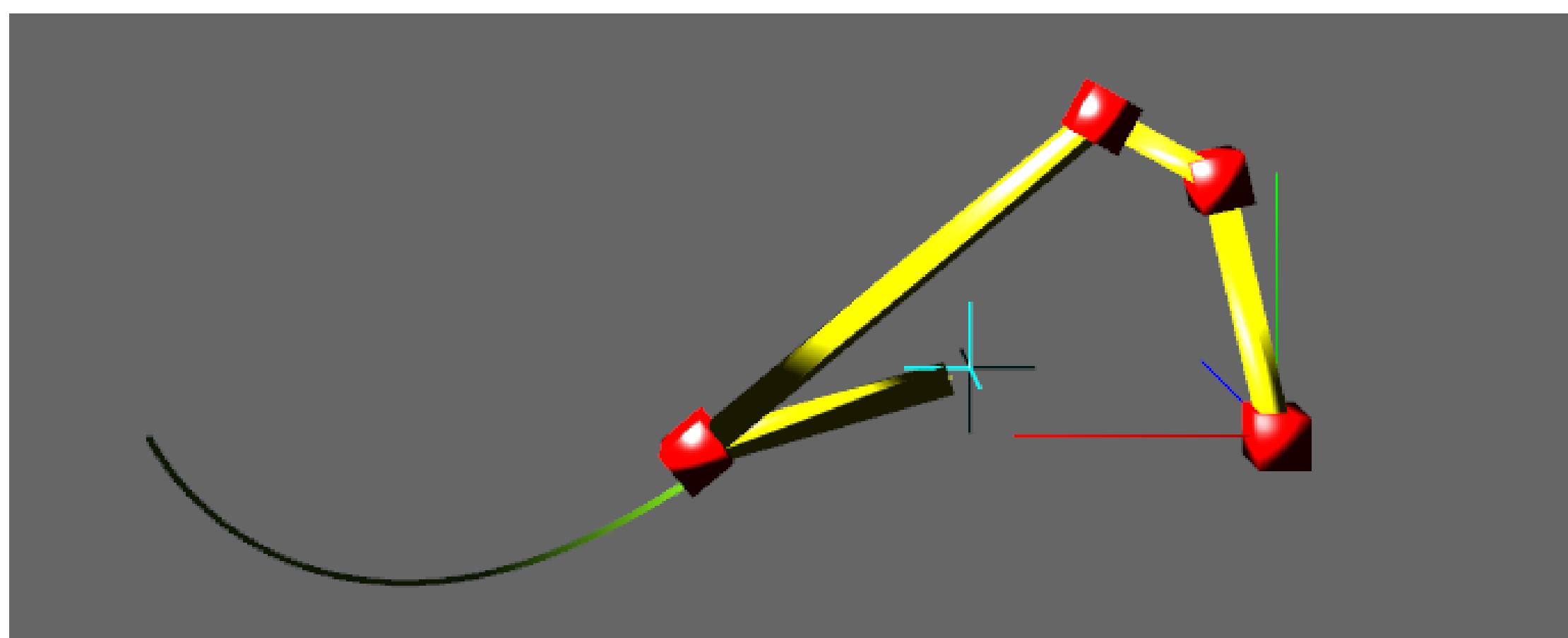


{ GAROE DORTA PEREZ, IEVA KAZLAUSKAITE AND RICHARD SHAW } UNIVERSITY OF BATH

## INVERSE KINEMATICS



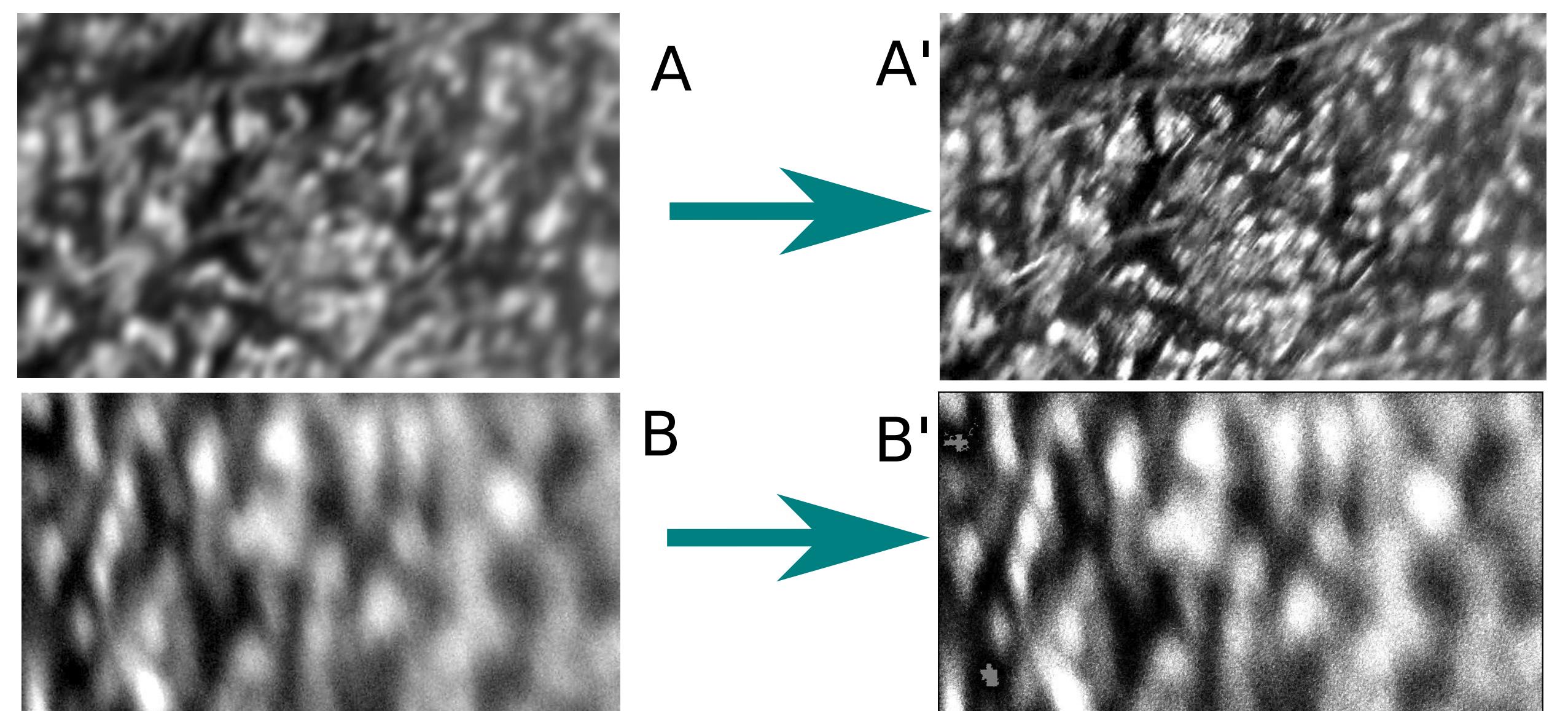
Inverse kinematics uses a known end-effector position  $\mathbf{E}$  to calculate the required angles  $\theta$  between the parts which ensure that the object reaches the desired target position, such that

$$\mathbf{E} = f(\theta) \rightarrow \theta = f^{-1}(\mathbf{E})$$

$$\partial\mathbf{E} \approx J(\theta)\partial\theta \rightarrow \partial\theta \approx J^{-1}(\partial\mathbf{E}),$$

where  $f$  is the forward kinematics solver,  $J$  is the Jacobian matrix, and  $J^+ = (J^T J)^{-1} J^T$  is the pseudoinverse of  $J$ .

