

# A practical Microcylinder Appearance Model for Cloth Rendering

Presented by Garoe Dorta Perez

University of Bath  
Centre For Digital Entertainment

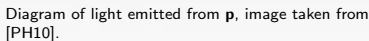
May 27, 2015

## Introduction

### Cloth rendering

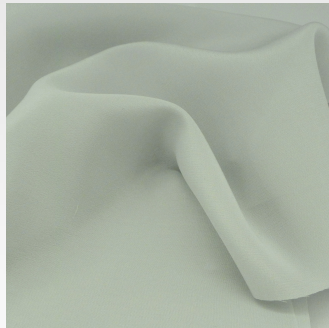
## Introduction

### Cloth rendering

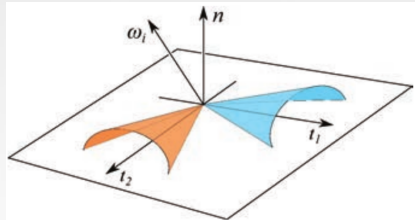
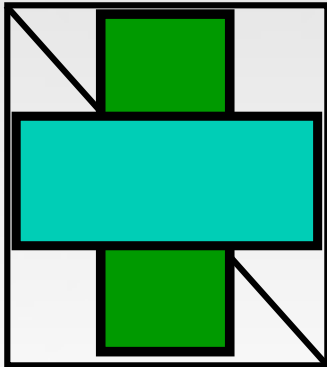


where  $L_o$  is the outgoing radiance,  $L_i$  incoming radiance,  $L_e$  emitted radiance,  $f$  BRDF function,  $\mathbf{p}$  surface point,  $\omega_i$  incident light,  $\omega_o$  outgoing light,  $\Omega$  hemisphere above  $\mathbf{p}$ ,  $\theta_i$  angle of incidence.

- Render cloth fast and realistically
  - Small threads
  - Weaving patterns

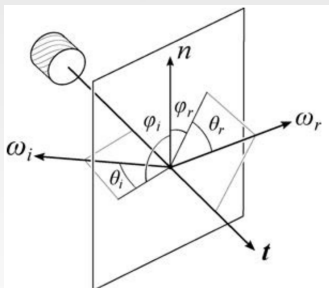


Left shows a close up view of fabric, right shows a picture of cloth, images taken from [SBD\*13].



Left shows model in a triangle mesh, right shows scattering cones in a patch, images taken from [SBD\*13].

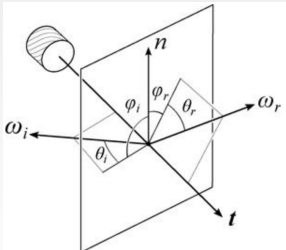
$$\text{BRDF: } f(t, \omega_i, \omega_r) = \frac{\text{Reflection term} + \text{Volume scattering term}}{\text{Normalization factor}},$$



where  $f$  is the BRDF function,  $t$  is the thread direction,  $\omega_i$  is the ray incoming direction,  $\omega_r$  is the ray outgoing direction.

Angle definitions for a single thread, image taken from [SBD\*13].

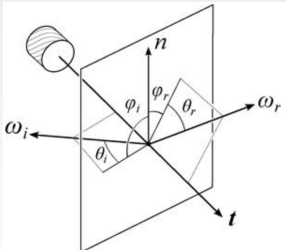
$$\text{BRDF: } f(t, \omega_i, \omega_r) = \left( \overbrace{F_r(\eta, \omega_i) \cos(\phi_d/2) g(\gamma_s, \theta_h)}^{\text{Reflection term}} + F_t(\eta, \omega_i) F_t(\eta', \omega_r') \frac{(1 - k_d) g(\gamma_v, \theta_h) + k_d A}{\cos \theta_i + \cos \theta_r} \right) / \cos^2(\theta_d),$$



where  $f$  is the BRDF function,  $t$  is the thread direction,  $\omega_i$  is the ray incoming direction,  $\omega_r$  is the ray outgoing direction,  $F$  are Fresnel terms,  $\eta$  are Fresnel coefficients,  $g$  is a Gaussian lobe,  $k_d$  is a scattering constant,  $\gamma$  are Gaussian widths,  $\theta_h = (\theta_i + \theta_r)/2$  and  $\phi_d = \phi_i - \phi_r$ .

