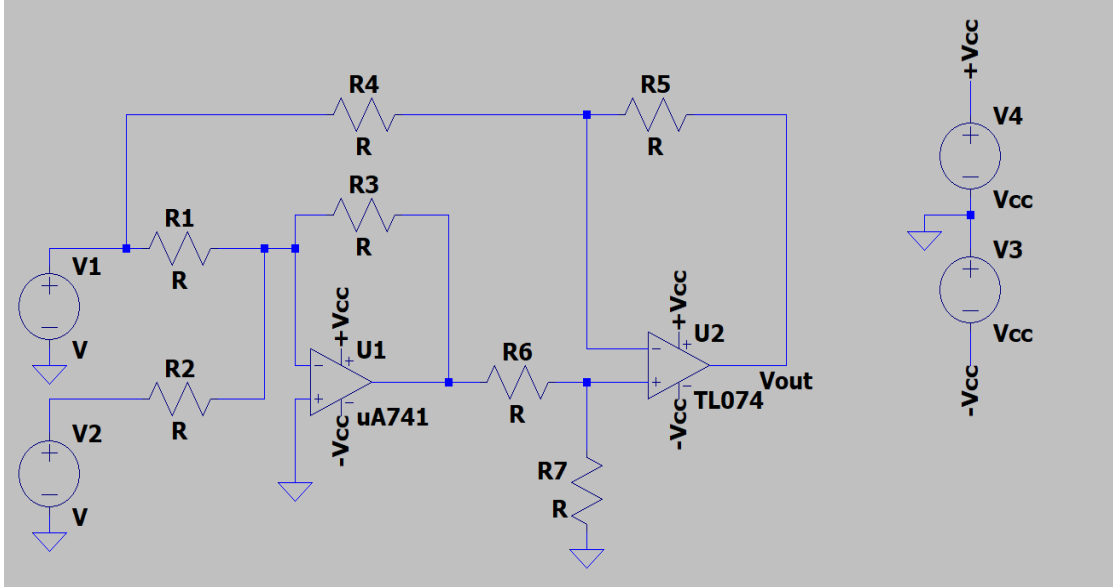


EE 241 SPICE PROJECT-EMRE ÇİFÇİ

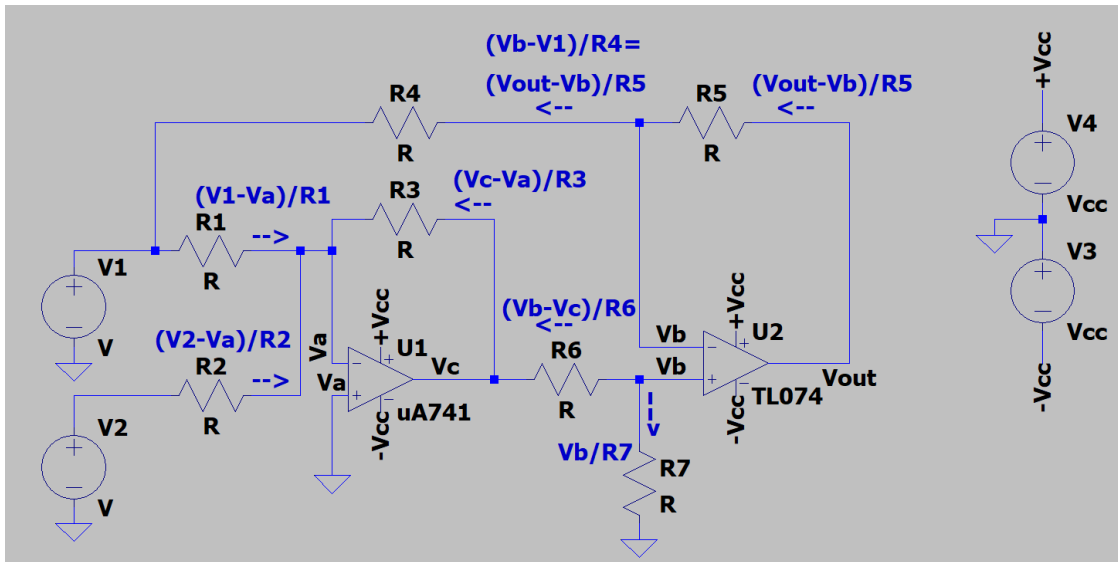
Part 1

- 1) Hand calculations:
- a) We assume that these Opamps are ideal.



So, we can say that the inverting input's and non-inverting input's voltages of these Opamps are equal: $V_n(U1)=V_p(U1)$ & $V_n(U2)=V_p(U2)$

What is more, because of ideal Opamps' characteristics, current flowing through their inputs is equal to 0 A. These are typical properties of ideal Opamps. By using them, we can find V_{out} in terms of $V1$, $V2$ and resistance values.



We know that $V_a=0$ V. When we apply KCL to this circuit, we get the following equations:

$$*(V_{out}-V_b)/R_5=(V_b-V_1)/R_4$$

$$*V_1/R_1+V_2/R_2+V_c/R_3=0$$

$$*(V_b-V_c)/R_6+V_b/R_7=0$$

Then, $V_b(1/R_6 + 1/R_7) = V_c/R_6 \rightarrow V_b = V_c/(R_6*(1/R_6 + 1/R_7))$

$V_c/R_3 = -(V_1/R_1 + V_2/R_2) \rightarrow V_c = -(V_1/R_1 + V_2/R_2)*R_3$

So, V_b becomes $-(V_1/R_1 + V_2/R_2)*R_3/(R_6*(1/R_6 + 1/R_7))$

When we substitute V_b for the first equation

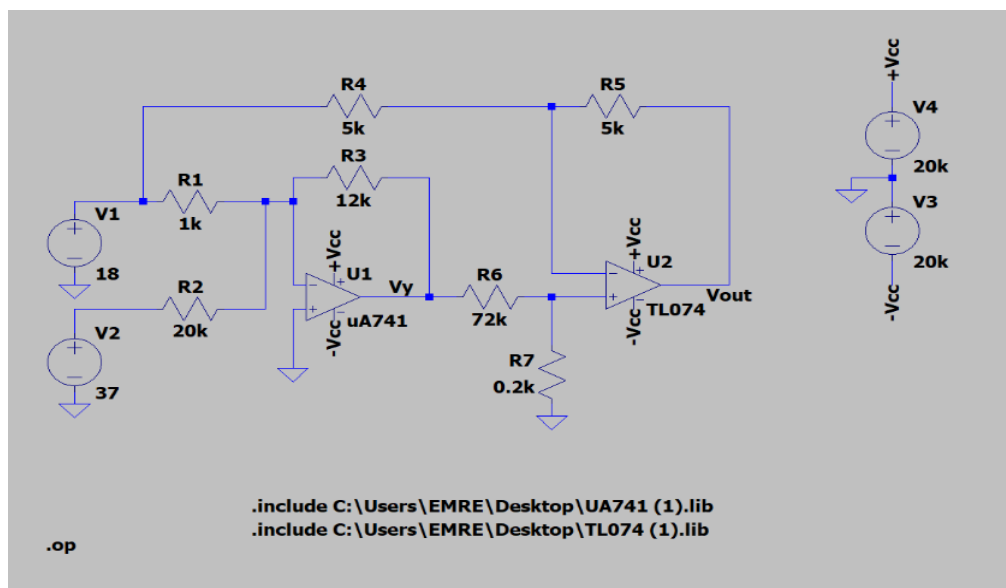
$V_{out} = ((V_b - V_1)/R_4 + V_b/R_5)*R_5 \rightarrow$

$$V_{out} = \frac{-\left(\frac{V_1}{R_1} + \frac{V_2}{R_2}\right) * R_3}{R_6 \left(\frac{1}{R_6} + \frac{1}{R_7}\right)} \left(\frac{R_5}{R_4} + 1\right) - \frac{V_1 * R_5}{R_4}$$

- b) There are two amplifier functions shown within the dashed lines in Figure 1:
 Configuration 1 is a “summing amplifier circuit”. When we have $R_1=R_2=R_s$ and $R_s=R_3$, we find out that $V_c = -(V_1+V_2)$.
 Configuration 2 is a “difference amplifier circuit”. When we do the math, we find out that $R_5*(V_b-V_1)/R_4 + V_b/R_5 = V_{out}$, just like we have found out before. If we say $V_{im} = V_c - V_1$ and $V_{cm} = (V_c + V_1)/2 \rightarrow V_c = V_{cm} + V_{dm}/2$ & $V_1 = V_{cm} - V_{dm}/2$

After lots of calculations, we find out $V_{out} = A_{cm}V_{cm} + A_{dm}V_{dm}$ where A_{cm} and A_{dm} are functions of resistances. Because this is a “difference amplifier circuit”, we want to have $A_{cm}=0$ and to have V_{dm} only. For this, we must have $R_6/R_7 = R_4/R_5$ (or something close to it.)

- 2) a) Since these Opamps are not totally ideal, I paid attention to have input currents of Opamps to have ~ 0 A and $V_p = V_n$ while choosing resistance values.
 Combination 1: $V_1=18V$ $V_2=37V$ $R_1=1k\Omega$ $R_2=20k\Omega$ $R_3=12k\Omega$ $R_4=5k\Omega$ $R_5=5k\Omega$ $R_6=72k\Omega$ $R_7=0.2k\Omega$ ($V_{cc}=20kV$)

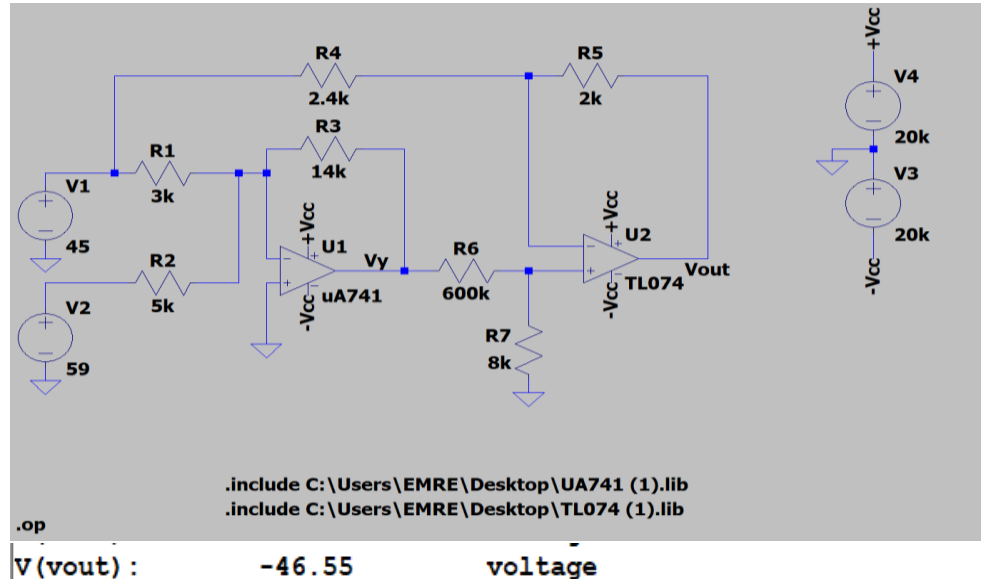


V(vout) : -19.3192 voltage

$$V_{out} = -((18/1k + 37/20k) * 12k) * (5k/5k + 1) / (1 + 72k/0.2k) - 18 * 5k/5k$$

We find out $V_{out} = -19.3197$ (%0.00259 error)

Combination 2: $V_1=45V$ $V_2=59V$ $R_1=3k\Omega$ $R_2=5k\Omega$ $R_3=14k\Omega$ $R_4=2.4k\Omega$ $R_5=2k\Omega$ $R_6=600k\Omega$ $R_7=8k\Omega$ ($V_{cc}=20kV$)



$$V_{out} = -((45/3k + 59/5k) * 14k) * (2k/2.4k + 1) / (1 + 600k/8k) - 45 * 2k/2.4k$$

