

#### **GROUP ASSIGNMENT**

#### TECHONOLOGY PARK MALAYSIA

#### CT127-3-2-PFDA

# PROGRAMMING FOR DATA ANALYSIS APU2F2402CS(AI)/APD2F2402CS(AI)

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HAND IN DATE: 3 JUNE 2024

WEIGHTAGE: 50%

#### **INSTRUCTION TO CANDIDATES:**

- 1. Students are advised to underpin their answer with the use of references (cited using the American Psychological Association (APA) Referencing).
- 2. Late submission will be awarded zero (0) unless Extenuating Circumstances (EC) are upheld.
- 3. Cases of plagiarism will be penalized.
- 4. Submit the assignment to APU Learning Management System.
- 5. You must obtain 50% overall to pass this module.

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### 1.0 Introduction

There are 28 columns and 100,000 rows in this dataset. An individual's credit score, debt status, and numerous financial capacities are listed in these columns. They are ID, Customer ID, Month, Name, Age, SSN (Social Security Number), Occupation, Annual Income, Monthly Inhand Salary, Number of Bank Account, Number of Credit Card, Interest Rate, Number of Loan, Type of Loan, Number of Days Delayed from the Payment Date, Number of Delayed Payment, Percentage Change in Credit Card Limit, Number of Credit Card Inquires, Classification of the Mix of Credits, Outstanding Debt, Utilisation Ratio of Credit Card, Age of Credit History of the Person, Payment of Minimum Amount, Monthly EMI Payments (Equated Monthly Instalment), Amount Invested Monthly, Payment Behaviour, Monthly Balance and Credit Score. These columns are split up into servely different categories. ID, Customer ID, Age, SSN, and Occupation are in the Individual's Personal Information category. Individual Economic Capability is a further category that includes Monthly Balance, Annual Income, Monthly Inhand Salary, Monthly EMI Payments, Monthly Investly Amount, Payment Behaviour, and Payment of Minimum Amount. The categories of Loan Status are Loan Number, Loan Type, and Outstanding Debt. The remainder falls within the category of economic data. Various kinds of data are represented by these categories. While Loan Status and Economic Information contain both discrete and categorical data, Individual Economic Capability is continuous data. These two types of data will give rise to two different data analysis models.

## 2.0 Hypothesis and Objective

#### Hypothesis:

The credit scores of bank customers are influenced by number of delayed payment, annual income, number of loans and number of credit cards.

#### Objective:

To investigate how the number of credit cards can affect each person's credit score.

To investigate the impact of delayed payments to credit score.

To investigate the relationship between annual income and a person's credit score.

To investigate the relationship between the number of loans and a person's credit score.

# 3.0 Data Import / Exploration / Cleaning / Preprocessing

#### 3.1 Install Package

```
library(dplyr)
library(plyr)
library(ggplot2)
library(tidyr)
library(stringr)
library(GGally)
library(tidyverse)
library(nnet)
library(caret)
library(dunn.test)
```

Figure 1: R libraries

This analysis relies on 10 R libraries: dplyr, plyr, ggplot2, tidyr, stringr, GGally, tidyverse, nnet, caret, and dunn.test. Each has a specific function: dplyr and plyr for data manipulation, ggplot2 for visualization, tidyr for data reshaping, stringr for string handling, GGally for advanced plots, tidyverse as a collection of data science packages, nnet for neural networks, caret for machine learning, and lastly dunn.test for post-hoc Kruskal-Wallis analysis.

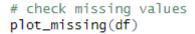
#### 3.2 Data Import

```
\label{lem:df} $$ df = read.csv("D:\Year 2\Sem 1\PFDA\ASSIGNMENT\5. credit score classification data.csv") $$ df $$ View(df) $$
```

Figure 2: Import csv file

The file name "D:\\Year 2\\Sem 1\\PFDA\\ASSIGNMENT\\5. credit score classification data.csv" will have the data moved and imported from the drive with the.csv file extension.

