Peking University Dr. Jin Qin

Intermediate Microeconomics (Fall 2023) Lecture 6 Production

Part I

Big Map of Microeconomics

Part II

\mathbf{r}		•					
Pi	ro	a	11	C1	1	n	n

①	– –	of:
		, etc.
0		
		()
	- Those	to production that are themselves
		, basically are
	of one sort or another, e.g.,	,
	Broad	lly referred to as
•		– The used to
	or	a
②	::	
③		of
		into

Pr	oduction Function –	
wit	th a given set of	
0	Production functions are different because of	
	in	
0	Assume production function is	
\Rightarrow		
\Rightarrow	For given unit of, a certain amount	of
	and a certain number of	wil
	produce a certain amount of	
Fix	xed and Variable Factors	
0	Fixed Factors – Factors whose is	
	of the of	
0	Quasi-Fixed Factors – Factors that must be used in a	
	as long as the is	
0	Variable Factors – Factors whose us	sed
	as the of	·
Tiı	me Frame	
0	– Per	riod of time during which
		is
0	– Per	riod of time during which
	are	

• Measures	of Production
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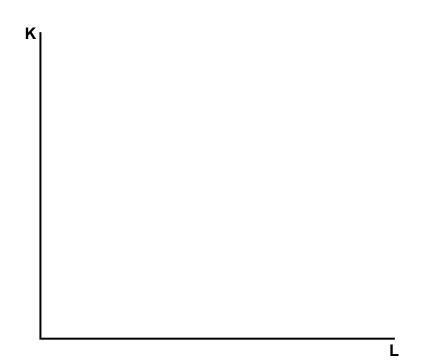
level of	
	assumir
	by worker
of the	
or the	

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Marginal Rate of Te	chnical Substit	ution (MRTS, also called the Technical R	ate of
Substitution, denoted	l by)	
the	of		
		, i.e., the	
between		in production. Mathematically define	d as a
		whose	is
the at v	which		
when		of	
is, so tl	nat		

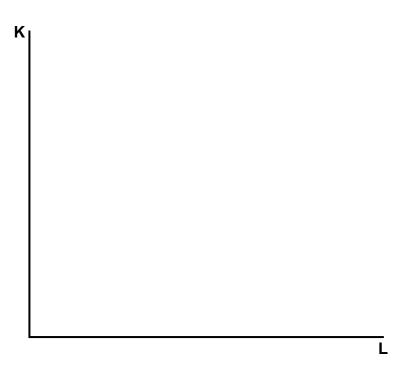
• Isoquant (IQ) – A curve showing _____

of _____ that ____ the ____ of ____.

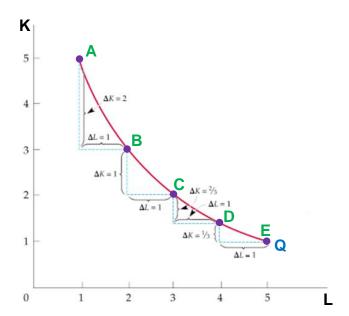


- > Point A: _____
- > Point B: _____

O The Slope of IQ – The _______

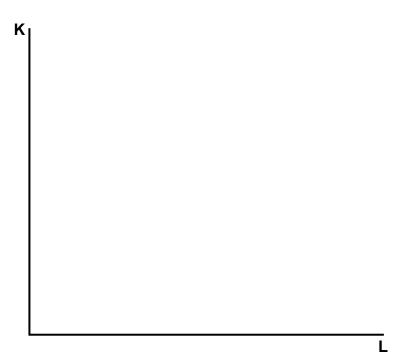


o The Shape of IQ – _____(____).



the	of a			will
	and _			
and eventually				as
	is used in the			·
⇒				: As we
move along an IQ	$A \rightarrow B \rightarrow C$,			Because the
	of any		is	·
As			is	
to the production	process			
the		of		
when				is
				, the
	of			
needs a		of		·
→	the		of	

o Isoquant Map – A graph _____

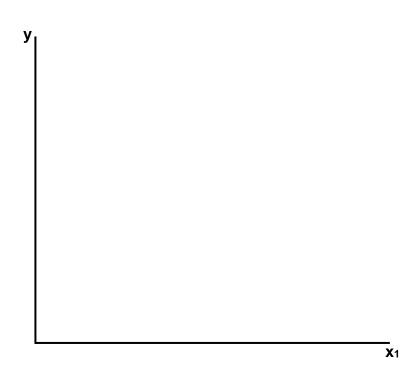


Part III

Short-Run Production

• Suppose that Factor 2 is fixed at \bar{x}_2 in the short-run

⇒ The production function in the ______ is given by



Law of diminishing marginal returns

⇒ The short-run production function gets ______ as the amount of Factor 1 _____

Part IV

Long-Run Production – _______.

