

DM-Quiz-2020-Q2

58.82% (10/17)



- **A** y=b0+b1*x
- **B** y=b0+b1*x1+b2*x2
- \square In(y)=b0
- $D y=e^{(b1*x)}$
- E I do not know

2. The interpretation of adjusted R² for multiple linear regression is the same as the interpretation of R² for simple linear regression.

- **A** True
- B False
- C I do not know

3. Which one is observable ("visible")?

- A e (residuals)
- **B** ε (regression error)
- c neither
- D I do not know

 $\mathbf{\chi}$ **4.** The estimation of β is distributed as:

- **B** $b \sim N(\beta, \sigma^2)$
- c $b \sim N(\beta, \sigma^2(X^TX)^{-1})$
- D It does not have distribution
- E I do not know

| X | 5. | How many parameters are estimated by OLS in the case of simple linear regression? |
|----------|-----|---|
| | A | 1 |
| | В | 2 |
| | C | 3 |
| | D | I do not know |
| | | |
| / | 6. | Estimation of e (residuals) is distributed as: |
| | Α | $e \sim N(0, \sigma^2)$ |
| | В | $e\sim N(0, \sigma^2 M)$ (M is a matrix) |
| | C | It does not have distibution |
| | D | I do not know |
| | | |
| X | 7. | b parameters can be computed using only |
| | A | OLS |
| | В | ML |
| | C | Neither |
| | D | I do not know |
| | | |
| / | 8. | In the case of multiple linear regression |
| | A | adj R^2 < 1 (always) |
| | В | adj R^2 <= 1 (always) |
| | C | I do not know |
| | | |
| / | 9. | b= |
| | A | $(X'X)^{-1}X'Y$ |
| | В | $(X'X)^{-1}Y'X$ |
| | C | $(Y'X)^{-1}Y'X$ |
| | D | I do not know |
| | | |
| / | 10. | The total sum of squares equals |
| | A | Sum((y-mean(y))^2) |

B Sum((y_hat-mean(y))^2)

c Sum((y-y_hat)^2)

D I do not know

| X | 11. | The regression sum of squares equals |
|----------|-----|--|
| | A | Sum((y-mean(y))^2) |
| | В | Sum((y_hat-mean(y))^2) |
| | С | Sum((y-y_hat)^2) |
| | | I do not know |
| | | |
| / | 12. | If RSS is the regression sum of squares and ESS is the error sum of squares then |
| | A | R2 = 1 - ESS/TSS |
| | В | R2 = ESS/TSS |
| | C | R2 = ESS/RSS |
| | D | I do not know |
| | | |
| X | 13. | Multicollinearity occurs when |
| | Α | rank(X) <m (m="" explanatory="" is="" number="" of="" th="" the="" variables)<=""></m> |
| | В | $var(\varepsilon) = \sigma^2 I$ |
| | C | E(ε)=0 |
| | D | cov(ɛi,ɛj)=const |
| | E | I do not know |
| | | |
| / | 14. | In simple linear regression model response variable (y) can be |
| | Α | binary |
| | В | categorical |
| | C | numeric |
| | D | ordinal |
| | E | I do not know |
| | | |
| X | 15. | In a simple linear regression model, explanatory variables can be |
| | Α | binary |
| | В | categorical |
| | C | numeric |
| | D | ordinal |
| | E | I do not know |
| | F | all answers are correct |
| | G | Neither |

| X | 16. | If A is a matrix, X is the vector of random variables, then var(AX)= |
|----------|----------|---|
| | Α | A'var(X)A |
| | В | A^2var(X) |
| | C | var(x) |
| | D | Can not be calculated |
| | E | I do not know |
| | | |
| | | |
| / | 17. | Which of the answers can be used to conclude about the significance of variables (if any)? |
| / | 17. A | Which of the answers can be used to conclude about the significance of variables (if any)? t values |
| / | | |
| ~ | A | t values |
| ~ | A B | t values Estimated coefficients (only) |