

JYCの算法竞赛模板

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缺省源

模板正式开始

```
1  #include<bits/stdc++.h>
2  using namespace std;
3
4  // #define ONLINE
5  #ifndef ONLINE
6  #define debug(...) fprintf(stderr,##__VA_ARGS__)
7  #else
8  #define debug(...) ;
9  #endif
10
11 using LL=long long;
12 using PII=pair<int,int>;
13
14 const int mod=998244353;
15 mt19937 rng(chrono::system_clock::now().time_since_epoch().count());
16
17 //double关键字比大小
18 #define eps (1e-8)
```

```

19 inline int sign(const double& x){
20     if(fabs(x)<eps) return 0;
21     return x>0.0?1:-1;
22 }
23 inline int dcmp(const double& x,const double& y){
24     return sign(x-y);
25 }
26
27 //快读
28 template<typename T>
29 inline T READ(){
30     T x=0; bool f=0; char c=getchar();
31     while(c<'0' || c>'9') f|=(c=='-'),c=getchar();
32     while(c>='0' && c<='9') x=x*10+c-'0',c=getchar();
33     return f?-x:x;
34 }
35 inline int read(){return READ<int>();}
36 inline LL readLL(){return READ<LL>();}

```

数据结构

树状数组

```

1  template<typename T>//T is int or LL
2  class FenTree{
3  private:
4      int n;
5      vector<T>c;
6      inline int lowbit(const int& x){
7          return x&(-x);
8      }
9  public:
10     FenTree(int n_){
11         c.assign(n=n_,T(0));
12     }
13     void init(int n_){
14         c.assign(n=n_,T(0));
15     }
16     void add(int i,int x){
17         for(;i<n;i+=lowbit(i)) c[i]+=x;
18     }
19     T query(int i){
20         T res=0;
21         for(;i>=1;i-=lowbit(i)) res+=c[i];
22         return res;
23     }
24 };

```

线段树

封装的不是很好，具体 *Info* 的传递还是得自己修改源码，没法直接传个 *class* 进来

初始化时，传入一个一维 *vector a* 以及它的长度 *n*，数据存储在下标 $1 \sim n$

```

1  #define ls (id<<1)
2  #define rs (id<<1|1)

```

```

3  class SGT{//以线段树维护区间最大值为例，支持区间修改
4  private:
5      struct Node{
6          int l,r;
7          int mx; bool tag;
8          friend Node operator +(const Node& A,const Node& B){
9              Node ret;
10             ret.l=A.l,ret.r=B.r;
11
12             //update the main content
13             ret.mx=max(A.mx,B.mx);
14             ret.tag=0;
15
16             return ret;
17         }
18     };
19     vector<Node>q;
20     void spread(int id){
21         if(q[id].l==q[id].r) return;
22         //spread the lazy tag
23         if(q[id].tag){
24             q[ls].mx=q[id].mx;
25             q[rs].mx=q[id].mx;
26             q[ls].tag=1;
27             q[rs].tag=1;
28             q[id].tag=0;
29         }
30     }
31     void build(const vector<int>& a,int l,int r,int id=1){
32         if(l==r){
33             q[id].l=l,q[id].r=r;
34
35             //init value
36             q[id].mx=a[l],q[id].tag=0;
37
38             return;
39         }
40         int mid=l+r>>1;
41         build(a,l,mid,ls);
42         build(a,mid+1,r,rs);
43         q[id]=q[ls]+q[rs];
44     }
45 public:
46     SGT(const vector<int>& a,int n){
47         q.resize(n*5);
48         build(a,1,n);
49     }
50     void init(const vector<int>& a,int n){
51         q.resize(n*5);
52         build(a,1,n);
53     }
54     void modify(int l,int r,int val,int id=1){
55         if(q[id].l==l && q[id].r==r){
56             //modify the value
57             q[id].mx=val,q[id].tag=1;
58             return;
59         }
60         spread(id);

