# A Compiler for mini-Lustre

The purpose of this project is to write a code generator for mini-Lustre, a small language similar to Lustre (the syntax and primitives of mini-Lustre are given in the appendix). The compilation scheme is decomposed into a series of elementary transformations until the generation of sequential code.

# 1 Code Generation

## 1.1 Normalisation

Normalisation is the transformation of a mini-Lustre program into a new mini-Lustre program in which expressions  $\langle expr \rangle$  on the right of equations have the following form :

```
\begin{array}{lll} \langle atom \rangle &:= & \langle ident \rangle \mid \langle const \rangle \\ \langle bexpr \rangle &:= & \langle atom \rangle \mid (\langle bexpr \rangle) \mid \langle bexpr \rangle \langle op \rangle \langle bexpr \rangle \mid \langle unop \rangle \langle bexpr \rangle \mid \\ & & \text{if } \langle bexpr \rangle \text{ then } \langle bexpr \rangle \text{ else } \langle bexpr \rangle \mid (\langle bexpr \rangle^+, ) \\ \langle expr \rangle &:= & \langle bexpr \rangle \mid \langle ident \rangle (\langle bexpr \rangle^*, ) \mid \\ & & \langle atom \rangle \text{ fby } \langle atom \rangle \mid (\langle atom \rangle, \langle atom \rangle^+, ) \text{ fby } (\langle atom \rangle, \langle atom \rangle^+, ) \end{array}
```

This program transformation may introduce new equations. For example, the normalisation of the following program :

```
node f(x:int) returns (o:int);
let
    o = 1 fby 2 fby x;
tel

node g() returns (o:int);
let
    o = f(f(1));
tel
    results in:

node f(x:int) returns (o:int);
var aux1, aux2 : int;
let
    aux1 = 2 fby x;
aux2 = 1 fby aux1;
    o = aux2;
tel
```

```
node g() returns (o:int);
var aux: int;
let
  aux = f(1);
  o = f(aux);
tel
```

## 1.2 Static Scheduling

The second transformation is static scheduling. This transformation orders equations from a node so that they can be executed sequentially. The order between equations should respect the causality relation between variables. Precisely, an equation x = e must be scheduled after all the variables read in e have been scheduled. An equation x = v fby e must be scheduled before all equations that read x.

# 1.3 Generating Sequential OCaml Code

**Important.** In the following, we suppose that both normalisation and scheduling have been done.

**Remark.** To help you understand what is required in this exercise, we provide a complete version of the minilustre compiler. It is available with the other files on the website.

## 1.3.1 General Principals

A particular point to take care of in the compilation of mini-Lustre is the translation of equations containing the fby operator.

Consider the example of an equation  $\mathbf{x} = \mathbf{e1}$  fby  $\mathbf{e2}$ . A the initial instant  $t_0$ , the data-flow  $\mathbf{x}$  equals  $\mathbf{e1}$  then, at the later instant  $t_i$ ,  $\mathbf{x}$  has the value  $\mathbf{e2}$  had at instant  $t_{i-1}$ . The compilation of such an expression needs a way to "remember" the value  $\mathbf{e2}$  had at instant  $t_{i-1}$  in order to compute the value of  $\mathbf{x}$  at instant  $t_i$ . This is achieved by allocating a memory cell to store the current value of  $\mathbf{e2}$ .

Memory cells for **fby** expressions must be allocated for every call to a node. Indeed, consider:

```
node f(x:int) returns (o:int);
let
    o = 2 fby (o+x);
tel

node g() returns (o1,o2:int);
let
    o1 = f(5);
    o2 = f(10);
tel
```

The evaluation of equations o1 = f(5) and o2 = f(10) in the node g requires the allocation of two different memory cells for the equation o = 2 fby (o+x) in node f (since the data-flow o returned by node f is different for every value of argument x).

These memory cells being different for different calls to node f, they become supplementary arguments to every call to f. These node memories are called *internal memories* in the following. All the memories associated to fby expressions from the same node will be gathered in a single data-structure to minimize the number of extra arguments of a node.

The remaining describes this compilation principle into OCaml more precisely.

