

Towards trapping of molecular ions in a linear Paul Trap

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PhD Progress Report

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Abstract

An abstract...

Colophon

Towards trapping of molecular ions in a linear Paul Trap

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Introduction

In the 1950's Wolfgang Paul invented the so-called Paul trap, for trapping charged particles within a quadrupolar electromagnetic field. [CITE](#). In 1989 he would go on to receive the Nobel Prize in physics, alongside Hans Dehmelt, "for the development of the ion trap technique" [CITE](#). With the many technological and scientific advancements since the Paul trap's inception, among which the laser is an especially important one, it is now possible to trap, and cool single ions to temperatures below 1mK [CITE Wineland](#). Such cold ions pose many interesting possibilities for science, as they can make good candidates for atomic clocks [CLOCK](#), or the basis for quantum computers [Wineland, Cirac Zoller](#).

Paul traps are also used for the study of fluorescence of molecules in the gas phase [CITE Steen?](#), where pulsed lasers can be used to excite large clouds of molecular ions, whose fluorescence spectrum may then be recorded and studied. However as most molecules lack the necessary energy level structure for laser cooling, the temperature of these experiments are limited by their cryogenic cooling environment.

The aim of my PhD thesis is to build an experiment where single molecular ions from an electrospray ionization source [FENN](#) can be trapped in a linear Paul trap alongside a Ba^+ ion and cooled to their motional ground state. In such a setup we would like to investigate the molecules using a method called photon recoil spectroscopy [CITE EMILIE](#). This method functions by using the momentum kick associated with the molecules absorption of light as a measure of whether absorption has occurred, and is explained further in chapter 5. Directly applying this method to two-ion systems with large mismatches in mass and charge is challenging, since the motions of the ions are only very weakly coupled, and thus the absorption kick will predominantly excite the motion of the molecule, which is not sensitive to the readout performed by a laser on the Ba^+ ion. Due to this issue I have been looking at [CITE](#), and developing theory for how to transfer energy from one motional mode to another, to allow for efficient readout of the absorption kick.

Outline of the report

The report is divided into 6 different chapters. Chapter 1 is a brief introduction to the field, some of the challenges I face, and what I hope to accomplish with my PhD.

Chapter 2 describes the physics of trapping ions in a linear Paul trap and is split into two sections, the first describing the trapping of a single ion, while the latter derives the common motion of two ions in the trap.

Next is chapter 3 which describes the electrospray ionization source, which is the source of molecular ions for the experiment. The first section of this chapter is an overview of the setup and the second contains a characterization of one of the octopoles guides within the setup.

After that I move on to chapter 4 which describes the laser cooling necessary for eventually reaching the motional ground state of a two-ion system. The first section contains the theory for doppler cooling, which allows the ions to reach a temperature of $\sim 1\text{mK}$. The second section describes sideband cooling, which is necessary to cool the motion of the system to its quantum mechanical ground state. Finally the 3rd section of this chapter talks on how one can couple the motion of the ions by using *fx.* an external field, in order to improve the cooling of systems where the two ions have large differences in mass and charge.

Finally chapter 6 gives a short plan of the work I plan to do in the latter half of my PhD studies here at Aarhus.

The Linear Paul Trap

2.1 Single ion in a linear Paul Trap

The linear Paul trap consists of four rods, each of which is split into three electrodes as is seen on fig. 2.1. The coordinate system for the trap is defined such that the z -axis runs down along the centre of the trap, while the x, y -axes go between diagonally opposed rods. Furthermore we define z_0 to be half the length of center electrodes, while we define r_0 as half the distance between diagonally opposed electrodes as seen on fig. 2.1. In order to trap an ion along the z -direction a static voltage V_{end} is applied to all of the electrodes on the end of the rods. By applying such a voltage to these endcap electrodes an electrical potential is generated, which in the region around the centre of the trap can be written as

$$\phi_{DC}(z) = \frac{\kappa V_{end}}{z_0^2} z^2, \quad (2.1)$$

where κ is a constant defined by the specific geometry of the trap, and z is the position of the ion along the z axis. Thus an ion of mass m and charge Q finds itself sitting in a harmonic potential

$$V_{DC}(z) = \frac{1}{2} m \omega_z^2 z^2, \quad \omega_z = \sqrt{\frac{2Q\kappa V_{end}}{m z_0^2}}, \quad (2.2)$$

