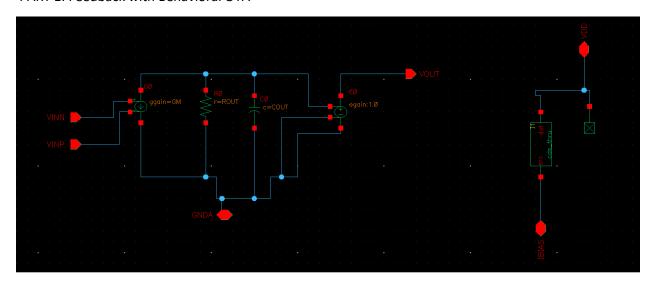
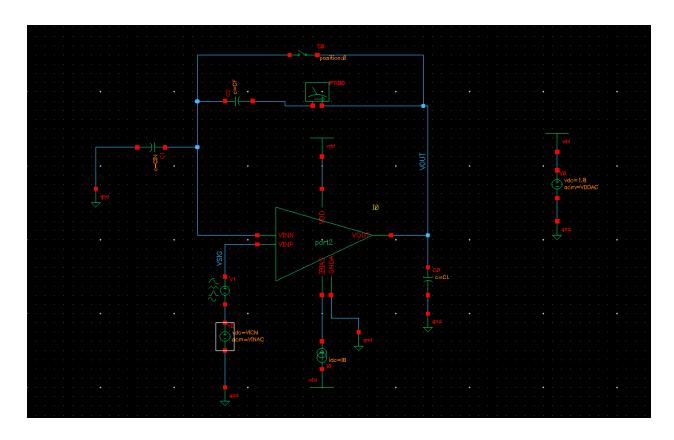
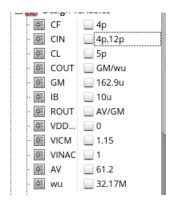
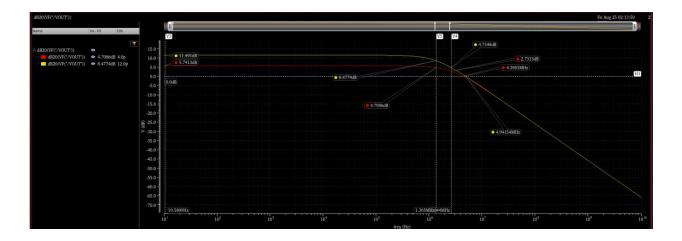
PART 1: Feedback with Behavioral OTA







- 1 CLOSED LOOP GAIN VS FREQUENCY.
- 1.1 PLOT VOUT IN DB FOR THE TWO VALUES OF CIN (4PF AND 12PF). INDICATE THE DC GAIN, THE BANDWIDTH, AND THE UNITY GAIN FREQUENCY IN THE PLOT



1.2

Point	Test	Output	Nominal	2	Spec	Weight	Pass/Fail
Filter	Filter	Filter	Filter	Filter	~	Filter	Filter
Parameters:	CIN=4p						
1	lab7_TEST_benc	ymax(dB20(VF("	5.741				
1	lab7_TEST_benc	ymax(mag(VF("/	1.937				
1	lab7_TEST_benc	bandwidth(VF("/	2.646M				
1	lab7_TEST_benc	gainBwProd(VF(5.138M				
1	lab7_TEST_benc	unityGainFreq(V	4.423M				
Parameters:	CIN=12p						
2	lab7_TEST_benc	ymax(dB20(VF("	11.49				
2	lab7_TEST_benc	ymax(mag(VF("/	3.755				
2	lab7_TEST_benc	bandwidth(VF("/	1.366M				
2	lab7_TEST_benc	gainBwProd(VF(5.141M				
2	lab7_TEST_benc	unityGainFreq(V	4.951M				

