

Dear Authors,

This year we will make use of `acl_pubcheck`, a Python tool that automatically detects author formatting errors, margin violations as well as many other common formatting errors. If you have an accepted paper and it has a formatting violation, you would ordinarily be personalized getting an email from us. However, to see if we can speed things up this year, we are asking you to self-check your paper for formatting violations using a script we developed.

So, we are asking you to **run the acl_public script** which is described below **before** uploading the camera-ready.

The package is written in Python and there are four steps to using it:

```
1: git clone git@github.com:acl-org/aclpubcheck.git
2: cd ACLPUB
3: pip install -e .
4: python3 aclpub_check/formatchecker.py --paper_type PAPER_TYPE
   PAPER_NAME.pdf
```

You should also be able to use it via:

```
1: pip3 install git+https://github.com/acl-org/aclpubcheck.git
2: python3 -m aclpub_check.formatchecker --paper_type PAPER_TYPE
   PAPER_NAME.pdf
```

We are going to walk you through how to use the tool by considering three papers published by a publication chair at NAACL 2021.

First, consider Josef Valvoda's paper "What About the Precedent: An Information-Theoretic Analysis of Common Law"

```
>> ryans-MBP:ACLPUB ryancotterell$ python3
aclpub_check/formatchecker.py --paper_type long precedent.pdf
```

Checking precedent.pdf

Error (Margin): An image on page 1 bleeds into the margin.

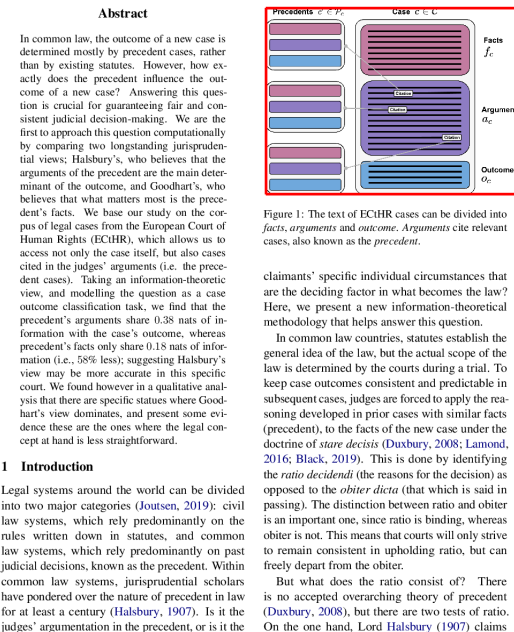
We detected 1 error and 0 warnings in your paper.

Thus, we see this paper has a margin violation. The script output a png called “errors-precedent-page-1.png” which you can see below:

**What About the Precedent:
An Information-Theoretic Analysis of Common Law**

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It shows that Josef has to shrink the first-page picture to make the paper compliant with the formatting rules. This is easily remedied with the adjustbox <https://www.ctan.org/pkg/adjustbox> package or a similar bit of LaTeX.

Next, consider Tiago Pimentel and Irene Nikkarinen's paper: “How (Non-)Optimal is the Lexicon?”

```
>>> python3 aclpub_check/formatchecker.py --paper_type long
lexicon.pdf
```

```
Checking lexicon.pdf
```

```
Error (Margin): Text on page 13 bleeds into the margin.
```

This time, the automatically generated png shows me that the authors didn't keep some math equations out of the margin in a proof in the appendix.

	Train	Validation	Test
English	242,030	66,668	66,243
Finnish	466,745	109,232	110,378
Hebrew	311,860	104,555	104,478
Indonesian	243,118	69,792	70,079
Tamil	479,668	116,196	115,422
Turkish	308,419	84,300	83,871
Yoruba	47,740	12,877	12,877

Table 3: The number of word types used in training, validation and testing.

B Model training

As mentioned in the main text, we cannot directly infer the parameters of our model and we use a solution similar to expectation maximization (Wei and Tanner, 1990). We freeze our LSTM generator while learning the PYCRP parameters and then freeze the PYCRP to train the LSTM model.