## SKIN RENDERING

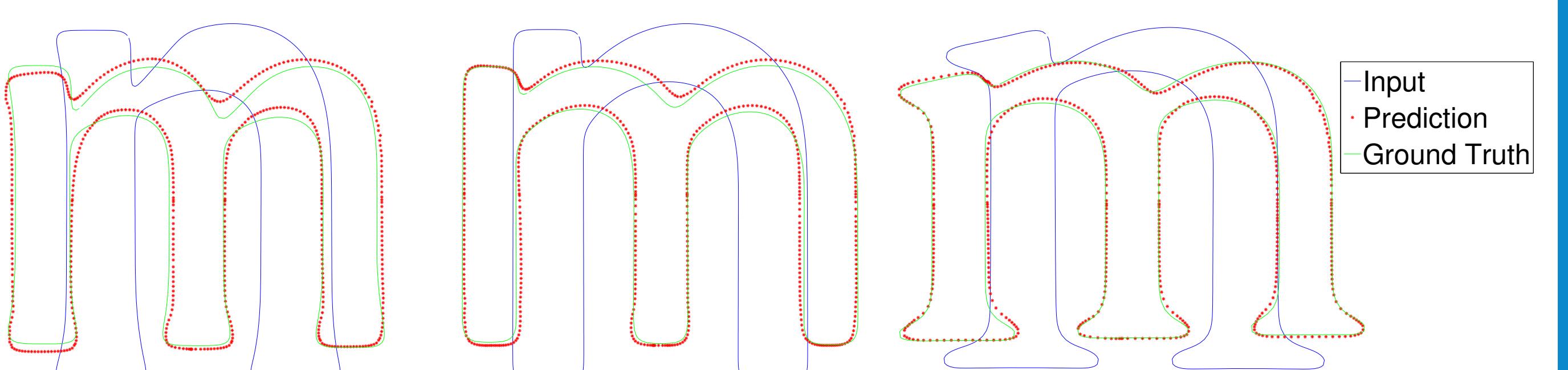


Hertzmann *et al.* [2] introduced a method to apply filters to images based on a best approximate match and a best coherence match pixel search. A high-resolution bump map  $B'$  can be synthesized from a lower resolution  $B$  and a pair of training samples  $A$  and  $A'$ .

## REFERENCES

- [1] M. Alexa, D. Cohen-Or, and D. Levin. As-rigid-as-possible shape interpolation. In *Proc. of the 27th Annual Conference on Computer Graphics and Interactive Techniques*, SIGGRAPH '00, pages 157–164, NY, USA, 2000.
- [2] Aaron Hertzmann, Charles E. Jacobs, Nuria Oliver, Brian Curless, and David H. Salesin. Image analogies. In *Proceedings of the 28th Annual Conference on Computer Graphics and Interactive Techniques*, SIGGRAPH '01, pages 327–340, 2001.

