Text as Data

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Stylometry Who Wrote Disputed Federalist Papers?

Federalist papers → Mosteller and Wallace (1963)

- Persuade citizens of New York State to adopt constitution
- Canonical texts in study of American politics
- 77 essays
 - Published from 1787-1788 in Newspapers
 - And under the name Publius, anonymously

Who Wrote the Federalist papers?

- Jay wrote essays 2, 3, 4,5, and 64
- Hamilton: wrote 43 papers
- Madison: wrote 12 papers

Disputed: Hamilton or Madison?

- Essays: 49-58, 62, and 63
- Joint Essays: 18-20

Task: identify authors of the disputed papers.

Task: Classify papers as Hamilton or Madison using dictionary methods

Setting up the Analysis

Training → papers Hamilton, Madison are known to have authored Test → unlabeled papers Preprocessing:

- Hamilton/Madison both discuss similar issues
- Differ in extent they use stop words
- Focus analysis on the stop words

Setting up the Analysis

- $\mathbf{Y} = (Y_1, Y_2, ..., Y_N) = (Hamilton, Hamilton, Madison, ..., Hamilton)$ $N \times 1$ matrix with author labels
- Define the number of words in federalist paper i as num $_i$

$$\mathbf{X} = \begin{pmatrix} \frac{1}{\text{num}_{1}} & \frac{2}{\text{num}_{1}} & \frac{0}{\text{num}_{1}} & \cdots & \frac{3}{\text{num}_{1}} \\ \frac{0}{\text{num}_{2}} & \frac{1}{\text{num}_{2}} & \frac{0}{\text{num}_{2}} & \cdots & \frac{0}{\text{num}_{2}} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ \frac{0}{\text{num}_{N}} & \frac{0}{\text{num}_{N}} & \frac{1}{\text{num}_{N}} & \cdots & \frac{0}{\text{num}_{N}} \end{pmatrix}$$

 $N \times J$ counting stop word usage rate

-
$$\theta = (\theta_1, \theta_2, \dots, \theta_J)$$

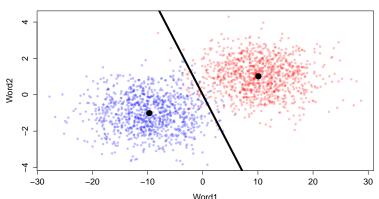
Word weights.

Objective Function

Heuristically: find $\theta^* = (\theta_1^*, \theta_2^*, \dots, \theta_J^*)$ used to create score

$$p_i = \sum_{j=1}^J \theta_j^* X_{ij}$$

that maximally discriminates between categories



Objective Function

Define:

$$oldsymbol{\mu}_{\mathsf{Madison}} = rac{1}{N_{\mathsf{Madison}}} \sum_{i=1}^{N} I(Y_i = \mathsf{Madison}) oldsymbol{X}_i$$
 $oldsymbol{\iota}_{\mathsf{Hamilton}} = rac{1}{N_{\mathsf{Hamilton}}} \sum_{i=1}^{N} I(Y_i = \mathsf{Hamilton}) oldsymbol{X}_i$

Objective Function

We can then define functions that describe the "projected" mean and variance for each author

$$g(\theta, \boldsymbol{X}, \boldsymbol{Y}, \mathsf{Madison}) = \frac{1}{N_{\mathsf{Madison}}} \sum_{i=1}^{N} I(Y_i = \mathsf{Madison}) \boldsymbol{\theta}' \boldsymbol{X}_i = \boldsymbol{\theta}' \boldsymbol{\mu}_{\mathsf{Madison}}$$

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$$s(\theta, \boldsymbol{X}, \boldsymbol{Y}, \mathsf{Madison}) = \sum_{i=1}^{N} I(Y_i = \mathsf{Madison}) (\boldsymbol{\theta}' \boldsymbol{X}_i - \boldsymbol{\theta}' \boldsymbol{\mu}_{\mathsf{Madison}})^2$$