We find out that $V_{out} = -46.55V$ (~same result)

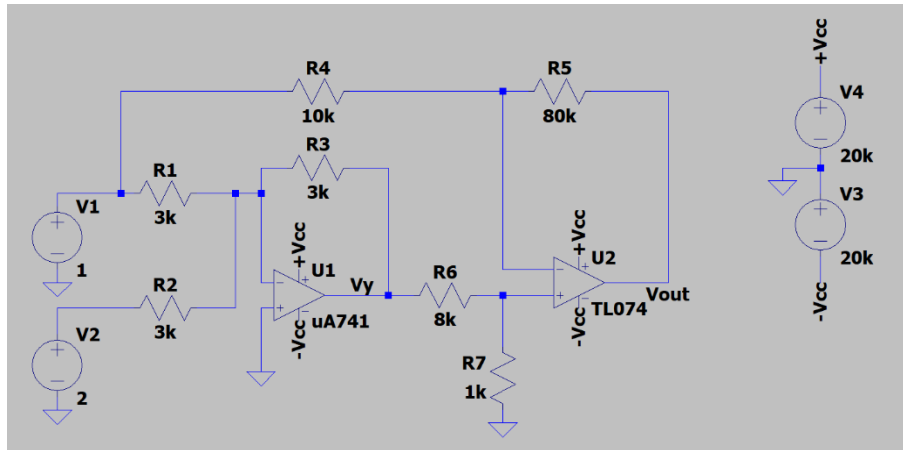
- b) We can use the properties of these amplifiers to have a desired V_{out} value. For this, as we mentioned before, having a desired difference amplifier circuit is achieved by $R_5/R_4 = R_6/R_7$, and having a desired summing amplifier circuit is achieved by $R_1 = R_2 = R_3 = R_s$. Our formula was:

$$V_{out} = \frac{-\left(\frac{V_1}{R_1} + \frac{V_2}{R_2}\right) * R_3}{R_6 \left(\frac{1}{R_6} + \frac{1}{R_7}\right)} \left(\frac{R_5}{R_4} + 1\right) - \frac{V_1 * R_5}{R_4}$$

When $V_{out} = -11V$, $V_1 = 1V$ and $V_2 = 2V$, our equation becomes the following:

$$-11 = -3 - \frac{1 * R_5}{R_4}$$

So, if we accept our assumptions like $R_1 = R_2 = R_3 = R_s$, we find out that R_5/R_4 ratio equals to 8. When $R_1 = R_2 = R_3 = 3k\Omega$, $R_4 = 10k\Omega$, $R_5 = 80k\Omega$, $R_6 = 8k\Omega$, $R_7 = 1k\Omega$, we have the following schematic:



V(vout) : -10.9977 voltage

Vout found in LTSPICE is so close to desired voltage.(%0.021 error)

- c) For this part, we have the same circuit that we had in part b with different Opamps instead of TL074. When we run our simulation with TL054a, we have:

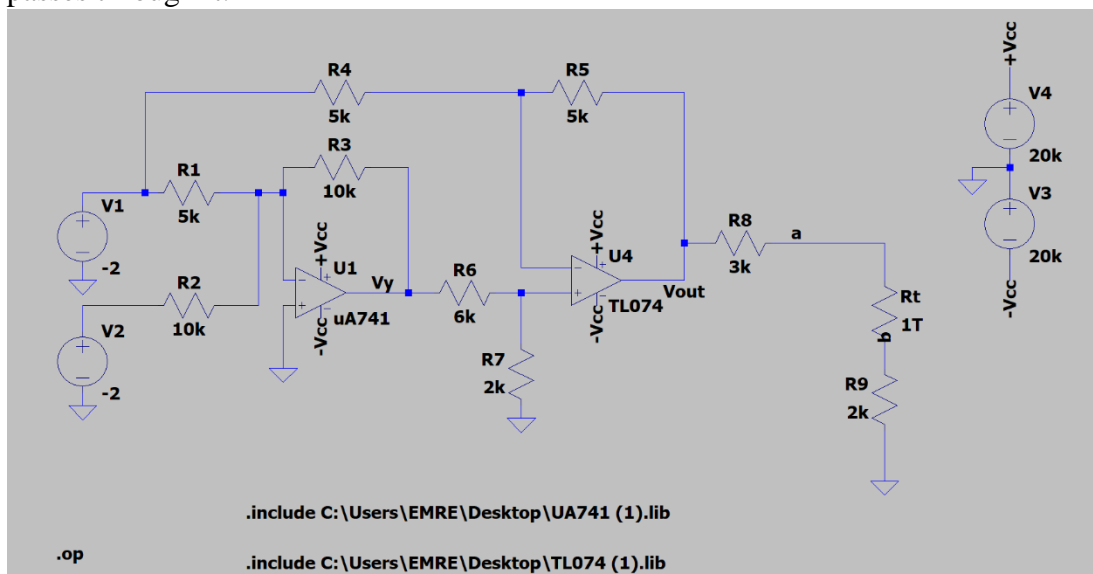
V(vout) : -10.9966 voltage

And with TL054b, we have:

V(vout) : -10.9974 voltage

Since these results are so close to our desired Vout voltage, they can be implemented instead of TL074.

- 3) To have a Norton or Thevenin equivalent circuit, we must find Vab (open circuit)=Vth and isc (short circuit current). Then, we can find Rth and Norton equivalent. Let us connect a resistor between the nodes a and b. If its resistance becomes extremely high, ab will become an open circuit where almost no current passes through it.

