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1. What is classical physics?

Classical physics, at its core, is the body of physical theories developed before the early 20th century i.e before 1901. It describes the laws governing motion, matter, and energy on macroscopic scales—the world we experience directly. Think of it as the physics of "everyday" phenomena.

Here's a breakdown, emphasizing diversity and depth:

A World of Predictability:

- * Classical physics operates on the principle of determinism. This means, in essence, that if you know the initial conditions of a system, you can precisely predict its future behavior. Imagine a perfectly thrown baseball; classical physics allows you to calculate its trajectory with high precision.

- * This deterministic view contrasts sharply with the probabilistic nature of quantum mechanics, which emerged later.

Key Branches and Concepts:

- * *Classical Mechanics*: This deals with the motion of objects and the forces that cause them. Newton's laws of motion, gravity, and the conservation of energy and momentum are fundamental here. Rather than simply stating the laws, consider the development of classical mechanics. The ancient greeks had theories of motion, but it wasn't until the scientific revolution, and the work of people such as Galileo, and Newton, that the modern understanding of mechanics was created.

- * *Thermodynamics*: This explores heat, work, and energy transfer. The laws of thermodynamics govern everything from the efficiency of engines to the behavior of gases. Rather than just the laws, consider the applications of thermodynamics, such as the creation of the steam engine, which had a massive impact on the industrial revolution.

- * *Electromagnetism*: This encompasses the study of electric and magnetic fields, and their interactions. Maxwell's equations, a set of four elegant equations, unify electricity and magnetism. Consider that the understanding of electromagnetism lead to the creation of the electric generator, and the electric motor, which are both essential to modern life.

- * *Optics*: The study of light and its behavior, including reflection, refraction, and diffraction.

Limitations and the Rise of Modern Physics:

- * By the late 19th century, certain phenomena, such as the behavior of light at very high speeds and the behavior of atoms, couldn't be explained by classical physics.

- * This led to the development of modern physics, which includes:

* Quantum Mechanics: Describes the behavior of matter and energy at the atomic and subatomic levels.

* Relativity: Einstein's theories of special and general relativity, which deal with space, time, gravity, and the universe at large.

NB: *Classical physics* is still extremely useful, and accurate, for everyday situations. It is only when dealing with extremely small, or extremely fast, objects, that modern physics is required. In essence, classical physics is the foundation upon which much of our understanding of the physical world is built. It provides a robust and accurate framework for describing a vast range of phenomena, and its limitations lead to the development of modern physics.

2. Differentiate between classical physics and quantum physics?

Here's a breakdown, emphasizing the nuances between classical physics and quantum physics, enumerating their separate qualities first followed by their contrast:

Classical Physics:

The Realm of the Macroscopic:

* Classical physics excels at describing the behavior of macroscopic objects—things we can see and interact with daily. It's the physics of planets, baseballs, and machines.

* It operates on the principle of determinism, where cause and effect are clearly defined. If you know the initial conditions, you can predict the outcome.

Continuous Variables:

* In classical physics, physical quantities like position, velocity, and energy are considered continuous. They can take on any value within a range.

A World of Certainty:

* Classical physics assumes an objective reality, where objects have definite properties regardless of whether they are observed.

Quantum Physics:

The Realm of the Microscopic:

* Quantum physics delves into the behavior of atoms, subatomic particles, and other microscopic entities. It's the physics of the very small.

* It introduces the concept of probability, where outcomes are described by probability waves.

Quantized Variables:

* In quantum physics, many physical quantities are "quantized," meaning they can only take on discrete values. Energy levels in atoms, for example, are quantized.

A World of Probability:

* Quantum physics reveals that observation plays a fundamental role in shaping reality. The act of measurement can influence the outcome of an experiment.

* The wave particle duality, is a core concept that show that particles can have wave like properties, and waves can have particle like properties.

