



ELECTRONIC CIRCUIT PROJECT REPORT

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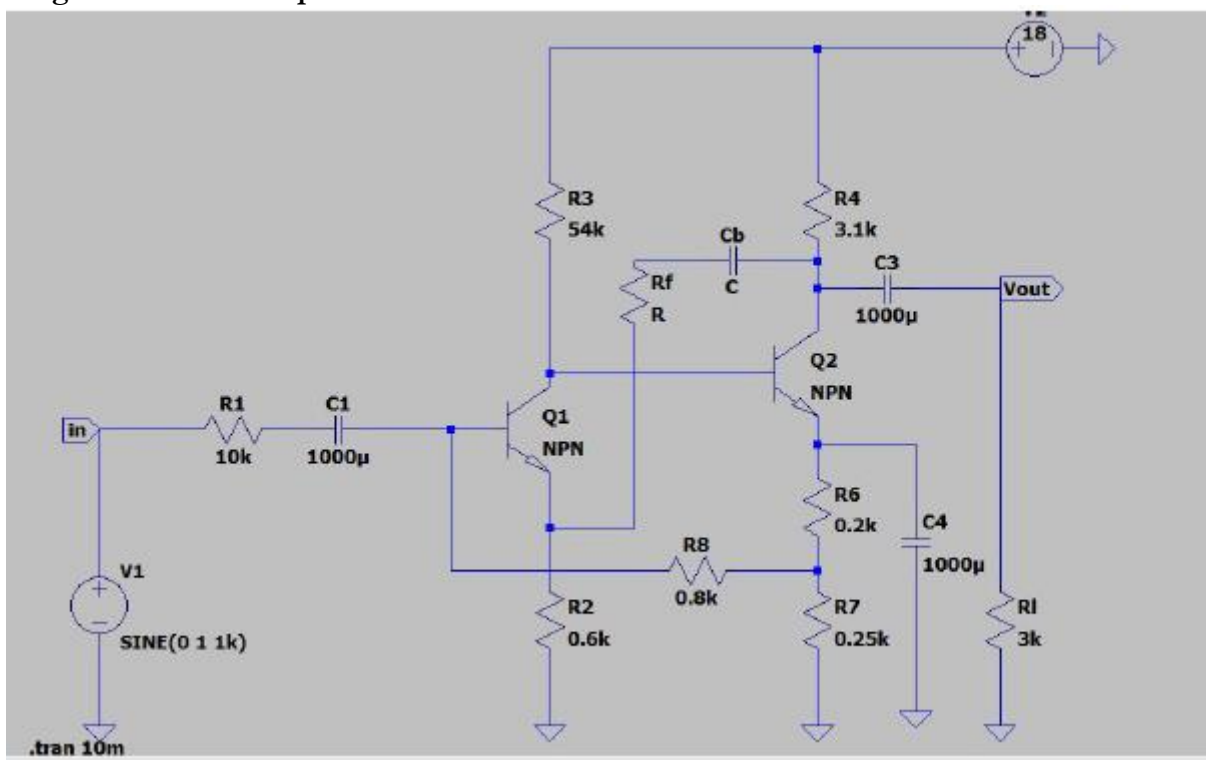
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INTRODUCTION

An electronic circuit is a closed loop composed of individual electronic components, such as resistors, transistors, capacitors, inductors and diodes, connected by conductive wires or traces through which electric current can flow. During the 4th semester of our engineering formation we have viewed how different component of an electronic circuit work together and more importantly we have learnt how to analyzed them.

In this project report we are presenting our analysis of an electronic circuit (Project n2).

