

Investigating the gravitational lens of
the **Helms18** system:
two galaxy groups interacting in
 $z=0.6$?

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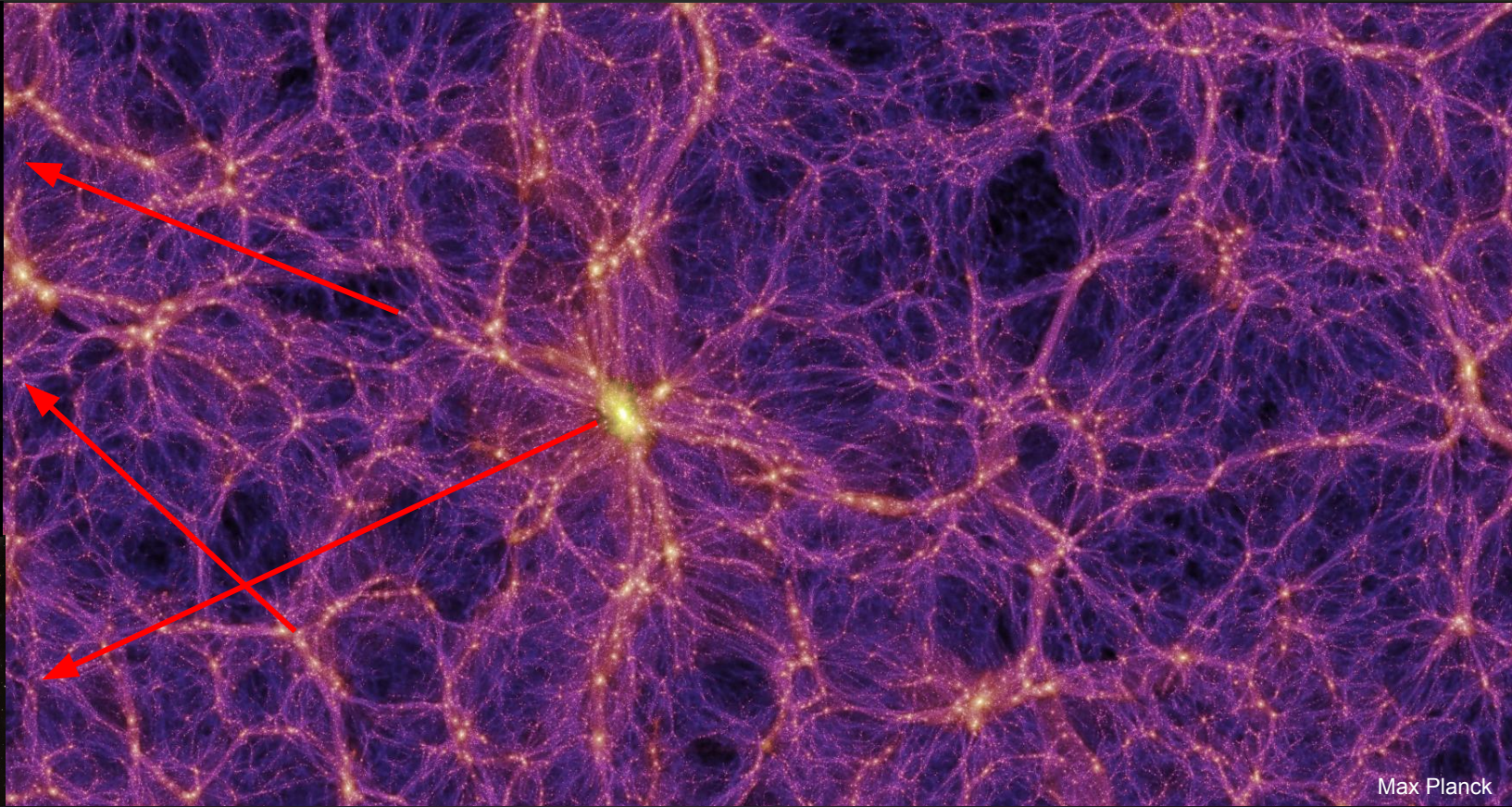
Formation of structures in the Universe