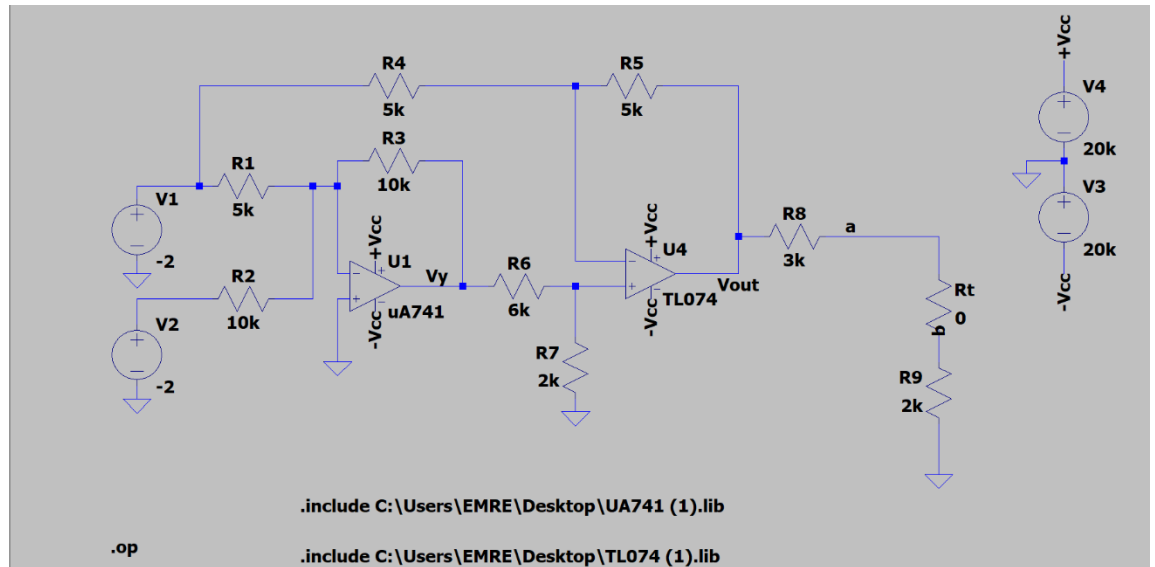


R_t has $1T\Omega$, which is an extremely high value. When we run it, V_{ab} comes out to be:

```
V(a) :      5.00021      voltage
V(b) :      1.00004e-008 voltage
```

$V_{ab}=V_{th}\approx 5.00021V$

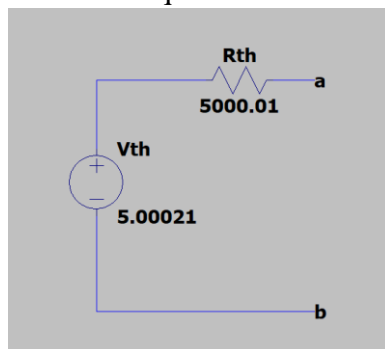
When we decrease R_t 's resistance, a, b becomes a short circuit, and we can find isc .



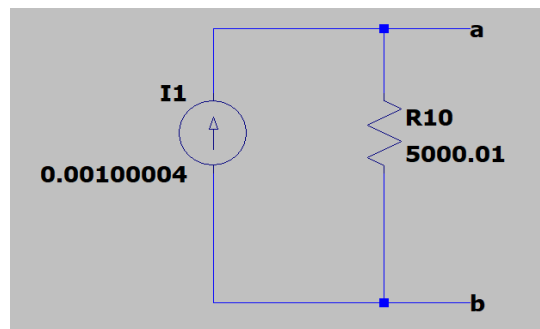
```
I(R9) :      -0.00100004  device_current
```

$isc = 0.00100004 A$, we use positive sign because we know V_b is positive, then current is flowing from a to b . If we divide V_{th} by isc , we find R_{th} which is approximately $5k\Omega$.

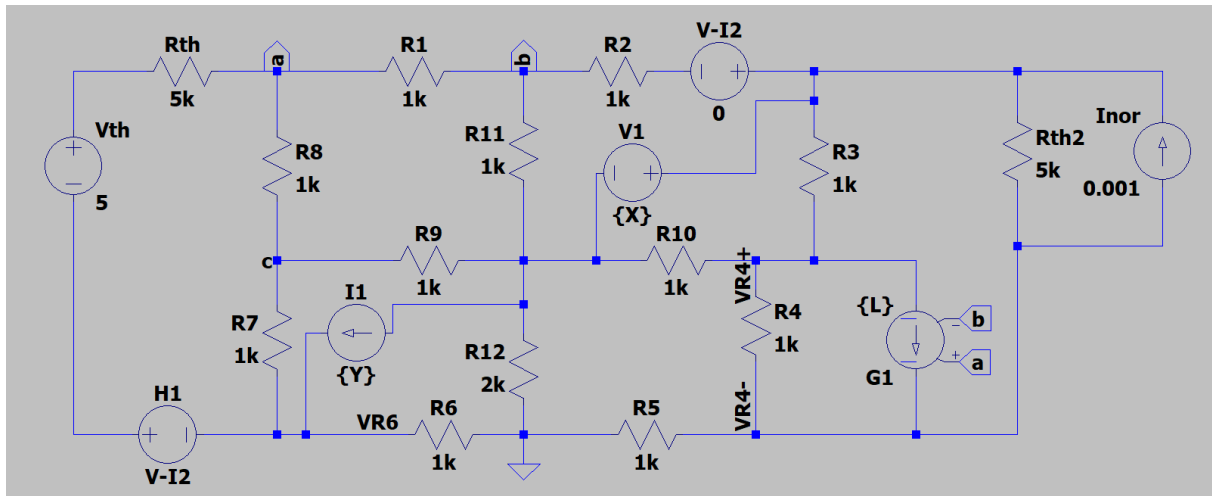
Thevenin Equivalent Circuit:



Norton Equivalent Circuit :



- 4) We can assume that $V_{th}=5V$, $R_{th}=5k\Omega$ and $i_{sc}=1mA$. In the circuit “X” is for V_1 , “Y” is for I_1 value.