```

```

61     int mid=q[id].l+q[id].r>>1;
62     if(r<=mid) modify(l,r,va,l,ls);
63     else if(l>mid) modify(l,r,va,l,rs);
64     else modify(l,mid,va,l,ls),modify(mid+1,r,va,l,rs);
65     q[id]=q[ls]+q[rs];
66 }
67 int query(int l,int r,int id=1){
68     if(q[id].l==l && q[id].r==r) return q[id].mx;
69     spread(id);
70     int mid=q[id].l+q[id].r>>1;
71     if(r<=mid) return query(l,r,ls);
72     else if(l>mid) return query(l,r,rs);
73     return max(query(l,mid,ls),query(mid+1,r,rs));
74 }
75 int get(int pos,int id=1){
76     if(q[id].l==q[id].r) return q[id].mx;
77     int mid=q[id].l+q[id].r>>1;
78     if(pos<=mid) return get(pos,ls);
79     return get(pos,rs);
80 }
81 };
82 #undef ls
83 #undef rs

```

树链剖分（重链剖分）（LCA模板）

直接把“P3384【模板】重链剖分/树链剖分”的代码复制了一遍

因为原题有取模操作，抄模板的时候记得删去取模，删去取模，删去取模！！

也可以把树链剖分作为 *LCA* 的模板来使用，比倍增的写法优秀很多

```

1 void heavy_path_decomposition(){
2     int n=read(),T=read(),root=read();// mod=read();
3     vector<int>a(n+1);
4     for(int i=1;i<=n;i++) a[i]=read()%mod;//origin value
5     vector<vector<int>>e(n+1);
6     for(int i=1,u,v;i<=n;i++){
7         u=read(),v=read();
8         e[u].push_back(v);
9         e[v].push_back(u);
10    }
11    vector<int>dep(n+1),fa(n+1),siz(n+1),son(n+1);
12    auto dfs1=[&](auto self,int u,int pre)->void{
13        dep[u]=dep[pre]+1,fa[u]=pre,siz[u]=1;
14        for(int v:e[u]){
15            if(v==pre) continue;
16            self(self,v,u);
17            siz[u]+=siz[v];
18            if(siz[v]>siz[son[u]]) son[u]=v;
19        }
20    };
21    dfs1(dfs1,root,0);
22    vector<int>id(n+1),nw(n+1),top(n+1);
23    int timeStamp=0;
24    auto dfs2=[&](auto self,int u,int t)->void{
25        id[u]++timeStamp,nw[timeStamp]=u,top[u]=t;

```

```

26         if(!son[u]) return;
27         self(self,son[u],t);
28         for(int v:e[u]){
29             if(v==fa[u] || v==son[u]) continue;
30             self(self,v,v);
31         }
32     };
33     dfs2(dfs2,root,root);
34     auto LCA=[&](int u,int v)->int{
35         while(top[u]!=top[v]){
36             if(dep[top[u]]<dep[top[v]]) swap(u,v);
37             u=fa[top[u]];
38         }
39         return dep[u]<dep[v]?u:v;
40     };
41     vector<int>sgt_init(n+1);
42     for(int i=1;i<=n;i++) sgt_init[i]=a[nw[i]];
43     SGT sgt(sgt_init,n);//sgt needs to support seg add, seg query
44     auto modify_path=[&](int u,int v,LL val)->void{
45         while(top[u]!=top[v]){
46             if(dep[top[u]]<dep[top[v]]) swap(u,v);
47             sgt.modify(id[top[u]],id[u],val);
48             u=fa[top[u]];
49         }
50         if(dep[u]<dep[v]) swap(u,v);
51         sgt.modify(id[v],id[u],val);
52     };
53     auto query_path=[&](int u,int v)->LL{
54         LL cnt=0ll;
55         while(top[u]!=top[v]){
56             if(dep[top[u]]<dep[top[v]]) swap(u,v);
57             cnt+=sgt.query(id[top[u]],id[u]);
58             u=fa[top[u]];
59         }
60         if(dep[u]<dep[v]) swap(u,v);
61         cnt+=sgt.query(id[v],id[u]);
62         return cnt%mod;
63     };
64     auto modify_tree=[&](int u,int val)->void{
65         sgt.modify(id[u],id[u]+siz[u]-1,val);
66     };
67     auto query_tree=[&](int u)->LL{
68         return sgt.query(id[u],id[u]+siz[u]-1);
69     };
70     for(int op,u,v,w;T-->0){
71         op=read(),u=read();
72         if(op==1){
73             v=read(),w=read();
74             modify_path(u,v,w);
75         }
76         else if(op==2){
77             v=read();
78             printf("%lld\n",query_path(u,v));
79         }
80         else if(op==3){
81             w=read();
82             modify_tree(u,w);
83         }

