```
function mergeSort(Array arr, Array tempArr, int first, int last) {
  mid = (first + last) / 2 // initial condition k0
  if (fisrt < last) {
     mid = (first + last) / 2
     mergeSort(arr, tempArr, first, mid)
                                               log(n) / 2 calls
     mergeSort(arr, tempArr, mid + 1, last)
                                                log(n) / 2 calls
  merge(arr, tempArr, first, mid, last)
                                           O(n), see below
Conclusion:
mergeSort() contains b calls, which 2^b = n, b = \log(n) base 2, consider as O((k0 + k1) * \log n) = O(\log n), this is
always true no matter the best case or the worst case.
worst case complexity = O(n * log(n)) = O(nlogn)
function merge(Array arr, Array tempArr, int first, int mid, int last) {
  // arr1 & arr2 means 2 part in the arr to be merged together
  int beginHalf1 = first;
int endHalf1 = mid;
int beginHalf2 = mid + 1;
                                 k0
int endHalf2 = last;
int index = 0;
 while((beginHalf1 \leq endHalf1) && (beginHalf2 \leq endHalf2)) iterate 2 arrays -> O(2 * n) = O(n)
{
   if(array[beginHalf1].compareTo(array[beginHalf2]) < 1)
   tempArray[index] = array[beginHalf1];
   beginHalf1++;
   }
   else
                 k2
   tempArray[index] = array[beginHalf2];
   beginHalf2++;
   }
   index++:
  // when arr1 is empty, but arr2 is not
  while((beginHalf1 >= endHalf1) && (beginHalf2 <= endHalf2))
                                                                       Worst case: arr1 empty, arr2 full \rightarrow O(n)
   tempArray[index] = array[beginHalf2];
   beginHalf2++;
   index++;
}
// when the right part has completly copied to tempArray
  while((beginHalf2 >= endHalf2) && (beginHalf1 <= endHalf1))</pre>
                                                                         Worst case: arr2 empty, arr1 full \rightarrow O(n)
   tempArray[index] = array[beginHalf1];
                                               k4
   beginHalf1++;
```