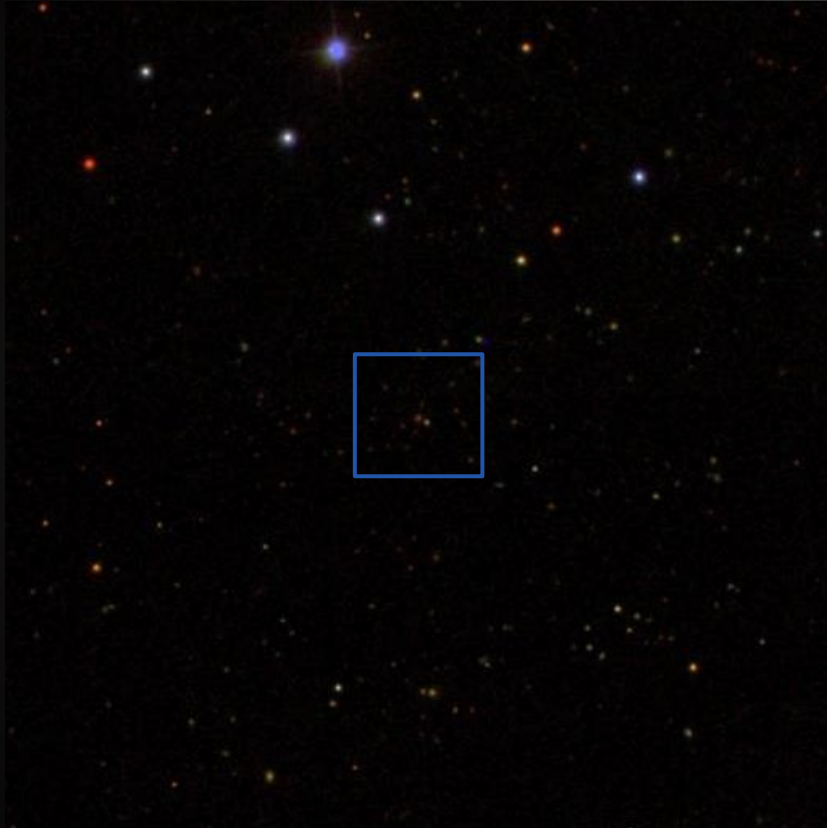
Eso

Gemini

HST

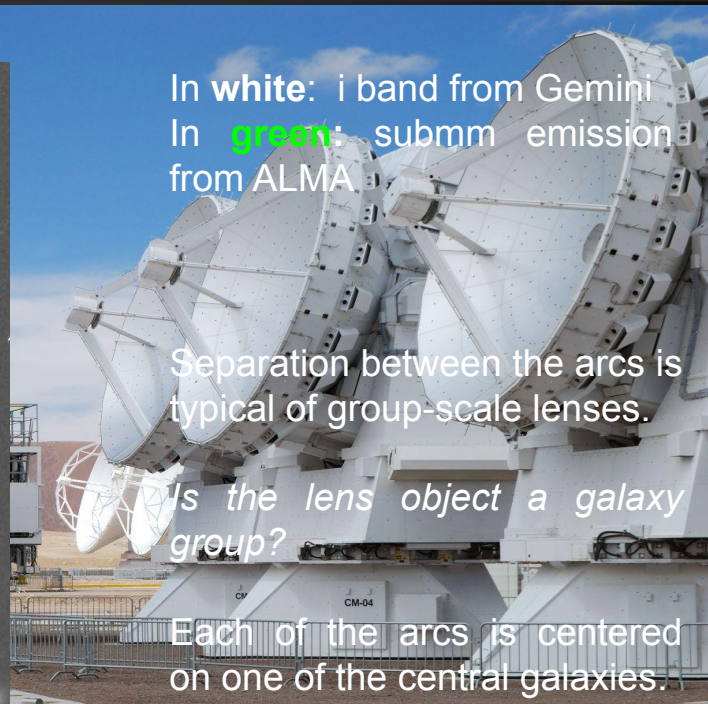
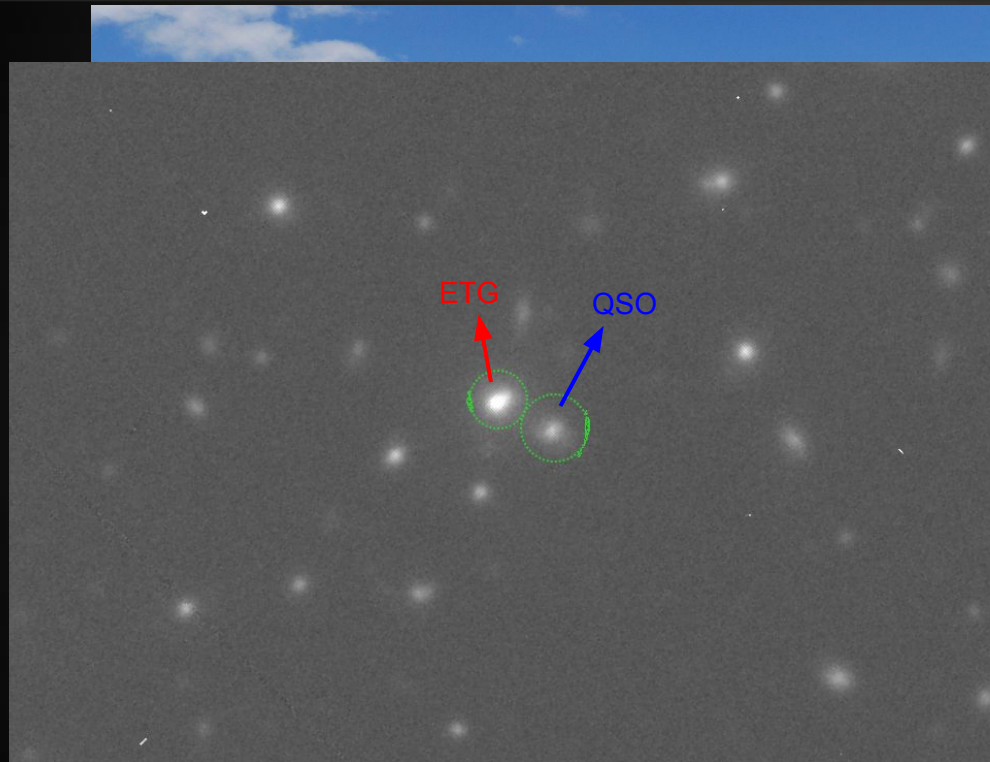


Max Planck



Lens Object HELMS18

- Quasar candidate (QSO) central galaxy
- Elliptical (ETG) central galaxy at $z_{\text{spec}} = 0.6$



Alma Observatory

- Confirm the redshifts of the central galaxies
- Determine the object members
- Determine the properties of the supposed group:
 - Mass
 - Radius
 - Velocity Dispersion

By using the SDSS photometric catalog, we selected the target galaxies in the field of HELMS18 system prioritizing:

1. Galaxies in the red sequence;
2. Galaxies whose photometric redshifts are around the redshift of the central ETG;
3. Other bright galaxies in the field, regardless of their color.

