CF (*Carry Flag*) is the transport flag. It will be set to $\underline{1}$ if in the LPO there was a transport digit outside the representation domain of the obtained result and set to 0 otherwise. For example, in the addition

$1001\ 0011\ +$	147 -	+	93h +	-109 +
0111 0011	<u>115</u>	there is transport and CF is set therefore to 1	<u>73h</u>	<u>115</u>
1 0000 0110	262		106h	06

CF flags the UNSIGNED overflow!

OF (*Overflow Flag*) flags the <u>signed overflow</u>. If the result of the LPO (considered in the signed interpretation) didn't fit the reserved space, then OF will be set to 1 and will be set to 0 otherwise.

CF vs. OF. The overflow concept.

OF will be set to 1 (*signed overflow*) if for the addition operation we are in one of the following situations (*overflow rules for addition in signed interpretation*). These are the only 2 situations that can issue overflow status for the addition operation:

0+	or	1+	(Semantically, the two situations denote the impossibility of mathematical acceptance
0		1	of the 2 operations: we cannot add two positive numbers and obtain a negative result
			and we cannot add two negative numbers and obtain a positive result).
1		0	

$1001\ 0011\ +$	147 +		93h +	-109
1011 0011	<u>179</u>	a carry of the most significant digit occurs	<u>B3h</u>	<u>-77</u>
1 0100 0110	326	so the value 1 is placed in CF	146h	+70 !!!!
(unsigned)			(hex)	(signed)
$\mathbf{CF}=1$				$\mathbf{OF}=1$
0101 0011 +	83 +		53h +	83 +
0111 0011	<u>115</u>	a carry DOES NOT occur	<u>73h</u>	<u>115</u>
1100 0110	198	thus CF=0	C6h	-58 !!!!
(unsigned)			(hex)	(signed)
$\mathbf{CF} = 0$				OF=1

In the case of subtraction, we also have two overflow rules in the signed interpretation, a consequence of the two overflow rules for addition:

1	sau	0	(Semantically, the two situations denote the impossibility of mathematical acceptance
0		1	of the two operations: we cannot subtract a positive number from a negative one and
			obtaining a positive one, neither can we subtract a negative number from a positive one
0		1	and obtaining a negative one).

None of the interpretations above is mathematically correct, because in base 10, the subtraction 98-200 should provide -102 as the correct result, but instead 154 is provided in the unsigned interpretation for the subtraction - which is an incorrect result! In the SIGNED interpretation we have: 98-(-56) = -102 (Again an incorrect value!!) instead of the correct one 98+56=154 (the value of 154 result interpretation is valid only in unsigned representation).

In conclusion, in order to be mathematically correct, the results of the two subtractions from above should be switched between the two interpretations; so the two interpretations associated to the binary subtraction are both mathematically incorrect. For this reason the 80x86 microprocessor will set CF=1 and OF =1.

Technically speaking, the microprocessor will set OF=1 only in one of the 4 situations presented above (2 for addition and 2 for subtraction).

The multiplication operation does not produce overflow at the level of 80x86 architecture, the reserved space for the result being enough for both interpretations. Anyway, even in the case of multiplication, the decision was taken to set both CF=OF=0, in the case that the size of the result is the same as the size of the operators (b*b = b, w*w = w or d*d = d) (« no multiplication overflow », CF = OF = 0). In the case that b*b = w, w*w = d, d*d = d qword, then CF = OF = 1 (« multiplication overflow »).

The worst effect in case of overflow is in the case for the division operation: in this situation, if the quotient does not fit in the reserved space (the space reserved by the assembler being byte for the division word/byte, word for the division doubleword/word and respectively doubleword for division quadword/doubleword) then the « division overflow » will signal a 'Run-time error' and the operating system will issue one of the 3 semantic equivalent messages: 'Divide overflow', 'Division by zero' or 'Zero divide'.