• Different Types of Production Function

o Linear

Linear production function

⇒ _____

⇒ ______

⇒ ______

⇒ _____ and ____ are ____

K _____

o Leontief

_______ production function

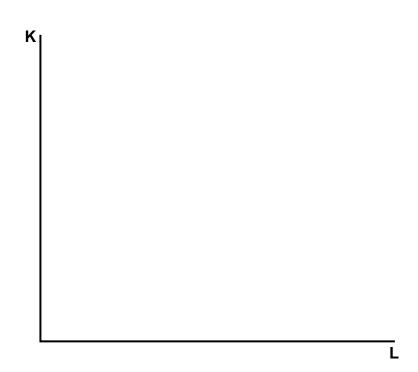
⇒ _______ of ______ and _____,

⇒ ______ and _____

⇒

K |

$\circ \quad \textbf{Cobb-Douglas}$



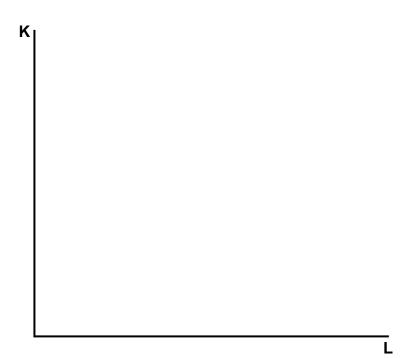
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Part V

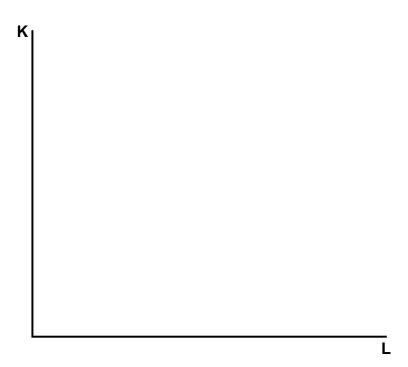
Returns	to	Scal	le
1761111111	w	nua	ıt

1	If .	
(2)		
(3)		
	-	
	In	General
	0	Increasing Returns to Scale:
		for all
	0	Constant Returns to Scale:
		for all
	0	Decreasing Returns to Scale:
		for all

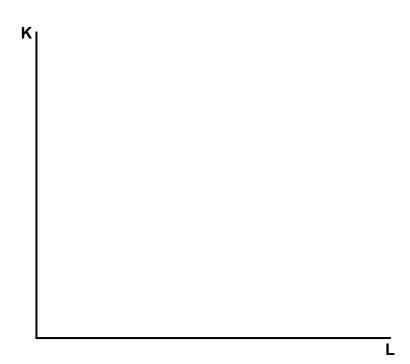
- Figures of Returns to Scale
 - o Figure of Constant Returns to Scale



o Figure of Increasing Returns to Scale



o Figure of Decreasing Returns to Scale



> Something to note:

① Fo	r	that are relatively	
ex	pect	to show	returns to scale

- ② _____ have _____ returns to scale.
- ③ _____ will _____ returns to scale.

• Returns to Scale with Cobb-Douglas Production Function

o _____ returns to scale

Example 1

$$Q = 5K^{0.8}L^{0.4}$$

> Why does increasing returns to scale exist?

1) _____

⇒ ______ is _____

to _____

as well as ______.

- ② Sometimes the _______ to _____ the ______.
- > If increasing returns to scale is prevalent, why not every industry is dominated by just a few firms?

Because _____ returns to scale _____ as well.

____ when
the effect of ____ returns to scale gets ____ and/or
the effect of ____ returns to scale becomes ____.

Two main causes of decreasing returns to scale:

- ① ______ of _____
- ② _____ of _____

Exercise 1

Which of the following production functions exhibits constant returns to scale?

- A. q = KL
- B. $q = KL^{0.5}$
- C. q = K + L
- D. q = log(KL)