1.3 COMPARE THE DC GAIN, BW, AND GBW WITH HAND ANALYSIS IN A TABLE

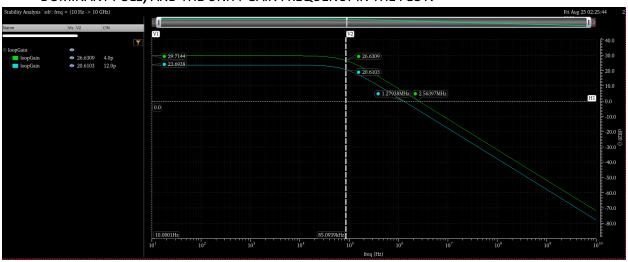
1.3 COMPARE THE DC GAIN, BW, AND GBW WITH HAND ANALYSIS IN A TABLE	
Cin=4P's (====================================	
A, Jain = AOL = 62, 2 2 +8AOL = 2+64,2× =	1
= 1,937 = 5,7426	
Bu= (1+ BAON) BW = (1+612)3314	X211
= 2,64M BWZAVXBWCL	7
2 5,11 11	
Cin=128=1+12=4,B===	
$A_{V} = 9_{11}N = A_{0L} = 61_{,2} = 3_{,7}5$ = 12,49 db	
Buch = (1+61,2) 3212/10/2 = 1,36 M	
GBWZAVXBWEZ = 5, 11M	

	4	р	12p		
	SIM	ANALYTICAL	SIM	ANALYTICAL	
Av(db)	5.741	5.74	11.49	11.49	
Av	1.937	1.937	3.755	3.75	
BW	2.646M	2.64M	1.366M	1.36M	
GBW	5.138M	5.11M	5.141M	5.11M	
UGF	4.423M	5.11M	4.951M	5.11M	

1.4 COMMENT ON THE DIFFERENCE BETWEEN THE RESULTS FOR THE TWO VALUES OF CIN. As CIN increased, beta decreased so the gain increased, but as GBW is constant so BW decreased.

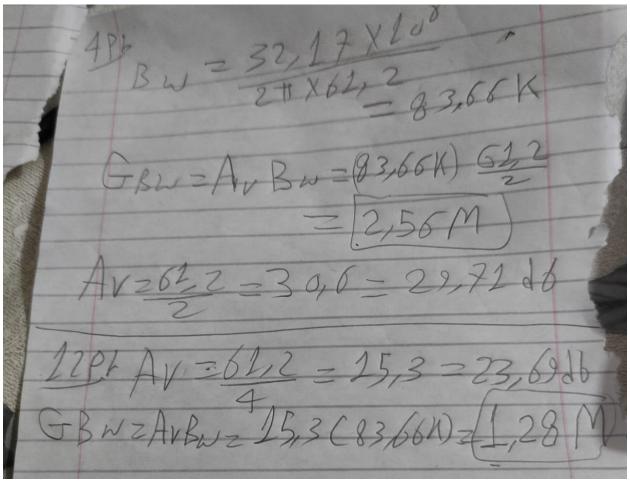
2 LOOP GAIN VS FREQUENCY.

2.1 PLOT LOOP GAIN IN DB FOR THE TWO VALUES OF CIN. ANNOTATE THE DC LOOP GAIN, THE DOMINANT POLE, AND THE UNITY GAIN FREQUENCY IN THE PLOT.



Point	Test	Output	Nominal	Spec	Weight	Pass/Fail
Filter	Filter	Filter	Filter	Filter	Filter	Filter
Parameters: C	IN=4p					
1	lab7_TEST_benc	unityGainFreq(2.572M			
1	lab7_TEST_benc	ymax(mag(getD	30.6			
1	lab7_TEST_benc	ymax(dB20(mag	29.71			
1	lab7_TEST_benc	gainBwProd(ma	2.569M			
Parameters: C	IN=12p					
2	lab7_TEST_benc	unityGainFreq(1.283M			
2	lab7_TEST_benc	ymax(mag(getD	15.3			
2	lab7_TEST_benc	ymax(dB20(mag	23.69			
2	lab7_TEST_benc	gainBwProd(ma	1.284M			