- a) I_1 is found: $v(vr4+)-v(vr4-)=v(vr6)$ AT 0.00302959 A

```
.param X 8
.param L 1
.param K 1000
.param Y 0
.step param Y 0 100
.meas op res Y when V(d)-V(e)=V(f)
.op
```

- b) V_1 is found: $i(r7)=0$ AT 9.96873 V

```
.param X 0
.param L 2
.param K 2000
.param Y 2m
.step param X 0 50
.meas op res X when I(R7)=0
.op
```

c) K is found: $v(a)-v(c)=2$ AT 1744.12

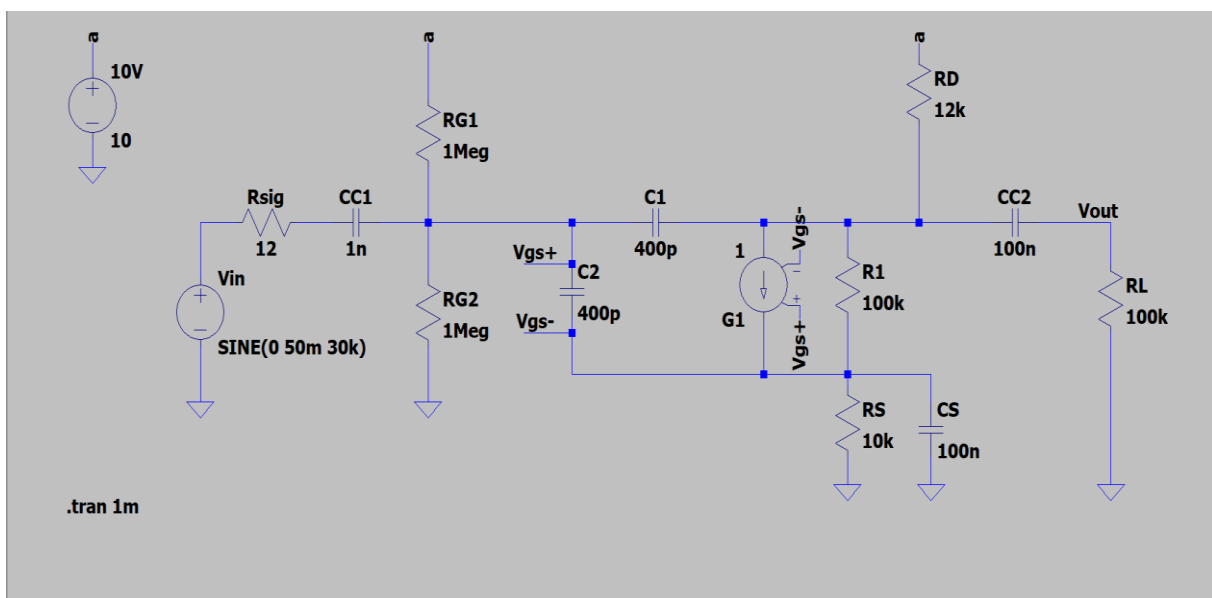
```
.param X 8
.param L 2
.param K 0
.param Y 4m
.step param K 0 10k
.meas op res K when V(a)-V(c)=2
.op
```

d) Measurement "res" FAIL'ed

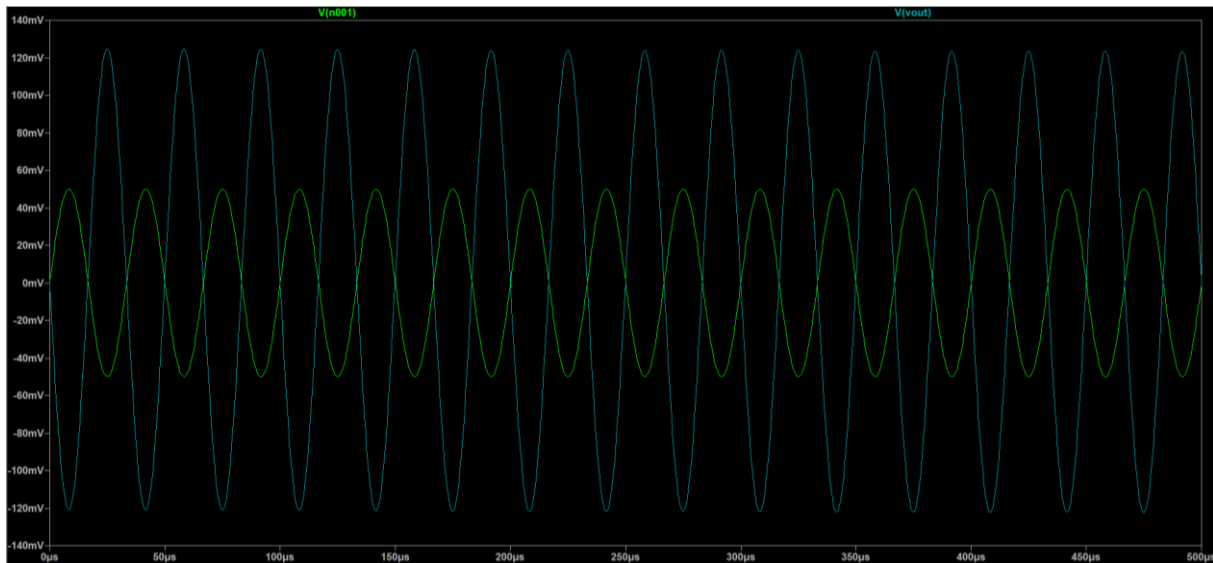
```
.param X 5
.param L 0
.param K 1500
.param Y 1m
.step param L -50 50
.meas op res L when V(d)-V(e)=-4
.op
```

Part 2

1) Last three digits of my student number is 012, so ABC is 12. The circuit becomes:



a) When we do the transient analysis: ($V(n001) = V_{in}$)



b) $|V_{out}| (V_{rms}) = V_m(out) / \sqrt{2}$, $|V_{in}| (V_{rms}) = V_m(in) / \sqrt{2}$
 $V_m(out)$ and $V_m(in)$ were found by .meas command:

```
.tran 0.5m
.meas tran max_vout max V(vout)
.meas tran max_vin max V(n001)
```