Original scheme and parameters



$$R_L = 3k\Omega$$

$R_g = 10 \text{ k}\Omega$

$$U_{out\ max}=5V$$

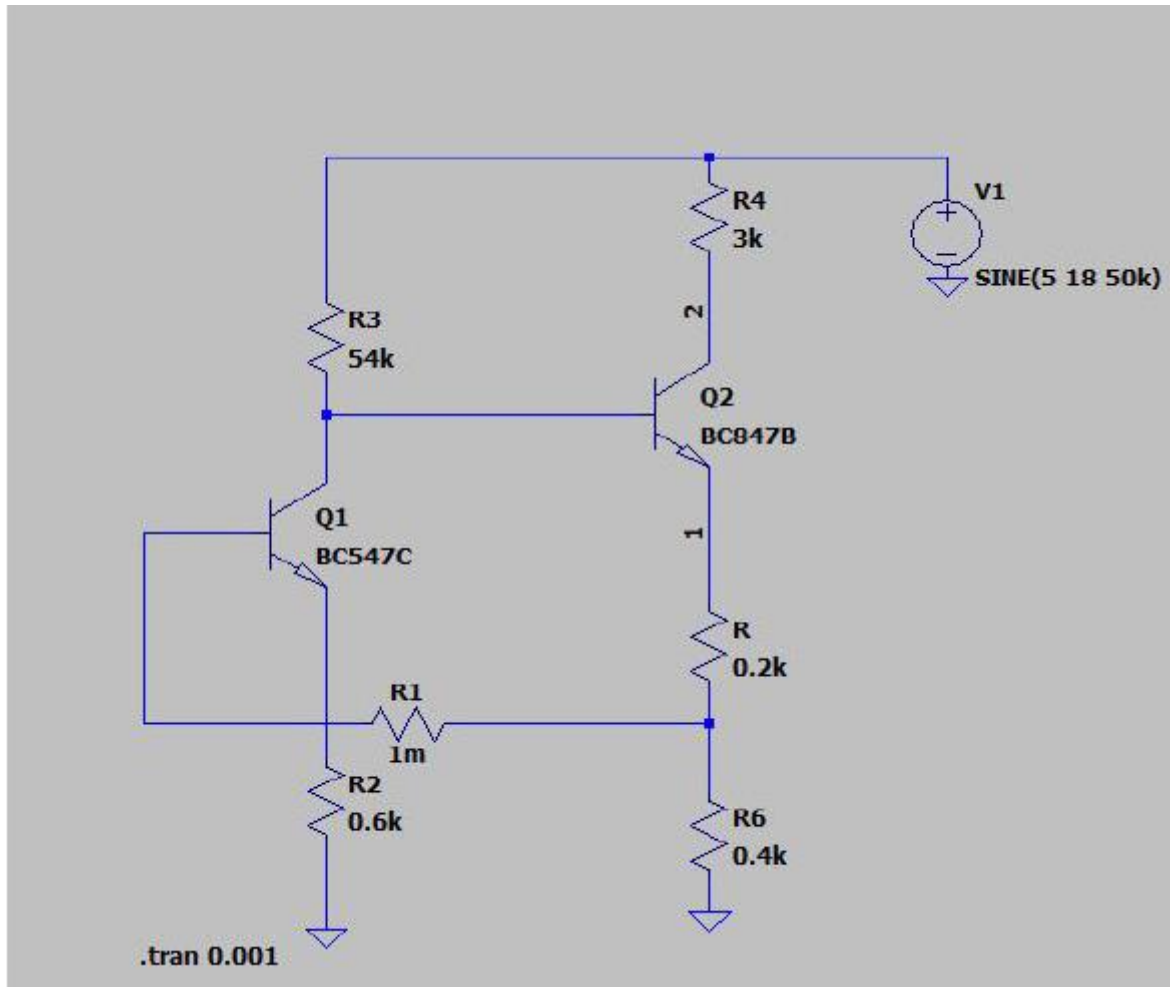
Effective gain= 40dB

Lowpass frequency=40Hz

Hi Pass= 100hz

DC ANALYSIS

DC equivalent circuit



Assumptions:

Assumption $U_{out\ max\ (+)} = U_{out\ max\ (-)} = U_{out\ max} = 5\ V$

$C1 = C2 = C_E = C_b = \infty$

$U_{CEQ1(SAT)} = U_{CEQ2(SAT)} = 1\ V$

$$I_{CQ2} = I_{EQ2}, I_{CQ1} = I_{EQ1}$$

$$U_{BEQ1} = 0.6 \text{ V}$$

$$R_{C2} = 3 \text{ k}\Omega$$

Voltage Calculations:

$$V_{CEQ} = V_{OUT} + V_{CESAT} = 5\text{V} + 1\text{V} = 6\text{V}$$

$$V_{CC} = V_{RE} + V_{CEQ} + V_{RC2}$$

$$V_{CEQ} = 6\text{V}$$

$$V_{RC2} = I_{RC2} \times R_{C2} \quad |$$

we assumed $R_{C2} = 3.1\text{k}\Omega$ and we know $I_{RC2} = 3.33\text{mA}$

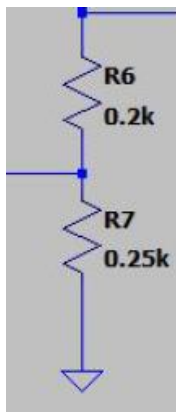
$$V_{RC2} = 3.1\text{k}\Omega \times 3.33 \text{ mA} \approx 10.5\text{V}$$

$$V_{CC} = V_{RE} + 6\text{V} + 10.5\text{V}$$

We know that $V_{RE} = \{10-20\}\% \times V_{CC}$ and $V_{CC} = \{6, 9, 12, 15, 18 \dots\}$

$$V_{CC} = 18\text{V} \text{ so } V_{RE} = 1.5\text{V}$$

When we look that part of circuit clearly, we can see Voltage divider



$$V_B = V_{E2} \times V_{RE22} / (V_{RE22} + V_{RE21})$$

$$V_B = 2\text{V} \times (0.2\text{k}\Omega / 0.25\text{k}\Omega) = 0.8\text{V}$$

According to given hints:

$$V_{RE21} = V_{RE1} + V_{BEQ1} + V_{RB}$$

After voltage divider we know that $V_{RE21} = 1.4\text{V}$

$$1.4\text{V} = 0.6\text{V} + 0.6\text{V} + V_{RE1}$$

$$V_{RE1} = 0.2V$$

Current Calculations:

$$I_{CQ2} = V_{OUT} / (R_{C2} // R_L) = 5V / 1.5k\Omega = 3.3 \text{ mA}$$

We assuming that collector current equal to emitter current:

$$I_{CQ2} = I_{EQ1} = 3.3mA$$

Since we have transistor with 200 beta value:

$$I_{BQ2} = I_{CQ2} / 200 = 0.016mA$$

And also, we know that $I_{CQ1} = I_{CQ2} / (2-10)$

$$I_{CQ1} = I_{CQ2} / 10 = 3.33/10 = 0.3 \text{ mA}$$

$$I_{CQ1} = I_{EQ1} = 0.3mA$$

So base current of First transistor (Beta value = 200) is:

$$I_{BQ1} = I_{CQ1} / 200 = 0.00165mA$$

Resistor Calculations :

We assumed $R_{C2} = 3.1k\Omega$ (Because control the voltage on emitter branch)

At the second emitter branch we ignored the transistors 1's base current branch and we said $R_{E2} = 0.6k\Omega$

Now depends on proper voltage division divided values like:

$$R_{E21} = 0.4k\Omega$$

And

$$R_{E22} = 0.2k\Omega$$

$$R_{E1} = V_{RE1} / I_{EQ1} = 0.2V / 0.3mA = 0.6k\Omega$$

$$R_{C1} = V_{CC} / I_{CQ1} = 18V / 0.33mA = 54k\Omega$$

Transient Analysis:

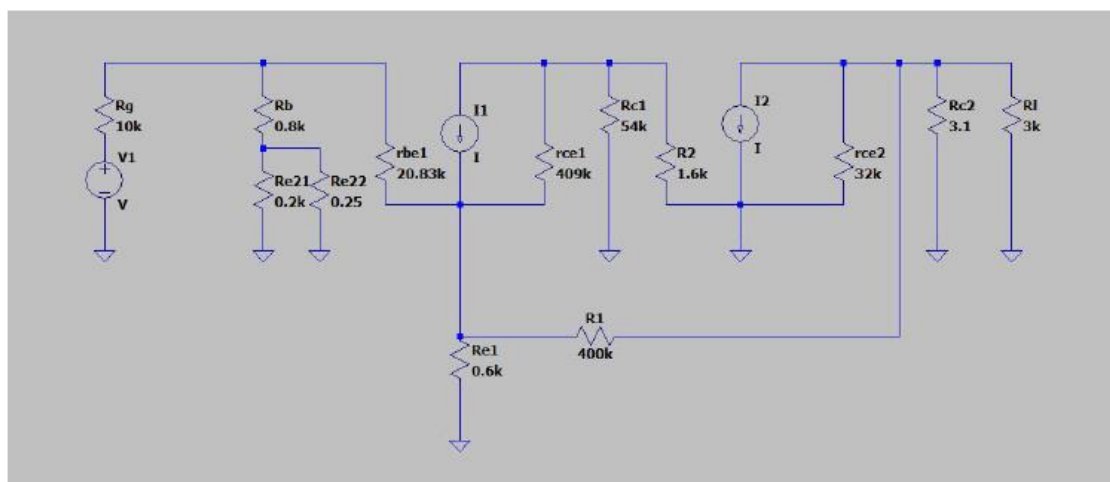


Operational Point Analysis:

--- Operating Point ---		
V(in):	0	voltage
V(n005):	0.892101	voltage
V(n004):	8.92101e-12	voltage
V(n003):	2.41689	voltage
V(n008):	0.153403	voltage
V(vout):	2.10445e-11	voltage
V(n002):	7.01484	voltage
V(n006):	1.60993	voltage
V(n001):	18	voltage
V(n007):	0.894126	voltage
Ic(Q2):	0.0035436	device_current
Ib(Q2):	3.5436e-05	device_current
Ie(Q2):	-0.00357903	device_current
Ic(Q1):	0.00025314	device_current
Ib(Q1):	2.5314e-06	device_current
Ie(Q1):	-0.000255672	device_current
I(C4):	1.60993e-15	device_current
I(C3):	-7.01484e-15	device_current
I(C1):	8.92101e-16	device_current
I(R8):	2.5314e-06	device_current
I(R7):	0.0035765	device_current
I(R6):	0.00357903	device_current
I(R1):	7.01484e-15	device_current
I(R4):	0.0035436	device_current
I(R3):	0.000288576	device_current
I(R2):	0.000255672	device_current
I(R1):	8.92101e-16	device_current
I(V2):	-0.00383217	device_current
I(V1):	8.92101e-16	device_current

AC ANALYSIS

EQUIVALENT CIRCUIT FOR AC HYBRID-PI MODEL:



ADMITANCE MATRIX

	1	2	3	4
1	$\frac{1}{R_B + R_{E21}} + BCQ1$	0	BCQ1	BEQ1
2	0	$\frac{1}{R_{c2}} + \frac{1}{R_f} + CCQ2 (Q2)$	BCQ1	-1/Rf
3	CBQ1	BCQ2	$\frac{1}{R_{c1}} + BCQ1 + CCQ1$	CEQ1
4	EBQ1	-1/Rf	ECQ1	$CEQ1 + \frac{1}{R_C} + 1/R_F$

Hybrid - pi parameters:

$gm2 = I_{CQ2} / a_T$ (a_T value is equal to 26mV at room temperature)

$$gm2 = 3,3mA / 26mV = 0.12$$

$$r_{be2} = \beta / gm$$

$$r_{be2} = 200 / 0.12 = 1,6 \text{ k}\Omega$$

$$r_{ce2} = (V_a + V_{CEQ2}) / I_{CQ2}$$

V_a = Early voltage which is 100V for our transistor

$$r_{ce2} = (100 + 6) / 3.3mA = 32k\Omega$$

$$gm1 = 0.3mA / 26mV = 0.013$$

$$r_{be1} = 200 / 0.012 = 16,66 \text{ k}\Omega$$

$$r_{ce1} = (100 + 2,5) / 0.3mA = 310k\Omega$$

Calculations for K_u

$$K_u = K_{u1} * K_{u2}$$

$$K_{u1} = -gm * R_O * (R_{be} / (R_{be} + (201)*R_1))$$

$$R_O = R_{ce(1)} // R_{c1} // R_{be(2)}$$

$$R_O = 310k\Omega // 54k\Omega // 310k\Omega$$

$$R_O = 1548\Omega$$

$$R1 = R_{e1} // R_f$$

$$R1 = 0.6k\Omega // 400k\Omega$$

$$R1 = 0.6k\Omega$$

$$K_{u \text{ O1}} = -0.12 * 1548 * 0.14 = -26.00$$

$$K_{u \text{ O2}} = -g_m * R_{\text{O2}}$$

$$R_{\text{O2}} = R_{ce(2)} // R_{c2} // R2 // R1$$

$$R2 = R_{e1} + R_f$$

$$R2 = 400.6 k\Omega$$

$$R_{\text{O2}} = 32k\Omega // 3.1k\Omega // 400.6 k\Omega // 3k\Omega$$

$$R_{\text{O2}} = 1549 k\Omega$$

$$K_{u \text{ O2}} = -0.013 * 1549k\Omega$$

$$K_{u \text{ O2}} = 20.137$$

Small Signal Parameters :

$$K_u \text{ O} = K_{u \text{ O2}} * K_{u \text{ O1}}$$

$$K_u \text{ O} = -20.137 * -26.00$$

$$K_u \text{ O} = 523.56$$

We have to apply Miller's theorem and consider R_m resistors. We know that we are eliminating R_m resistor at output of circuit so we only have R_m resistor Series to r_{be1} and parallel to R_b , R_{e1} and R_{e2} with value of $(1+\beta) R_{e1}$. After Miller's theorem our circuit will look like that:

According that information we can perform calculations:

$$R_{in o} = R_{be(1)} + (201) * R1$$

$$R_{in o} = 140.6 k\Omega$$

$$R_{out o} = r_{ce(2)} // R_{c2} // R2$$

$$R_{out o} = 2724 \Omega$$

$$R_{inf} = R_{in o} * F$$

$$F = 1 + R_{e1} / (R_{e1} + R_f) * K_{u\ o}$$

$$F = 216\text{k}\Omega$$

$$R_{inf} = 216\text{k}\Omega * 120\text{k}\Omega$$

$$R_{inf} = 45\ \text{M}\Omega$$

$$R_{in} = (R_b + (R_{e21} // R_{e22})) // R_{inf}$$

$$R_{in} = 0.9\ \text{k}\Omega$$

$$\varphi_u = R_{in\ o} // (R_b + (R_{e21} // R_{e22})) / R_{in\ o}$$

$$// (R_b + (R_{e21} // R_{e22})) + R_g$$

$$\varphi_u = 0.08\ \text{k}\Omega$$

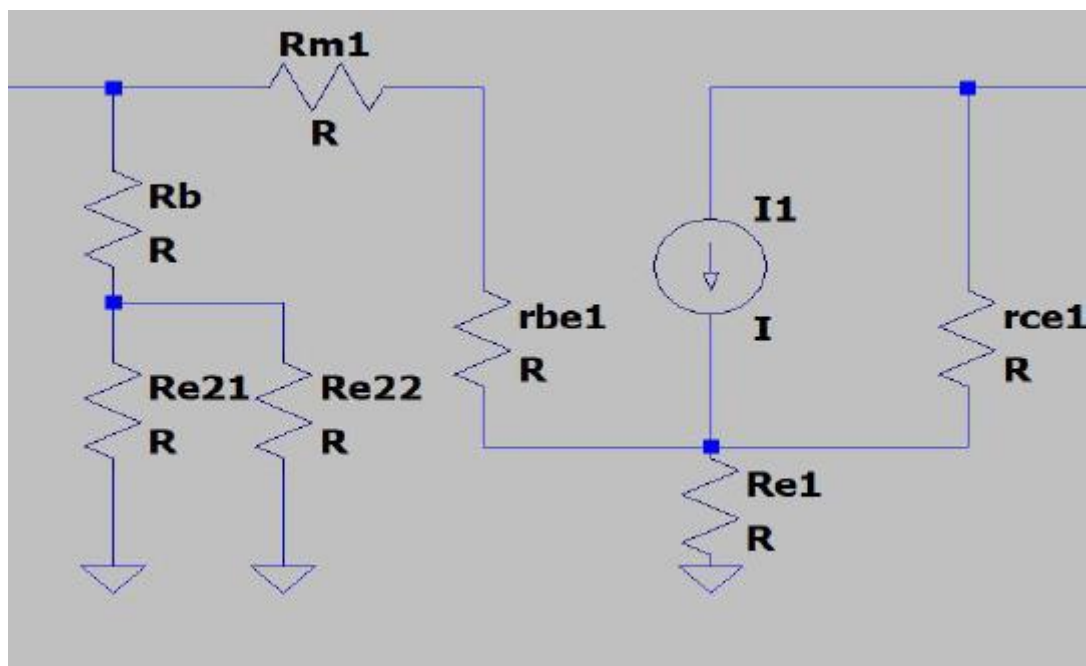
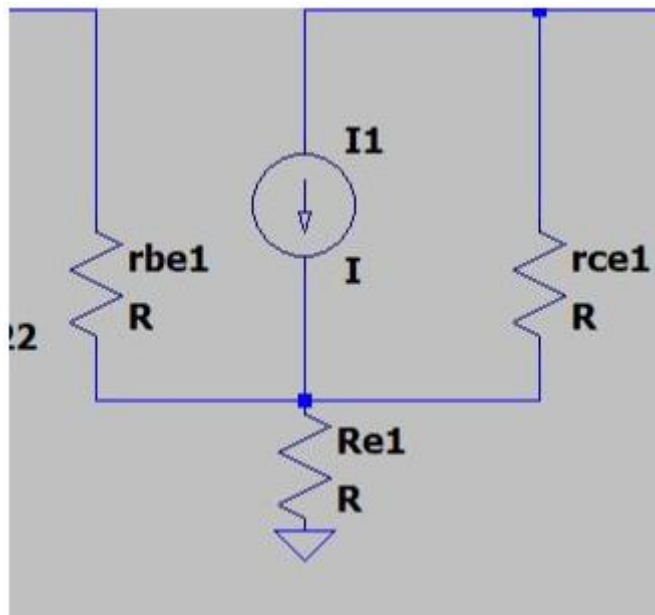
$$K_{uef\ o} = \varphi_u * K_u\ \mathbf{O} * (R_{out\ o} + R_l) / R_l$$

$$K_{uef\ o} = 0.08 * 523.56 * 1.9$$

$$K_{uef\ o} = 89.68\ [\text{V}/\text{V}]$$

$$\underline{K_{uef\ o} = 39.08\ \text{dB}}$$

resistor at that point:



Special words to our professor.

Dear Dr. Rafał Zdunek, we would like to thank you for your time and sincere effort throughout this semester that has been particularly challenging for all of us. We would like hereby to express our gratitude for your engagement and support.

Cordially,

Nick Ntsouini-Bitoumi and Mert Çetin.