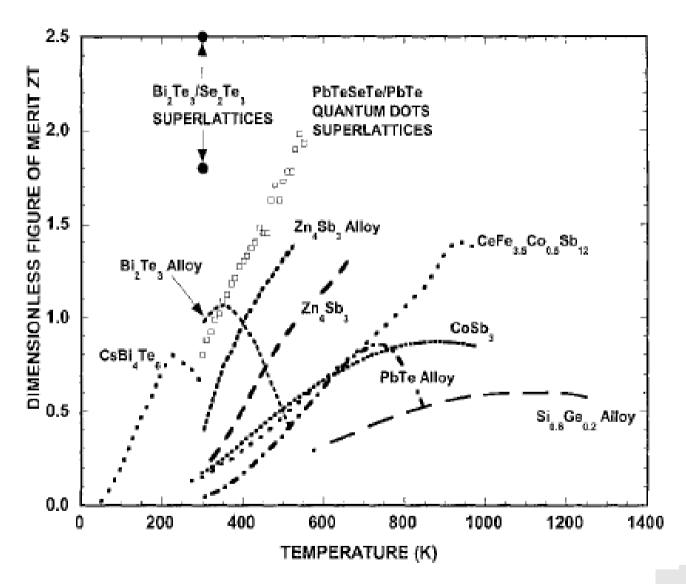
- Thermal conductivity of silicon significantly reduced
- Electrical conductivity not altered



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Experimental results



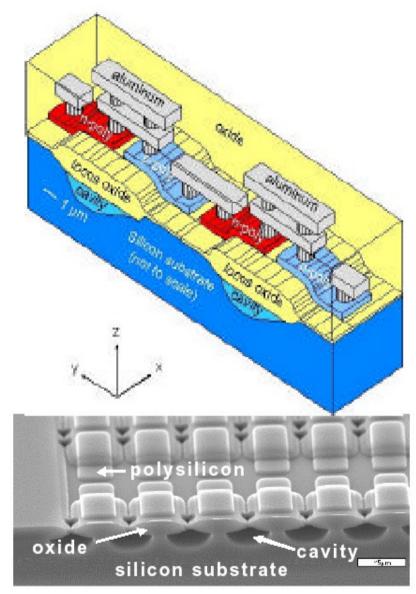


Thermoelectric generator

"smart clothes"

Power: $1 \mu W/cm^2$

@ $\Delta T=5K$







beer!



food



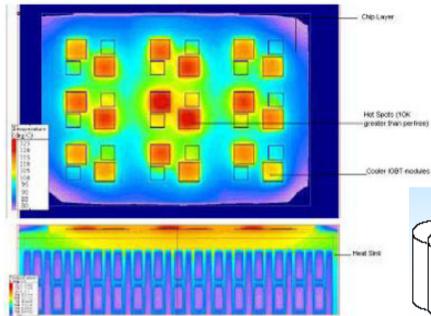
chocolate



22

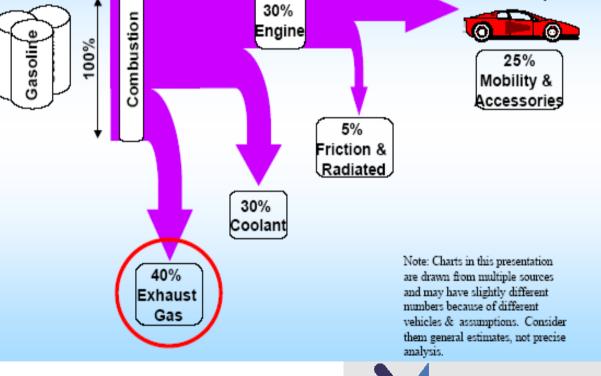
air-conditioned seats





cooling of hot-spots in ICs or for power electronics

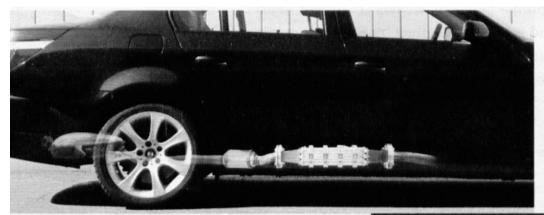
Recycling of waste-heat using TEGs



Vehicle Operation

Rhine-Waal University

of Applied Sciences



Noch Zukunftsmusik: Ein thermoelektrischer Generator am Auspuff macht aus Wärme Strom (o.). Im Versuchsfahrzeug werden die Werte der aktuellen Stromproduktion angezeigt (r.)

12 ADACmotorwelt 6/2008

Aus Wärme Strom gewinnen

181 W

TECHNOLOGIE. BMW treibt sein Programm »EfficientDynamics«, mit dem alle Modelle schrittweise sparsamer werden, weiter voran. Neben dem vorausschauenden Auto, das je nach zu erwartender Verkehrssituation Motoraggregate zu- oder abschaltet, setzt BMW auf den thermoelektrischen Generator (TEG). Mit der in der Raumfahrt genutzten Technologie wandelt das Auto ungenutzt aus dem Auspuff ausgestoßene Wärme in elektrische Energie um, die in die Batterie eingespeist

wird. Durch Fortschritte bei Material und Werkstoffen soll die bislang geringe Leistungsfähigkeit in den nächsten fünf Jahren deutlich verbessert werden. Die Lichtmaschine wird dann seltener eingesetzt, was in der Serie bis zu fünf Prozent Kraftstoff einsparen könnte.

Cooperation BASF and BMW

Thermoelektrischer Generator (TEG)



Maximum efficiency

Theoretical efficiency

$$\eta_{max} = \frac{T_1 - T_2}{T_1} \cdot \frac{\sqrt{1 + ZT_M} - 1}{\sqrt{1 + ZT_M} + \frac{T_2}{T_1}}$$
 Carnot efficiency



Summary

Thermoelectrics

- needs advanced materials / metamaterials
- links fundamental research closely to applications
- can be used for heat-conversion, cooling and heating
- may beat techniques such as Sterling engines or Rankine cycles
- is complicated