Here's the summary of the key differences between classical physics and quantum physics

FEATURE	CLASSIC PHYSICS	QUANTUM PHYSICS
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1. <i>Nature of prediction</i>	Deterministic (predictable outcomes based on initial conditions)	Probabilistic (outcomes described by probability waves)
2. <i>Variable variables</i>	Continuous (variables can take any value within a range)	Quantized (variables can only take discrete values)
3. <i>Reality and observation</i>	Objective reality (properties exist independently of observation)	Observer dependence (observation influences outcomes)
4. <i>Scale of applicability</i>	Macroscopic (everyday objects and phenomena)	Microscopic (atoms, subatomic particles, etc.)
5. <i>Core concept</i>	Predictability, continuity	Probability, quantization, wave-particle duality

In essence, classical physics provides a reliable framework for understanding the everyday world, while quantum physics unlocks the mysteries of the microscopic universe.

3. Definition of the concept:

i. **Force**

Here's a concise definition of force:

Force is an interaction that changes an object's motion (velocity or shape). It's quantified by Newton's second law, $F = ma$, where F is force, m is mass, and a is acceleration. Force is a vector, possessing both magnitude and direction. Common types include gravitational, electromagnetic, nuclear (strong and weak), frictional, normal, and tension forces. Forces always involve interactions between objects and occur in action-reaction pairs (Newton's third law). In general relativity, gravity is understood as spacetime curvature, not a Newtonian force.

ii. **Momentum:**

Momentum is a vector quantity representing the product of an object's inertial mass and its velocity. It quantifies the resistance of an object to changes in its state of motion. It's also defined as the product of an object's mass (m) and its velocity (v). Mathematically, it is expressed as:

$$p = mv$$

where:

- * p is the linear momentum vector.
- * m is the inertial mass of the object.
- * v is the velocity vector of the object.

Furthermore:

- * The principle of conservation of momentum states that the total momentum of a closed system remains constant in the absence of external forces.

* Momentum is a conserved quantity, fundamental in analyzing collisions and interactions between objects.

* It is a measure of the inertia of a moving body.

iii. **Angular momentum:**

- Angular momentum (L) is defined as the product of an object's moment of inertia (I) and its angular velocity (ω)

$$* L = I\omega$$

* It can also be defined as the cross product of the position vector (r) and the linear momentum vector (p):

$$* L = r \times p$$

Key Characteristics:

* Angular momentum is a vector quantity, meaning it has both magnitude and direction. The direction is perpendicular to the plane of rotation, determined by the right-hand rule.

* The moment of inertia (I) represents an object's resistance to changes in its rotational motion, analogous to mass in linear motion.

* The angular velocity (ω) is the rate of change of angular position.

Angular momentum is the rotational equivalent of linear momentum. It's a measure of an object's tendency to continue rotating.

iv. **Torque :**

Torque (τ) is defined as the cross product of the position vector (r) and the force vector (F):

$$* \tau = r \times F$$

* It can also be expressed as:

$$* \tau = rF \sin(\theta)$$

* where θ is the angle between the position vector and the force vector.

Key Characteristics:

* Torque is a vector quantity, with both magnitude and direction. The direction is perpendicular to the plane of rotation, determined by the right-hand rule.

* The magnitude of torque depends on the magnitude of the force, the distance from the axis of rotation (lever arm), and the angle between the force and the lever arm.

* Torque causes angular acceleration, similar to how force causes linear acceleration.

v. **Rigid body :**

A rigid body is a system of particles where the distance r_{ij} between any two particles i and j remains constant for all times. Mathematically, this means:

$$* |r_i - r_j| = \text{constant}$$

* Where r_i & r_j are the position vectors of particles i and j respectively.

Effect:

* This constraint simplifies the description of motion. Instead of tracking the individual motion of every particle, we can describe the motion of the entire body using a few parameters:

* Translation: The motion of the center of mass.

* Rotation: The angular motion about an axis.

Degrees of Freedom:

* A rigid body in three-dimensional space has six degrees of freedom: three translational and three rotational.

* This contrasts with a system of N particles, which has 3N degrees of freedom.

vi. **Inertia :**

Inertia is the inherent property of a body to resist changes in its velocity, quantified by its mass. It is the tendency of a body to maintain its state of rest or uniform motion in a straight line, unless compelled by an external force to change that state.