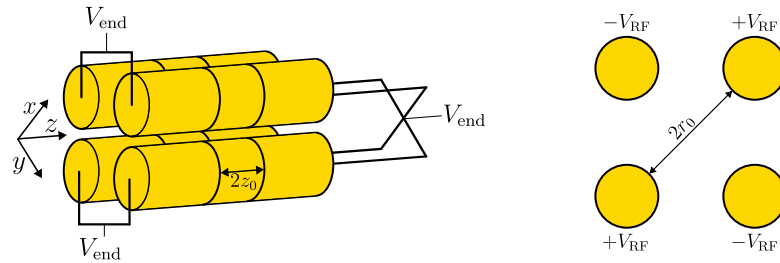


FIGURE 2.1: Example schematic of a linear paul trap showing: (left) a 3D model of the paul Trap with both the DC endcap voltages applied. (right) an end-view down the Paul trap, showing the phase of the RF voltages applied to the different rods..

where ω_z is the frequency of the ions oscillating motion along the z -axis.

For the radial directions it is necessary to take a slightly different approach, indeed Earnshaw's theorem [Earnshaw](#) states that it is impossible to trap a charged particle in all three directions, solely through the use of electrostatic forces. If we look at the electrical potential in the x, y -plane from the DC endcaps we also find

$$\phi_{DC}(x, y) = -\frac{\kappa V_{end}}{2z_0^2}(x^2 + y^2), \quad (2.3)$$

which is clearly repulsing the ion from the center of the trap.

To counteract this repulsive effect, we employ an RF voltage, oscillating at frequency Ω_{RF} , with an amplitude V_{RF} on all four rods. Neighbouring rods have opposites phases while, diagonally opposing rods share a phase, as seen on fig. 2.1. We can then write the total time dependant electrical potential in the x, y -plane as [KARIN](#)

$$\phi(x, y, t) = -\frac{\kappa V_{end}}{2z_0^2}(x^2 + y^2) - \frac{V_{RF}}{2r_0^2}(x^2 - y^2) \cos(\Omega_{RF}t), \quad (2.4)$$

where the first term comes from the repulsing DC potential, and the second term comes from the RF voltages applied to the rods.

The equations of motion in the radial plane can be rewritten on a more compact form by adopting the notation

$$\tau = \frac{\Omega_{RF}t}{2}, \quad a = -\frac{4Q\kappa V_{DC}}{mz_0^2\Omega_{RF}^2}, \quad q_x = -q_y = \frac{2QV_{RF}}{mr_0^2\Omega_{RF}^2}, \quad (2.5)$$

which allows for the equations of motion to be written as

$$\frac{d^2\gamma}{d\tau^2} + (a - 2q_\gamma \cos(2\tau))\gamma, \quad \gamma \in \{x, y\}. \quad (2.6)$$

Equation (2.6) is known as the Mathieu equation [CITE](#), the Mathieu equation has bounded solutions for several sets of (a, q_γ) parameters, however, the conditions usually used in experiment state that for a given value of q_γ , a must be found between the two curves approximated by [CITE](#)

$$a_0(q_\gamma) \approx -\frac{1}{2}q_\gamma^2 + \frac{7}{128}q_\gamma^4 - \frac{29}{2304}q_\gamma^6 + \frac{68687}{18874368}q_\gamma^8, \quad (2.7)$$

$$b_1(q_\gamma) \approx 1 - q_\gamma - \frac{1}{8}q_\gamma^2 + \frac{1}{64}q_\gamma^3 - \frac{1}{1536}q_\gamma^4 - \frac{11}{36864}q_\gamma^5. \quad (2.8)$$

Together these two lines form what is known as a stability diagram. Since a positive DC voltage is needed for the confinement in the axial direction, we usually confine ourselves to considering stability in the $a < 0$ region. A plot of the stable region for the linear Paul trap can be seen on fig. 2.2

In the case where $|a|, |q_\gamma| \ll 1$ the solution to eq. (2.6) can be approximated to

$$\gamma(t) = \gamma_0 \left(1 - \frac{q_\gamma}{2} \cos(\Omega_{RF}t) \right) \cos(\omega_r t), \quad \omega_r = \frac{\Omega_{RF}}{2} \sqrt{\frac{q_\gamma^2}{2} + a}. \quad (2.9)$$

Since $|q_\gamma| \ll 1$ we see that there is a large-amplitude motion of the ion at frequency ω_r . This motion is typically referred to as secular motion in the literature. The