**Important.** To simplify the compilation process, we suppose that the left argument of fby is a constant expression (constants or tuples of constants).

### 1.3.2 Compilation of a node

The compilation of a node from mini-Lustre into OCaml produces the three following definitions:

- un record type to represent the internal memory of the node;
- a function to allocate and initialize this memory;
- and a transition function to compute a reaction (this function is parameterized by the memory of the node and its current inputs).

Let us illustrate the compilation process on the following example:

```
node minmax (x:int) returns (min,max:int);
var pmin,pmax:int; first:bool;
    aux1, aux2: int;
let
  first = true fby false;
  (aux1, aux2) = (0,0) fby (min, max);
  (pmin, pmax) = if first then (x, x) else (aux1, aux2);
  (\min, \max) = \text{if } x < \text{pmin then } (x, \text{pmax})
                else if x > pmax then (pmin, x)
                else (pmin, pmax);
tel
   The record type produced for this node is:
type minmax_mem =
  { mutable next_first: bool;
    mutable next_aux1: int;
    mutable next_aux2: int; }
```

It contains three *mutables* fields next\_first, next\_aux1 and next\_aux2. The first corresponds to the memory used to compile the equation first = true fby false. The following two fields are used to store the state of equation (aux1,aux2) = (0,0) fby (min,max). These fields will contain at every instant the value of the data-flow for the next step. The record structure is allocated by the initialization function for node (minmax\_init dans la suite), which initializes every field with the left hand side of an expression fby. The record is updated by the transition function minmax\_step.

The initialization function for node minmax is defined in the following way:

```
let minmax_init () =
  { next_first = true;
    next_aux1 = 0;
    next_aux2 = 0; }
   Finally, the transition function is given below:
let minmax_step mem x =
  let first = mem.next_first in
  let (aux1, aux2) = (mem.next_aux1, mem.next_aux2) in
  let (pmin, pmax) = if first then (x, x) else (aux1, aux2) in
  let (min, max) = if x < pmin then (x, pmax)
                    else if x > pmax then (pmin, x)
                    else (pmin, pmax) in
  mem.next_first <- false;</pre>
  mem.next_aux1 <- min;</pre>
  mem.next_aux2 <- max;</pre>
  (min, max)
```

This function takes the internal memory of the node and its current inputs. The body of the function can be decomposed into three parts:

- the computation of the current value of every data-flow: first, aux1, aux2, pmin, pmax, min and max
- the update of memories for the right hand side of fby expressions: mem.next\_first, mem.next\_aux1 and mem.next\_aux2
- the return of output data-flows computed by the node: (min, max)

Calling a node. Consider the code generated for the call of a node on the exemple below:

```
node minmax2(x,y: int) returns (min,max: int);
var min_x, max_x, min_y, max_y: int;
let
   (min_x, max_x) = minmax(x);
   (min_y, max_y) = minmax(y);
   min = if min_x < min_y then min_x else min_y;
   max = if max_x > max_y then max_x else max_y;
tel
   The record type that is produced for this node is:
type minmax2_mem =
```

type minmax2\_mem =
 { mem1: minmax\_mem;
 mem2: minmax\_mem; }

It contains two fields mem1 and mem2 of type minmax\_mem which correspond to the memory state of the two calls to minmax. These fields are given as arguments to the function minmax\_step. The initialization function of the node is defined in the following way:

```
let minmax2_init () =
  { mem1 = minmax_init();
  mem2 = minmax_init(); }
```

Every call to this function creates a value of type minmax2\_mem which corresponds to the memory necessary to execute the minmax2 node. This memory contains the memory fields mem1 and mem2 that are necessary to execute the two calls to minmax. These two fields are initialized by calling the function minmax\_init.

The transition function minmax2\_step is defined by :

```
let minmax2_step mem (x, y) =
  let (min_x, max_x) = minmax_step mem.mem1 x in
  let (min_y, max_y) = minmax_step mem.mem2 y in
  let min = if min_x < min_y then min_x else min_y in
  let max = if max_x > max_y then max_x else max_y in
  (min, max)
  mem.mem1 and mem.mem2 are the two local memories.
```

emark. The compilation of function calls to primitives does not need extra memories.