* *Mathematical Representation:*

* Newton's Laws of Motion:

Newton's First Law: If the net force (ΣF) acting on a body is zero, its velocity (v) remains constant.

$$\Sigma F = 0 \Rightarrow dv/dt = 0$$

Newton's Second Law: The acceleration (a) of a body is directly proportional to the net force (F) acting on it and inversely proportional to its mass (m).

$$F = ma$$

$$a = F/m$$

* This equation shows mass as the proportional constant between force and acceleration, therefore the measure of inertia.

Mass as Inertial Mass:

* Mass, in this context, is specifically inertial mass, representing the object's resistance to acceleration.

* It is a scalar quantity.

Inertial Frames:

* The laws of inertia hold true in inertial frames of reference, where there is no acceleration.

* In non-inertial frames, fictitious forces arise, indicating that the frame itself is accelerating.

Momentum:

* Inertia is also related to momentum ($\vec{p} = m\vec{v}$). A larger mass results in a larger momentum for a given velocity, making it harder to change the momentum.

Rotational Inertia:

* For rotating objects, rotational inertia (or moment of inertia, I) resists changes in angular velocity. It depends on the mass distribution relative to the axis of rotation.

* $\tau = I\alpha$ where τ is torque and α is angular acceleration.

Key effects:

* Inertia is a fundamental property independent of external factors like gravity.

* It is the reason why objects require force to accelerate.

* Mass is the quantitative measure of inertia.

vii. **Collision :**

* A collision is a short-duration interaction characterized by a significant exchange of momentum between two or more bodies:

* $\Delta p = \int_{t_1}^{t_2} F(t) dt$, where Δp is the change in momentum, $F(t)$ is the time-dependent force, and t_1 and t_2 are the initial and final times of the collision.

* This emphasizes the integral of force over time, which equals the change in momentum (impulse).

* A collision involves a rapid change in velocity due to the application of impulsive forces:

* Mathematically: $F = m (dv/dt)$, where F is the force, m is the mass, and dv/dt is the rate of change of velocity (acceleration).

The "rapid change" implies a large dv/dt over a small Δt .

A collision is an event where the total momentum of a closed system is conserved, although kinetic energy may or may not be conserved:

Mathematically: $\Sigma p_{\text{initial}} = \Sigma p_{\text{final}}$. In elastic collisions, $\Sigma KE_{\text{initial}} = \Sigma KE_{\text{final}}$, while in inelastic collisions, $\Sigma KE_{\text{initial}} > \Sigma KE_{\text{final}}$.

* This highlights the fundamental conservation laws involved.

* A collision can be modeled as an interaction governed by contact forces or short-range forces, resulting in a change in the bodies' trajectories:

* This speaks to the nature of the forces themselves, which are often very strong and act over very short distances.

* A collision is a physical event where the relative velocity of interacting bodies undergoes a significant change within a short time interval:

* This focuses on the change of the relative velocity between colliding objects.

viii. **Conservative force:**

A force \mathbf{F} is said to be conservative if it satisfies any of the following equivalent conditions:

1. *Path Independence of Work:*

* The work done by \mathbf{F} in moving an object from point A to point B is independent of the path taken. Mathematically, this can be expressed as:

$$W_{AB} = \int_A^B \mathbf{F} \cdot d\mathbf{r}$$

where W_{AB} is the work done, \mathbf{F} is the force, and $d\mathbf{r}$ is an infinitesimal displacement vector. The value of this integral depends only on the positions of A and B, and not on the specific path of integration.

2. Zero Work Around a Closed Loop:

- The work done by F in moving an object around any closed loop C is zero:

$$\oint_C \mathbf{F} \cdot d\mathbf{r} = 0$$

3. Existence of a Potential Energy Function:

- There exists a scalar potential energy function $U(\mathbf{r})$ such that the force is the negative gradient of the potential energy:

$$\mathbf{F} = -\nabla U(\mathbf{r})$$

or, in Cartesian coordinates:

$$\mathbf{F} = -\left(\frac{\partial U}{\partial x} \mathbf{i} + \frac{\partial U}{\partial y} \mathbf{j} + \frac{\partial U}{\partial z} \mathbf{k}\right)$$

where ∇ is the gradient operator and \mathbf{i} , \mathbf{j} , and \mathbf{k} are the unit vectors in the x , y , and z directions, respectively.

4. Curl-Free Force Field:

- The curl of the force field is zero:

$$\nabla \times \mathbf{F} = 0$$

This condition implies that the force field is irrotational.

