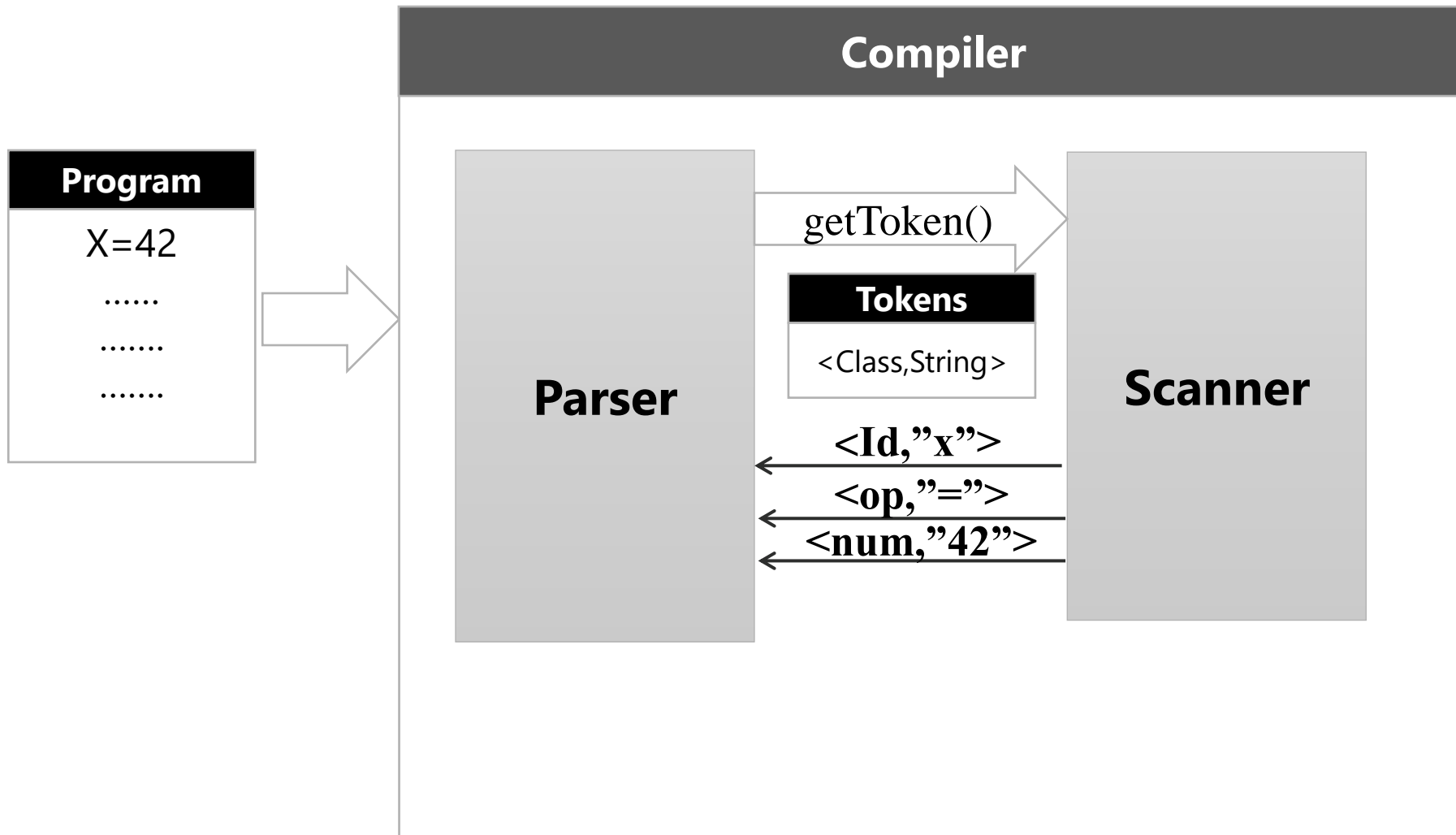


Parser

Lecture Six

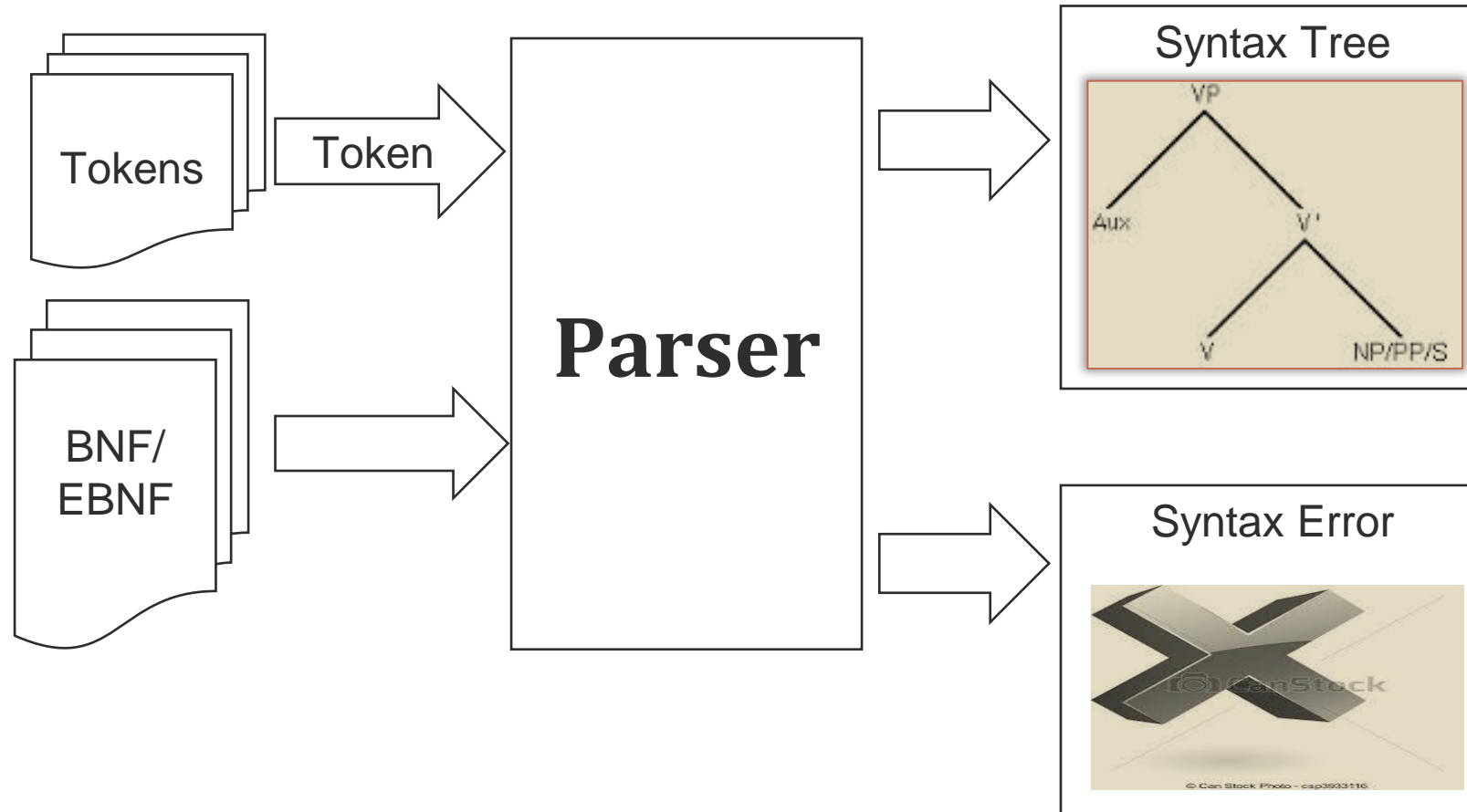
Lecture Topics

- The Parsing Process
- Context-Free Grammars
- Derivations
- Parse Trees
- Abstract Syntax Trees
- Ambiguous Grammars
- Dealing with ambiguity



Parser (syntax Analyzer)

The Parsing Process



■ جمله --> جمله فعلیه | جمله اسمیه |.....

■ جمله فعلیه --> فعل فاعل | فعل فاعل مفعول | فعل فاعل مفعول 1 مفعول 2 |.....

■ فعل --> شرب | اكل |...

■ فاعل --> الولد | البنت

Grammar

sentence \rightarrow <subject> <verb-phrase> <object>

subject \rightarrow This | Computers | I

verb-phrase \rightarrow <adverb> <verb> | <verb>

adverb \rightarrow never

verb \rightarrow is | run | am | tell

object \rightarrow the <noun> | a <noun> | <noun>

noun \rightarrow university | world | cheese | lies

leftmost derivation

- sentence → <subject> <verb-phrase> <object>
- sentence → This <verb-phrase> <object>
- sentence → This <verb> <object>
- sentence → This is <object>
- sentence → This is a <noun>
- sentence → This is a university

sentence → <subject> <verb-phrase> <object>
subject → This | Computers | I
verb-phrase → <adverb> <verb> | <verb>
adverb → never
verb → is | run | am | tell
object → the <noun> | a <noun> | <noun>
noun → university | world | cheese | lies

The Parsing Process

- Input: *tokens*
- Output: A *syntax tree*
- lexical structure of tokens is specified by regular expressions, the syntax of programs is specified by the *grammar rules* of a *context-free grammar*.
- Parser must distinguish between valid and invalid programs (strings of tokens).
- $(1 + + 2) + 3$
- The parser verifies that the string can be generated by the grammar for the source language

Regular Languages

- The languages used till now is Regular Language
- A language is *regular* if it is accepted by some DFA.

