Basics

1) CURRENT MIRROR CIRCUIT:

The beside circuit represents a current mirror

Assume that V_{gs1} is provided in such a way that I_{ref} is the current through M1

But
$$I_{ds1} = \frac{k}{2} \left(\frac{W}{L} \right)_1 \left[(V_{gs1} - V_t) V_{ds1} - \frac{V_{ds1}^2}{2} \right]$$

For mosfet M1 $V_{gs1} = V_{ds1}$

and
$$V_{gs1} - V_t < V_{ds1}$$

M1 is operating in saturation region acting as a constant current source providing a current of I_{ref}

$$I_{ref} = \frac{k}{2} \left(\frac{W}{L} \right) \left(V_{gs1} - V_t \right)^2 \quad ---- \rightarrow (1)$$

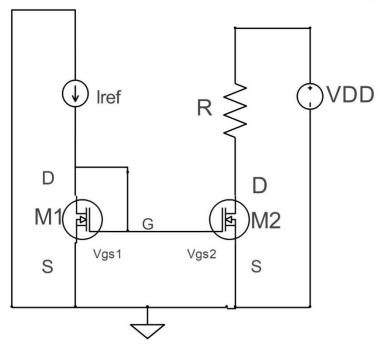
For mosfet M2 $V_{gs2} = V_{gs1}$

and
$$V_{gs2} - V_t < V_{ds2}$$

$$I_{ds2} = \frac{k}{2} \left(\frac{W}{L} \right)_2 \left(V_{gs1} - V_t \right)^2$$

 $I_{ds2} = \frac{k}{2} \left(\frac{W}{L} \right)_2 \left(V_{gs1} - V_t \right)^2$





Since the both mosfets have same V_{qs} and have same k values when it is driven by a load it will allow the same current I_{ref} through it.



These circuits are widely used where a single voltage source is used to drive multiple units in a integrated circuit.

$$I_{d1} = \frac{k}{2} \left(\frac{W}{L} \right) \left(V_{gs} - V_t \right)^2 \quad ---- \rightarrow (2)$$

Divide equation 1 by 2

$$\frac{I_{ref}}{I_{d1}} = \frac{\left(\frac{W}{L}\right)_1}{\left(\frac{W}{L}\right)_2}$$

$$I_{ref} = \frac{\left(\frac{W}{L}\right)_1}{\left(\frac{W}{L}\right)_2} \cdot I_{d1}$$

If
$$\left(\frac{W}{L}\right)_1 = \left(\frac{W}{L}\right)_2$$

Then
$$I_{ref} = I_{d1}$$

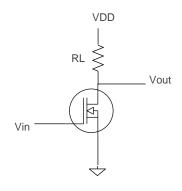
MOSFET COMMON SOURCE AMPLIFIER:

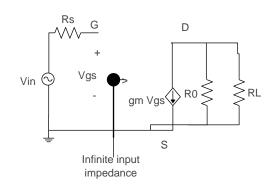


$$V_{out} = -g_m V_{gs}. \ R_L$$

 $V_{out} = -g_m V_{in}. \ R_L$

$$\frac{V_{out}}{V_{in}} = -g_m(R_0||R_L)$$





BALANCED OUTPUT DUAL INPUT DIFFERENTIAL AMPLIFIER(BJT):



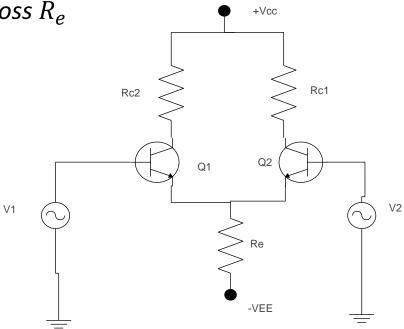
ightarrow During positive half cycle there is a positive voltage drop across R_e and during negative half cycle there is a negative half cycle

there is a negative voltage drop across R_e

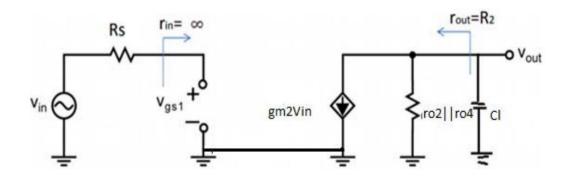
 \rightarrow Hence these both combine and there is no voltage drop across R_e