### 1.3.3 The Main Program

The execution of a program from mini-Lustre never ends. It is an infinite sequence of calls to the transition function of the main node. If the node main is the main node of the program (its type signature must be unit—unit), the corresponding driver code resembles:

```
let _ =
  let mem = main_init () in
  Graphics.open_graph "";
  Graphics.auto_synchronize false;
  while true do
     Graphics.clear_graph ();
     main_step mem ();
     Graphics.synchronize();
     wait()
  done
```

# 2 The compiler

You can download the compiler of mini-Lustre with "holes" at http://www.di.ens.fr/~pouzet/cours/mpri/tp1/mini-lustre.tgz. This archive contains two directories. The directory examples contains programs written in mini-Lustre and the directory compiler contains the following files:

- Makefile: to compile the compiler by entering make;
- asttypes.mli: the definition of types used in the abstract syntax tree;
- ast.mli: the definition of types for the abstract syntax tree for mini-Lustre obtained after the syntactic analysis;
- typed\_ast.mli : the definition of types to represent the abstract syntax tree annotated with type annotations;
- imp\_ast.mli: the definition of types to represent abstract syntax tree from the target imperative language;

- lexer.mll : lexical analysis;
- parser.mly : syntax analysis;
- typing.ml: functions to typecheck a program;
- normalization.ml: functions that implement the normalization step;
- scheduling.ml: functions to schedule typed syntax trees;
- imp.ml: functions to translate the typed abstract syntax into the abstract syntax of the target imperative language;
- ocaml\_printer.ml: printer for the imperative target language into OCaml code;
- typed\_ast\_printer.ml : functions to print a typed abstract syntax tree;
- typed\_ast\_utils.ml : functions to browse the typed abstract syntax tree;
- checks.ml: a verification procedure to check that transformations are correct;
- minilustre.ml: main entry of the compiler.

The compiler takes a file mini-Lustre (extension .mls) and generates OCaml code. The option -main defines the name of the main node and causes the driver loop to be generated. The option -verbose causes the source code to be printed after every transformation.

#### Question 1

Download the compiler then compile and execute the corresponding code for program simple.mls.

#### Question 2

Carefully read the files typed\_ast.mli and imp\_ast.mli that represent abstract syntax trees that you have to manipulate.

#### Question 3

Complete places with holes in the files normalization.ml, scheduling.ml and imp.ml. These places are indicated with a (\* TODO \*).

### Question 4

We propose that you complete the compiler with two extensions:

- The addition of sampling when and combination operation merge.
- The modular reset operator.

You can adapt what was presented in the class on compilation (see course notes). I recommand reading the following paper:

Darek Biernacki and Jean-Louis Colaco and Grégoire Hamon and Marc Pouzet. Clock-directed Modular Code Generation of Synchronous Data-flow Languages. ACM International Conference on Languages, Compilers, and Tools for Embedded Systems (LCTES). 2008. <sup>1</sup>.

# 3 Syntax of the language

We use the following notation in the grammar :

<sup>1.</sup> The paper is available at: http://www.di.ens.fr/~pouzet/bib/emsoft05b.pdf.

$\langle rule \rangle^*$	repetition of the rule $\langle rule \rangle$ an arbitrary number of times (possibly zero)					
$\langle rule \rangle_t^{\star}$	repetition of the rule $\langle rule \rangle$ an arbitrary number of time (possibly zero),					
	every occurrence being separated by the terminal $t$					
$\langle rule \rangle^+$	repetition of the rule $\langle rule \rangle$ at least once					
$\langle rule \rangle_t^+$	repetition of the rule $\langle rule \rangle$ at least once, occurrences being separated					
	by the terminal $t$					
$\langle rule \rangle$ ?	optional use of the rule $\langle rule \rangle$ (i.e. zero or once)					
$(\langle rule \rangle)$	parenthesis; be careful not to mix them with terminals ( and )					

Spaces, tagulation and new lines are blanks. Comments start with /\* and ends at \*/, and they must not be nested. Identifiers follow the regular expression syntax  $\langle ident \rangle$  defined below :

The following identifiers are keywords:

and	bool	const	else	false	fby	float
if	int	let	node	not	or	returns
string	tel	then	true	unit	var	