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Objective Function --> Optimization

$$\begin{split} f(\boldsymbol{\theta}, \boldsymbol{X}, \boldsymbol{Y}) &= \frac{\left(g(\boldsymbol{\theta}, \boldsymbol{X}, \boldsymbol{Y}, \mathsf{Hamilton}) - g(\boldsymbol{\theta}, \boldsymbol{X}, \boldsymbol{Y}, \mathsf{Madison})\right)^2}{s(\boldsymbol{\theta}, \boldsymbol{X}, \boldsymbol{Y}, \mathsf{Hamilton}) + s(\boldsymbol{\theta}, \boldsymbol{X}, \boldsymbol{Y}, \mathsf{Madison})} \\ &= \frac{\left(\boldsymbol{\theta}'(\boldsymbol{\mu}_{\mathsf{Hamilton}} - \boldsymbol{\mu}_{\mathsf{Madison}})\right)^2}{\mathsf{Scatter}_{\mathsf{Hamilton}} + \mathsf{Scatter}_{\mathsf{Madison}}} \end{split}$$

Optimization \rightsquigarrow find $\boldsymbol{\theta}^*$ to maximize $f(\boldsymbol{\theta}, \boldsymbol{X}, \boldsymbol{Y})$, assuming independence across dimensions.

(Fisher's) Linear Discriminant Analysis

Optimization >>> Word Weights

For each word j, construct weight θ_j^* ,

$$\begin{array}{ll} \mu_{j,\mathsf{Hamilton}} & = & \frac{\sum_{i=1}^{N} I(Y_i = \mathsf{Hamilton}) X_{ij}}{\sum_{j=1}^{J} \sum_{i=1}^{N} I(Y_i = \mathsf{Hamilton}) X_{ij}} \\ \mu_{j,\mathsf{Madison}} & = & \frac{\sum_{i=1}^{N} I(Y_i = \mathsf{Madison}) X_{ij}}{\sum_{j=1}^{J} \sum_{i=1}^{N} I(Y_i = \mathsf{Madison}) X_{ij}} \\ \sigma_{j,\mathsf{Hamilton}}^2 & = & \mathsf{Var}(X_{i,j} | \mathsf{Hamilton}) \\ \sigma_{j,\mathsf{Madison}}^2 & = & \mathsf{Var}(X_{i,j} | \mathsf{Madison}) \end{array}$$

We can then generate weight θ_i^* as

$$\theta_{j}^{*} = \frac{\mu_{j, \text{Hamilton}} - \mu_{j, \text{Madison}}}{\sigma_{j, \text{Hamilton}}^{2} + \sigma_{j, \text{Madison}}^{2}}$$

Optimization >>> Trimming the Dictionary

- Trimming weights: Focus on discriminating words (very simple regularization)
- Cut off: For all $|\theta_i^*| < 0.025$ set $\theta_i^* = 0$.

Classification → Determining Authorship

For each disputed document i, compute discrimination statistic

$$p_i = \sum_{j=1}^J \theta_j^* X_{ij}$$

 $p_i \rightsquigarrow \text{classification (linear discriminator)}$

- Above midpoint in training set \rightarrow Hamilton text
- Below midpoint in training set \rightarrow Madison text

Findings: Madison is the author of the disputed federalist papers.

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 - Difference in Republican, Democratic language → Partisan words

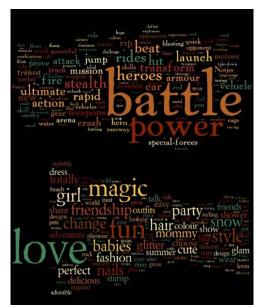
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Vague and Difficult to derive before hand

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- Partial answer: identify words that distinguish press releases and floor speeches

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 - Minimum: $0 \rightarrow X_i$ fails to separate speeches and floor statements

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Bigger mutual information \Rightarrow better discrimination

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Bigger mutual information \Rightarrow better discrimination

Objective function and optimization \leadsto estimate probabilities that we then place in mutual information

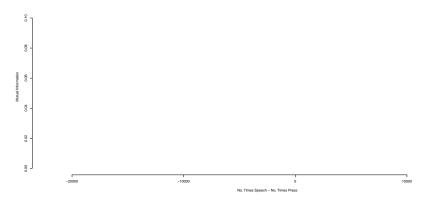
Formula for mutual information (based on ML estimates of probabilities)