2.2 COMPARE DC LG AND GBW WITH HAND ANALYSIS IN A TABLE

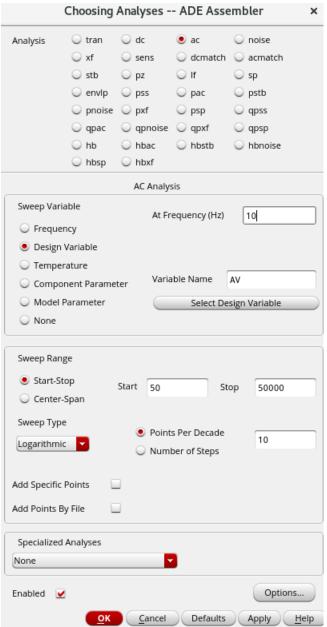


	4	р	12	lp
	SIM	ANALYTICAL	SIM	ANALYTICAL
Av(db)	29.71 db	29.71 db	23.69 db	23.69 db
Av	30.6	30.6	15.3	15.3
GBW	2.569M	2.56M	1.284M	1.28M
UGF	2.572M	2.56M	1.283M	1.28M

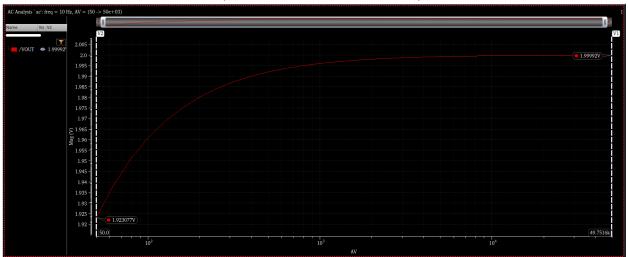
2.3 COMMENT ON THE DIFFERENCES BETWEEN THE RESULTS FOR THE TWO VALUES OF CIN. BW doesn't depend on β change, so when we change β we only change the gain, so the GBW also changes.

3 GAIN DESENSITIZATION. STUDY THE VARIATION OF CLOSED LOOP GAIN WITH THE VARIATION OF OPEN LOOP GAIN

3.1 SET AC SIMULATION TO SWEEP DESIGN VARIABLE (AV = OPEN LOOP GAIN OF THE BEHAVIORAL OTA) = 50:50000, LOGARITHMIC, 10 POINTS/DECADE. SET THE AC SIMULATION FREQUENCY AT 10 Hz (SINGLE FREQUENCY POINT).



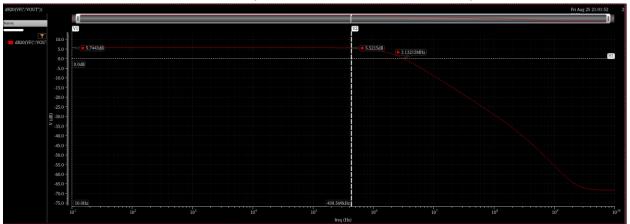
3.2 PLOT CLOSED LOOP DC GAIN (MAGNITUDE AT 10Hz, NOT DB) VS AV.



3.3 CALCULATE THE PERCENT CHANGE IN CLOSED LOOP GAIN (MAGNITUDE, NOT DB). NOTE THAT OPEN LOOP GAIN (AV) CHANGES BY THREE ORDERS OF MAGNITUDE (60 DB). COMMENT. ((1.99-1.92)/1.92)*100=3.64%, close loop gain is so stable with the changes in open loop gain so the gain is desensitized.

