$\operatorname{def} \mathbf{p}_{\mathbf{w}}(\mathbf{w})$: # $K(p_{\mathbf{w}}) = \operatorname{length} \operatorname{of this function}$ p(z; f(w))... # returns a probability $\mathbf{w}_{\text{compressed}} = [...] \# K(W \mid p_{W}) = \sum_{n} -\log p_{W}(w_{n})$ $Z \in \mathbb{R}^{N \times D}$ $W \in \mathcal{V}^{N \times L}$ $w = decode_algo(w_compressed, p_w) \# K = small constant$ # 2. Decode Z from W $\operatorname{def} f(\mathbf{w})$: # K(f) = length of this function ... # returns mean and std of a normal distribution Sentences Decoder Representation def p normal(mu, std): # K = small constant

b.

 $p_{w}(w)$

def construct z():

return z

1. Describe Z using a compressed code W

... # returns a probability
$$\mathbf{z}_{mu}, \mathbf{z}_{std} = \mathbf{f}(\mathbf{w}) \text{ } # K = \text{small constant} \\
\mathbf{z}_{correction} = [...] \text{ } # K(Z \mid W, f) = \sum_{n=1}^{\infty} -\log \mathcal{N}(z_n; z_n^{\mu}, z_n^{\sigma}) \\
\mathbf{z}_{n} = \operatorname{decode_algo}(\mathbf{z}_{correction}, \mathbf{p}_{n} - \mathbf{n}) = \sum_{n=1}^{\infty} -\log \mathcal{N}(z_n; z_n^{\mu}, z_n^{\sigma}) \\
\mathbf{z}_{n} = \operatorname{decode_algo}(\mathbf{z}_{n} - \mathbf{n}) = \sum_{n=1}^{\infty} -\log \mathcal{N}(z_n; z_n^{\mu}, z_n^{\sigma}) \\
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