#### 3.3 Data Exploration



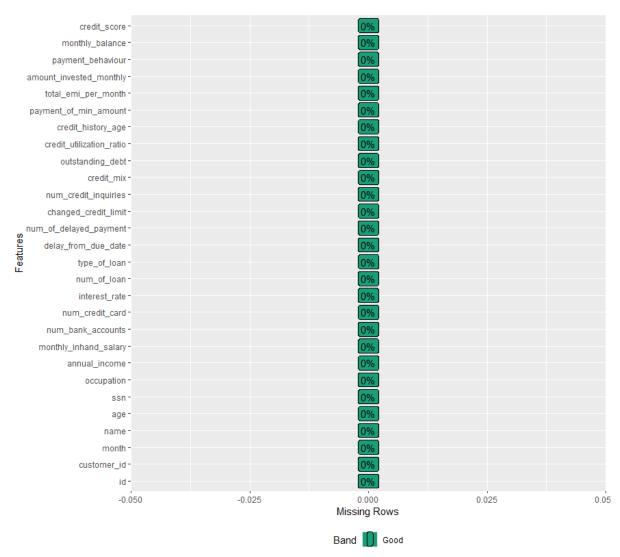


Figure 3: Missing Plot and the codes

The missing plot is to check all the missing rows of the dataset to justify that the dataset does not have any null values left in each of the variables. It will show as 0% in the plot of each variable in the dataset.

#### **Data Summary**

#Data Summary
summary(df)

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#### Documentation

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> summary(df)						
id	customer_id	month	name	age	ssn	occupation
Min. : 5634	Length:100000	January :12500	Length:100000	Min. :18.00	Length:100000	Length:100000
1st Qu.: 43133	Class :character	February:12500	Class :character	1st Qu.:26.00	Class :character	class :character
Median : 80632	Mode :character	March :12500	Mode :character	Median :34.00	Mode :character	Mode :character
Mean : 80632		April :12500		Mean :34.33		
3rd Qu.:118130		May :12500		3rd Qu.:42.00		
Max. :155629		June :12500		Max. :56.00		
		(Other) :25000				
annual_income	monthly_inhand_sa	lary num_bank_acc	ounts num_credit_ca	rd interest_rate	num_of_loan	type_of_loan
Min. : 7006	Min. : 303.6	Min. : 1.0			Min. :0.000	Length:100000
1st Qu.: 19343	1st Qu.: 1626.8	1st Qu.: 3.0	00 1st Qu.: 4.00	0 1st Qu.: 7.00	1st Qu.:2.000	class :character
Median : 37000	Median : 3096.4	Median : 5.0	00 Median : 5.00			Mode :character
Mean : 48356	Mean : 4004.0	Mean : 5.4	13 Mean : 5.53	4 Mean :14.5	3 Mean :3.533	
3rd Qu.: 69064	3rd Qu.: 5715.4	3rd Qu.: 7.0	00 3rd Qu.: 7.00	0 3rd Qu.:20.00	3rd Qu.:5.000	
Max. :152575	Max. :12461.3	Max. :11.0	00 Max. :11.00	0 Max. :34.00	Max. :9.000	
delay_from_due_d	date num_of_delayed	_payment changed_	credit_limit num_cr	edit_inquiries	credit_mix out	tstanding_debt
Min. : 0.00	Min. : 0.00	Min. :	-6.49 Min.	: 0.000 G	ood :30384 Mi	n. : 0.23
1st Qu.:10.00	1st Qu.: 9.00	1st Qu.:	5.42 1st Qu	.: 3.000 Ba	ad :23768 1st	t Qu.: 566.07
Median :18.00	Median :13.00	Median :	9.56 Median	: 6.000 51	andard:45848 Med	dian :1166.15
Mean :19.63	Mean :13.38	Mean :	10.25 Mean	: 5.789	Mea	an :1254.27
3rd Qu.:26.00	3rd Qu.:18.00	3rd Qu.:	14.41 3rd Qu	.: 8.000	3r	d Qu.:1602.94
Max. :55.00	Max. :28.00	Max. :	29.19 Max.	:17.000	Max	x. :4014.35
credit_utilizat	ion_ratio credit_hi	story_age payment	_of_min_amount tota	<pre>1_emi_per_month a</pre>	amount_invested_mo	nthly
Min. :20.00	Min. :	0.08 Mode : 1	ogical Min.	: 0.00 N	1in. : 0.00	
1st Qu.:28.05	1st Qu.:1	2.06 FALSE:3	5667 1st	Qu.: 28.83	Lst Qu.: 77.02	
Median :32.31	Median :1	3.33 TRUE : 6	4333 Medi	an: 65.56 M	1edian :143.13	
Mean :32.28	Mean :1	3.44	Mean		Mean :147.56	
3rd Qu.:36.50	3rd Qu.:2	5.17	3rd		3rd Qu.:177.59	
Max. :49.06	Max. :3	3.75	Max.	:357.41 N	Max. :483.68	
		aviour monthly_ba			ment_category Paym	
	l_value_payments :1					th:100000
high_spent_medi	um_value_payments:1	7540 1st Qu.:27	0.91 Standard:531	74 Class :chara	acter Class	s :character
	e_value_payments :1			28 Mode :chara	acter Mode	:character
	_value_payments :3		6.37			
	n_value_payments :1					
low_spent_large	_value_payments :1	0425 Max. :77	0.41			

Figure 4: Summary of the dataset

The summary of the data frame 'df' provides statistical insight into 100,000 customer records from credit score classification data.