1 CLOSED LOOP GAIN VS FREQUENCY.

1.1 Repeat what you did in Part 1 (Closed loop gain vs frequency).



1.2 COMPARE BETWEEN THE RESULTS YOU OBTAINED HERE AND THE RESULTS IN PART 1 IN A TABLE

Point	Test	Output	Nominal	Spec	Weight	Pass/Fail
Filter	Filter	Filter	Filter	Filter	Filter	Filter
Parameters: C	I N=4p					
1	lab7_TEST_benc	ymax(dB20(VF("	5.744			
1	lab7_TEST_benc	ymax(mag(VF("/	1.937			
1	lab7_TEST_benc	bandwidth(VF("/	1.886M			
1	lab7_TEST_benc	gainBwProd(VF(3.663M			
1	lab7_TEST_benc	unityGainFreq(V	3.134M			
1	lab7_TEST_benc	dB20(VF("/VOUT	<u>L</u>			
Parameters: C	I V=12p					
2	lab7_TEST_benc	ymax(dB20(VF("	11.49			
2	lab7_TEST_benc	ymax(mag(VF("/	3.754			
2	lab7_TEST_benc	bandwidth(VF("/	852K			
2	lab7_TEST_benc	gainBwProd(VF(3.206M			
2	lab7_TEST_benc	unityGainFreq(V	3.094M			
2	lab7_TEST_benc	dB20(VF("/VOUT	<u>~</u>			

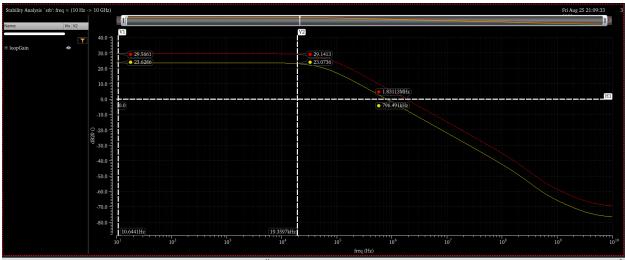
	4	р	12p		
	Part1	Part2	Part1	Part2	
Av(db)	5.741	5.774	11.49	11.49	
Av	1.937	1.937	3.755	3.754	
BW	2.646M	1.886M	1.366M	852K	
GBW	5.138M	3.663M	5.141M	3.206M	
UGF	4.423M	3.134M	4.951M	3.094M	

1.3 YOU WILL NOTICE THAT THE BANDWIDTH, AND CONSEQUENTLY THE GBW ARE MUCH SMALLER THAN PART 1. WHY? COMMENT

Because in part2 there is no buffer like part1, so the capacitance increases (because of Cf and this can be expected using Miller's theorem) so GBW decreases.

2 LOOP GAIN VS FREQUENCY.

2.1 Repeat what you did in Part 1 (Loop gain vs frequency).



2.2 COMPARE BETWEEN THE RESULTS YOU OBTAINED HERE AND THE RESULTS IN PART 1 IN A TABLE.

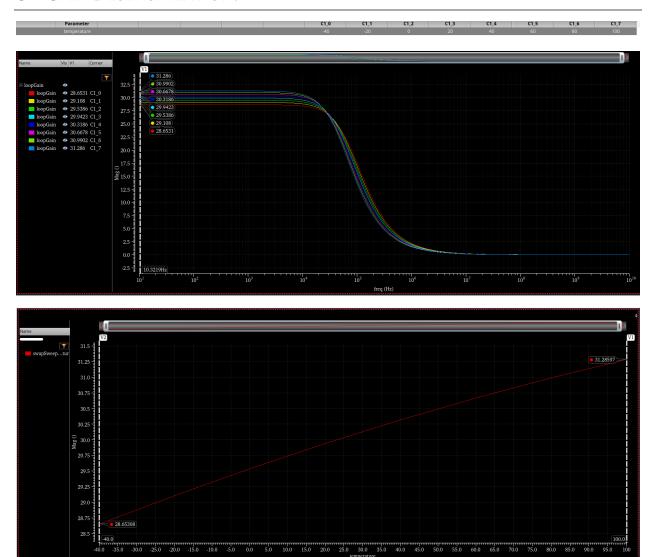
	•				
1	lab7_TEST_benc	unityGainFreq(1.842M		
1	lab7_TEST_benc	ymax(mag(getD	30.08		
1	lab7_TEST_benc	ymax(dB20(mag	29.57		
1	lab7_TEST_benc	gainBwProd(ma	1.824M		
Parameters: Cl	V=12p				
2	lab7_TEST_benc	unityGainFreq(796.7K		
2	lab7_TEST_benc	ymax(mag(getD	15.19		
2	lab7_TEST_benc	ymax(dB20(mag	23.63		
2	lab7_TEST_benc	gainBwProd(ma	800K		

