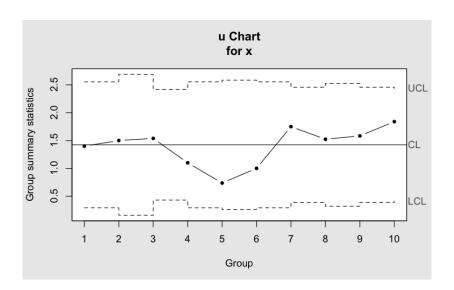
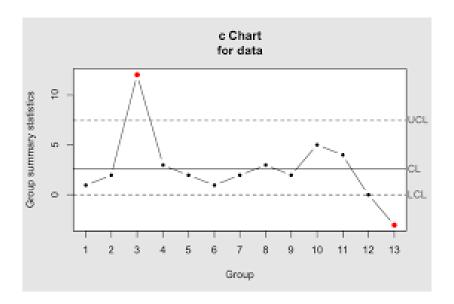
U-Charts

- ➤ A U chart plots the **number of defects** (also called nonconformities) per unit.
- ▶ It is possible for a unit to have one or more defects but still be acceptable in function and performance.
- ► For example, you can use a U chart to monitor the following: The number of tears and pulls per 50 running feet of carpet.



U-Charts

- ▶ In statistical quality control, the c-chart is a type of control chart used to monitor "count"-type data, typically total number of nonconformities per unit.[1]
- ▶ It is also occasionally used to monitor the total number of events occurring in a given unit of time.



- ► The c-chart differs from the p-chart in that it accounts for the possibility of more than one nonconformity per inspection unit, and that (unlike the p-chart and u-chart) it requires a fixed sample size.
- ▶ The p-chart models "pass" /" fail"-type inspection only, while the c-chart (and u-chart) give the ability to distinguish between (for example) 2 items which fail inspection because of one fault each and the same two items failing inspection with 5 faults each; in the former case, the p-chart will show two non-conformant items, while the c-chart will show 10 faults.

Nonconformities may also be tracked by type or location which can prove helpful in tracking down assignable causes.

Examples of processes suitable for monitoring with a c-chart include:

- * Monitoring the number of voids per inspection unit in injection molding or casting processes
- Monitoring the number of discrete components that must be re-soldered per printed circuit board
- Monitoring the number of product returns per day

The Poisson distribution is the basis for the chart and requires the following assumptions:

- The number of opportunities or potential locations for nonconformities is very large
- The probability of nonconformity at any location is small and constant
- The inspection procedure is same for each sample and is carried out consistently from sample to sample

The control limits for this chart type are

$$\bar{c} \pm 3\sqrt{\bar{c}}$$

where \bar{c} is the estimate of the long-term process mean established during control-chart setup.

In statistical quality control, the p-chart is a type of control chart used to monitor the proportion of nonconforming units in a sample, where the sample proportion nonconforming is defined as the ratio of the number of nonconforming units to the sample size, n.

- ► The p-chart only accommodates "pass"/"fail"-type inspection as determined by one or more go-no go gauges or tests, effectively applying the specifications to the data before they are plotted on the chart.
- Other types of control charts display the magnitude of the quality characteristic under study, making troubleshooting possible directly from those charts.

Assumptions The binomial distribution is the basis for the p-chart and requires the following assumptions:

- The probability of nonconformity p is the same for each unit; Each unit is independent of its predecessors or successors;
- ► The inspection procedure is same for each sample and is carried out consistently from sample to sample

Calculation and plotting

The control limits for this chart type are

$$\bar{p} \pm 3\sqrt{\frac{\bar{p}(1-\bar{p})}{n}}$$

where \bar{p} is the estimate of the long-term process mean established during control-chart setup.

Naturally, if the lower control limit is less than or equal to zero, process observations only need be plotted against the upper control limit.

Note that observations of proportion nonconforming below a positive lower control limit are cause for concern as they are more frequently evidence of improperly calibrated test and inspection equipment or inadequately trained inspectors than of sustained quality improvement.

- Some organizations may elect to provide a standard value for p, effectively making it a target value for the proportion nonconforming.
- ➤ This may be useful when simple process adjustments can consistently move the process mean, but in general, this makes it more challenging to judge whether a process is fully out of control or merely off-target (but otherwise in control).

Potential pitfalls

There are two circumstances that merit special attention:

- Ensuring enough observations are taken for each sample
- Accounting for differences in the number of observations from sample to sample