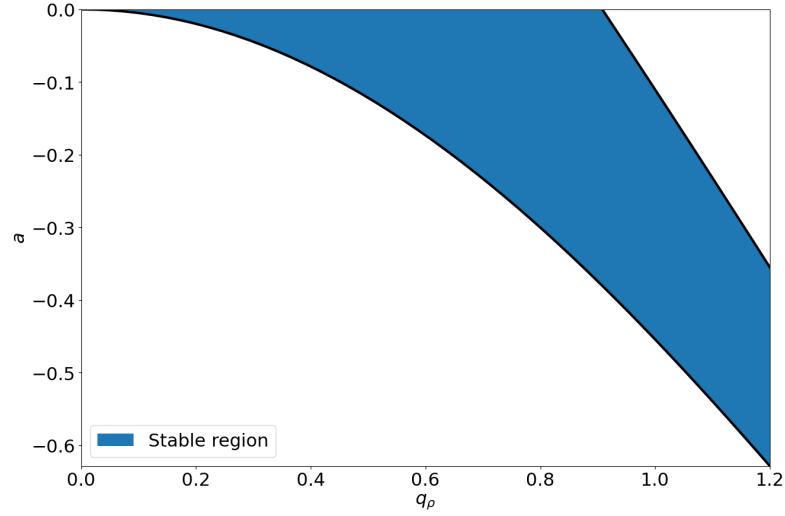


FIGURE 2.2: Plot of the Mathieu stability diagram for negative values of a . The blue colored area contains the set of bounded, and thus stable solution to the Mathieu equation of eq. (2.6).

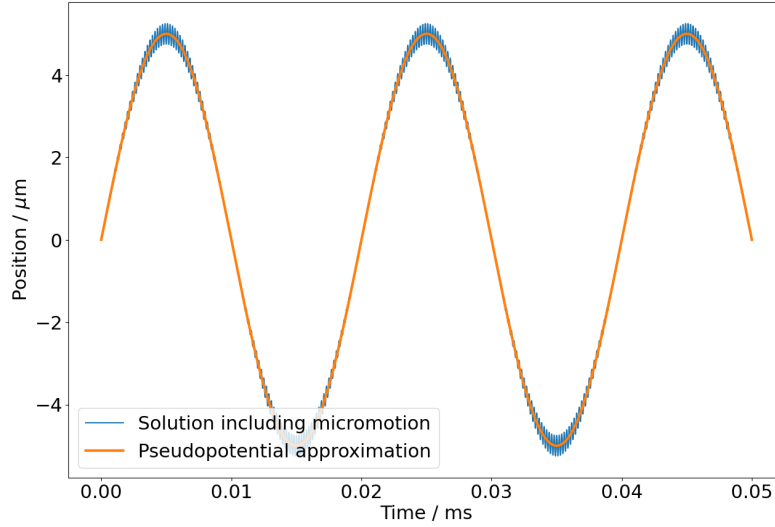


FIGURE 2.3: Trajectories including (blue) micromotion or calculated through the pseudopotential approximation (orange), for $\gamma_0 = 5\mu\text{m}$, $\omega_r = 2\pi \times 50\text{kHz}$, $\Omega_{RF} = 2\pi \times 5.2\text{MHz}$.

frequency ω_r is much slower than the RF frequency of the trap (typically 10's-100's of kHz vs. 5MHz in the case of our trap).

In addition there is a small-amplitude motion superimposed on top, oscillating at the RF frequency. This motion is typically referred to as micromotion. Thus the full picture we now get, is one of the ion performing slow, but large oscillations in the radial plane, with an additional micromotion on top. An example trajectory can be seen on fig. 2.3, where the micromotion is clearly visible.

It is common to average over the micromotion of the ion, keeping only the term oscillating at ω_r . If this is done, it is clear that the ion then moves as if in an effective

potential (often referred to as pseudopotential in the literature) given by

$$V_{Pseudo}(\gamma) = \frac{1}{2} m \omega_r^2 \gamma^2, \quad \gamma \in \{x, y\}. \quad (2.10)$$

The pseudopotential approximation is especially useful when working with trapped ions in a quantum mechanical regime, since their Hamiltonian is then simply that of a harmonic oscillator, which is one of the most well-studied examples in all of quantum mechanics.

2.2 Two ions in a linear Paul trap

We now move on to the topic of two co-trapped ions in a Paul trap. We shall denote the ions 1 and 2 respectively, with masses m_1, m_2 , and charges Q_1, Q_2 . Remembering to include the Coulomb interaction between the two ions, the potential energy of the system, in the pseudopotential approximation, can then be written as

$$V(\mathbf{r}_1, \mathbf{r}_2) = \frac{1}{2} m_1 \left(\omega_{1,z}^2 z_1^2 + \omega_{1,r}^2 (x_1^2 + y_1^2) \right) + \frac{1}{2} m_2 \left(\omega_{2,z}^2 z_2^2 + \omega_{2,r}^2 (x_2^2 + y_2^2) \right) + \frac{Q_1 Q_2}{4\pi\epsilon_0} \frac{1}{|\mathbf{r}_1 - \mathbf{r}_2|}, \quad (2.11)$$

where $\omega_{j,(r/z)}$ is calculated as in eqs. (2.2) and (2.9), using the mass and charge of ion j . For the rest of the derivations in this report we are, unless otherwise noted, going to ignore the y part of motion of the ions since our system exhibits a radial symmetry, and thus any equations that hold for x will hold for y as well.