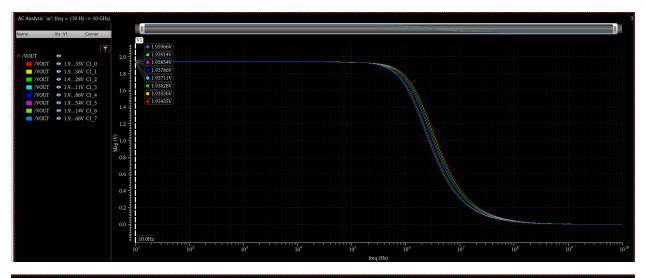
	4	р	12	р
	PART1	PART2	PART1	PART2
Av(db)	29.71 db	29.57 db	23.69 db	23.63 db
Av	30.6	30.08	15.3	15.19
GBW	2.569M	1.842M	2.569M	800K
UGF	2.572M	1.842M	2.572M	796.7K

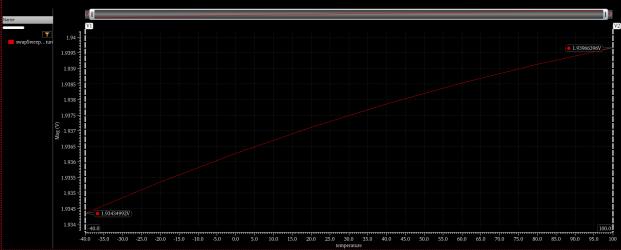
2.3 YOU WILL NOTICE THAT THE UNITY GAIN FREQUENCY IS MUCH SMALLER THAN PART 1. WHY? COMMENT.

Because in part2 there is no buffer like part1, so the capacitance increases (because of Cf and this can be expected using Miller's theorem), so UGF decreases.

3 GAIN DESENSITIZATION.







3.1 COMPARE THE PERCENT CHANGE IN THE DC LOOP GAIN (FROM STB) AND THE DC CLOSED LOOP GAIN (FROM AC) ACROSS TEMPERATURE EXTREMES. DO NOT USE DB WHEN CALCULATING PERCENT CHANGE. COMMENT

Change in closed loop gain =
$$\frac{1.939-1.934}{1.934} * 100 = 0.258\%$$

Change in loop gain =
$$\frac{31.286-28.653}{28.653} * 100 = 9.19\%$$

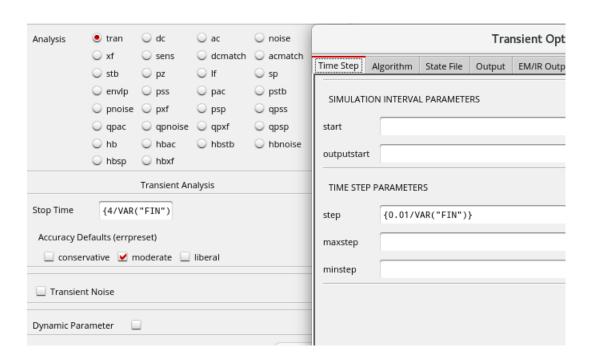
Closed loop gain is robust and stable with the changes in temperature, while the change in loop $gain(AoI^*\beta)$ is much larger.

4 TRANSIENT ANALYSIS.

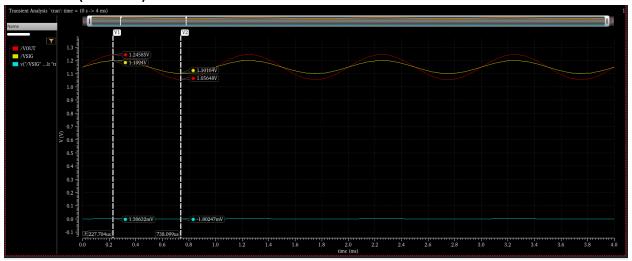
4.1 SET THE TRANSIENT SOURCE TO SINE WAVE WITH FREQUENCY FIN = 1kHz and amplitude VP = 50mV, where FIN and VP are two variables defined in the parameters window