#### **Data Dimension**

```
#Data Dimension
dim(df)

> #Data Dimension
> dim(df)
[1] 100000 30
```

Figure 5: Dimension of the dataset

This function provides the dimension of the data frame. The result '100000 30' indicates that the data frame contains 100,000 rows and 30 columns.

#### **Data Structure**

```
#Data Structure
str(df)
```

```
> #Data Structure
> str(df)
gropd_df [100,000 × 30] (S3: grouped_df/tbl_df/tbl/data.frame)
                               : num [1:100000] 5634 5635 5636 5637 5638 ...
: chr [1:100000] "CUS_0xd40" "CUS_0xd40" "CUS_0xd40" "CUS_0xd40" ...
 $ customer_id
                               : Factor w/ 8 levels "January", "February", : 1 2 3 4 5 6 7 8 1 2 ...

: chr [1:100000] "Aaron Maashoh" "Aaron Maashoh" "Aaron Maashoh" "Aaron Maashoh"
 $ month
 $ name
h"
                               : num [1:100000] 23 23 23 23 23 23 23 23 28 28 ...
: chr [1:100000] "821-00-0265" "821-00-0265" "821-00-0265" "821-00-0265" ...
 $ age
 $ ssn
                               : chr [1:100000] "Scientist" "Scientist" "Scientist" "Scientist" ...
 $ occupation
                               : num [1:100000] 19114 19114 19114 19114 19114 ...
 $ annual_income
                               : num [1:100000] 1825 1825 1825 1825 1825 ...
 $ monthly_inhand_salary
                               : num [1:100000] 3 3 3 3 3 3 3 2 2 ...
 $ num bank accounts
                               : int [1:100000] 4 4 4 4 4 4 4 4 4 4 ...
 $ num credit card
                               : int [1:100000] 3 3 3 3 3 3 3 6 6 ...
 $ interest rate
: INT [1:100000] 4 4 4 4 4 4 4 4 1 1 ...
$ type_of_loan : chr [1:100000] "Auto Loan, Credit-Builder Loan, Personal Loan, and Home Equivy Loan" "Auto Loan, Credit-Builder Loan, Personal Loan, and Home Equity Loan" "Auto Loan, Credit-Builder Loan, Personal Loan, and Home Equity Loan" ...
 $ delay_from_due_date
                               : num [1:100000] 11.27 11.27 10.25 6.27 11.27 ...
 $ changed_credit_limit
                               : num [1:100000] 4 4 4 4 4 4 4 4 2 2 ...
: Factor w/ 3 levels "Good", "Bad", "Standard": 1 1 1 1 1 1 1 1 1 1 ...
 $ num_credit_inquiries
 $ credit_mix
 $ outstanding_debt
                                : num [1:100000] 810 810 810 810 810
$ credit_history_age : Named num [1:100000] 22.1 22.2 22.2 22.3 22.4 ... ..- attr(*, "names")= chr [1:100000] "22 Years and 1 Months" NA "22 Years and 3 Months" "22 Years and 4 Months" ...
 $ credit_utilization_ratio: num [1:100000] 26.8 31.9 28.6 31.4 24.8
                              : logi [1:100000] FALSE FALSE FALSE FALSE FALSE ...
 $ payment_of_min_amount
 $ total_emi_per_month
                                  num [1:100000] 49.6 49.6 49.6 49.6 49.6 .
 $ amount_invested_monthly : num [1:100000] 80.4 118.3 81.7 199.5 41.4 ...
 $ payment_behaviour
                               : Factor w/ 6 levels "high_spent_small_value_payments",..: 1 6 5 4 2 4 4 2 4 3
 $ monthly_balance
                                : num [1:100000] 312 285 331 223 341
 Figure 6: Structure of the dataset
```

since this data frame has 100,000 rows and 30 columns, this str is to indicate that the column includes various data types such as integers(int), numeric(num), characters(chr), and factors