We shall first derive the equilibrium positions for the two ions. Assuming the radial trapping is stronger than the axial trapping we know that the ions will along themselves along the z -axis, and thus we slightly simplify the potential to be minimized

$$V(z_1, z_2) = \frac{1}{2} m_1 \omega_{1,z}^2 z_1^2 + \frac{1}{2} m_2 \omega_{2,z}^2 z_2^2 + \frac{Q_1 Q_2}{4\pi\epsilon_0} \frac{1}{z_1 - z_2}, \quad (2.12)$$

where we assume without loss of generality that $z_1 > z_2$. Taking the derivatives with respect to the ion coordinates to be zero we find

$$\frac{\partial V}{\partial z_1} = m_1 \omega_{1,z}^2 z_{1,eq} - \frac{Q_1 Q_2}{4\pi\epsilon_0} \frac{1}{(z_{1,eq} - z_{2,eq})^2} = 0, \quad (2.13)$$

$$\frac{\partial V}{\partial z_2} = m_2 \omega_{2,z}^2 z_{2,eq} + \frac{Q_1 Q_2}{4\pi\epsilon_0} \frac{1}{(z_{1,eq} - z_{2,eq})^2} = 0, \quad (2.14)$$

where the (eq) subscript denotes the value is taken at the equilibrium position. Adding the two together we find

$$z_{1,eq} = -\rho z_{2,eq}, \quad (2.15)$$

where $\rho = \frac{Q_2}{Q_1}$ is the charge ratio between the two ions. It is interesting to note that the equilibrium positions are entirely independent on the masses of the ions. We can now plug this relationship back into eq. (2.13) to find an expression for $z_{1,eq}$

$$z_{1,eq} = \left(\frac{Q_1 Q_2}{4\pi\epsilon_0 m_1 \omega_{1,z}^2} \frac{1}{(1 + \frac{1}{\rho})^2} \right)^{1/3}, \quad (2.16)$$

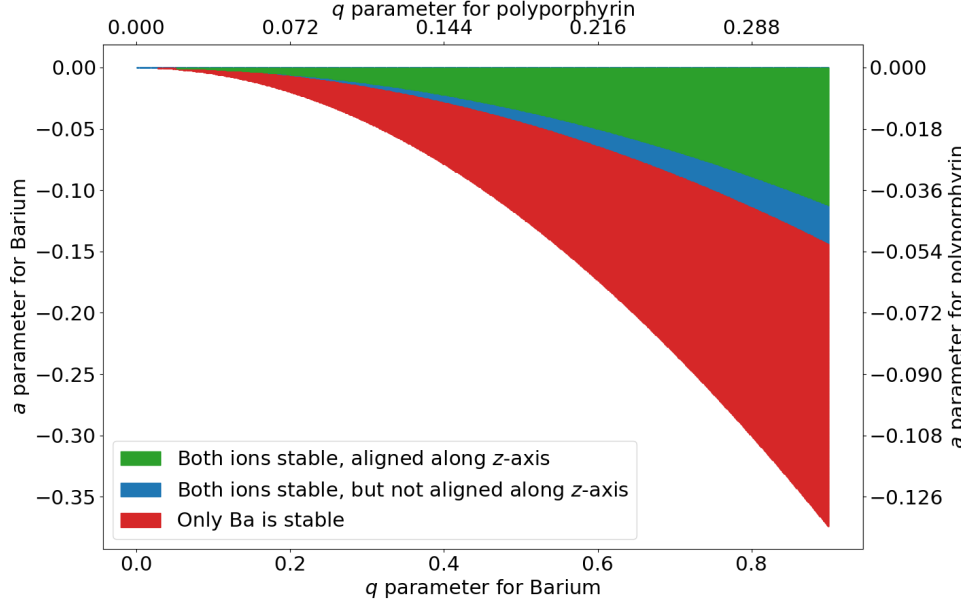


FIGURE 2.4: Stability diagram for Ba^+ cotrapped alongside a polyporphyrin system, holding 12 porphyrin rings with 2 charges each for a total of $m_2 = 9000\text{amu}$, $Q_2 = 24e$. The green area represents the a and q parameters ideal for experiments as both ions have stable trajectories, while they also align along the z -axis. for trapping parameters that fall within the blue area the ions have stable trajectories, but will align along the radial axes. Finally the red shaded area describes the parameters for which only the Ba^+ ion has stable trajectories. It is thus clear that trapping two ions with very different mass-to-charge ratios puts considerable additional bounds on the stability of the system..