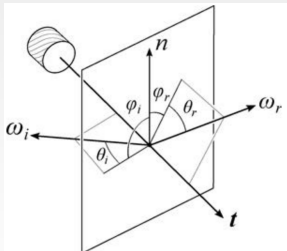


$$\text{BRDF: } f(t, \omega_i, \omega_r) = \left( F_r(\eta, \omega_i) \overbrace{\cos(\phi_d/2)}^{\text{Cylinder reflection}} g(\gamma_s, \theta_h) + F_t(\eta, \omega_i) F_t(\eta', \omega'_r) \frac{(1 - k_d)g(\gamma_v, \theta_h) + k_d A}{\cos \theta_i + \cos \theta_r} \right) / \cos^2(\theta_d),$$



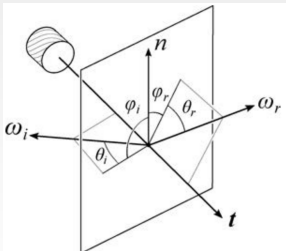
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$$\text{BRDF: } f(t, \omega_i, \omega_r) = \left( F_r(\eta, \omega_i) \cos(\phi_d/2) \overbrace{g(\gamma_s, \theta_h)}^{\text{Cylinder roughness}} + F_t(\eta, \omega_i) F_t(\eta', \omega_r') \frac{(1 - k_d) g(\gamma_v, \theta_h) + k_d}{\cos \theta_i + \cos \theta_r} A \right) / \cos^2(\theta_d),$$



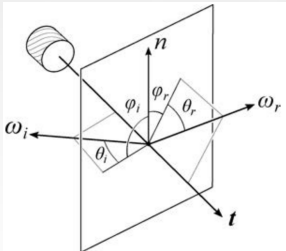
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$$\text{BRDF: } f(t, \omega_i, \omega_r) = \left( \overbrace{F_r(\eta, \omega_i)}^{\text{Attenuation factor}} \cos(\phi_d/2) g(\gamma_s, \theta_h) + F_t(\eta, \omega_i) F_t(\eta', \omega_r') \frac{(1 - k_d) g(\gamma_v, \theta_h) + k_d A}{\cos \theta_i + \cos \theta_r} \right) / \cos^2(\theta_d),$$



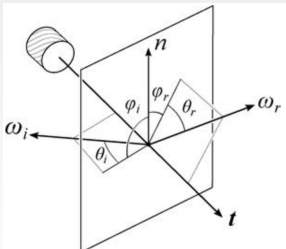
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$$\text{BRDF: } f(t, \omega_i, \omega_r) = \left( F_r(\eta, \omega_i) \cos(\phi_d/2) g(\gamma_s, \theta_h) + \right. \\ \left. \overbrace{F_t(\eta, \omega_i) F_t(\eta', \omega_r') \frac{(1 - k_d) g(\gamma_v, \theta_h) + k_d}{\cos \theta_i + \cos \theta_r} A}^{\text{Volume scattering term}} \right) / \cos^2(\theta_d),$$



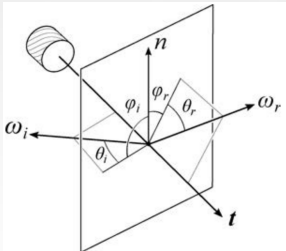
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$$\text{BRDF: } f(t, \omega_i, \omega_r) = \left( F_r(\eta, \omega_i) \cos(\phi_d/2) g(\gamma_s, \theta_h) + \overbrace{F_t(\eta, \omega_i) F_t(\eta', \omega_r')}^{\text{Attenuation factor}} \frac{(1 - k_d) g(\gamma_v, \theta_h) + k_d A}{\cos \theta_i + \cos \theta_r} \right) / \cos^2(\theta_d),$$



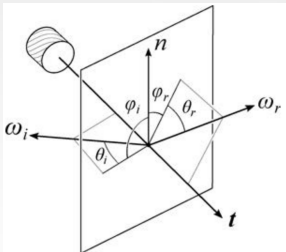
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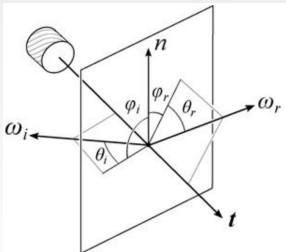
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$$\text{BRDF: } f(t, \omega_i, \omega_r) = \left( F_r(\eta, \omega_i) \cos(\phi_d/2) g(\gamma_s, \theta_h) + F_t(\eta, \omega_i) F_t(\eta', \omega_r') \frac{(1 - k_d) g(\gamma_v, \theta_h) + k_d A}{\underbrace{\cos \theta_i + \cos \theta_r}_{\text{Normalization factor}}} \right) / \cos^2(\theta_d),$$



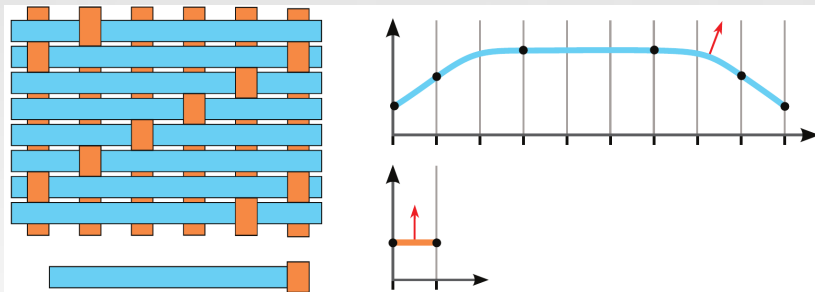
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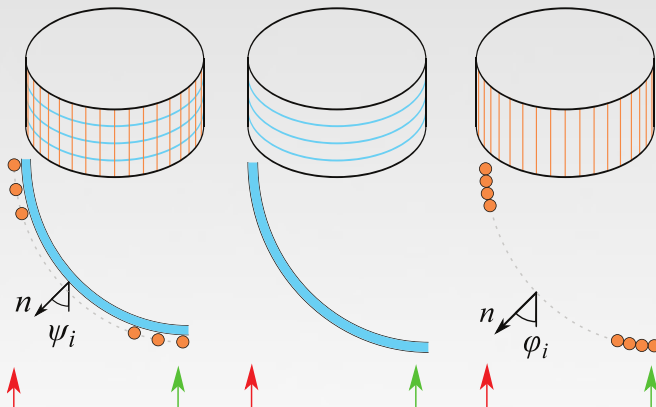