76 galaxies met these criteria

GMOS



Gemini Observatory

Gemini South



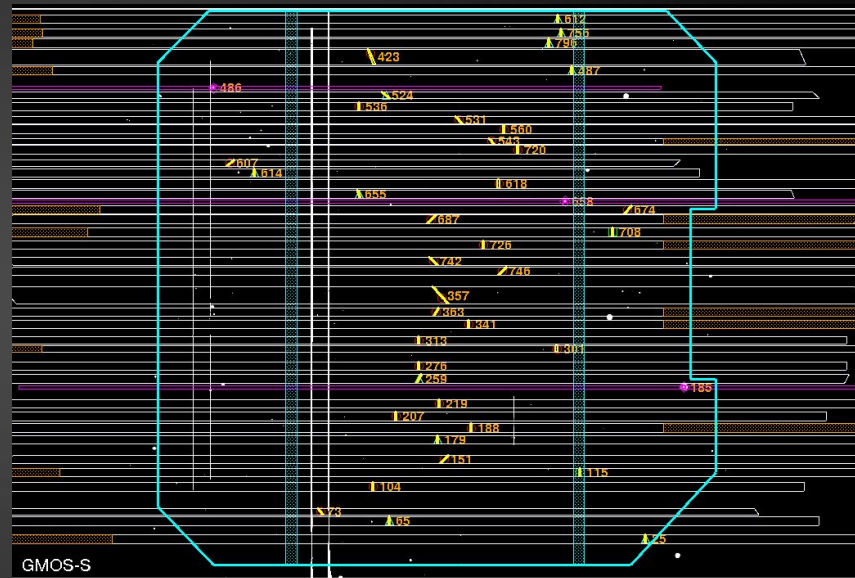
NOIRLab

Observation Details

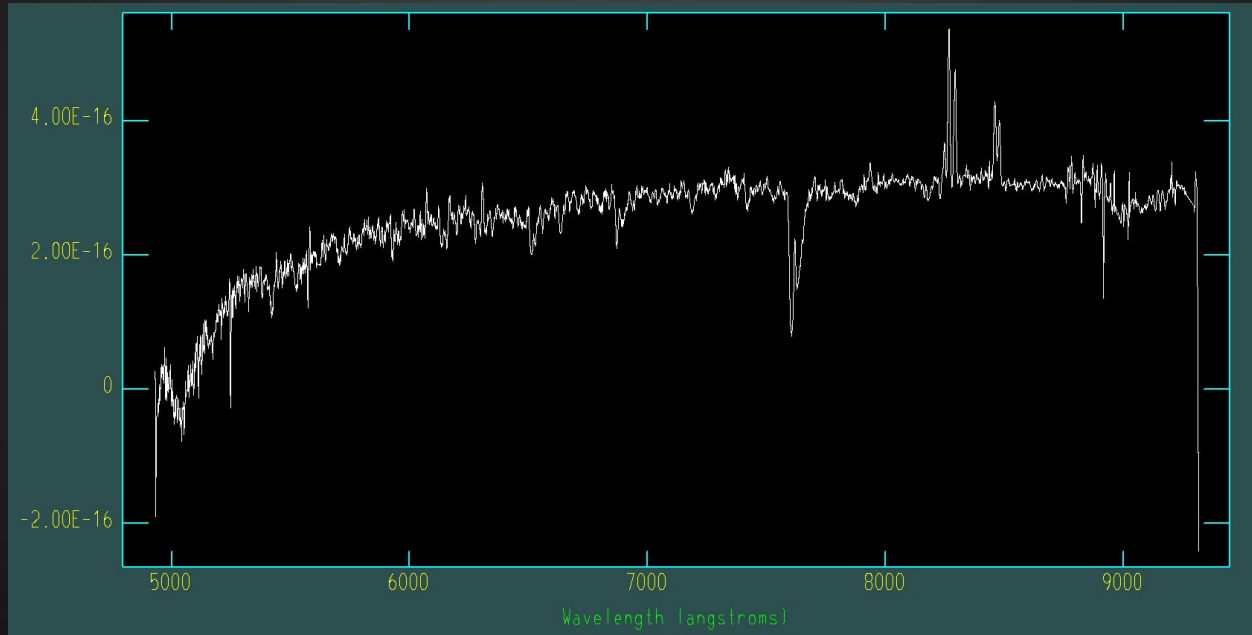
The selected objects were observed using **2 masks** and with the R400-G5325 grating, which covers the rest-frame spectral interval from **~3500Å to ~6000Å**.

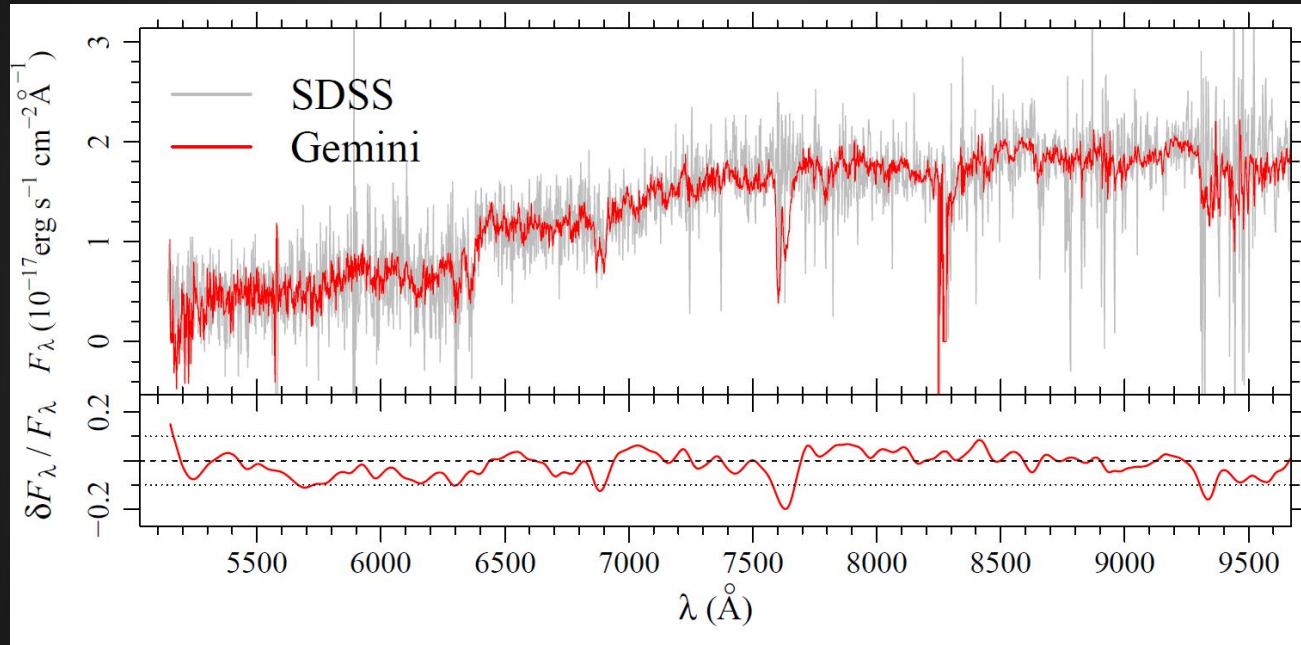
The total exposure time of each mask was **14400 s**.