it has to be noted that if one expands the $\omega_{1,z}$ factor in the denominator one finds that the equilibrium position is mass independent. This has not been done here, as it lengthens the expression considerably.

In this derivation we assumed that the ions aligned themselves along the z -axis, which is also the desired case. However one of course has to design any experiment such that the voltages applied result in such an orientation. This leads to further "stability" requirements for the two-ion system. Following the derivation above one can similarly find expressions for equilibrium positions along the x -axis. The ions will naturally align themselves along the axis which has the lowest energy at equilibrium. Through much massaging, one finds, that if the ions are to align along z , the follow inequality must hold:

$$\frac{m_1 m_2 \omega_{1,z}^2 \omega_{2,z}^2}{m_1 \omega_{1,z}^2 + m_2 \omega_{2,z}^2} < \frac{m_1 m_2 \omega_{1,r}^2 \omega_{2,r}^2}{m_1 \omega_{1,r}^2 + m_2 \omega_{2,r}^2}. \quad (2.17)$$

In addition to this, the ions must also uphold the stability criterium outlined in section 2.1. Given that both ions need to be stable *and* trapped along the z -axis the new stability diagram can look considerably different. An example for a polyporphyrin of mass 9000amu and charge $24e$ trapped alongside Ba^+ is seen on fig. 2.4.

With the equilibrium positions of the ions, and the criteria for them to be stably trapped determined. One can now determine the new oscillation frequencies of the ions. To do this we reintroduce the full potential of eq. (2.11) and perform a Taylor expansion to 2nd order around the equilibrium position of the system. When performing calculations of vibrational modes for coupled oscillators it is common to introduce mass-weighted displacement coordinates defined as

$$\xi_1 = \sqrt{m_1}(z_{eq,1} - z_1), \quad \xi_2 = \sqrt{m_2}(z_{2,eq} - z_2), \quad \xi_3 = \sqrt{m_1}x_1, \quad \xi_4 = \sqrt{m_2}x_2. \quad (2.18)$$

If we write up the Lagrangian this coordinate system, we find

$$\mathcal{L} = \sum_{i=1}^4 \dot{\xi}_i^2 - \frac{1}{2} \sum_{i,j=1}^4 K_{ij} \xi_i \xi_j, \quad (2.19)$$

where $K_{ij} = \left(\frac{\partial^2 V}{\partial r_i \partial r_j} \right)_{eq} / \sqrt{m_i m_j}$ and $\{r_1, r_2, r_3, r_4\} = \{z_1, z_2, x_1, x_2\}$. It should be noted that the Taylor expansion in principle also adds an energy offset corresponding to the potential energy when the system is in equilibrium. We ignore this offset as it introduces no dynamics.

Explicit calculation of the K_{ij} terms grants several zero's. The non-zero K_{ij} 's evaluate to

$$K_{11} = \omega_{1,z}^2 \left(1 + \frac{2}{1 + 1/\rho} \right), \quad (2.20)$$

$$K_{12} = K_{21} = -\frac{2\omega_{1,z}^2}{\sqrt{\mu}(1 + 1/\rho)}, \quad (2.21)$$

$$K_{22} = \omega_{1,z}^2 \frac{\rho}{\mu} \left(1 + \frac{2}{1 + \rho} \right), \quad (2.22)$$

$$K_{33} = \omega_{1,r}^2 - \frac{\omega_{1,z}^2}{1 + 1/\rho}, \quad (2.23)$$

$$K_{34} = K_{43} = -\frac{1}{2}K_{12}, \quad (2.24)$$

$$K_{44} = \omega_{2,r}^2 - \frac{\omega_{1,z}^2}{\mu(1 + 1/\rho)}. \quad (2.25)$$