4.2 Run transient analysis. Set the simulation time to be $\{4/FIN\}$ and the time step to be $\{0.01/FIN\}$



4.3 PLOT THE INPUT SIGNAL, THE OUTPUT SIGNAL, AND THE DIFFERENTIAL INPUT SIGNAL OF THE OTA (VP-VN).



4.4 CALCULATE THE PEAK-TO-PEAK VOLTAGE OF THE PREVIOUS THREE SIGNALS. WHAT IS THE RELATION BETWEEN THE OUTPUT AND (VP-VN)? COMMENT.

1	2 W 1 W			
lab7_TEST_benc	(ymax(v("/VOUT" ?result "tran")) - ymin(v("/VOUT" ?result "tran")))	193.2m		
lab7_TEST_benc	(ymax(v("/VSIG" ?result "tran")) - ymin(v("/VSIG" ?result "tran")))	99.72m		
lab7_TEST_benc	(ymax((v("/VSIG" ?result "tran") - v("/VINN" ?result "tran"))) - ymin((v("/VSIG" ?result "tran") - v("/VINN" ?result "tran"))))	3.163m		

VOUT -> 193.2 m

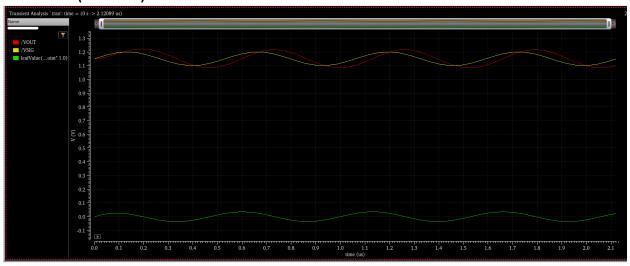
Vsig -> 99.72 m

Vdiff -> 3.163 m

As expected The relation between the output and differential input is the open loop gain at dc gain

$$Av = \frac{193.2m}{3.163m} = 61$$

4.5 Repeat the transient analysis with FIN exactly equal to the closed loop bandwidth. Plot the input signal, the output signal, and the differential input signal of the OTA(VP-VN)



4.6 CALCULATE THE PEAK-TO-PEAK VOLTAGE OF THE PREVIOUS THREE SIGNALS. WHAT IS THE RELATION BETWEEN THE OUTPUT AND THE INPUT SIGNAL? WHAT IS THE RELATION BETWEEN THE OUTPUT AND (VP-VN)? COMPARE BETWEEN THIS CASE AND THE CASE OF 1kHz input.

lab7_TEST_benc (ymax(v("/VOUT" ?result "tran")) - ymin(v("/VOUT" ?result "tran")))	138.2m		
lab7_TEST_benc (ymax(v("/VSIG" ?result "tran")) - ymin(v("/VSIG" ?result "tran")))	99.78m		
lab7_TEST_benc (ymax((v("'V/SIG" ?result "tran") - v("/VINN" ?result "tran"))) - ymin((v("/V/SIG" ?result "tran") - v("/VINN" ?result "tran"))))	72.14m		

VOUT -> 138.2 m

Vsig -> 99.78 m

Vdiff -> 72.14 m

the relation between the output and the input signal: $\frac{138.2}{99.78}=1.38$ as expected we have an input signal exactly at the pole, so the gain would decreased by 3db ($\frac{1}{\sqrt{2}}$), $\frac{1.93}{\sqrt{2}}=1.36\sim1.38$.

the relation between the output and (VP – VN): $\frac{138.2}{72.14} = 1.91$

The open-loop and closed-loop asymptotes coincide at this high frequency, so we can calculate the decay happened at the point of fin(BWcl) from 3 + 20 log(fin/BWol)=30.06 db = 31.84

$$\frac{61.2}{31.84} = 1.92$$

Compare between this case and the case of 1kHz input:

In the case of 1khz we got the dc gain as the frequency is much smaller than the open loop bandwidth.