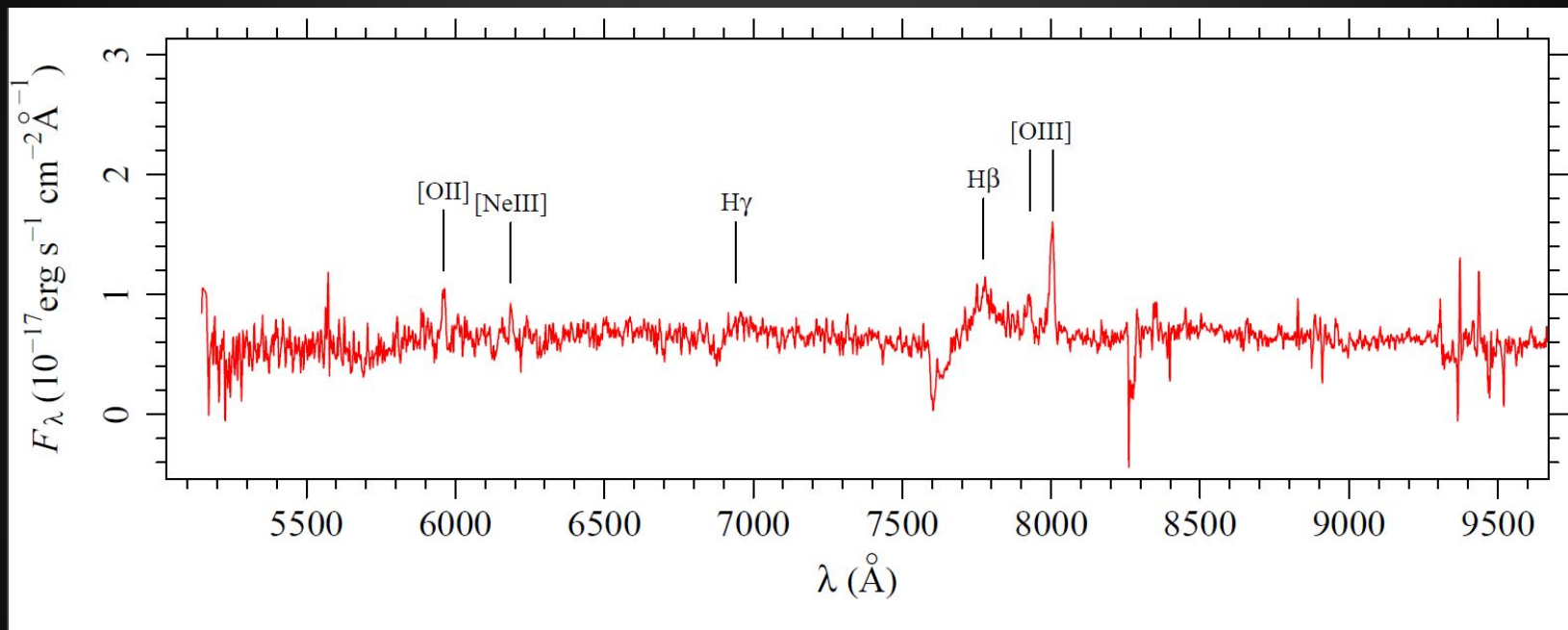
The central galaxies were observed in both masks.



The data was reduced using the standard GMOS data reduction pipeline, taking into account the bias subtraction, flat field correction, quantum efficiency correction, wavelength and flux calibration.