The coupled motional modes as well as their oscillation frequencies can now be found by diagonalizing the matrix **TAYLOR**

$$K = \begin{bmatrix} K_{11} & K_{12} & 0 & 0 \\ K_{21} & K_{22} & 0 & 0 \\ 0 & 0 & K_{33} & K_{34} \\ 0 & 0 & K_{43} & K_{44} \end{bmatrix}, \quad (2.26)$$

which is block diagonal. This simplifies the problem significantly, as it suffices to solve the eigenproblem for the two 2x2 matrices on the diagonal

$$K_z = \begin{bmatrix} K_{11} & K_{12} \\ K_{21} & K_{22} \end{bmatrix}, \quad K_r = \begin{bmatrix} K_{33} & K_{34} \\ K_{43} & K_{44} \end{bmatrix}, \quad (2.27)$$

which will give the solutions for the axial and radial motion respectively. Solving the problem yields two modes for each direction, one where the ions move together in-phase with one another (sometimes referred to as the center-of-mass mode), and one where they move out of phase (sometimes referred to as the breathing mode). For the frequencies one finds

$$(\omega_z^{i/o})^2 = \frac{K_{11} + K_{22} \mp \sqrt{(K_{11} - K_{22})^2 + 4K_{12}^2}}{2}, \quad (2.28)$$

$$(\omega_r^{i/o})^2 = \frac{K_{33} + K_{44} \pm \sqrt{(K_{33} - K_{44})^2 + 4K_{34}^2}}{2}. \quad (2.29)$$

Expanding the K_{ij} 's above would make the equations considerably harder to read, and as such is not done here. Denoting the normalized eigenmodes for the axial motion as $\alpha_{i/o}$, and the ones for radial motion $\beta_{i/o}$ one finds

$$\alpha_{i/o} = \frac{1}{\sqrt{1 + \tilde{\alpha}_{i/o}^2}} \begin{pmatrix} \tilde{\alpha}_{i/o} \\ 1 \end{pmatrix}, \quad \tilde{\alpha}_{i/o} = \frac{(\omega_z^{i/o})^2 - K_{22}}{K_{12}}, \quad (2.30)$$

$$\beta_{i/o} = \frac{1}{\sqrt{1 + \tilde{\beta}_{i/o}^2}} \begin{pmatrix} \tilde{\beta}_{i/o} \\ 1 \end{pmatrix}, \quad \tilde{\beta}_{i/o} = \frac{(\omega_r^{i/o})^2 - K_{44}}{K_{34}}. \quad (2.31)$$

Here the first component of the vector describes the amplitude, often referred to as the contribution or participation, of ion 1 in the motional mode, while the 2nd component of the vector describes the participation of ion 2.

For ions with very different charge-to-mass ratios one finds that the motion of the ions becomes essentially uncoupled. As an example we consider once again a Ba^+ ion trapped alongside a polyporphyrin ($m_2 = 9000\text{amu}$, $Q_2 = 24e$), here the axial eigenvector for the in-phase motion is $\alpha_i = (0.092, 0.99)$. Thus the in-phase motion of this system consists of almost exclusively motion of the heavy polyporphyrin. This decoupling of motion has significant consequences for cooling, as will be seen in chapter 4.

Further expansion of the equations above makes them considerably harder to read, and thus is not done here. However, it is good to note that, roughly, one finds that $\tilde{\alpha}_{i/o} \propto \rho/\mu$, while $\tilde{\beta}_{i/o} \propto (\rho/\mu)^2$. This means the decoupling of the ion motion tends to be larger along the radial direction as the charge and mass ratios of the two ions become more skewed. **ADD INFO ABOUT PAPER WITH MATTEO**

Electrospray ionization source

3.1 Overview of the electrospray and its components

As the source of molecular ions for the experiment we implement a so-called electrospray ionization (ESI) source [FENN,STEEN](#). The ESI source we use can be seen connected to the rest of the experiment on fig. 3.1. The basics of how such a device functions is that it has a syringe containing a solvent (typically methanol) with the ions or molecules one wishes to perform experiments on. The syringe is connected to a needle, and a motor slowly depresses the plunger on the syringe, causing the solvent to form a droplet on the tip of the needle. The needle tip of the ESI source is sitting outside the vacuum chambers of the ESI setup, in atmospheric air as can be seen on fig.. Opposite of the needle is a narrow opening into the full body of the ESI source, which is put at a very large voltage difference to the tip of the needle (typically 3-3.5kV), this voltage difference leads to a strong electric field which will drag ion

