

SEARCHING Algorithm		Space	
V vertices	DFS	-	$O(E+V)$
E edges	BFS	-	$O(E+V)$
Sorted Array	Binary Search	$O(\log n)$	$O(V)$
Bruteforce		$O(n)$	$O(1)$
Drijkstra-MinHeap		$O(V+E \log V)$	$O(V)$
Drijkstra-Unsorted Array		$O(V^2)$	$O(V)$
Unsorted list	Quickselect	$O(n)$	$O(1)$
SORTING			
Algorithm	Best	Avg	Worst
Mergesort	$O(n \log n)$	$O(n \log n)$	$O(n^2)$
Insertionsort	$O(n)$	$O(n \log n)$	$O(n^2)$
Heapsort	$O(n \log n)$	$O(n \log n)$	$O(n \log n)$
QuickSort	$O(n \log n)$	$O(n \log n)$	$O(n^2)$

STRUCTURES		Space	
Avg Insert	Avg Search	Avg Insert	Avg Search
Basic Array	$O(1)$	$O(1)$	$O(1)$
Dynamic Array	$O(1)$	$O(1)$	$O(1)$
Singly Linked	$O(n)$	$O(n)$	$O(1)$
Doubly Linked	$O(n)$	$O(n)$	$O(1)$
Hashable	-	$O(1)$	$O(1)$
Binary ST	$O(\log n)$	$O(\log n)$	$O(n)$
AVL Tree	$O(\log n)$	$O(\log n)$	$O(n)$
Red Black	$O(\log n)$	$O(\log n)$	$O(n)$
B-Tree	$O(\log n)$	$O(\log n)$	$O(\log n)$
*1: Insert/Delete at beginning $O(n)$. Insert/Delete at end $O(1)$ if last elem is known, $O(n)$ if unknown.			
*2: Insert/Delete at beginning $O(1)$. Insert/Delete at end, $O(1)$ if last elem is known, $O(n)$ if unknown.			
HEAPS			
Heapify	FindMax	ExtractMax	Insert
Linked List (sorted)	$O(1)$	$O(1)$	$O(n)$
Linked List (unsorted)	$O(n)$	$O(n)$	$O(1)$
Binary Heap	$O(n)$	$O(\log n)$	$O(\log n)$
Binomial Heap	$O(1)$	$O(\log n)$	$O(\log n)$
Fibonacci Heap	-	$O(1)$	$O(1)$
Leftist Heap	$O(\log n)$	$O(\log n)$	$O(\log n)$

GRAPHS		Remove Vertex	
Storage	Add Vertex	Add Edge	Remove Edge
Adjacency List	$O(V+E)$	$O(1)$	$O(V+E)$
Incidence List	$O(V+E)$	$O(1)$	$O(V)$
Adjacency Matrix	$O(V^2)$	$O(V^2)$	$O(E)$
Incidence Matrix	$O(V^2)$	$O(V^2)$	$O(1)$
Leftist Heap	$O(V \cdot E)$	$O(V \cdot E)$	$O(E)$

Leftist Heap: $hpl(x)$ is the length of the shortest path from x to a node w/o two children.
 Property: For every node x in the heap the null path length of the left child is at least as large as that of the right.

QuickSelect: Find the k th smallest element in an unordered list.
 Tree Traversal: Preorder - Root \rightarrow Left \rightarrow Right
 Postorder - Left \rightarrow Right \rightarrow Root
 Sparse graph \Rightarrow Adjacency list
 Dense graph \Rightarrow Adjacency Matrix.
 Recursion: BST OK for: Pre ~~order~~ and Post ~~order~~. NOT OK for only inorder.
 Binary Tree: A tree in which no node can have more than two children.

BST: For every node x in the tree the values of all the items in its left subtree are smaller than the item in x . The analog opposit is true for the right subtree.
 AVL Tree: For every node in the tree the weight of the left and right subtrees can differ at most by 1.
 Binary Heap: A BH is a BT that is completely filled with the possible exception of the bottom level.
 For any element in position i the left child is in position $2i$, the right child in $2i+1$ and the parent $\lceil i/2 \rceil$. In a heap, for every node x the key in the parent of x is smaller than the key in x , with the exception of the root.
 Red/Black: 1. Every node is colored either red or black. 2. The root is black. 3. If a node is red, its child must be black. 4. Every path from a node to a null reference must contain the same number of black nodes.