Examples:

- The strings that represent floating point numbers in Java.
- Some Languages cannot be represented by DFA. They are not regular
- any language that requires **unbounded counting** cannot be regular

Examples:

- $L1 = \{0^n 1^n \mid n \geq 1\}$: The set of strings consisting of one or more 0's followed by the same number of 1's.
- $L2 = \{()^n \mid n > 0\}$: The language of balanced parentheses.
e. g. $()$, $()()$, $(())$, $(())()$, ...

Context-Free Grammars (CFG)

1. $\text{Prog} \rightarrow \text{Stm} ; \text{Prog} \mid \text{Stm}$
2. $\text{Stm} \rightarrow \text{AsStm} \mid \text{IfStm}$
3. $\text{AsStm} \rightarrow \text{Var} = \text{Exp}$
4. $\text{IfStm} \rightarrow \text{if Exp then AsStm}$
5. $\text{VorC} \rightarrow \text{Var} \mid \text{Const}$
6. $\text{Exp} \rightarrow \text{VorC} \mid \text{VorC} + \text{VorC}$
7. $\text{Var} \rightarrow [a-z]$
8. $\text{Const} \rightarrow [0-9]$

CFG Example

Legal

```
a = 1; b = a + 4;  
z = 1;  
if b + 3 then z = 2
```

Illegal

```
a = x < 20  
b = a + 4 + 5 ;  
z = 1  
if (a == 33) z < 2 ;
```

BNF Grammar

```
Prog  → Stm ; Prog | Stm  
Stm   → AsStm | IfStm  
AsStm → Var = Exp  
IfStm → if Exp then AsStm  
VorC  → Var | Const  
Exp   → VorC | VorC + VorC  
Var   → [a-z]  
Const → [0-9]
```

Derivation

Prog

=> **Stm** ; Prog

=> **AsStm** ; Prog

=> **Var** = Exp ; Prog

=> a = **Exp** ; Prog

=> a = **VorC** ; Prog

=> a = **Const** ; Prog

=> a = 1 ; **Prog**

=> a = 1 ; **Stm**

=> a = 1 ; **IfStm**

=> a = 1 ; if **Exp** then AsStm

=> a = 1 ; if **VorC** + VorC then AsStm

=> a = 1 ; if **Var** + VorC then AsStm

Prog → Stm ; Prog | Stm
Stm → AsStm | IfStm
AsStm → Var = Exp
IfStm → if Exp then AsStm
VorC → Var | Const
Exp → VorC | VorC + VorC
Var → [a-z]
Const → [0-9]

