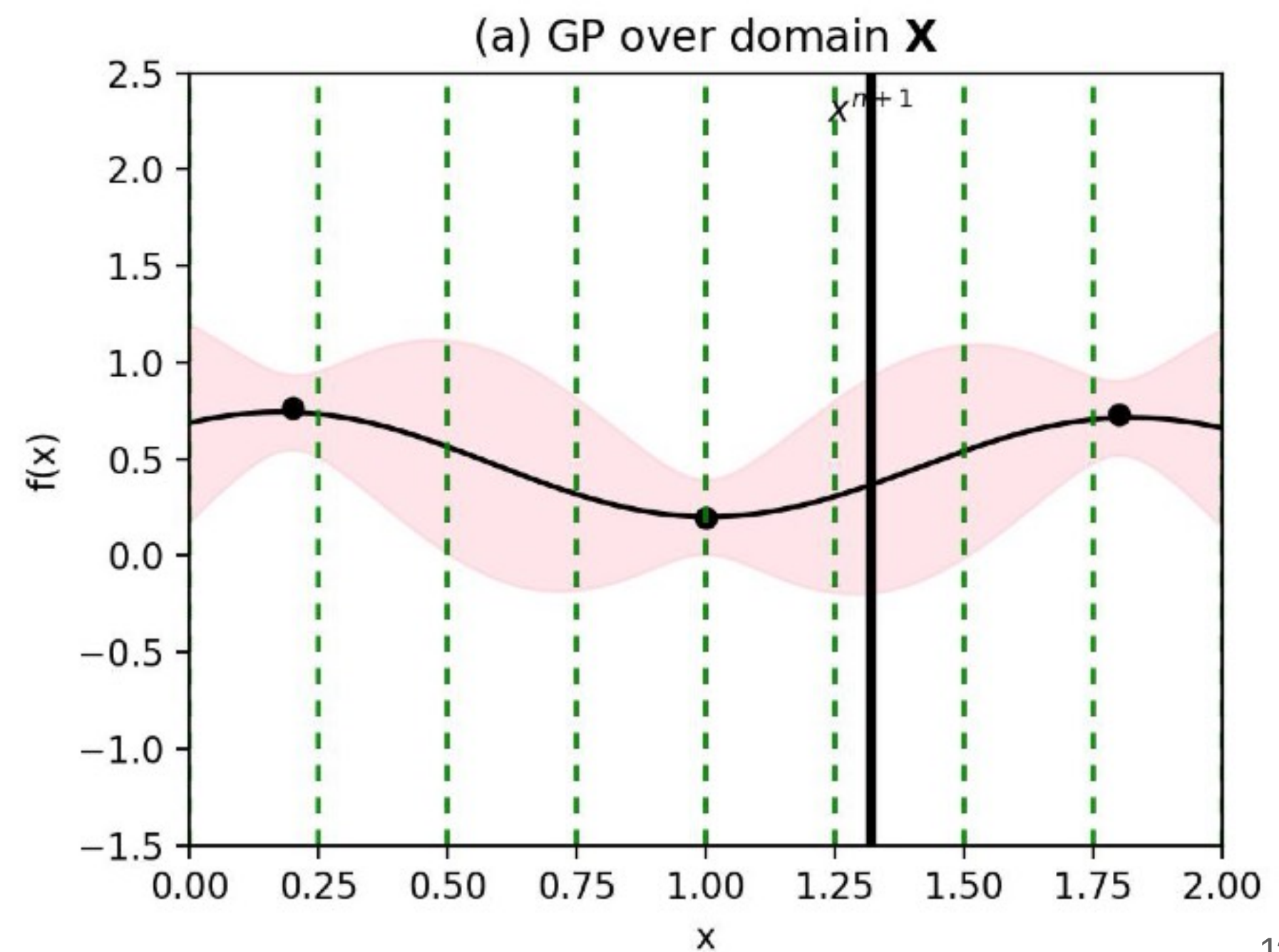


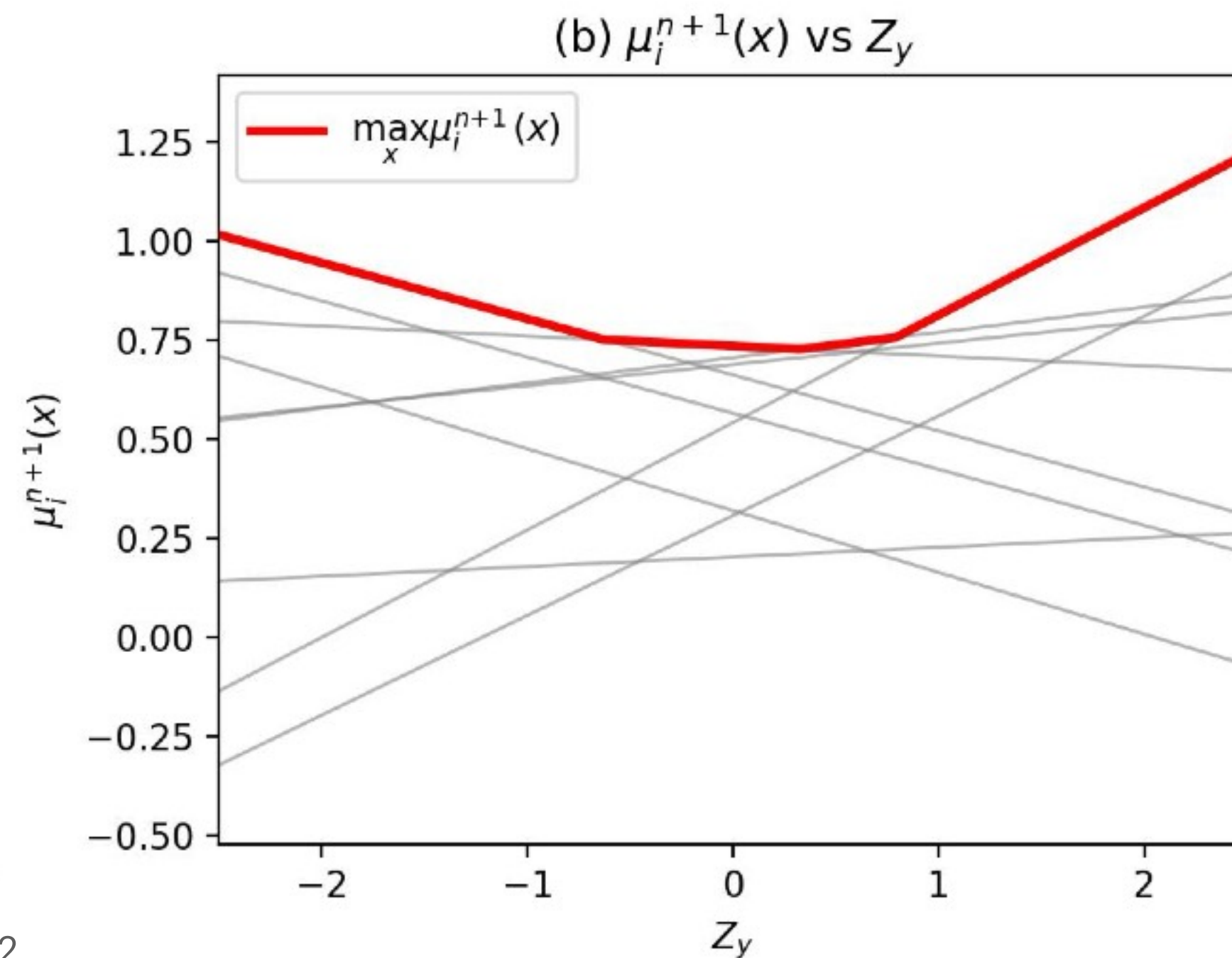
Discretization and Linear-Envelope -5

Scott et al 2011

Taking the maximum of these linear functions yields a piecewise-linear envelope representing $\max_{x' \in \mathcal{X}_d} \{\mu_y^{n+1}(x')\}$



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Discretization and Linear-Envelope -6

Scott et al 2011

The linear envelope $\max_{x' \in \mathcal{X}_d} \{\mu_y^{n+1}(x')\}$ is determined by Z_y which is the probability of that maximum happening.

We can integrate this linear envelope with respect to Z_y to obtain $\mathbb{E}_{Z_y} \left[\max_{x' \in \mathcal{X}_d} \{\mu_y^{n+1}(x')\} \right]$.

Above quantity allows us to compute KG since the max of the old posterior can be taken out of the expectation.

$$\text{KG}(x) = \mathbb{E} \left[\max_{x'' \in \mathcal{X}} \{\mu_y^{n+1}(x'')\} \mid x^{n+1} = x \right] - \max_{x' \in \mathcal{X}} \{\mu_y^n(x')\}.$$