Integer constants are defined by the following regular expression for  $\langle integer \rangle$ :

$$\langle integer \rangle ::= \langle digit \rangle^+$$

and floating point values by  $\langle float \rangle$ :

$$\begin{array}{lll} \langle exponent \rangle & ::= & (e \mid E) \; (- \mid +) \,? \; \langle digit \rangle + \\ \langle float \rangle & ::= & \langle digit \rangle + \; . \; \langle digit \rangle^* \; \langle exponent \rangle \,? \\ & \mid \; \langle digit \rangle^* \; . \; \langle digit \rangle + \; \langle exponent \rangle \,? \\ & \mid \; \langle digit \rangle + \; \langle exponent \rangle \end{array}$$

Charater strings are delimited by the character ". They can contain any character, excepted ",  $\$  and new line. These three special characters must be encoded (inside a string) by the sequences  $\$ ",  $\$  and  $\$ n, respectively.

The grammar for source files is given below. The input entry is the non terminal  $\langle fichier \rangle$ .

```
\langle fichier \rangle
                   ::= \langle noeud \rangle^* EOF
                              node \langle ident \rangle ( \langle decl \rangle^*) returns ( \langle decl \rangle^+); \langle local \rangle? let \langle eq \rangle^+ tel
\langle noeud \rangle
                    ::=
                              \langle ident \rangle_{\cdot}^{+} : \langle type \rangle
\langle decl \rangle
                    ::=
                    ::= var \langle decl \rangle_{:}^{+};
\langle local \rangle
                              \langle motif \rangle = \langle expr \rangle;
\langle eq \rangle
                    ::=
                             \langle ident \rangle \mid (\langle ident \rangle, \langle ident \rangle^+)
\langle motif \rangle
                    ::=
\langle expr \rangle
                             \langle ident \rangle \mid \langle const \rangle \mid \langle expr \rangle \langle op \rangle \langle expr \rangle \mid \langle unop \rangle \langle expr \rangle \mid
                    :=
                               \langle ident \rangle (\langle expr \rangle^*) | if \langle expr \rangle then \langle expr \rangle else \langle expr \rangle
                               | (\langle \exp r \rangle, \langle \exp r \rangle^+) | \langle \exp r \rangle fby \langle \exp r \rangle | (\langle \exp r \rangle)
\langle op \rangle
                            + | - | * | / | +. | -. | *. | /. |
                              <= | >= | > | < | <> | = | and | or
\langle unop \rangle
                    := - | -. | not
                              true | false | \langle integer \rangle | \langle float \rangle | \langle string \rangle | ()
\langle const \rangle
                    ::=
                             bool | int | float | string | unit
\langle type \rangle
```

The language mini-Lustre contains a set of primitives gathered into four groups. The first gathers primitives to convert base types.

```
float_of_int : int \rightarrow float int_of_float : float \rightarrow int float_of_string : string \rightarrow float int_of_string : string \rightarrow int bool_of_string : string \rightarrow bool
```

The second set contains two random number generators and two trigonometric functions :

```
random_int : int \rightarrow int random_float : float \rightarrow float cos : float \rightarrow float sin : float \rightarrow float
```

The third set contains primitives for graphics:

```
draw_point : (int, int) \rightarrow unit draw_line : (int, int, int, int) \rightarrow unit draw_circle : (int, int, int) \rightarrow unit draw_rect : (int, int, int, int) \rightarrow unit fill_rect : (int, int, int, int) \rightarrow unit get_mouse : unit \rightarrow (int,int)
```

Finally, the last set contains two input/output primitives: the function read, with signature  $unit \rightarrow string$ , reads characters on the standard input until a new line, and it returns the input string, and the primitive print takes an n-tuple of arguments with arbitrary size and has a returned value of type unit.

The project should be returned by email to Marc.Pouzet@ens.fr before the 28th of february, 23h59. The project should be returned as a tar and compress archive named your\_names.tgz which must contain a directory your\_names (example:dupont\_durand.tgz). This archive must contain the source code, examples and a two to three pages report explaining the technical choices, the proposed extensions and limitations of the project, etc.