

# Hand-In Exercise 3: State Space Control of Flying Drone

Name 1 (Username 1), Name 2 (Username 2), ...

## 1 System Analysis

### 1.1 State Space Model

Provide a derivation of a state space model of the system. Use Figure 1 and (1).

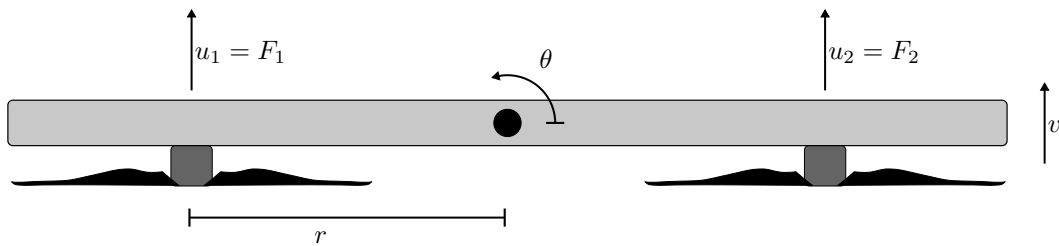


Figure 1: Diagram of flying drone that is controlled via two propellers, which apply forces  $F_1$  and  $F_2$  to the drone.

$$\begin{aligned} J\ddot{\theta} &= r(u_2 - u_1) - b_1\dot{\theta} - b_2v \\ m\dot{v} &= u_1 + u_2 - b_3v \end{aligned} \tag{1}$$

Text

$\dot{x}$  = Insert equation

$y$  = Insert equation

where explain all parameters

### 1.2 Observability and Controlability

Determine controlability and observability of the system.

Write the two matrices

$\mathcal{O}$  = Insert equation

$\mathcal{C}$  = Insert equation

provide conclusion on based on matrices

## 2 Controller Design

### 2.1 Integral Control

Design an integral control for the system using pole placement. The control should ensure that the system has a 5 % settling time of 1 s.

The following control law is an integral control that ensures a 5 % settling time of 1 s

$$u = \text{Insert equation}$$

## 2.2 Performance Evaluation

Evaluate the performance of the system by changing the reference to the system from  $(p, \theta) = (0, 0)$  to  $(p, \theta) = (1, \pi/8)$ . You should plot both  $u$ ,  $y$ , and the state  $x$  in Figure 2.

Plot of  $u$ ,  $y$ , and the state  $x$

Figure 2: Insert caption.

## 3 Observer Design

### 3.1 Pole Selection

Determine appropriate locations for observer poles.

### 3.2 Observer Design

Design a full-order observer for the system using pole placement.

## 4 Simulation

Simulate the observer-based controller by changing the reference to the system from  $(p, \theta) = (0, 0)$  to  $(p, \theta) = (1, \pi/8)$  and ensure that the initial condition of the system and the observer are different. You should plot both  $u$ ,  $y$ , and the state  $x$  in Figure 3.

Plot of  $u$ ,  $y$ , and the state  $x$

Figure 3: Insert caption.