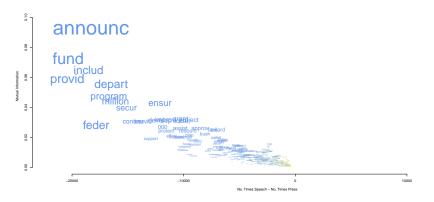
```
n_p = Number Press Releases
  n_s = Number of Speeches
   D = n_p + n_s
  n_j = \sum_{i=1}^D X_{i,j} (No. docs X_j appears)
 n_{-i} = No. docs X_i does not appear
 n_{i,p} = No. press and X_i
 n_{i,s} = No. speech and X_i
n_{-i,p} = No. press and not X_i
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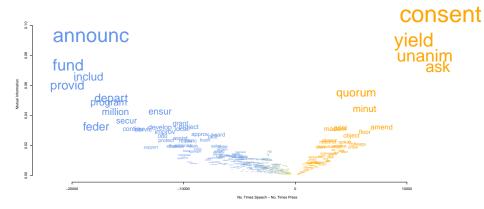
A Method for Identifying Distinguishing Words

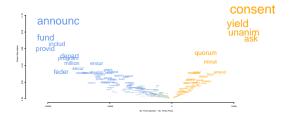
Formula for Mutual Information

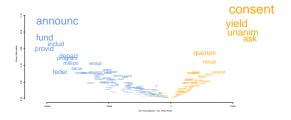
$$MI(X_{j}) = \frac{n_{j,p}}{D} \log_{2} \frac{n_{j,p}D}{n_{j}n_{p}} + \frac{n_{j,s}}{D} \log_{2} \frac{n_{j,s}D}{n_{j}n_{s}} + \frac{n_{-j,p}}{D} \log_{2} \frac{n_{-j,p}D}{n_{-j}n_{p}} + \frac{n_{-j,s}}{D} \log_{2} \frac{n_{-j,s}D}{n_{-j}n_{s}}.$$





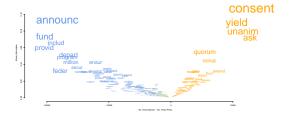




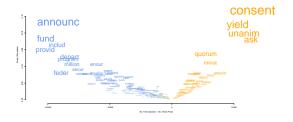


What's Different?

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- Floor Speeches: Procedural Words

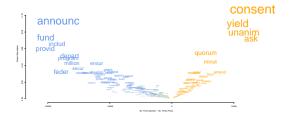


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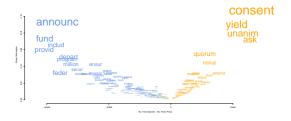
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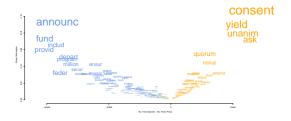
- Validate: Manual Classification



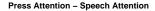
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- Sample 500 Press Releases, 500 Floor Speeches

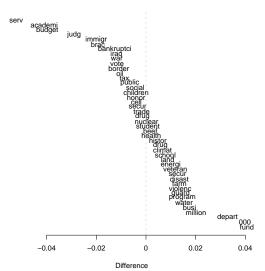


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- Validate: Manual Classification
- Sample 500 Press Releases, 500 Floor Speeches
- Credit Claiming: 36% Press Releases, 4% Floor Speeches
- Procedural: 0% Press Releases, 44% Floor Speeches





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Strategy Construct objective function on *proportions* (and then calculate log-odds)

→ロト → 団 ト → ミ → りへで

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$$Log \ Odds \ Ratio(E, F) = \log\left(\frac{P(E)}{1 - P(E)}\right) - \log\left(\frac{P(F)}{1 - P(F)}\right)$$

Strategy Construct objective function on *proportions* (and then calculate log-odds)

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Suppose we're interested in how a word separates partisan speech.

 $\mathbf{Y} = (Republican, Republican, Democrat, \dots, Republican)$

X =Unnormalized matrix of word counts $N \times J$ Define

$$\mathbf{x}_{\mathsf{Republican}} = (\sum_{i=1}^{N} I(Y_i = \mathsf{Republican}) X_{i1}, \sum_{i=1}^{N} I(Y_i = \mathsf{Republican}) X_{i2}, \dots, \sum_{i=1}^{N} I(Y_i = \mathsf{Republican}) X_{iJ})$$

with $N_{Republican} = Total$ number of Republican words

 $\pi_{\mathsf{Republican}} \ \sim \ \mathsf{Dirichlet}(lpha)$