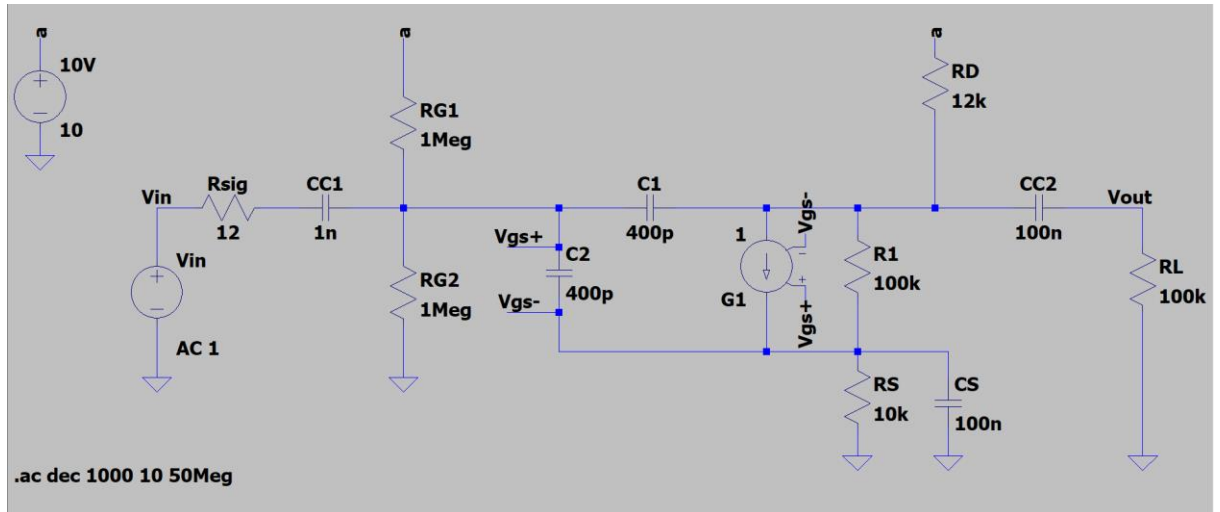
```
max_vout: MAX(v(vout))=0.124931 FROM 0 TO 0.0005
max_vin: MAX(v(n001))=0.0499999 FROM 0 TO 0.0005
```

Then, $|V_{in}| = 0.0499999 / \sqrt{2} = 0.035355268V$, $|V_{out}| = 0.124931 / \sqrt{2} = 0.088229557V$

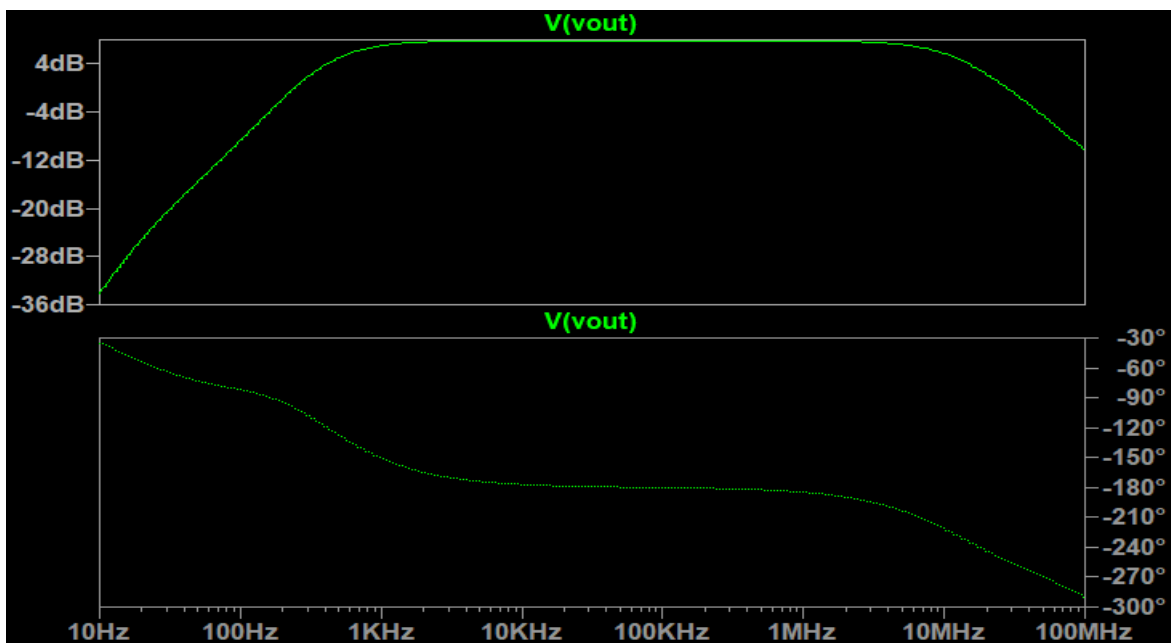
So, we find $|V_{out}| / |V_{in}|$ (for max values) = 2.498624997V

c) dB gain is found by $20 \cdot \log \left(\frac{|V_{out}|}{|V_{in}|} \right) \rightarrow$ dB gain (for max values)
 $= 20 \cdot 0.39770108 = 7.954021609$ dB

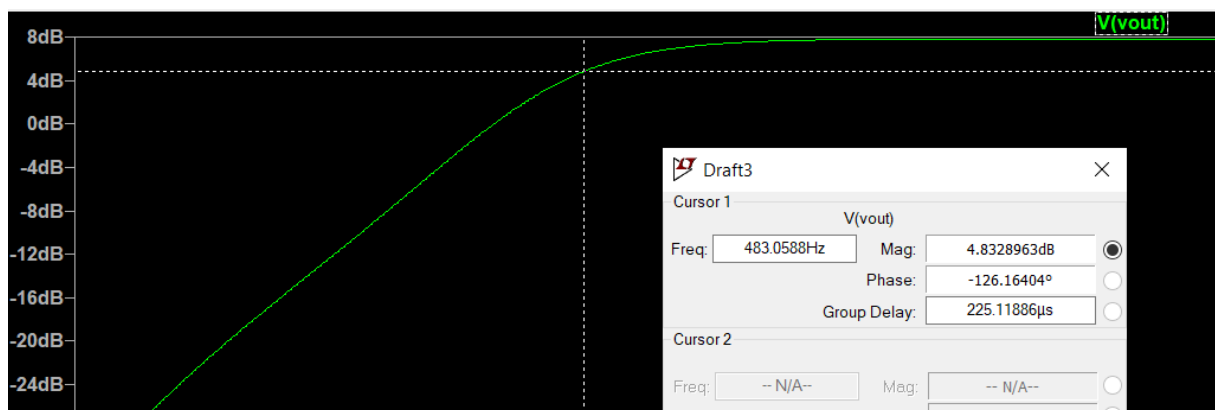
2)