```

```

84         else{//op==4
85             printf("%lld\n",query_tree(u));
86         }
87     }
88 }

```

平衡树

非常朴素的 *fhqTreap*, 用 *vector* 实现了一下动态开点

```

1  template<typename T>
2  class fhqTreap{
3  private:
4      struct Node{
5          int l,r,siz; LL rnd;
6          T val,sum;
7          Node(){
8              l=r=siz=0; rnd=0ll;
9              val=sum=T(0);
10         }
11         Node(int l_,int r_,int siz_,LL rnd_,T val_,T sum_){
12             l=l_,r=r_,siz=siz_; rnd=rnd_;
13             val=val_,sum=sum_;
14         }
15     };
16     vector<Node>q;
17     int root,rootX,rootY,rootZ;
18     int New(T val){
19         Node new_node=Node(0,0,1,rng(),val,val);
20         q.push_back(new_node);
21         return q.size()-1;
22     }
23     void Update(int id){
24         q[id].siz=q[q[id].l].siz+q[q[id].r].siz+1;
25         q[id].sum=q[q[id].l].val+q[q[id].r].val+q[id].val;
26     }
27     void Split(int id,T key,int& idx,int& idy){
28         if(id==0){
29             idx=idy=0;
30             return;
31         }
32         if(q[id].val<=key){
33             idx=id;
34             Split(q[id].r,key,q[id].r,idy);
35         }
36         else{
37             idy=id;
38             Split(q[id].l,key,idx,q[id].l);
39         }
40         Update(id);
41     }
42     int Merge(int l,int r){
43         if(l==0 || r==0) return l+r;
44         if(q[l].rnd<=q[r].rnd){
45             q[r].l=Merge(l,q[r].l);
46             Update(r);
47             return r;

```

```

48     }
49     else{
50         q[l].r=Merge(q[l].r,r);
51         Update(l);
52         return l;
53     }
54 }
55 public:
56 fhqTreap(){
57     init();
58 }
59 void init(){
60     root=0; q.clear();
61     Node empty_node=Node();
62     q.push_back(empty_node);
63 }
64 void insert(T val){
65     Split(root,val,rootX,rootY);
66     root=Merge(Merge(rootX,New(val)),rootY);
67 }
68 void erase(T val){//actually, 'extract' may be more precise
69     Split(root,val,rootX,rootZ);
70     Split(rootX,val-1,rootX,rootY);
71     rootY=Merge(q[rootY].l,q[rootY].r);
72     root=Merge(Merge(rootX,rootY),rootZ);
73 }
74 T prev(T val){
75     Split(root,val-1,rootX,rootY);
76     int tmp=rootX;
77     while(q[tmp].r) tmp=q[tmp].r;
78     root=Merge(rootX,rootY);
79     return q[tmp].val;
80 }
81 T next(T val){
82     Split(root,val,rootX,rootY);
83     int tmp=rootY;
84     while(q[tmp].l) tmp=q[tmp].l;
85     root=Merge(rootX,rootY);
86     return q[tmp].val;
87 }
88 int rank(T val){//val's rank
89     Split(root,val-1,rootX,rootY);
90     int ans=q[rootX].siz+1;
91     root=Merge(rootX,rootY);
92     return ans;
93 }
94 T get(int rank){
95     int id=root;
96     while(1){
97 // printf("id:%d val:%d l:%d lsiz:%d r:%d
rsiz:%d|rank:%d\n",id,q[id].val,q[id].l,q[q[id].l].siz,q[id].r,q[q[id].r].s
iz,rank);
98         if(q[q[id].l].siz>=rank) id=q[id].l;
99         else if(q[q[id].l].siz+1==rank) return q[id].val;
100        else{
101            rank-=(q[q[id].l].siz+1);
102            id=q[id].r;
103        }

```

```

104     }
105 }
106 // void output(){
107 //     auto dfs=[&](auto self,int u)->void{
108 //         if(!u) return;
109 //         self(self,q[u].l);
110 //         debug("%d|val=%d ls=%d rs=%d\n",u,q[u].val,q[u].l,q[u].r);
111 //         self(self,q[u].r);
112 //     };
113 //     debug("output fhqTreap\n");
114 //     dfs(dfs,root);
115 //     debug("\n");
116 // }
117 };