=> a = 1 ; if a + **VorC** then AsStm

=> a = 1 ; if a + **Const** then AsStm

=> a = 1 ; if a + 1 then **AsStm**

=> a = 1 ; if a + 1 then **Var** = Exp

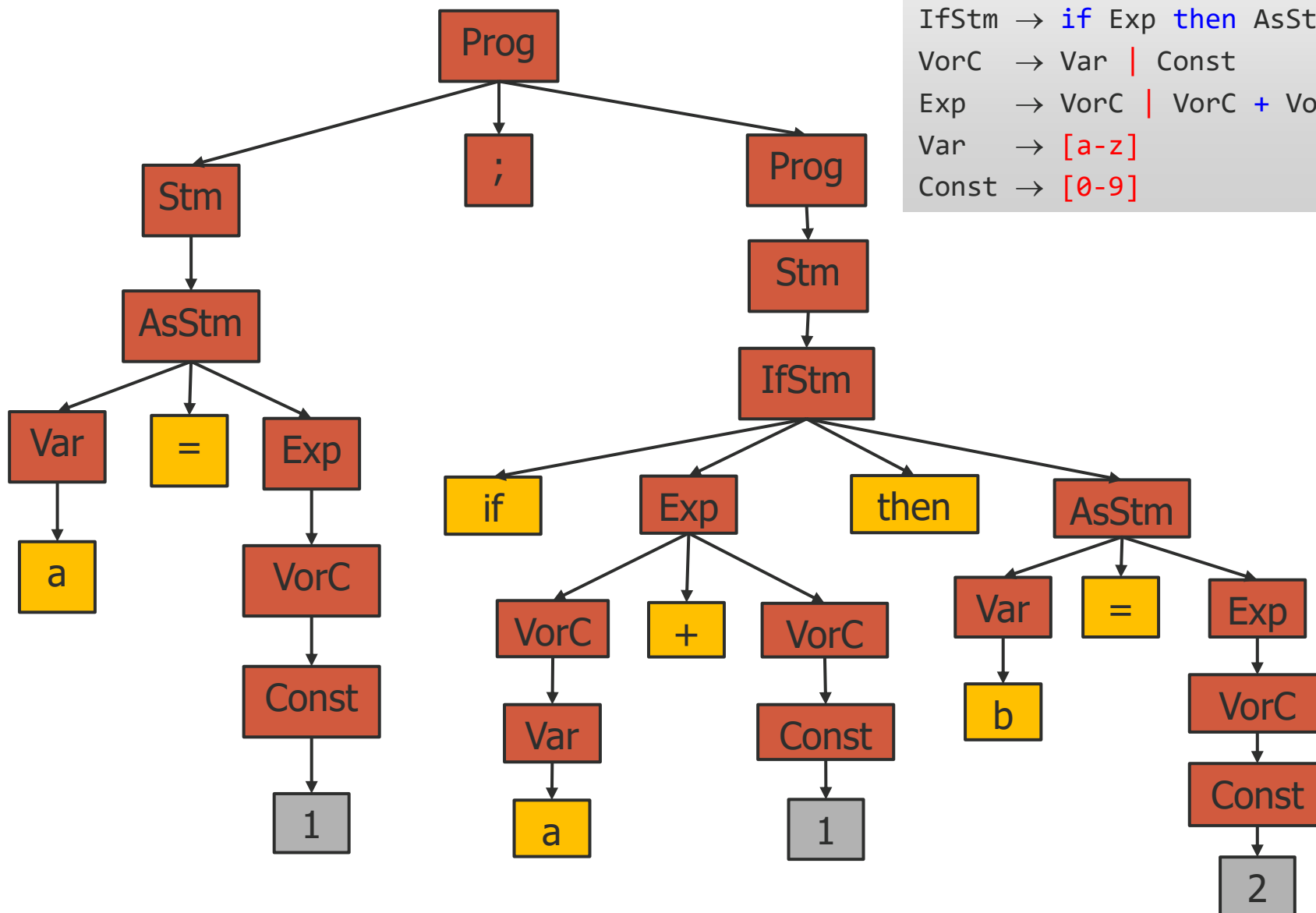
=> a = 1 ; if a + 1 then b = **Exp**

=> a = 1 ; if a + 1 then b = **VorC**

=> a = 1 ; if a + 1 then b = **Const**

=> a = 1 ; if a + 1 then b = 2

Parse Tree



Prog \rightarrow Stm ; Prog | Stm
 Stm \rightarrow AsStm | IfStm
 AsStm \rightarrow Var = Exp
 IfStm \rightarrow if Exp then AsStm
 VorC \rightarrow Var | Const
 Exp \rightarrow VorC | VorC + VorC
 Var \rightarrow [a-z]
 Const \rightarrow [0-9]

Context Free Grammar(CFG)

Context free grammar $G = (N, T, S, P)$

- N : set of Non-terminal symbols
- T : set of Terminal symbols
- S : Start symbol ($S \in N$)
- P : set of Production rules $\{\alpha \rightarrow \beta \mid \alpha \in N \wedge \beta \in (N \cup T)^*\}$
- $N \cap T = \emptyset$

Note :

- $(N \cup T)^* = \{N \cup T \cup \varepsilon\}$
- $::=$ may be used instead of \rightarrow

CFG Example

$$L1 = \{ 0^n 1^n \mid n \geq 1 \}$$

$$S \rightarrow 01$$

$$S \rightarrow 0S1$$

- Nonterminal = $\{S\}$.
- Terminals = $\{0, 1\}$.
- Start symbol = S .
- Productions =

$$S \rightarrow 01$$

$$S \rightarrow 0S1$$

CFG Example

$L2 = \{ (^n)^n \mid n > 0 \}$: The language of balanced parentheses.

$$S \rightarrow (S)$$

$$S \rightarrow \varepsilon$$

- $N = \{ S \}$.
- $T = \{ (,) \}$.
- Start symbol = S .
- Productions =

$$S \rightarrow (S)$$

$$S \rightarrow \varepsilon$$

CFG Example

$$\textit{exp} \rightarrow \textit{exp op exp} \mid (\textit{exp}) \mid \textit{number}$$
$$\textit{op} \rightarrow + \mid - \mid *$$

- $N = \{\textit{exp}, \textit{op}\}$.
- $T = \{ (,), \textit{number}, *, -, + \}$.
- Start symbol = \textit{exp} .
- Productions =

$$\textit{exp} \rightarrow \textit{exp op exp} \mid (\textit{exp}) \mid \textit{number}$$
$$\textit{op} \rightarrow + \mid - \mid *$$