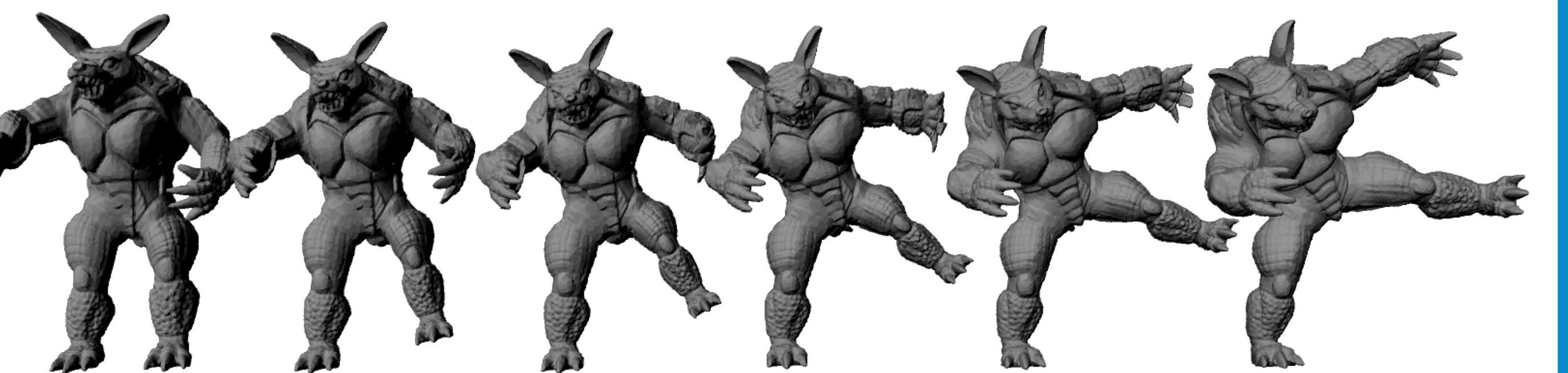
## GAUSSIAN PROCESSES



A Gaussian process is a random process, that can be considered as an infinite-dimensional generalisation of the multivariate Gaussian distribution. The main assumption of Gaussian process modelling is that our data can be represented as a sample from a multivariate normal distribution. Each time a Gaussian process is used to model some data, a kernel has to be chosen, and its parameters tuned to maximise the likelihood.

Even with very few training examples, the Gaussian process model gives a reasonable prediction of the shape of a font. The best results were achieved using an exponential kernel with optimised length scale and variance hyperparameters.

## SHAPE INTERPOLATION



Alexa *et al.* [1] introduced a transformation-based interpolation technique that aims to preserve the structure of the parts that are only translated or rotated between the two meshes. For each triangle, the transformation  $\mathbf{A}$  is split into rotation and translation/shearing, both of which are interpolated linearly. The corresponding smooth transformation is estimated by minimising the error in Frobenius norm:

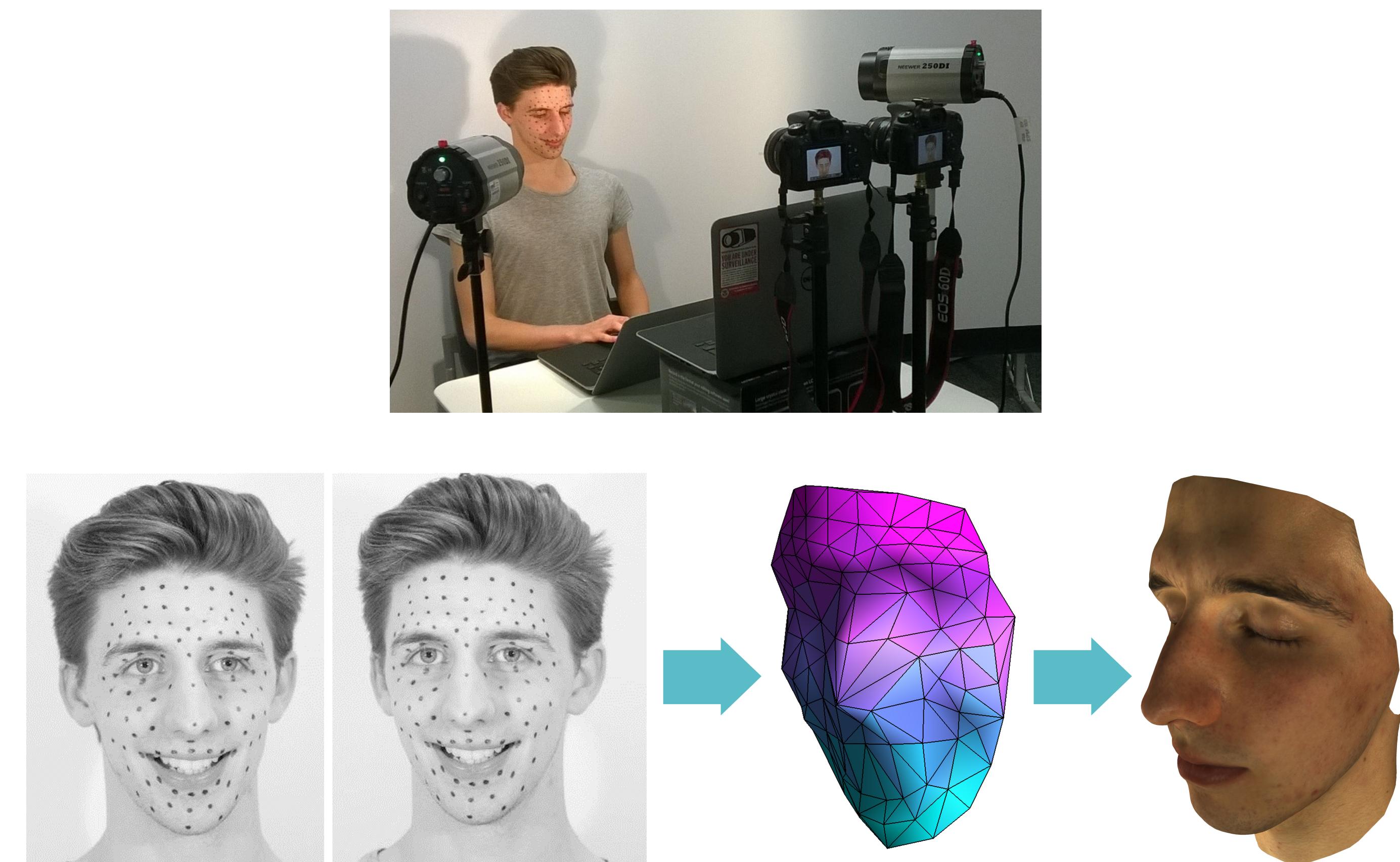
$$E_{V(t)} = \sum_{\Delta \in \mathcal{T}} \|\mathbf{A}_T(t) - \mathbf{B}_T(t)\|_F^2,$$