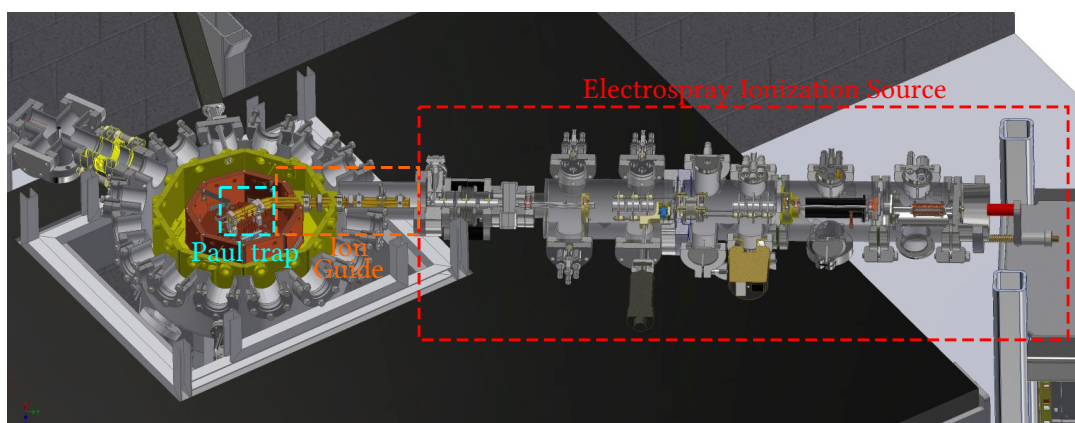


FIGURE 3.1: 3D figure of the full setup at Aarhus, when the electrospray (red) is connected to the cryogenic trap. The ion guide (orange) allows to transfer the ions into the cryogenic Paul trap (blue), where experiments will be conducted. At the time of writing the ESI source is not hooked up to the experiment, and instead there is channeltron detector at the very end of the electrospray, where it would connect to the ion guide..

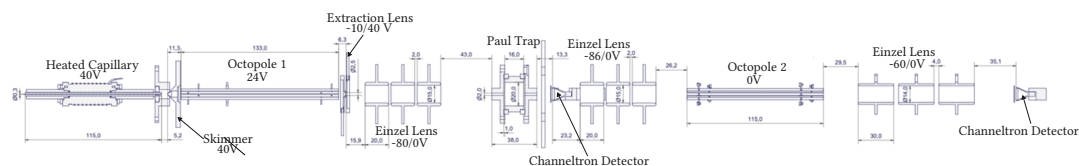


FIGURE 3.2: Technical drawing giving a sideview of all the components of the ESI source we employ. Some of the most important components on the figure have been labelled by name and the voltages typically employed on them. It is very important to ensure that there is a voltage gradient as one progresses down the ESI source, since otherwise the ions cannot travel..

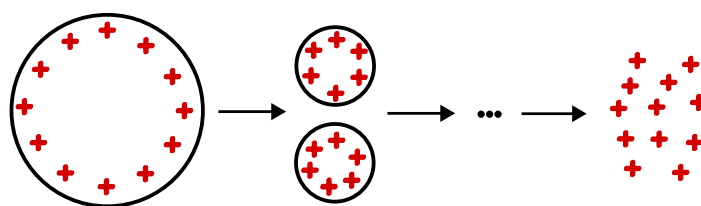


FIGURE 3.3: Illustration of the evaporation principle that allows for gas-phase ions in electrospraying. As the solvent evaporates, the droplet will shrink, until the surface tension becomes unable to counteract the electrostatic repulsion of the ions. This splits the droplet into two droplets, for which this process then repeats. Eventually all the solvent is evaporated and only gas-phase ions are left. Note that the number of ions within a droplet has been grossly underestimated for ease of illustration.

droplets from the needle and into the narrow opening of the ionization source. The ions then enter a capillary tube (see fig. 3.2) heated to 70 degrees celsius, which is set at some voltage (typically 40V). Within the heated capillary the solvent will begin to evaporate, causing the droplets to shrink. This causes the Coulomb repulsion of the ions within the droplet to increase as they all move nearer. Eventually the surface tension of the droplet can no longer compensate the electrostatic repulsion of the ions within, and the droplet splits. This process repeats until all the solvent is evaporated and the ions are situated in the gas-phase. A schematic of this principle is illustrated on fig. 3.3.

After the evaporation process, gas-phase ions travel past a skimmer and into an octopole storage device. The octopole allows for efficient transport of the ions across long regions. At the very end of the octopole is a pair of "extraction" lenses. We have timed control of these electrodes, allowing us to set them to bunch electrodes in the octopole by setting a high voltage on them, and then releasing the ion bunch by lowering the voltage. I have performed several experiments on this part of the trap, to characterize the storage capabilities of the octopole, as well as the form of the ion bunches that arrive from it. The results of those investigations are found in section 3.2.