```

字符串

字符串哈希（多重哈希）

修改 *HL* (*hash_layer*) 以决定使用几重哈希

init 时，传入字符数组首地址，字符串长度（以及是否倒着求哈希，0和缺省为正着求，1为倒着求）

注意字符数组内数据的下标是 $1 \sim n$ ， $1 \sim n$ ， $1 \sim n$!!!

```

1  const int HL=2;//hash layer
2  namespace HC{//Hash Const
3      const int P[4]={13331,233,131,19260817};
4      const int MOD[4]={(int)(1e9+7),998244353,1004535809,754974721};
5      LL ksm[N][4];
6      void init(int use=HL){
7          for(int j=0;j<use;j++){
8              ksm[0][j]=1;
9              for(int i=1;i<N;i++){
10                 ksm[i][j]=(ksm[i-1][j]*P[j])%MOD[j];
11             }
12         }
13     }
14 }
15 template<int T>//T must be a constant
16 class Hash{
17 private:
18     vector<array<LL,T>>h;
19     bool sign;//0:normal 1:reverse
20 public:
21     Hash(char *s,int n,bool sign_=0){
22         init(s,n,sign_);
23     }
24     void init(char *s,int n,bool sign_=0){//s stores at pos [1,n], and just
give para s (NOT s+1)
25         h.resize(n+2);
26         sign=sign_;
27         if(!sign){
28             for(int j=0;j<T;j++){
29                 h[0][j]=0;
30                 for(int i=1;i<=n;i++){
31                     h[i][j]=(h[i-1][j]*HC::P[j]+s[i]-'a'+1)%HC::MOD[j];

```



```

32         }
33     }
34 }
35 else{
36     for(int j=0;j<T;j++){
37         h[n+1][j]=0;
38         for(int i=n;i>0;i--){
39             h[i][j]=(h[i+1][j]*HC::P[j]+s[i]-'a'+1)%HC::MOD[j];
40         }
41     }
42 }
43 }
44 array<LL,T>calc(const int& l,const int& r){
45     array<LL,T>ret;
46     if(!sign){
47         for(int j=0;j<T;j++){
48             ret[j]=h[r][j]-h[l-1][j]*HC::ksm[r-l+1][j];
49         }
50     }
51     else{
52         for(int j=0;j<T;j++){
53             ret[j]=h[l][j]-h[r+1][j]*HC::ksm[r-l+1][j];
54         }
55     }
56     for(int j=0;j<T;j++){
57         ret[j]=(ret[j]%HC::MOD[j]+HC::MOD[j])%HC::MOD[j];
58     }
59     return ret;
60 }
61 static bool check(const array<LL,T>& a,const array<LL,T>& b){
62     for(int i=0;i<T;i++){
63         if(a[i]!=b[i]) return 0;
64     }
65     return 1;
66 }
67 };

