



Each token is vectorized using one of the techniques we have learned about so far:

- one-hot encoding (0 or 1)
- word count (# of dimensions can be thousands or tens of thousands)
- TF-IDF (# of dimensions can be thousands, or tens of thousands)
- word2vec (# of dimensions usually 100, 300, or 500)

Task: Predict the Sentiment of a Document

For the purposes of your group project, you can also think of this as "predict the tag" for your product.

Strategy 1: Traditional BOW Architecture

A BOW (bag of words) architecture does not take into account the sequence of the tokens in your document. Therefore, I love class is the same as Love class I, or class I love

You can vectorize each word, run it through a supervised learning model classifier, and return (for each word), the likelihood that word is positive. Then you simply average the outputs to get a likelihood for the entire document of being positive.

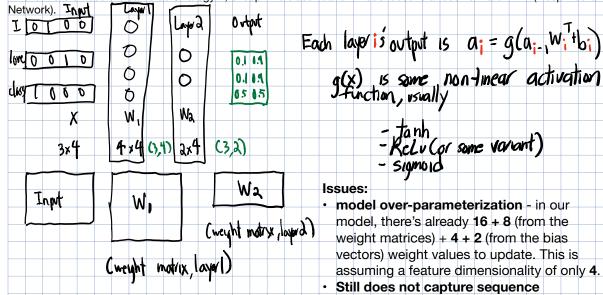
Note: the supervised ML model can be anything:

- Deep neural network
- Logistic regression
- Decision tree
- Support Vector Machine (SVM)

Strategy 2: Deep Learning Neural Network

This is more or less the same as Strategy 1, except the classification model used is a feed-forward DNN (Deep Neural

information



Strategy 3: Recurrent Neural Network

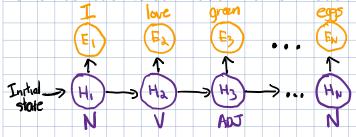
We want some way to capture sequential information. So far, we have had only two axis to work with for our data:

- N the number of data points (ie. tokens, documents, etc.)
- M the number of dimensions that represents a data point

We will now add in a 3rd dimension:

 S - the sequence index: for instance, the third token in Document 1 might be represented as x_{1,3}.

Remember back to our Hidden Markov Model:



EN = the emitted (observed) state at mex position N.

HN = the hidden state at index position N that generates (cmits) the observed state

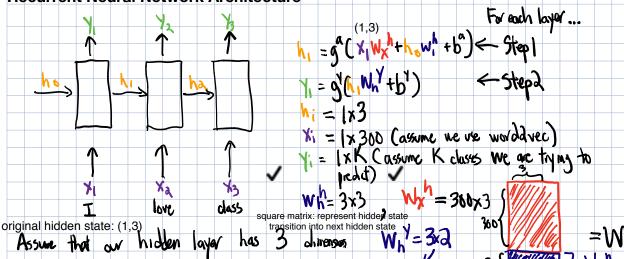
303×3

1 X 300

1 x 363

=[h:1,xi]

Recurrent Neural Network Architecture



Advantages:

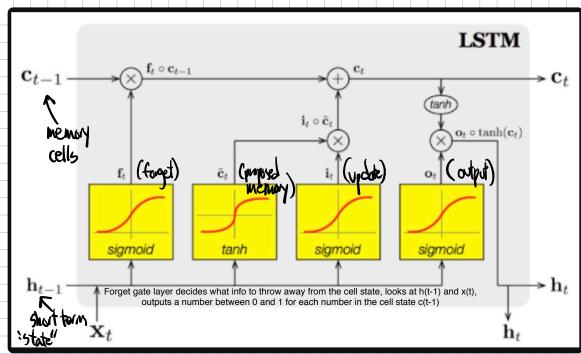
- incorporates the information from prior words/tokens
- significantly fewer parameters to update than a traditional deep learning neural network
- · Can provide a prediction at each step of the sequence
- · Better at modeling sequences of data

Disadvantages:

- · Explainability is lost compared to count vectorization models
- Although it incorporates sequence, most of information comes from close neighbors (struggles to handle long-term dependencies)
- · Vanishing/exploding gradients

After living in Madrid for three years, seeing the quiet tranquility of the people, their effusive personalities, and the amazingly deep conversations they engaged in over cups of coffee at the local cafe, I decided it was worth it to learn





 $\widetilde{C}_{t} = \tanh(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{c})$ proposed new normary for time t② $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{v})$ update gate for time t② $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ forget gate for time t③ $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ forget gate for time t③ $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output gate for time t③ $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output gate for time t⑤ $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output gate t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output gate t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t-1} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t} + W_{x}^{c}x_{t} + W_{x}^{c}x_{t} + b_{t})$ output t $G_{v} = \sigma(W_{t}^{c}h_{t} + W_{x}^$