Upon extraction from the octopole the ions pass through an Einzel lens. This is a set of three electrodes, where the outer two share the same voltage, and fulfills the same role for ions as a lens does for optics. We use the Einzel lens to focus down the ion beam onto the 2mm wide opening of a cylindrical Paul trap.

The cylindrical Paul trap has two different settings. The first is using it as an Einzel lens, where the front and back electrodes act as the outer electrodes, while the main cylinder acts as the center electrode. This setting uses no RF on the trap and just allows for a DC ion beam going through. The other option is to utilize the RF on the Paul trap and to actually use it as a trap. This allows for the usage of the Paul trap as a storage device. Since we only need a single molecule within the cryogenic trap, we would like to be able to load ions into the Paul trap, and then using it as a "secondary" ion source, extracting just a few ions at a time for experiments.

Immediately after the Paul trap there is a channel electron multiplier detector (also referred to as a channeltron), which allows us to measure the ion current. This detector has a push/pull feedthrough, allowing it to be moved in and out of the ion beam. This allows us to perform diagnostics on the components of the first half of the detector. Of course if the detector is moved into the ion beam, there will be no ions further down in the setup.

If the first channeltron detector is not in the measurement position, the ions will continue down to another set of Einzel lenses, which focus them into a second octopole, that moves them down to a final set of Einzel lenses, focusing them onto a 2nd channeltron detector. This 2nd detector allows us to measure the ion current that makes it all the way through the ESI part of the experiment. It has to be noted, however, that the 2nd detector sits where the connection to the ion guide will eventually be connected, and as such this is not a permanent installation, but only exists for testing parameters to ensure we are able to get ions to the very end of the ESI source.

3.2 Experiments on the first octopole

The need for getting only single molecular ions in our cryogenic Paul trap poses some very unique challenges for our ESI setup. The dominant one is that in principle ESI sources are usually made to maximize the amount of ions going through. This means that we will need to have a very good understanding of the different parts of the electrospray in order to be able to tailor a protocol for getting single ions to our linear quadrupole trap. For this reason we have spent some time making a characterization of the very first octopole in the experiment. One of the first characterizations we perform is the temporal shape of an ion bunch leaving the octopole.

To get such a measurement we allow ions to accumulate in the octopole for some set amount of time by setting the voltage on the extraction lens to 40V, until the ions are released by lowering the voltage to -10V. After some delay τ we then measure how many ions hit the detector over an interval of 50 μ s. By repeating this method for several values of τ we are able to get a temporal shape of the ion bunch coming out of the octopole. An illustration of the measurement sequence can be seen on fig. 3.4.

Since it is unclear how narrow the ion bunch is in time, the ion signal is adjusted such that when the electrospray is in the DC configuration a current of a few 100 ions per second is measured, this ensures the detector will not saturate.

Results from the measurements when the octopole is allowed to accumulate ions for 500ms, 30 seconds and 1 minute can be seen on

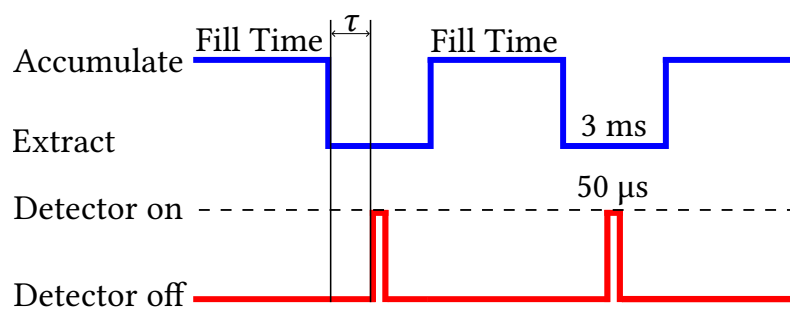


FIGURE 3.4: Illustration of the experimental sequence for measuring the temporal shape of ion bunches leaving the first octopole (figure not to scale). Ions are accumulated (blue) over a preset time (data for 500ms, 30sec, and 1 minute were recorded) and then released. The measurement (red) is turned on for 50 μ s with a delay τ with respect to the release of the ions. Measurements are repeated 20 times for each value of τ in order to ensure good statistics. By varying τ and recording the number of ions a temporal shape of the ion bunch is recorded.

CHAPTER 4

Cooling

- 4.1 Doppler cooling
- 4.2 Sideband Cooling
- 4.3 Coupling of motional modes to enhance cooling

Photon Recoil Spectroscopy (WHERE SHOULD THIS GO?)

CHAPTER 6

Future Work

In the following, I will outline the topics I will work on in the final part of my PhD
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