```

数学

高精度

[BigIntTiny Template Link](#), 顺便从大佬的 README 里放个 Features preview, 不支持的功能就现写吧。

operators	BigIntHex	BigIntDec	BigIntMini	BigIntTiny
constructor BigInt	✓	✓	✓	✓
constructor int	✓	✓	✓	✓
constructor char*	✓	✓	✗	✗
constructor string	✓	✓	✓	✓
=BigInt	✓	✓	✓	✓
=int	✓	✓	✓	✓
=string	✓	✓	✓	✓
=char*	✓	✓	✓	✗
<, ==, >, <=, >=, != BigInt	✓	✓	✓	✓
+, -, *, /, % int	✗	✗	✗	✓
+=, -=, *=, /=, %= int	✗	✗	✗	✗
+, -, *, /, % BigInt	✓	✓	✓	✓
+=, -=, *=, /=, %= BigInt	✓	✓	✗	✗
Base conversion	✓	✓	✗	✗
Efficiency	★★★★	★★★	★★	★

```

1  struct BigIntTiny {
2      int sign;
3      std::vector<int> v;
4
5      BigIntTiny() : sign(1) {}
6      BigIntTiny(const std::string &s) { *this = s; }
7      BigIntTiny(int v) {
8          char buf[21];
9          sprintf(buf, "%d", v);
10         *this = buf;
11     }
12     void zip(int unzip) {
13         if (unzip == 0) {
14             for (int i = 0; i < (int)v.size(); i++)
15                 v[i] = get_pos(i * 4) + get_pos(i * 4 + 1) * 10 + get_pos(i
16 * 4 + 2) * 100 + get_pos(i * 4 + 3) * 1000;
17         } else
18             for (int i = (v.resize(v.size() * 4), (int)v.size() - 1), a; i
19 >= 0; i--)
20                 a = (i % 4 >= 2) ? v[i / 4] / 100 : v[i / 4] % 100, v[i] =
21 (i & 1) ? a / 10 : a % 10;
22         setsign(1, 1);
23     }
24     int get_pos(unsigned pos) const { return pos >= v.size() ? 0 : v[pos]; }
25 }
26
27 BigIntTiny &setsign(int newsign, int rev) {
28     for (int i = (int)v.size() - 1; i > 0 && v[i] == 0; i--)

```

```

24         v.erase(v.begin() + i);
25         sign = (v.size() == 0 || (v.size() == 1 && v[0] == 0)) ? 1 : (rev ?
newsign * sign : newsign);
26         return *this;
27     }
28     std::string to_str() const {
29         BigIntTiny b = *this;
30         std::string s;
31         for (int i = (b.zip(1), 0); i < (int)b.v.size(); ++i)
32             s += char(*(b.v.rbegin() + i) + '0');
33         return (sign < 0 ? "-" : "") + (s.empty() ? std::string("0") : s);
34     }
35     bool absless(const BigIntTiny &b) const {
36         if (v.size() != b.v.size()) return v.size() < b.v.size();
37         for (int i = (int)v.size() - 1; i >= 0; i--)
38             if (v[i] != b.v[i]) return v[i] < b.v[i];
39         return false;
40     }
41     BigIntTiny operator-() const {
42         BigIntTiny c = *this;
43         c.sign = (v.size() > 1 || v[0]) ? -c.sign : 1;
44         return c;
45     }
46     BigIntTiny &operator=(const std::string &s) {
47         if (s[0] == '-')
48             *this = s.substr(1);
49         else {
50             for (int i = (v.clear(), 0); i < (int)s.size(); ++i)
51                 v.push_back(*(s.rbegin() + i) - '0');
52             zip(0);
53         }
54         return setsign(s[0] == '-' ? -1 : 1, sign = 1);
55     }
56     bool operator<(const BigIntTiny &b) const {
57         return sign != b.sign ? sign < b.sign : (sign == 1 ? absless(b) :
b.absless(*this));
58     }
59     bool operator==(const BigIntTiny &b) const { return v == b.v && sign ==
b.sign; }
60     BigIntTiny &operator+=(const BigIntTiny &b) {
61         if (sign != b.sign) return *this = (*this) - -b;
62         v.resize(std::max(v.size(), b.v.size()) + 1);
63         for (int i = 0, carry = 0; i < (int)b.v.size() || carry; i++) {
64             carry += v[i] + b.get_pos(i);
65             v[i] = carry % 10000, carry /= 10000;
66         }
67         return setsign(sign, 0);
68     }
69     BigIntTiny operator+(const BigIntTiny &b) const {
70         BigIntTiny c = *this;
71         return c += b;
72     }
73     void add_mul(const BigIntTiny &b, int mul) {
74         v.resize(std::max(v.size(), b.v.size()) + 2);
75         for (int i = 0, carry = 0; i < (int)b.v.size() || carry; i++) {
76             carry += v[i] + b.get_pos(i) * mul;
77             v[i] = carry % 10000, carry /= 10000;
78         }

