## 5 Homework

- \* Modify Newton's root finding method codes given in your textbook such that it reads inputs  $(d_{min}, \varepsilon,$  and the coefficients of polynomial) from a command line.
- \* Example: HW5.exe "10e-30" "0.00001" "2" "-3.5" "-3" "3.5" "1"

In the given example above, the written parameters are  $d_{min}$ ,  $\varepsilon$ , and the coefficients of the polynomial to be solved, respectively. For example given coefficients "2"-3.5" "-3" "3.5" "1" are for the polynomial,  $f(x) = x^4 + 3.5x^3 - 3x^2 - 3.5x + 2$ 

Step 1:  $x_0$  takes value from -10 to 10 with the increment 0.5.

(i.e. 40 initial values are: -10, -9.5, -9, -8.5,...0,..., 9, 9.5, 10)

Step 2: For each initial value, apply the Newton's root finding method.

Step3: Display and write the different roots. (For some initial values your algorithm will find same roots, do not write same roots again and again.)

```
1.00 x^4 + 3.50 x^3 + -3.00 x^2 + -3.50 x^1 + 2.00 x^0
Value of root is -4.000000
Value of root is 1.000000
Value of root is -1.000000
Value of root is 0.500000
```

Figure 1:

- \* Your code also should handle the cycling problem in Newton's method. You can test your code with the function,  $f(x) = \frac{1}{1 + e^x} \frac{1}{2}$ .
- \* Create a text file named as "2017\_HW5\_StudentNumber\_result.txt", and write the resulting roots of the given function in this text file .

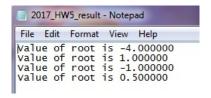


Figure 2:

**Hint:** You have to modify both the function and derivative function part of the code. Also it is easy to differentiate a polynomial.