Expectation step. This step uses a Gibbs sampling procedure to estimate the parameters of the PYCRP. For each token in our dataset, we fix all cluster assignments \mathbf{z}_{-n} except for the given token's one z_n . We then re-sample this token's cluster based on the marginal probability $p(z_n | \mathbf{z}_{-n}, \ell, \mathbf{w}_n)$. We do this for 5 epochs, and use the assignments which result in the best development set cross-entropy. This process can both remove clusters and create new ones by replacing tokens. The set of populated clusters (together with their wordform labels) then allows creating a new wordform dataset of size K' , where the distribution of the token frequencies is expected to be less skewed. In practice this can be done by using the resulting set of cluster labels $\{\ell_k\}_{k=1}^{K'}$, i.e. a word will appear in this new dataset as many times as it was assigned as a cluster label.

Maximization step. We use the set of populated cluster labels to train the generator LSTM—assuming that this allows learning a more representative model of a language's graphotactics as the irregular common words are less dominant in its training set. In other words, at each epoch, the generator will be trained in a wordform as many times as it has been assigned as a cluster label.

Hyperparameters and implementation details. For the PYCRP, we fix hyper-parameters $a = 0.5$ and $b = 10,000$, and we use the optimized Gibbs

sampling algorithm designed by Blunsom et al. (2009). As our generator, we use a three layers LSTM with an embedding size of 128, a hidden size of 512 and dropout of .33. This LSTM is trained using AdamW (Loshchilov and Hutter, 2019) and we hotstart it by initially training on the set of word types in the training set (the set of unique wordforms in it).

C Proof of Bounded Entropy for Proposition 2

In this section, we present the proof of Proposition 2. This proposition is repeated here for convenience:

Proposition 2. *If a language model $p(\mathbf{w})$ is ε -smooth, then its entropy is finite, i.e. $H(W) < \infty$.*

Proof. To prove this, we first break the entropy of a string in two parts. The entropy of the first character, plus the entropy of the following ones given the first.

$$H(W) = H(W_1) + H(W_{>1} | W_1) \quad (19)$$

We first bound the entropy of the first character using a uniform distribution upperbound:

$$H(W_1) = - \sum_{w_1 \in \Sigma} p(w_1) \log p(w_1) \leq -\log |\Sigma| \quad (20)$$

We now use the ε -smoothness property to upper-bound the entropy of the following characters given the first.

$$\begin{aligned} H(W_{>1} | W_1) &= \sum_{w_1 \in \Sigma} p(w_1) H(W_{>1} | W_1 = w_1) \\ &= p(E \circ W) H(W_{>1} | W_1 = E \circ W) \\ &\quad + \sum_{w_1 \in \Sigma, w_1' = E \circ W} p(w_1) H(W_{>1} | W_1 = w_1) \\ &= \sum_{w_1 \in \Sigma, w_1' = E \circ W} p(w_1) H(W_{>1} | W_1 = w_1) \\ &\leq \sum_{w_1 \in \Sigma, w_1' = E \circ W} p(w_1) H(W_{>1}) \\ &\leq (1 - \varepsilon) H(W) \end{aligned} \quad (21)$$

Now that we have both this upperbounds, we can use them to bound the initial equation:

$$H(W) = H(W_1) + H(W_{>1} | W_1) \leq -\log |\Sigma| + (1 - \varepsilon) H(W) \quad (22)$$

Here, it's likely that the equations have to be broken over two lines. But this is okay because **appendix space is unlimited** !

Finally, consider Jennifer White's paper "A Non-Linear Structural Probe"

```
python3 aclpub_check/formatchecker.py --paper_type short
structural.pdf
```

Checking structural.pdf
All Clear!

So, there were no mistakes!

The script checks for many violations, e.g. page-limit violations, font and font size violations and even a few common typos. The script even makes recommendations about citing non-arXiv versions of papers. These, however, are simply warnings:

Warning (Bibliography): It appears you are using arXiv links more than you should (18/55). Consider using ACL Anthology DOIs instead.

Please send open an issue on github (<https://github.com/acl-org/aclpubcheck/issues>) if you notice any mistakes or have any suggestions.

Please check your papers!