where  $V(t)$  are the intermediate positions of vertices,  $\mathbf{A}$  is the ideal mapping, and  $\mathbf{B}$  is the actual affine transformation.

## FUTURE RESEARCH

The students undertake an individual three-month summer project in a chosen research area before starting the industrial placement.

## PERFORMANCE-DRIVEN FACIAL ANIMATION



A facial performance was captured using calibrated stereo cameras and by tracking markers on the face. The marker positions produce a sparse 3D point cloud, which is in turn used to drive a high-resolution mesh. A new face  $\mathbf{x}^*$  can be computed from the ‘neutral-face’ plus a weighted combination of blend-shapes, where the required weights are found through optimisation

$$\mathbf{x}^* = \sum_{i=1}^N w_i \mathbf{x}_i \quad \mathbf{w} = \arg \min_{\mathbf{w}} \|\mathbf{x}^* - \sum_{i=1}^N w_i \mathbf{x}_i\|^2$$

A calibration cube is used to calibrate a pair of stereo cameras. The intrinsic matrix  $\mathbf{K}$  and external parameters  $\mathbf{R}$  and  $\mathbf{t}$  can be recovered through decomposition of the projection matrices  $\mathbf{P}$ , where

$$\mathbf{u} = \mathbf{P}\mathbf{x} = \mathbf{K}[\mathbf{R}|\mathbf{t}]\mathbf{x}$$

The fundamental matrix  $\mathbf{F}$  encompasses the intrinsic geometry between two views of a scene and defines the epipolar constraint

$$\mathbf{u}'^T \mathbf{F} \mathbf{u} = 0$$

We can compute epipolar lines in both views, and points which lie on epipolar lines are constrained to intersect at a point in 3D space.

## CONTACT INFORMATION

Web <http://www.digital-entertainment.org>  
 Garoe Dorta Perez [g.dorta.perez@bath.ac.uk](mailto:g.dorta.perez@bath.ac.uk)  
 Ieva Kazlauskaite [ik359@bath.ac.uk](mailto:ik359@bath.ac.uk)  
 Richard Shaw [richard.o.shaw@gmail.com](mailto:richard.o.shaw@gmail.com)