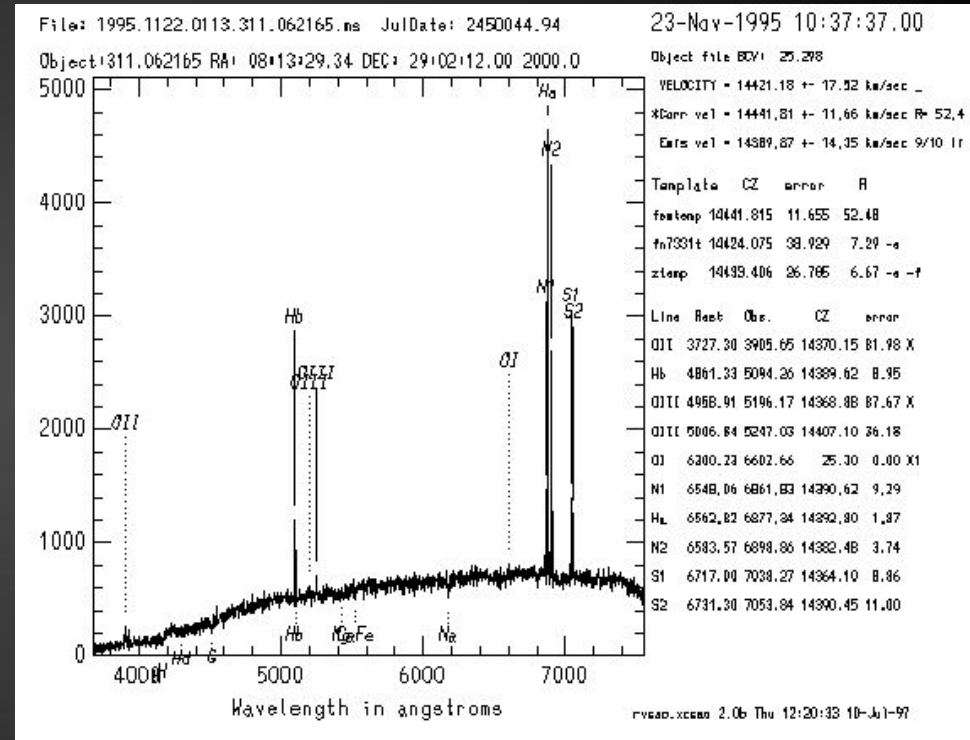




Data Analysis: Redshift Estimation

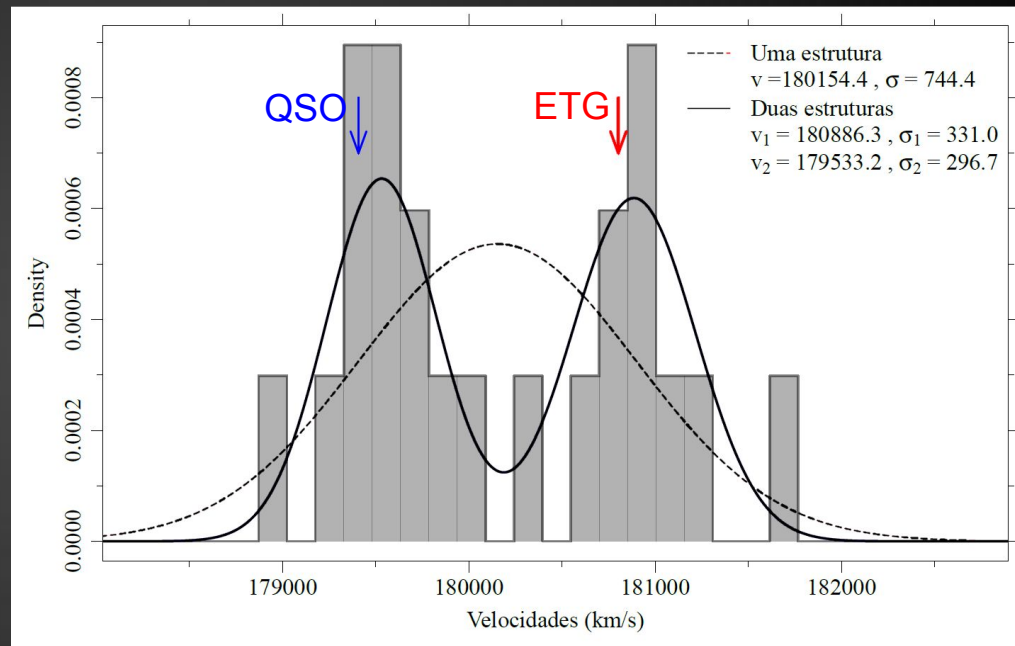
We use the tasks **XCSAO** and **EMSAO** of the RVSAO package in IRAF to determine the redshifts of the target galaxies.

The EMSAO task is mainly used when the analysed galaxy has emission lines, while the XCSAO task is used for every other case.



We select the members of the structure according to the following criteria: $0.583 < z < 0.607$.

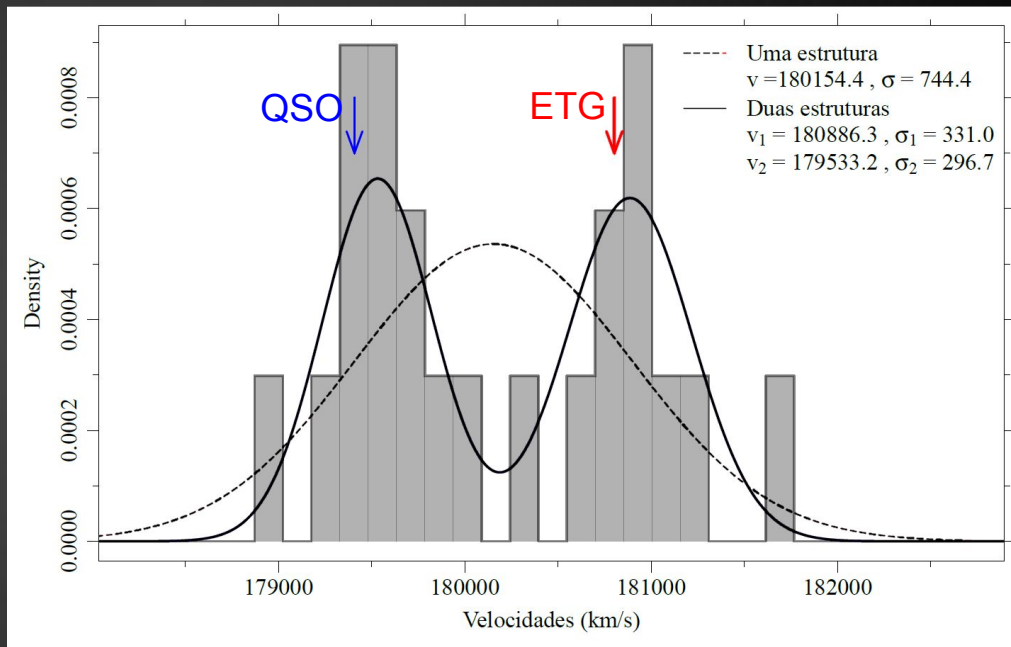
We found 21 members.



$$d = \frac{|\mu_1 - \mu_2|}{2\sqrt{\sigma_1\sigma_2}}$$

Holzmann Vollmer (2008) bimodality indicator.

$$d \approx 2.1$$



We followed a Monte Carlo approach for determining the completeness of the data similar to that described at Verdugo et al. (2016).

$$C(r_i) \equiv \frac{N_{spec}(r_i)}{N_t(r_i) - N_{field,r}(r_i)}$$

N_{spec} : number of confirmed group members in the i-th bin

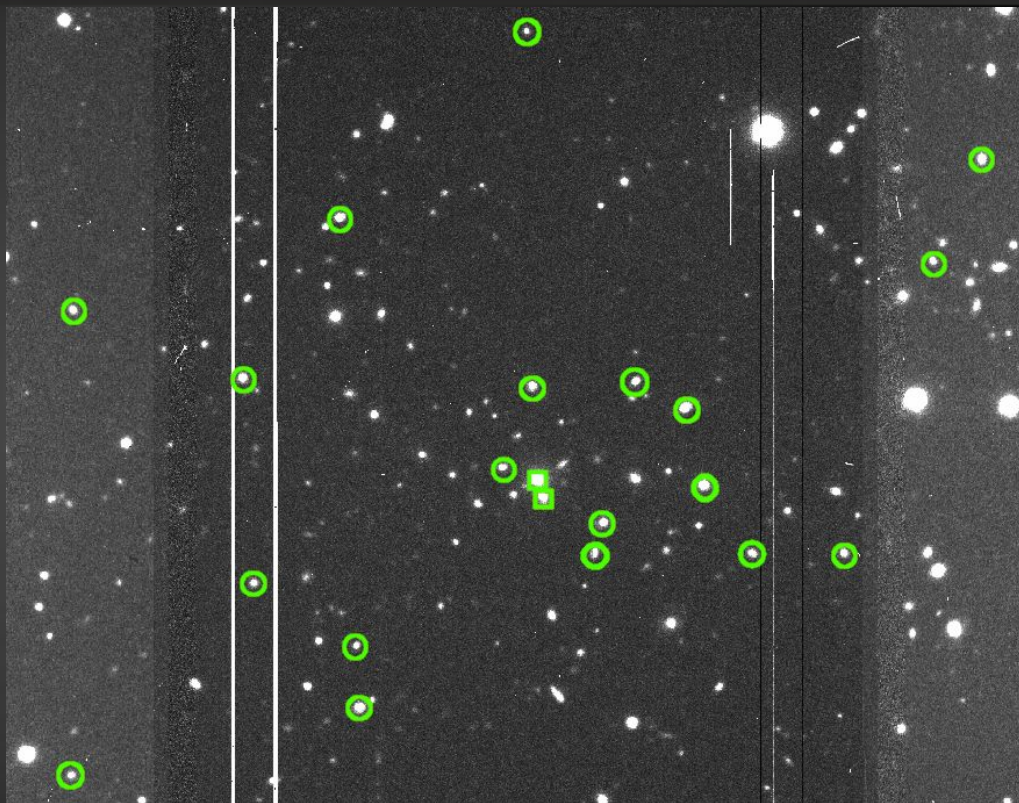
Completeness of ~ 90%

N_t : number of galaxies catalogued in i-th bin

N_{field} : number of field galaxies in the ith bin

(i) The **Mclust** clustering algorithm for separation and classification, and the **Shifting Gapper and Biweight Estimator (SGBE)** algorithm for the $\sigma(v)$

