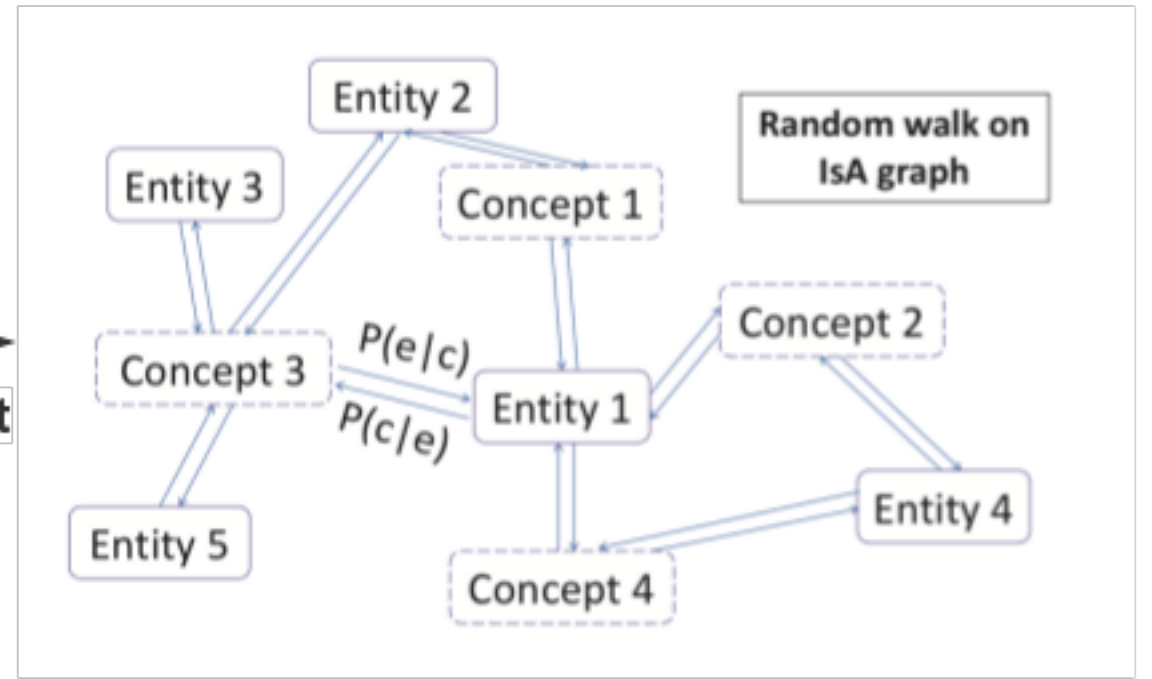


Using $Rep(e, c)$ for BLC

$$Rep(e, c) = P(c|e) \cdot P(e|c)$$

$$blc(e) = \arg \max_c Rep(e, c)$$

equivalent



$$\begin{aligned}
 Time(e, c) &= \sum_{k=1}^{\infty} (2k) * P_k(e, c) \\
 &= \sum_{k=1}^T (2k) * P_k(e, c) + \sum_{k=T+1}^{\infty} (2k) * P_k(e, c) \\
 &\geq \sum_{k=1}^T (2k) * P_k(e, c) \\
 &\quad + 2(T+1) * (1 - \sum_{k=1}^T P_k(e, c)) \quad (9)
 \end{aligned}$$

constrain the random walk within 4 steps

$$\begin{aligned}
 Time'(e, c) &= 2 * P(c|e)P(e|c) + 4 * (1 - P(c|e)P(e|c)) \\
 &= 4 - 2 * P(c|e)P(e|c) \\
 &= 4 - 2 * Rep(e, c) \quad (10)
 \end{aligned}$$

$P_k(e, c)$ is the probability of starting from e to c and back to e in $2k$ steps