```

```

79     }
80     BigIntTiny operator-(const BigIntTiny &b) const {
81         if (b.v.empty() || b.v.size() == 1 && b.v[0] == 0) return *this;
82         if (sign != b.sign) return (*this) + -b;
83         if (absless(b)) return -(b - *this);
84         BigIntTiny c;
85         for (int i = 0, borrow = 0; i < (int)v.size(); i++) {
86             borrow += v[i] - b.get_pos(i);
87             c.v.push_back(borrow);
88             c.v.back() -= 10000 * (borrow >= 31);
89         }
90         return c.setsign(sign, 0);
91     }
92     BigIntTiny operator*(const BigIntTiny &b) const {
93         if (b < *this) return b * *this;
94         BigIntTiny c, d = b;
95         for (int i = 0; i < (int)v.size(); i++, d.v.insert(d.v.begin(), 0))
96             c.add_mul(d, v[i]);
97         return c.setsign(sign * b.sign, 0);
98     }
99     BigIntTiny operator/(const BigIntTiny &b) const {
100         BigIntTiny c, d;
101         BigIntTiny e=b;
102         e.sign=1;
103
104         d.v.resize(v.size());
105         double db = 1.0 / (b.v.back() + (b.get_pos((unsigned)b.v.size() -
106 2) / 1e4) +
107                             (b.get_pos((unsigned)b.v.size() - 3) + 1) /
108                             1e8);
109         for (int i = (int)v.size() - 1; i >= 0; i--) {
110             c.v.insert(c.v.begin(), v[i]);
111             int m = (int)((c.get_pos((int)e.v.size()) * 10000 +
112 c.get_pos((int)e.v.size() - 1)) * db);
113             c = c - e * m, c.setsign(c.sign, 0), d.v[i] += m;
114             while (!(c < e))
115                 c = c - e, d.v[i] += 1;
116         }
117         return d.setsign(sign * b.sign, 0);
118     }
119     BigIntTiny operator%(const BigIntTiny &b) const { return *this - *this
120 / b * b; }
121     bool operator>(const BigIntTiny &b) const { return b < *this; }
122     bool operator<=(const BigIntTiny &b) const { return !(b < *this); }
123     bool operator>=(const BigIntTiny &b) const { return !(*this < b); }
124     bool operator!=(const BigIntTiny &b) const { return !(*this == b); }
125 };

```

快速幂&矩阵乘法

矩阵乘法中， f 为答案矩阵，是一维长为 n 的 *vector*； a 为转移矩阵，是二维 $n \cdot n$ 的 *vector*

传参数时，直接传入当前的 f 与 a 即可

```

1 LL ksm(LL a,LL b){
2     a%=mod; LL ret=1;
3     while(b){

```

```

4         if(b&1) ret=ret*a%mod;
5         a=a*a%mod;
6         b>>=1;
7     }
8     return ret;
9 }
10
11 void mul(const vector<vector<LL>>& a,vector<LL>& f,int n){//f=a*f
12     vector<LL>b(n,0);
13     for(int i=0;i<n;i++){
14         for(int j=0;j<n;j++){
15             b[i]=(b[i]+a[i][j]*f[j]%mod)%mod;
16         }
17     }
18     swap(f,b);
19 }
20 void self_mul(vector<vector<LL>>& a,int n){//a=a*a
21     vector b(n,vector<LL>(n,0));
22     for(int k=0;k<n;k++){
23         for(int i=0;i<n;i++){
24             for(int j=0;j<n;j++){
25                 b[i][j]=(b[i][j]+a[i][k]*a[k][j]%mod)%mod;
26             }
27         }
28     }
29     swap(a,b);
30 }

```

扩展欧几里得

最终会给出一组满足 $a \cdot x + b \cdot y = g$ 的解

迭代法实现

```

1 int exgcd(int a, int b, int &x, int &y) {
2     if (!b) {
3         x = 1;
4         y = 0;
5         return a;
6     }
7     int d = Exgcd(b, a % b, x, y);
8     int t = x;
9     x = y;
10    y = t - (a / b) * y;
11    return d;
12 }

```

非迭代法实现

```

1  int exgcd(int a, int b, int& x, int& y) {
2      x = 1, y = 0;
3      int x1 = 0, y1 = 1, a1 = a, b1 = b;
4      while (b1) {
5          int q = a1 / b1;
6          tie(x, x1) = make_tuple(x1, x - q * x1);
7          tie(y, y1) = make_tuple(y1, y - q * y1);
8          tie(a1, b1) = make_tuple(b1, a1 - q * b1);
9      }
10     return a1;
11 }

