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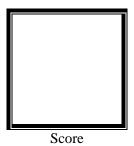
Don Severino delas Alas Campus

Indang, Cavite

DATA STRUCTURES AND ALGORITHM

Short Quiz

TREES



Submitted by:

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<2022106651>/<BSCPE 2-2>

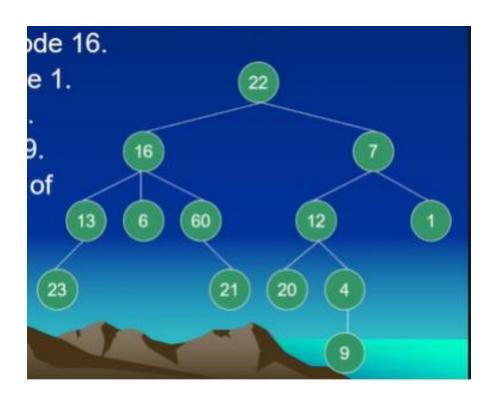
Submitted to:

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6. Children of Node 16.

-13, 6, 60

7. Parent of node 1.

-7

8. Siblings of 23.

-No Siblings.

9. Ancestors of 9.

-22, 7, 12, 4

10. Descendants of 16.

-13, 6, 60, 23, 21

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| | eaves. |
|--|--------|
| | |
| | |

-23, 6, 21, 20, 9, 1

12. Non-leaves.

-22, 16, 7, 13, 60, 12, 4

13. Depth of node 4.

-Depth 3

14. Degree of the tree.

-3

15. Height of the tree.

-4

16. Weight of the tree.

-6

- 17. Is the tree a binary tree?
 - -No, due to the degree of the given tree is not equal to 2
- 18. Removing 6, is the tree a full binary tree?
 - -No because some node exhibit a degree of 1
- 19. Removing 6, is the tree a complete binary tree?
 - -No as stated above it will not be a complete binary tree due to some node have a degree of 1
- 20. Is a full binary tree complete?
 - -No, A full binary tree is where each node is either a leaf or has a degree of 2 however the depth of its leaves can be different with it can't be concluded as complete binary tree.



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21. Is a complete binary tree full?

A complete binary tree is full because each node is either a leaf or a branch. or has a 2 degree. Moreover, the internal nodes in a complete binary tree is exactly equal to 2 as a result, a complete binary tree can also be a full binary tree.

- 22. How many leaves does a complete *n*-ary tree of height *h* have?
 - -number of leaves $= n^h$
- 23. What is the height of a complete n-ary tree with m leaves?
 - -The height of a complete n-ary tree = $log_n m$.
- 24. What is the number of internal nodes of a complete *n*-ary tree of height *h*?
 - -The number of internal nodes is:

$$1 + n + n^{2} + \dots + n^{h-1} = \sum_{i=0}^{h-1} n^{i} = \frac{n^{h} - 1}{n - 1}$$

25. In order for us to get the total number of nodes of a complete n-ary tree of height h, we need to combine the number of leaves and the number of internal nodes of the tree.

$$T = n^h + \frac{n^{h-1}}{n-1}$$
; Where $T = total number of nodes in a complete $n - ary$ tree$