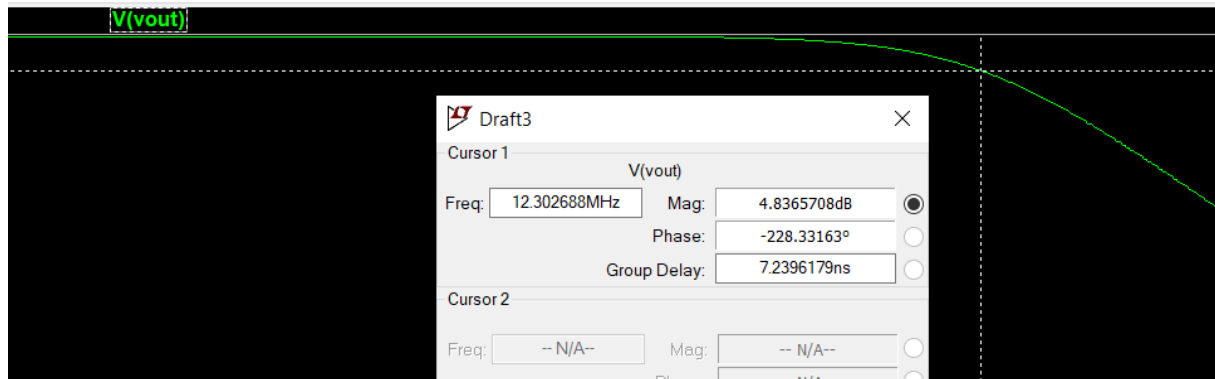
a)



b) Max gain is $\sim 7.83\text{dB}$. On the left side of the graph, where the gain drops to $\sim 4.83\text{dB}$, the lower cut-off frequency $f_{cl} = \sim 483\text{Hz}$.

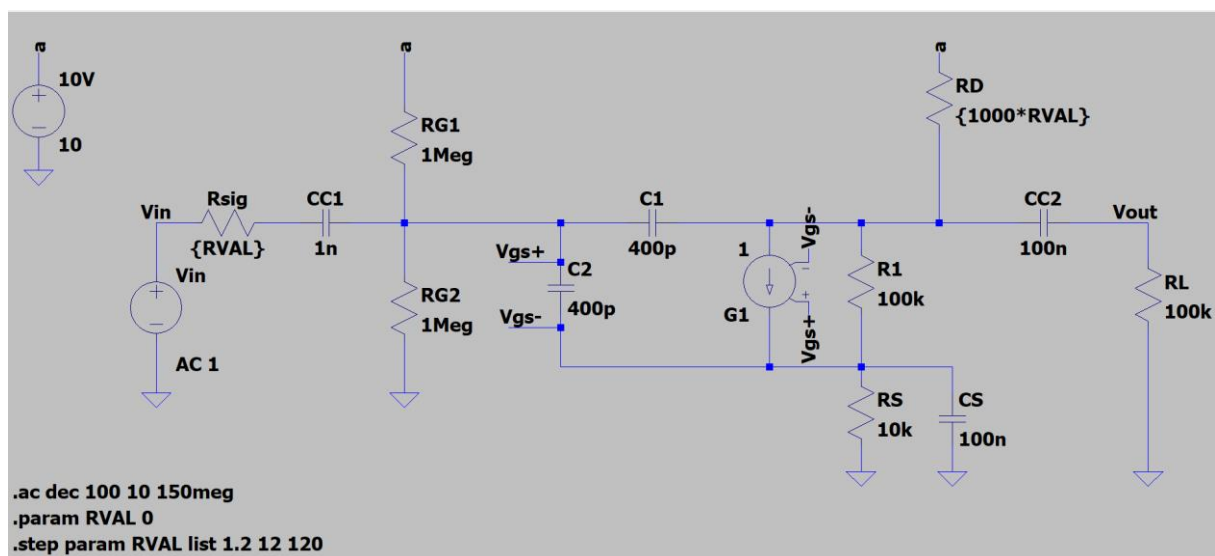


On the right side of the graph, where the gain drops to $\sim 4.83\text{dB}$, the higher cut-off frequency $f_{ch} \sim 12.3\text{MHz}$.

