

Part One

- 1.1) S1 T1 S2 T2 (error)
S1 S2 T1 T2 (error)
S1 S2 T1 S3 T2 (error)
S1 S2 T1 S3 S3.1 (true) T2 (error)
S1 T1 S2 S3 S3.1 (true) T2 (error)
- 1.2) When the quantum is set at infinity the program does not have a chance to execute the contents of the threads because they don't get a chance to run. Since the skip statements are at the same level, they all run while the variables Y T1 and T2 all have unbound store locations. When the quantum is set to one for the program everything executes properly except the quantum causes the last skip statement to run before the thread assigned to T! finishes executing, so it is unbound when the final skip browse executes.

1.3)

```
local Z in
  Z = 3
  thread local X in
    X = 1
    skip Browse X
    skip Browse X
    skip Browse X
    skip Browse X
    skip Basic
    skip Basic
    skip Browse X
  end
end
thread local Y in
  Y = 2
  skip Browse Y
  skip Basic
  skip Browse Y
  skip Browse Y
  skip Browse Y
  skip Basic
  skip Browse Y
end
end
skip Browse Z
skip Browse Z
skip Browse Z
skip Basic
skip Browse Z
skip Browse Z
end
```

1.4) The minimum quantum that causes a suspension is 5.

1.5a)

fib1_sugar.txt	fib2_sugar.txt	fib1_thread.txt
X = 13	X = 690	X= 13
41.18 secs	59.60 secs	41.37 secs
2,046,290,616 bytes	3,083,242,528 bytes	14,192,019,400 bytes
R = 377	R = -1697342244203252328	R = 377

The first sugar file is expensive, involving recursion during two recursive calls in the else part of the program. The second sugar file involves iteration passing an accumulator with each function call, when the base case is reached the program simply returns the accumulator this is a way faster and cheaper program! Also, the result for the second sugar is actually the result from an integer overflow. The thread program has similar results because it is essentially the same program except the recursive calls are within thread statements.

1.5b)

The equation I found that would calculate the amount of threads created for the nth Fibonacci number is $[(fib\ n)*2]-2$ and matches the pattern 0 0 2 4 8 14 24 40 66..

End part one.

Part 2.1

```
local OddFilter Producer N L P F in
.....

Producer = proc {$ N Limit Out}
  if (N<Limit) then T N1 in //check condition
    Out = (N|T)              //set return (this is all we need)
    N1 = (N + 1)             //increment a counter (the recursion)
    {Producer N1 Limit T}    //produce next (will tag along with T)
  else
    Out = nil                //complete list with a nil
  end
end

OddFilter = proc {$ P Out}
.....
  case P of nil then        //base case
    Out = nil
  [] '|' (1:H 2:T) then M Two in
    Two = 2                  //Mod only works with variables
    {Mod H Two M}           //check if even
    if (M==0) then Rest in  //if even then
      {OddFilter T Rest}    //get the rest of the list
      Out = (H|Rest)       //result
    else
      {OddFilter T Out}     //odd case, get rest of list
    end
  end
end

// Example Testing
N = 0 //beginning of producer, 0 is to be included
L = 101 //set to 101 so we reach 100
{Producer N L P} // [0 1 2 .. 100]
skip Browse P //output list created by producer
{OddFilter P F} // [0 2 4 .. 100]
.....
skip Browse F //output list filtered by consumer
end
```


Part 2.2

```
local Producer N L Input Consumer Result in

Producer = proc {$ N Limit Out}
  if (N<Limit) then T N1 in //check condition
    Out = (N|T)              //set return (this is all we need)
    N1 = (N + 1)             //increment a counter (the recursion)
    {Producer N1 Limit T}    //produce next (will tag along with T)
  else
    Out = nil                //complete list with a nil
  end
end

// Consumer (returns sum of input stream)
Consumer = fun {$ P}
  case P of nil then        //if it's empty we're done
    nil
  [] '|' (1:H 2:T) then O A in //we have a list
    if (T==nil) then        //if the tail is empty return head
      H                      //start of accumulator
    else
      O = {Consumer T}       //if there is a tail chase it
      A = (O+H)              //add head to values returned
      A                      //return accumulator
    end
  end
end

// Example Testing
N = 0
L = 11                      //necessary for list of 1-10
{Producer N L Input}        //produce a list
skip Browse Input           //Input : [ 0 1 2 3 4 5 6 7 8 9 10 ]
Result = {Consumer Input}   //sum it
skip Browse Result          //Result : 55
end
```


Part 2.3

```
// Part 2 question 3 uses above functions (OddFilter, Consumer, Producer)
N = 0                                //necessary for list of 0-100
L = 101                              //necessary for list of 0-100
thread
  {Producer N L Input}               //produce a list
end
thread
  {OddFilter Input OutOdd}           //remove odd numbers
end
thread
  Result = {Consumer OutOdd}         //sum it
  skip Browse Result
end
end
```