

## NM Lab Sheet II Year / II Part Faculty: Computer/Electrical

### Labsheet#4

#### Objectives:

1. Implement **Secant Method** for the equation  $x - e^{-x} = 0$ .
2. Implement **NR Method** for the equation  $xe^x = \cos(x)$ .

#### Secant Method Algorithm:

1. Start
2. Read two initial guesses  $x_1$ ,  $x_2$  and error limit,  $e$
3. Compute:  $f_1 = f(x_1)$  and  $f_2 = f(x_2)$
4. If  $(f_1 * f_2) > 0$  goto Step 2
5. Determine:  $x = x_2 - f(x_2) \frac{x_2 - x_1}{f(x_2) - f(x_1)}$  &  $f(x)$
6. If  $f_2 * f < 0$  then  
     $x_1 = x$ ;  
    else  
         $x_2 = x$ ;
7. If  $|\frac{x - x_2}{x}| > e$  [ $= 0.00001$ ] then  
     $x_1 = x_2$ ,  $x_2 = x$   
    goto Step 4  
    else  
        goto Step 8
8. Display the root as  $x$ .
9. Stop

#### NR Method Algorithm:

1. Start
2. Read  $x$ ,  $e$ ,  $n$ ,  $d$
3. Do for  $i = 1$  to  $n$  in step of 2
4.  $f = f(x)$
5.  $f_1 = df(x)$
6. If  $|f_1| < d$  then  
    Display too small slope  
    Goto Step 11
7.  $x_1 = x - f/f_1$
8. If  $(|(x_1 - x)/x|) < e$  then  
    Display root  
    goto Step 11
9.  $x = x_1$  and end loop
10. Display method does not converge due to oscillation.
11. Stop

**Lab Assignment#4**

1. Find **a root** of the equation  $x^5 - 3x^3 - 1 = 0$  correct up to *4-decimal places* by the **Secant Method**.
2. Find the **real root** of the equation  $f(x) = 3x - \cos(x) - 1$  correct to *6-decimal places* using **NR Method**.
3. Find **a real root** of the equation  $4e^{-x}\sin(x) - 1 = 0$  by **False Position & Secant Methods** correct to *4-decimal places* lying 0 and 0.5. And compare these methods.
4. Calculate **a positive real root** of the equation  $x\log(x) = 1.2$  in **NR Method** within the accuracy  $5*10^{-7}$ .