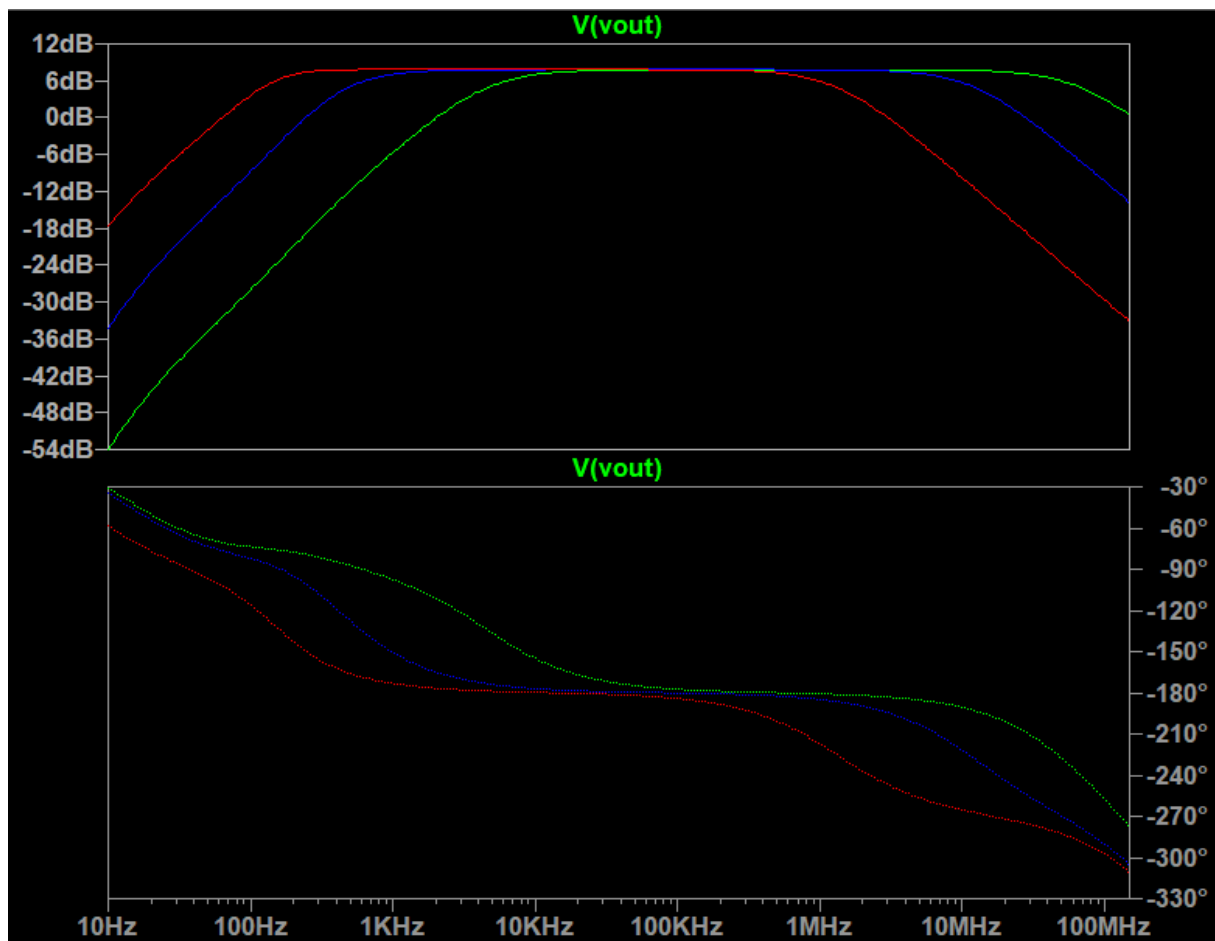


c) $BW = (f_{ch} - f_{cl})$, $BW = 12.3\text{M} - 483 \sim 12.29\text{M}$

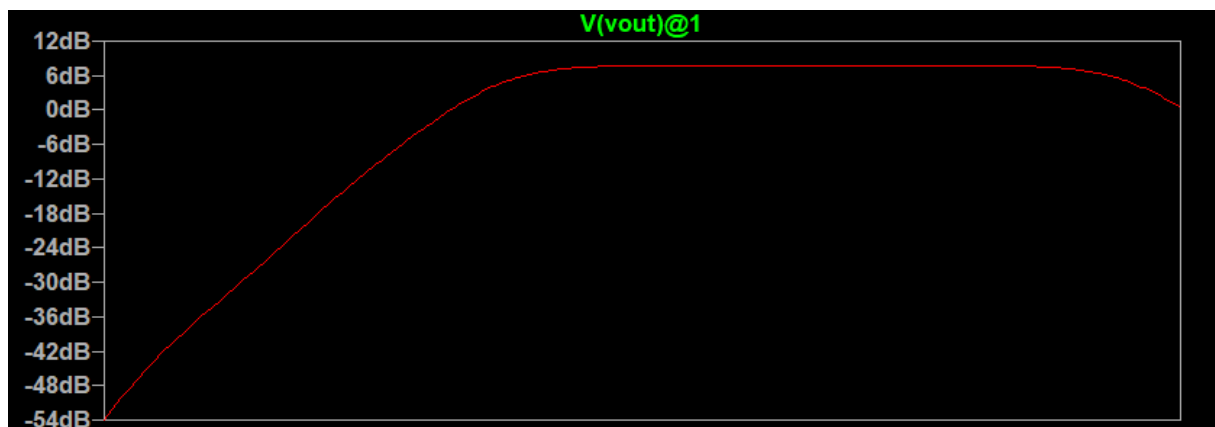
3)



a)



$R_{VAL}=1.2\Omega$:



RVAL=12Ω:



RVAL=120Ω:



- b) For the case where $RVAL=1.2\Omega$, max. gain is ~ 7.8 dB. $7.8 - 3 = 4.8$ dB at which we have cut-off frequencies. $f_{cl} = \sim 4.57\text{kHz}$ and $f_{ch} = 68.3\text{MHz}$.
 $RVAL=12\Omega$, max. gain is $\sim 7.83\text{dB}$. $7.83-3=4.83$ dB at which we have cut-off frequencies. $f_{cl} = \sim 483\text{Hz}$ and $f_{ch} = \sim 12.2\text{MHz}$.
 $RVAL=120\Omega$, max. gain is $\sim 7.83\text{dB}$. $7.83-3=4.83\text{dB}$ at which we have cut-off frequencies. $f_{cl} = \sim 121\text{Hz}$ and $f_{ch} = \sim 1.32\text{MHz}$.
- c) $BW(RVAL=1.2\Omega) = 68.3\text{M} - 4.57\text{k} = \sim 68.29\text{MHz}$
 $BW(RVAL=12\Omega) = 12.2\text{M} - 483 = \sim 12.199\text{MHz}$
 $BW(RVAL=120\Omega) = 1.32\text{M} - 121 = \sim 1.319\text{MHz}$
- d) As R_{sig} and R_D values increase, BW value decreases. For the left-most part of the circuit, we have a low pass filter which causes V_{out} to be smaller as we increase the resistance. What is more, at very high frequency values, capacitors behave like a short circuit, since R_D gets bigger when we increase $RVAL$ values, V_{out} decreases. Therefore, we have a sharper drop at higher values of $RVAL$ at high frequency values. So, this “sharp” drop also causes BW to be smaller because $f_{ch}-f_{cl}$ difference gets smaller.