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Normal sampling, (top-left) cloth patch, (bottom-left) smallest cloth patch, (top-right) blue thread tangent curve, (bottom-right) red thread tangent curve, image taken from [SBD\*13].

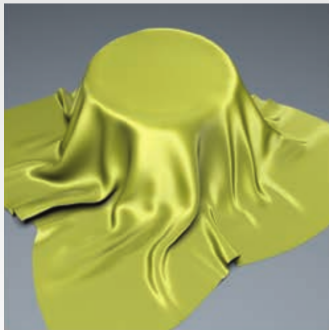


Masking examples, Green arrow points view from above, red arrow points view at grazing angle, image taken from [SBD\*13].

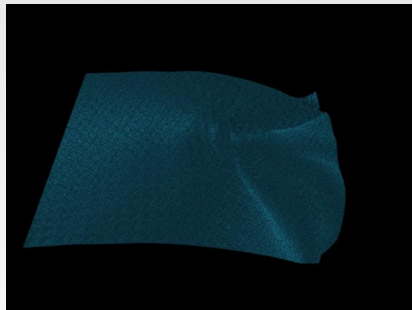
$$L_r(\omega_r) = Q(t) \sum \int L_i(\omega_i) f(t, \omega_i, \omega_r) M(t) P(t) \cos \theta_i d\omega_i,$$

where  $f$  is the BRDF function,  $t$  is the thread direction,  $\omega_i$  is the ray incoming direction,  $\omega_r$  is the ray outgoing direction,  $\theta_i$  is the incoming ray angle,  $Q(t)$  is a normalization factor for samples and non watertight patches,  $M(t)$  is the masking term and  $P(t)$  is a view-projection normalization factor.

- Results



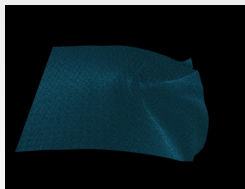
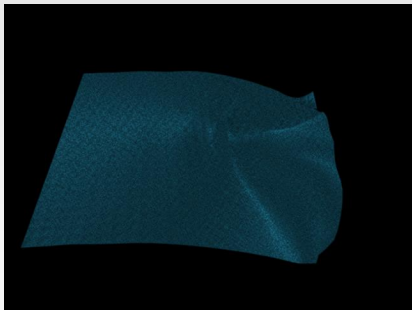
Cloth render result from [SBD\*13].



Cloth render with our code.

- Fixed close up with hybrid model
- BRDF modifications for speed or quality
- Estimate good values for parameters
  - Picture of target cloth
  - 2D Manifold of parameters space

- Appearance model for cloth
- Skin rendering



Left shows cloth rendering scene, right shows skin rendering scene.

- Implement full model
- Importance sampling extensions by [MI] and [WXK]
- Improve model

# Thank you

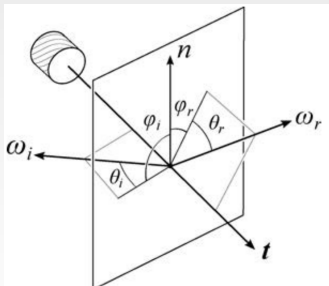
## Questions?

### References

- [SHD15] Simon, F. et al. Rich-VPLs for Improving the Versatility of Many-Light Methods. Computer Graphics Forum, 2015
- [SBD\*13] Sadeghi, I. et al. A practical microcylinder appearance model for cloth rendering. ACM 2013
- [PH10] Pharr, M. et al. Physically based rendering: From theory to implementation, Morgan Kaufmann, 2010
- [MI] Mizutani K. et al. Importance Sampling for Cloth Rendering under Environment Light, Mathematical Progress in Expressive Image Synthesis I, 2014
- [WXX] Wang J. et al. Importance Sampling for a Microcylinder Based Cloth Bsd, SIGGRAPH Talks, 2014



$$\text{BRDF: } f(t, \omega_i, \omega_r) = \left( F_r(\eta, \omega_i) \cos(\phi_d/2) g(\gamma_s, \theta_h) + F_t(\eta, \omega_i) F_t(\eta', \omega'_r) \frac{(1 - k_d) g(\gamma_v, \theta_h) + k_d A}{\cos \theta_i + \cos \theta_r} \right) / \cos^2(\theta_d),$$



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