Implications:

If a force is conservative, the total mechanical energy of a system (the sum of kinetic energy K and potential energy U) is conserved

$$E = K + U = \text{constant}$$

The work done by a conservative force can be expressed as the negative change in potential energy:

$$W_{AB} = U(A) - U(B) = -\Delta U$$

Examples (with potential energy functions):

- **Gravitational Force:**
 - $F = -mg\mathbf{k}$ (near the Earth's surface)
 - $U(z) = mgz$
- **Elastic Force (Spring Force):**
 - $F = -kx\mathbf{i}$
 - $U(x) = (1/2)kx^2$
- **Electrostatic Force:**
 - $F = qE$
 - $U(r) = qV(r)$ where V is the electric potential

ix. **Force field** :A force field is fundamentally a vector field. This means that at every point in space, there's a vector assigned to it. This vector represents the force that would be exerted on a test particle placed at that point. Mathematically, a vector field $F(\mathbf{r})$ assigns a vector to each position vector $\mathbf{r} = (x,y,z)$. In Cartesian coordinates, this can be written as:

$$F(\mathbf{r}) = F_x(x,y,z)\mathbf{i} + F_y(x,y,z)\mathbf{j} + F_z(x,y,z)\mathbf{k}$$

Where F_x , F_y , F_z are the components of the force in the x , y , and z directions, respectively, and \mathbf{i} , \mathbf{j} , \mathbf{k} are the unit vectors in those directions.

Examples of Force Fields:

Gravitational Field:

The gravitational field $g(r)$ due to a point mass M at the origin is given by:

$$g(r) = -G (M/r^2) \hat{r}$$

Where:

G is the gravitational constant.

$r = |r|$ is the distance from the mass $\hat{r} = r/r$ is the unit vector pointing radially outward.

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- The negative sign indicates that the force is attractive.
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- The force on a test mass m in this field is:
 - $\mathbf{F} = mg$
 -

Electric Field:

- The electric field $E(r)$ due to a point charge q at the origin is given by:
 - $\mathbf{E}(\mathbf{r}) = k (q/r^2) \hat{r}$
 -
 - Where:
 - $k = 1/(4\pi\epsilon_0)$ is Coulomb's constant.
 -
 - ϵ_0 is the permittivity of free space.
 -
- The force on a test charge q' in this field is:
 - $\mathbf{F} = q'\mathbf{E}$

Relationship to Potential:

- Many force fields are conservative, meaning that the work done by the force in moving a particle between two points is independent of the path taken.
- Conservative force fields can be derived from a scalar potential function $U(r)$:
 - $\mathbf{F} = -\nabla U$
 - Where ∇ is the gradient operator.
- For example:
 - Gravitational potential:
 - $U(r) = -G(Mm/r)$
 - Electric potential:
 - $U(r) = k(qq'/r)$
 -

In essence:

* Force fields provide a way to describe and quantify the influence of forces that act at a distance. The mathematical framework of vector calculus is essential for understanding and working with force fields. The concepts of potential energy and conservative forces are closely related to force fields

x. **Gyroscope :**

"Imagine a rapidly spinning wheel. This rotating mass exhibits a property known as angular momentum, a tendency to continue spinning along its established axis. When external forces try to alter the wheel's spin axis, it doesn't simply yield. Instead, it generates a counteracting force, a resistance to that change. This foundational behavior is the essence of a gyroscope.

Essentially, a gyroscope is a mechanism designed to exploit this resistance to changes in orientation. Typically, it involves a rotor—a spinning mass—and often, a system of rings called gimbals. These gimbals allow the rotor to pivot freely, enhancing its ability to maintain a consistent orientation regardless of external movements.

This inherent stability finds application in diverse fields. For instance, gyroscopes are vital components in:

* Determining directional heading in maritime and aerial navigation.

- * Guiding autonomous vehicles and spacecraft with precision.

- * Stabilizing cameras and other equipment against unwanted motion.

- * Providing orientation data in consumer electronics like smartphones.

In a nutshell, a gyroscope leverages the principle of angular momentum to provide a stable reference point, enabling the measurement and maintenance of orientation across a range of technological applications.”