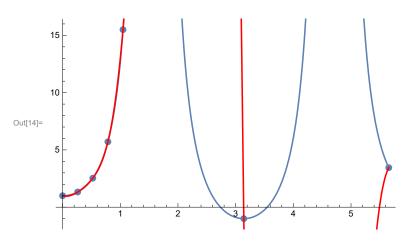
Задание 1

```
ln[1]:= f[x_] = 5 Tan[x]^2 + Cos[x] // N
                           косинус численное приближение
      X = \{0, \pi/6, \pi/4, \pi/3, \pi/12, \pi, (9*\pi)/5\}; xx = \pi/8;
      F = f[X];
      x_{k_{-}} := X[[k+1]];
      f_{k_{-}} := F[[k+1]];
      NN = Length[X];
      n=\frac{NN-1}{2};
      koef = Solve[
           T[x_{-}] = a_{\theta} + \sum_{k=1}^{n} (a_{k} * Sin[k * x] + b_{k} * Cos[k * x]) /. koef // Simplify 
      Table \left[ \left( T[x_j] // N \right) - \left( f_j // N \right) // Chop, \{j, 0, NN - 1\} \right]
                        _численное· · · _чис · · · _ отсечь малые числа
      Gr1 = ListPlot[MapThread[List, {X, F}], PlotStyle → {PointSize[0.02]}];
                                                  стиль графика размер точки
            диаграмм… нанизать … список
      Gr2 = Plot[f[y], {y, x_0, x_{NN-1}}];
            график функции
      Gr3 = Plot[T[y], {y, x_0, x_{NN-1}}, PlotStyle \rightarrow Red];
                                         стиль графика красный
            график функции
      Show[Gr1, Gr2, Gr3]
      показать
      T[xx] // N
                численное приближение
      Abs[f[xx] - T[xx]]
      абсолютное значение
Out[1]= Cos[x] + 5. Tan[x]^2
Out[9]= -8.4461 + 8.5514 \cos [x] + 8.4461 \cos [2x] - 7.5514 \cos [3x] +
       119.979 Sin[x] - 202.217 Cos[x] Sin[x] + 26.9233 Sin[3x]
Out[10]= \{0, 0, 0, 0, 0, 0, 0, 0\}
```



Out[15]= **1.83001**

Out[16]= **0.0482642**

Задание 2

Задание 3

$$In[30] = XX = \left\{ \frac{1}{10}, \frac{2}{10}, \frac{3}{10}, \frac{4}{10} \right\};$$

$$f = \left\{ \frac{183}{100}, \frac{2067}{1000}, \frac{5091}{1000}, \frac{8001}{1000} \right\};$$

$$n = \text{Length}[XX] - 1; \ xx_k := XX[[k+1]]; \ f_k := f[[k+1]]$$

$$\text{еqv}[m_{,}, y_{]} := \text{Table}[\left(D[x^i, \{x, m\}] //. \ x \to y\right) := \sum_{k=0}^{n} d_k * xx_k^i, \{i, 0, n\}\right]$$

$$Pr[m_{,}, y_{]} := \sum_{k=0}^{n} d_k * f_k //. \left(\text{Solve}[\text{eqv}[m, y], \{\}] // \text{ Flatten}\right)$$

$$\text{[решить уравнения}$$

$$\left\{Pr[1, \frac{1}{10}], Pr[1, \frac{2}{10}], Pr[2, 0], Pr[3, \frac{5}{10}]\right\}$$

$$Out[35] = \left\{-\frac{4247}{200}, \frac{1057}{50}, \frac{8589}{10}, -2901\right\}$$

$$In[36] = P[x_{]} = \text{InterpolatingPolynomial}[\text{Table}[\{xx_k, f_k\}, \{k, 0, n\}], x];$$

$$\text{[интерполяционный многочлен } \text{[таблица значений}$$

$$Pr1[m_{,}, y_{]} := D[P[x], \{x, m\}] //. \ x \to y$$

$$\text{[дифференциировать]}$$

$$\left\{ \Pr[1, \frac{1}{10}] = \Pr[1, \frac{1}{10}], \Pr[1, \frac{2}{10}] = \Pr[1, \frac{2}{10}], \\
\Pr[2, 0] = \Pr[2, 0], \Pr[3, \frac{5}{10}] = \Pr[3, \frac{5}{10}] \right\}$$

Out[38]= {True, True, True, True}

In[39]:= Pogr[m_, y_] :=
$$\frac{M}{\left(n+1\right)!} Abs \left[D\left[\prod_{a \in \mathcal{M}} (x-xx_k), \{x, m\}\right] //. x \rightarrow y\right]$$

$$\left\{ \begin{aligned} & \left\{ \text{Pogr} \left[\textbf{1}, \, \frac{\textbf{1}}{\textbf{10}} \right], \, \text{Pogr} \left[\textbf{1}, \, \frac{\textbf{2}}{\textbf{10}} \right], \, \text{Pogr} \left[\textbf{2}, \, \textbf{0} \right], \, \text{Pogr} \left[\textbf{3}, \, \frac{\textbf{5}}{\textbf{10}} \right] \right\} \\ & \text{Out} \left[40 \right] = \left\{ \frac{\textbf{M}}{4000}, \, \frac{\textbf{M}}{12\,000}, \, \frac{\textbf{7}\,\textbf{M}}{240}, \, \frac{\textbf{M}}{4} \right\} \end{aligned}$$

Out[41]=
$$\left\{ \frac{M}{10000}, \frac{M}{480}, \frac{7M}{240}, \frac{M}{4}, M, 0 \right\}$$