(ii) A **spatial and redshift shell** approach described in Muñoz et al. (2013) for separation and classification, followed by the **SGBE** method for the $\sigma(v)$.



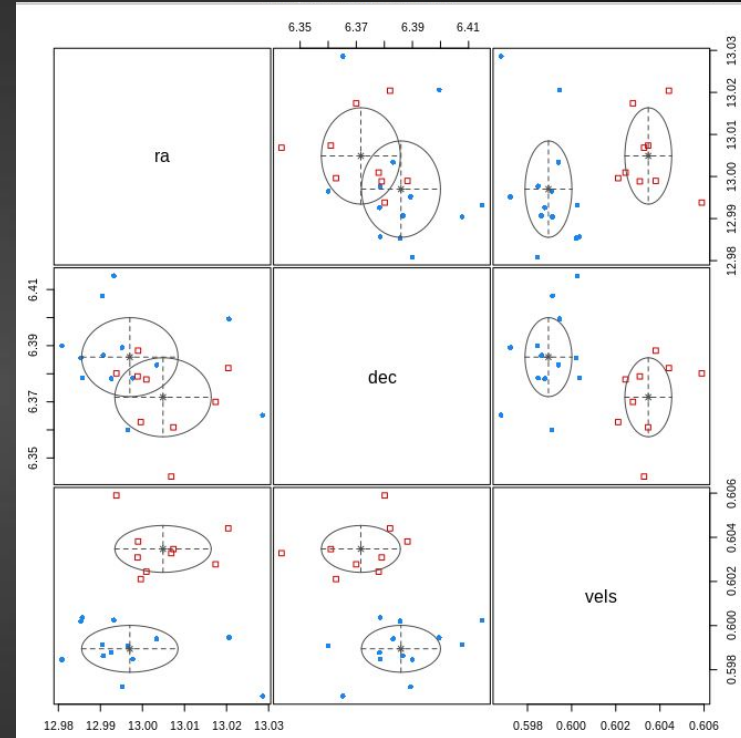
Data Analysis: Membership - Mclust

The **Mclust** is an R package used for normal mixture modeling and model-based clustering.

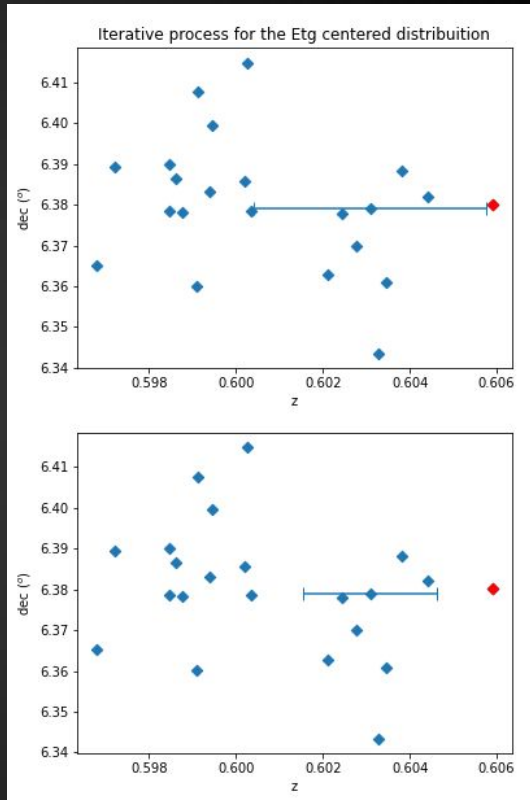
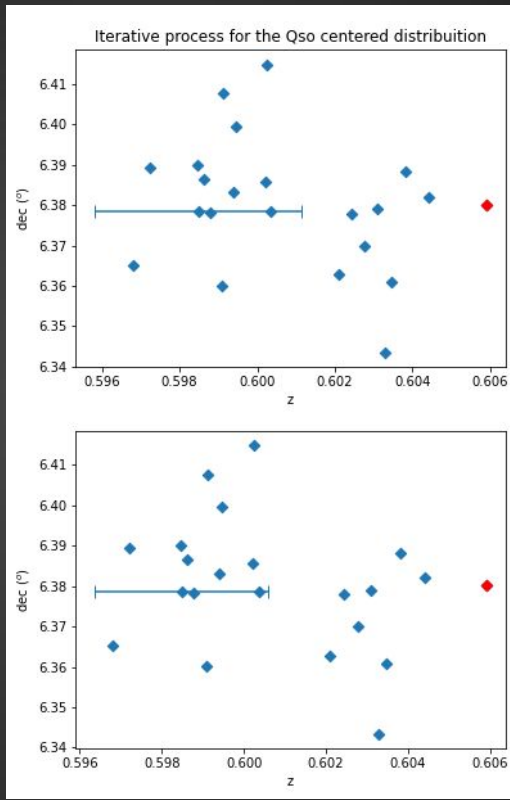
By making use of the **Expectation Maximization (EM) algorithm**, we test a variety of different models, to find the one that best aggregates the objects in the tridimensional space i.e. the model with the **highest BIC value**.

$$\sigma(v)_{ETG} = 242.9 \pm 51.6 \text{ km s}^{-1}$$

$$\sigma(v)_{QSO} = 197.5 \pm 65.9 \text{ km s}^{-1}$$



We implement the Shifting Gapper and Biweight estimator algorithm in similar way as in Muñoz et al., (2013).