```

P.S. 以下 N 均为据题意设定好的一个常数

```

1  bool notP[N]={}; int phi[N],mn_p[N]={1};
2  vector<int>prime;
3  void init_prime(const int& n=N){//init [1,n-1]
4      phi[1]=1;
5      for(int i=2;i<n;i++){
6          if(!notP[i]){
7              prime.push_back(mn_p[i]=i);
8              phi[i]=i-1;
9          }
10         for(const int& p:prime){
11             if(i>(n-1)/p) break;
12             notP[i*p]=1,mn_p[i*p]=p;
13             if(i%p==0){
14                 phi[i*p]=phi[i]*p;
15                 break;
16             }
17             phi[i*p]=phi[i]*(p-1);
18         }
19     }
20 }

```

阶乘相关的初始化

这个给模板只用来充数的qwq

```

1  namespace Fac{//factorial
2      LL fc[N]={1},fc_inv[N]={1};
3      void init(){
4          for(int i=1;i<N;i++){
5              fc[i]=fc[i-1]*i%mod;
6              fc_inv[i]=fc_inv[i-1]*ksm(i,mod-2)%mod;
7          }
8      }
9      LL F(const int& x){
10         return fc[x];
11     }
12     LL P(const int& x,const int& y){
13         return fc[x]*fc_inv[x-y]%mod;
14     }
15     LL C(const int& x,const int& y){

```

```
16         return fc[x]*fc_inv[y]%mod*fc_inv[x-y]%mod;
17     }
18 }
```

杂项

火车头

娱乐用，用来平时做题凹卡常题

```
1  #pragma GCC target("avx")
2  #pragma GCC optimize(1)
3  #pragma GCC optimize(2)
4  #pragma GCC optimize(3)
5  #pragma GCC optimize("Ofast")
6  #pragma GCC optimize("inline")
7  #pragma GCC optimize("-fgcse")
8  #pragma GCC optimize("-fgcse-lm")
9  #pragma GCC optimize("-fipa-sra")
10 #pragma GCC optimize("-ftree-pre")
11 #pragma GCC optimize("-ftree-vrp")
12 #pragma GCC optimize("-fpeephole2")
13 #pragma GCC optimize("-ffast-math")
14 #pragma GCC optimize("-fsched-spec")
15 #pragma GCC optimize("unroll-loops")
16 #pragma GCC optimize("-falign-jumps")
17 #pragma GCC optimize("-falign-loops")
18 #pragma GCC optimize("-falign-labels")
19 #pragma GCC optimize("-fdevirtualize")
20 #pragma GCC optimize("-fcaller-saves")
21 #pragma GCC optimize("-fcrossjumping")
22 #pragma GCC optimize("-fthread-jumps")
23 #pragma GCC optimize("-funroll-loops")
24 #pragma GCC optimize("-fwhole-program")
25 #pragma GCC optimize("-freorder-blocks")
26 #pragma GCC optimize("-fschedule-insns")
27 #pragma GCC optimize("inline-functions")
28 #pragma GCC optimize("-ftree-tail-merge")
29 #pragma GCC optimize("-fschedule-insns2")
30 #pragma GCC optimize("-fstrict-aliasing")
31 #pragma GCC optimize("-fstrict-overflow")
32 #pragma GCC optimize("-falign-functions")
33 #pragma GCC optimize("-fcse-skip-blocks")
34 #pragma GCC optimize("-fcse-follow-jumps")
35 #pragma GCC optimize("-fsched-interblock")
36 #pragma GCC optimize("-fpartial-inlining")
37 #pragma GCC optimize("no-stack-protector")
38 #pragma GCC optimize("-freorder-functions")
39 #pragma GCC optimize("-findirect-inlining")
40 #pragma GCC optimize("-fhoist-adjacent-loads")
41 #pragma GCC optimize("-frerun-cse-after-loop")
42 #pragma GCC optimize("inline-small-functions")
43 #pragma GCC optimize("-finline-small-functions")
44 #pragma GCC optimize("-ftree-switch-conversion")
45 #pragma GCC optimize("-foptimize-sibling-calls")
46 #pragma GCC optimize("-fexpensive-optimizations")
```

```
47 #pragma GCC optimize("-funsafe-loop-optimizations")
48 #pragma GCC optimize("inline-functions-called-once")
49 #pragma GCC optimize("-fdelete-null-pointer-checks")
```