```
m{\pi}_{\mathsf{Republican}} \sim \mathsf{Dirichlet}(m{lpha}) \ m{x}_{\mathsf{Republican}} | m{\pi}_{\mathsf{Republican}} \sim \mathsf{Multinomial}(m{N}_{\mathsf{Republican}}, m{\pi}_{\mathsf{Republican}})
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This implies an objective function on π ,

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This implies an objective function on π ,

$$p(\pmb{\pi}|\pmb{lpha},\pmb{X},\pmb{Y}) \; \propto \; p(\pmb{\pi}|\pmb{lpha})p(\pmb{x}_{\mathsf{Republican}}|\pmb{\pi}\pmb{lpha},\pmb{Y})$$

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$$p(\pi|lpha, m{X}, m{Y}) \propto p(\pi|lpha)p(m{x}_{\mathsf{Republican}}|\pilpha, m{Y}) \ \propto rac{\Gamma(\sum_{j=1}^{J}lpha_j)}{\prod_{j}\Gamma(lpha_j)} \prod_{j=1}^{J}\pi_j^{lpha_j-1}\pi_j^{\mathsf{x}_{\mathsf{Republican},j}}$$

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 $p(\boldsymbol{\pi}|\boldsymbol{\alpha},\boldsymbol{X},\boldsymbol{Y})$ is a Dirichlet distribution:

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 $p(\boldsymbol{\pi}|\boldsymbol{\alpha},\boldsymbol{X},\boldsymbol{Y})$ is a Dirichlet distribution:

$$\pi_{\mathsf{Republican},j}^* \ = \ \frac{\mathit{x}_{\mathsf{Republican},j} + \alpha_j}{\mathit{N}_{\mathsf{Republican}} + \sum_{j=1}^J \alpha_j}$$

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Calculating Log Odds Ratio

Define log Odds Ratio; as

$$\log \mathsf{Odds} \; \mathsf{Ratio}_j \;\; = \;\; \log \left(\frac{\pi_{\mathsf{Republican},j}}{1 - \pi_{\mathsf{Republican},j}} \right) - \log \left(\frac{\pi_{\mathsf{Democratic},j}}{1 - \pi_{\mathsf{Democratic},j}} \right)$$

$$Var(\log Odds \ Ratio_j) \approx \frac{1}{x_{jD} + \alpha_j} + \frac{1}{x_{jR} + \alpha_j}$$

$$Std. \ Log \ Odds_j = \frac{\log Odds \ Ratio_j}{\sqrt{Var(\log Odds \ Ratio_j)}}$$

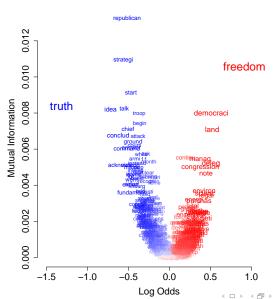
Applying the Model

https://gist.github.com/thiagomarzagao/5851207 How do Republicans and Democrats differ in debate? Condition on topic and examine word usage

- Press Releases (64,033)
- Topic Coded
- Given press release is about topic, what are the features that distinguish Republican and Democratic language?

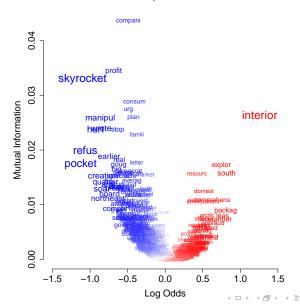
Mutual Information, Standardized Log Odds

Iraq War, Partisan Words



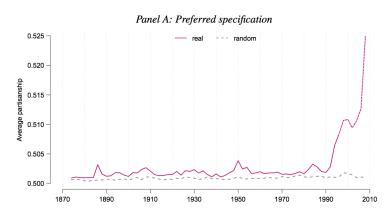
Mutual Information, Standardized Log Odds

Gas Prices, Partisan Words



Gentzkow, Shapiro, and Taddy (2017): Rhetorical Polarization

Figure 3: Average partisanship of speech, penalized estimates



Where do concepts/ideas/questions come from?

- Text as Data (machine learning) methods can suggest idea

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- Human in the loop: utility requires human presence

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