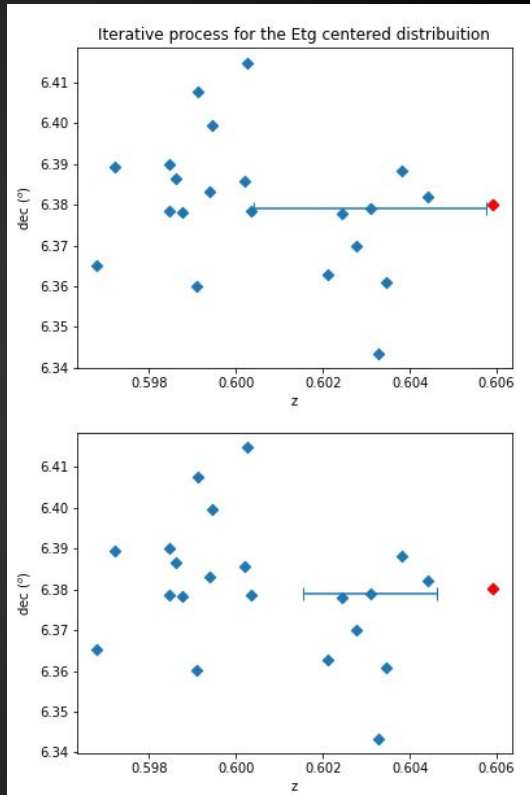
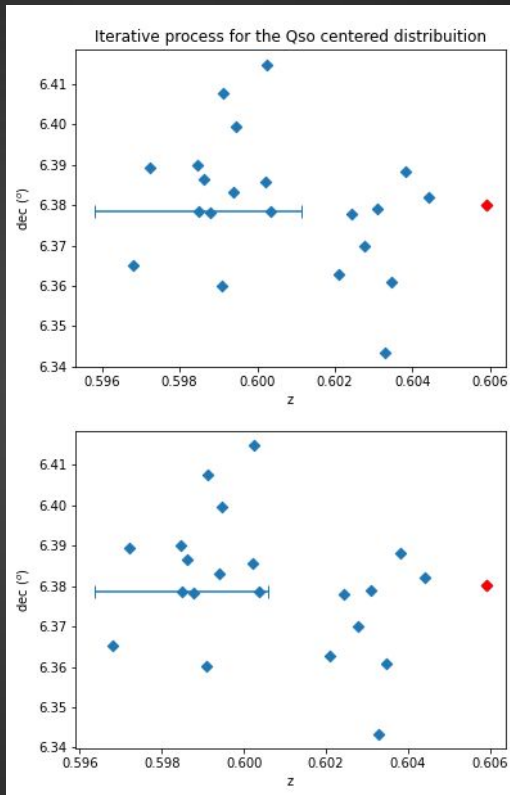
Data Analysis: Membership - Shells

$$\delta z_{max} = \frac{2\sigma(v)_{obs}}{c}$$

$$\delta\theta_{max} = 206,265'' \frac{c\delta z_{max}}{b(1+z_{cen})H(z)D_{\theta}(z)}$$

$$\sigma(v)_{obs} = 250(1+z_{cen}) km s^{-1}$$

Where c is the speed of light, $H(z)$ is the Hubble constant at z , $D_{\theta}(z)$ is the angular diameter distance at z , and b is the axis ratio of the cylindrical linking volume.



Data Analysis: Membership - Shells

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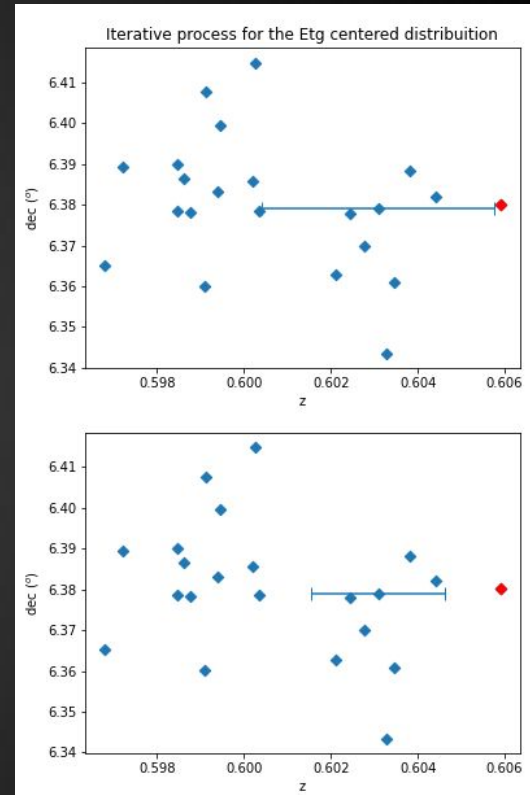
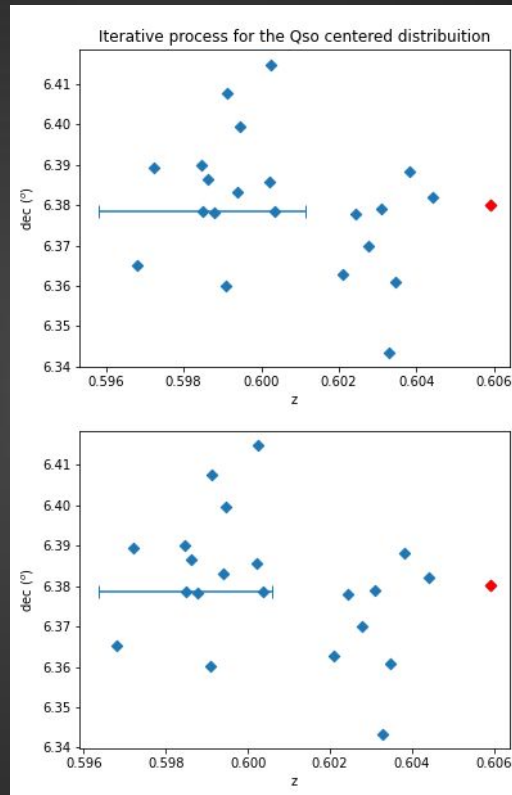
$$\sigma(v)_{QSO} = 197.5 \pm 65.8 \text{ km s}^{-1}$$

With **red** galaxy:

$$\sigma(v)_{ETG} = 242.9 \pm 51.8 \text{ km s}^{-1}$$

Without

$$\sigma(v)_{ETG} = 143.7 \pm 52.2 \text{ km s}^{-1}$$



Shell Method

$N_{\text{QSO}} = 13$ members.