 $\rightarrow R_e$ is used to operate the transistors in stable condition

→Similar implementation can be done with Mosfets



SMALL SIGNAL ANALYSIS OF SINGLE STAGE:



now, current division rule

$$V_{out} = -g_{m2}V_{in} \frac{(r_{02}||r_{04})*\frac{1}{SC_L}}{(r_{02}||r_{04})+\frac{1}{SC_L}}$$

$$V_{out} = -g_{m2}V_{in}\frac{(r_{02}||r_{04})}{1+(r_{02}||r_{04})*SC_L}$$

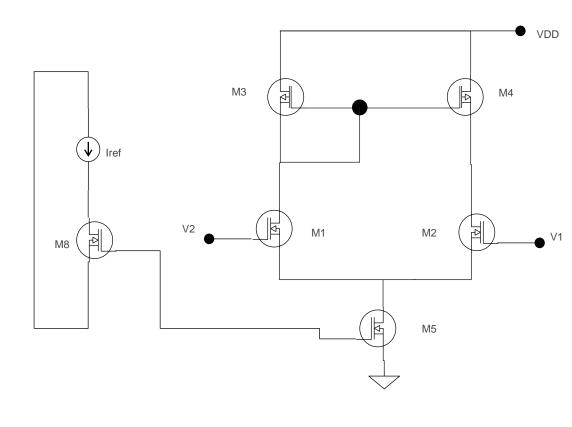
$$\frac{v_{out}}{v_{in}} = -g_{m2} \frac{(r_{02}||r_{04})}{1 + (r_{02}||r_{04}) * SC_L}$$

$$-g_{m2}*(r_{02}||r_{04})\to A_{OL}$$

$$A = \frac{A_{OL}}{1 + (r_{02}||r_{04}) * SC_L} \qquad ------ \rightarrow (1)$$

SINGLE STAGE AMPLIFIER:





Equation (1) has a pole at
$$S = \frac{-1}{(r_{02}||r_{04}).C_L} = P_1$$

$$A = \frac{A_{OL}}{1 + \frac{S}{P_1}} \quad ---- \rightarrow (2)$$

SUMMARY:

→In this single stage amplifier we got good enough phase margin

$$A = \frac{A_{OL}}{1 + \frac{jw}{P_1}}$$

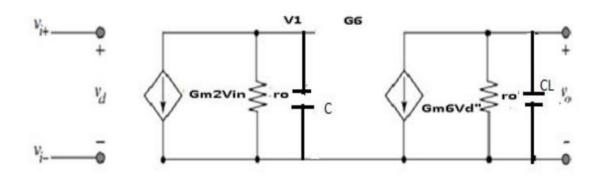
Phase margin= $180^{\circ} + \angle A \mid_{w=P_1}$

$$= 135^{\circ}$$

 \rightarrow But we need better gain, for better gain we are adding 2nd Stage



Small signal analysis:



$$r_{0}=r_{02}||r_{04}|$$

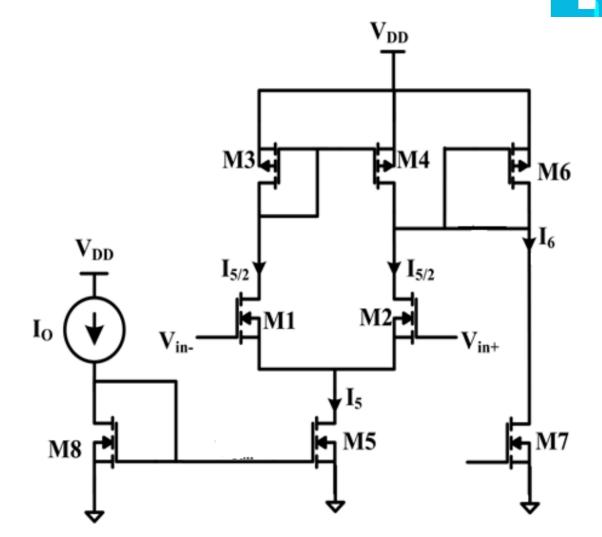
$$r_{0}'=r_{06}||r_{07}|$$

$$C_{L}'=C_{L}||C_{6}||C_{7}|$$

$$V_{d}''=\frac{-g_{m2}V_{in}(r_{02}+r_{04})}{1+\frac{S}{P_{1}}}$$

$$(1)$$

TWO STAGEE OPERATIONAL AMPLIFIER:



$$\frac{V_{d''}}{V_{in}} = \frac{A_{dcl}}{1 + \frac{S}{P_1}} \quad where P_1 = \frac{1}{(r_{02}||r_{04})C_1} = \frac{1}{r_0C_1}$$

$$V_0 = \frac{-g_{m6}V_{d''} r_0}{r_0 + \frac{1}{SCl}}$$

$$V_0 = \frac{-(g_{m6} r_0^{,)}}{1 + \frac{S}{P_2}} \frac{(g_{m2} r_0^{)} V_{in}}{1 + \frac{S}{P_1}} \qquad from (1)$$

$$P_2 = \frac{1}{r_0' C_L}$$

Take
$$A_{dc} = g_{m6}r_{0}'.g_{m2}r_{0}$$

$$A = \frac{V_0}{V_{in}} = \frac{A_{dc}}{(1 + \frac{S}{P_1})(1 + \frac{S}{P_2})}$$