$N_{\text{ETG}} = 8$ members.



MClust Method

$N_{\text{QSO}} = 13$ members.

$N_{\text{ETG}} = 9$ members.

We estimate the Virial Mass of both structures by the following equation (Beers+82):

$$M_{vt} = \frac{N_c}{G} \sum_i v_i^2 \left(\sum_i \sum_{j < i} \frac{1}{r_{ij}} \right)^{-1}$$

Shell Method

$$M_{v_{QSO}} = (9.6 \pm 0.1) \times 10^{12} M_{\odot}$$

$$M_{v_{ETG}} = (3.4 \pm 0.1) \times 10^{12} M_{\odot}$$

MClust Method

$$M_{v_{QSO}} = (9.6 \pm 0.1) \times 10^{12} M_{\odot}$$

$$M_{v_{ETG}} = (8.6 \pm 0.2) \times 10^{12} M_{\odot}$$

We estimate the Inertial Radius and the Gravitational Radius of both structures by the following equations Yaryura et al. (2022):

$$R_I = \left(\sum_i^N r_i^2 / N \right)^{1/2}$$

$$R_G = \frac{N^2}{\sum_i \sum_{j < i} \frac{1}{r_{ij}}}$$

Shell Method

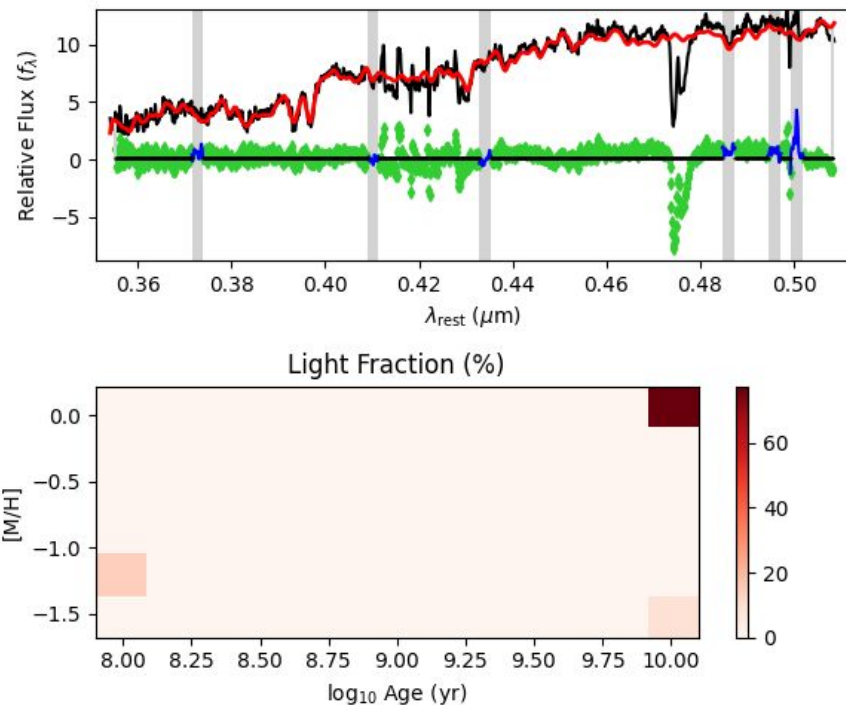
	Rg(Mpc)	Ri(Mpc)
ETG	0.85 ± 0.13	0.48 ± 0.06
QSO	0.92 ± 0.06	0.52 ± 0.03

MClust Method

	Rg(Mpc)	Ri(Mpc)
ETG	0.80 ± 0.11	0.45 ± 0.05
QSO	0.92 ± 0.06	0.52 ± 0.03

ETG

Stellar Mass: $4.92 \times 10^{11} M_{\odot}$

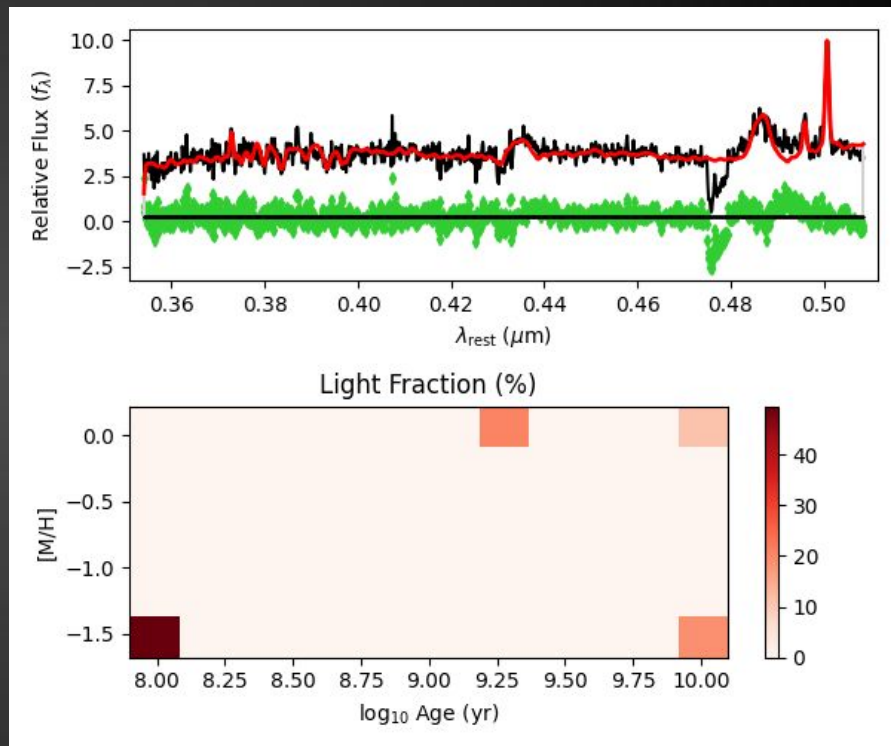


Using the pPXF algorithm, we are able to determine the following parameters for the central galaxies:

QSO ◀──▶

Stellar Velocity Dispersion: 209 km s^{-1}

Stellar Mass: $1.14 \times 10^{11} M_{\odot}$



- Determine the level of interaction between the groups;
- Use the kinematic information as new constraints for a strong lens model.

Thank you!