#### **Data Cleaning**

(Factor).

```
# column name to lower
names(df) = tolower(names(df))
colnames(df)
```

Figure 7: lowercase column name

The code is to change the dataset column name from uppercase to lowercase, to brings convenience to the future coding.

```
#replace white space with na
df$name = replace(df$name,df$name ==""
df$name = replace(df$name,df$name =="" , NA)
df$ssn = replace(df$ssn,df$ssn =="#F%$D@*&8"
 df$occupation = replace(df$occupation,df$occupation
df$num_of_delayed_payment = replace(df$num_of_delayed_payment,df$num_of_delayed_payment =="" , NA) df$type_of_loan = replace(df$type_of_loan = repla
df$type_of_loan = replace(df$type_of_loan,df$type_of_loan ==""", NA)
df$changed_credit_limit = replace(df$changed_credit_limit,df$changed_credit_limit =="_", NA
df$num_credit_inquiries = replace(df$num_credit_inquiries,df$num_credit_inquiries =="", NA
df$payment_of_min_amount = replace(df$payment_of_min_amount,df$payment_of_min_amount =="NM"
 df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly == "__10000__" , NA) \\ df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly, df\$amount\_invested\_monthly = replace(df\$amount\_invested\_monthly, df\$amount\_invested\_monthly, df\$amount\_invested\_monthly, df\$amount\_invested\_monthly, df\$amount\_invested\_monthly, df\$amount\_invested\_monthly,
 df$payment_behaviour = replace(df$payment_behaviour,df$payment_behaviour =="!@9#%8"
 df$monthly_balance = replace(df$monthly_balance,df$monthly_balance =="
 df$credit_mix = replace(df$credit_mix,df$credit_mix ==
sum(is.na(df$credit_mix))
sum( is.na(df$num_of_loan))
sum( is.na(df$delay_from_due_date))
sum( is.na(df$num_of_delayed_payment))
 sum(is.na(df$changed_credit_limit))
 sum(is.na(df$num_credit_inquiries)
 sum(is.na(df$credit_utilization_ratio))
 sum(is.na(df$payment_of_min_amount))
 sum(is.na(df$total_emi_per_month)
sum(is.na(df$amount_invested_monthly))
sum(is.na(df$payment_behaviour))
sum(is.na(df$monthly_balance))
 sum(is.na(df$credit_score))
 as.data.frame(table(df$changed_credit_limit))
 as.data.frame(table(df$num_of_loan))
 as.data.frame(table(df$type_of_loan))
 as.data.frame(table(df\snum_of_delayed_payment))
as.data.frame(table(df$outstanding_debt)
as.data.frame(table(df$amount_invested_monthly))
```

Figure 8: replace NA values

This code is to replace the columns of blank white space with NA values which makes it easier for the later process of data cleaning.

```
#correct the age column
df$age = as.character(gsub("[_]","",df$age))
df$age
# correct the annual income column
df$annual_income = as.character(gsub("[_]","",df$annual_income))
df$annual_income
# correct the number of loan column
df$num_of_loan = as.character(gsub("[_]","",df$num_of_loan))
df$num_of_loan
# correct the number of delayed payment column
df$num_of_delayed_payment = as.character(gsub("[_]","",df$num_of_delayed_payment))
df$num_of_delayed_payment
# correct the outstanding debt column
df$outstanding_debt = as.character(gsub("[_]","",df$outstanding_debt))
df$outstanding_debt
                              Figure 9: remove the symbol of ""
```

This process of data cleaning is to remove the column names that contain the "\_" symbol. This process is just to remove noises.

```
#replace the na value in name into the name in the same customer ID group
df <- df %>%
 group_by(customer_id) %>%
 fill(name, .direction = 'downup')
colsums(is.na(df))
#replace the <u>na</u> value in <u>ssn</u> into the <u>ssn</u> in the same customer ID group
df <- df %>%
 group_by(customer_id) %>%
 fill(ssn) %>%
 mutate(ssn = ifelse(is.na(ssn), last(ssn), ssn))
#df = df%>% fill(Age, direction ="downup")
colsums(is.na(df))
#occupation-----
#replace the na value in occuption into the occuption in the same customer ID group
df <- df %>%
 group_by(customer_id) %>%
 fill(occupation, .direction = "downup")
```

Figure 10: replace the NA values with the same group data

The process is to replace the NA values based on same customer ID group and check the columns if they're replaced.

```
#age---
#convert age from chr format to int format
df$age = as.integer(df$age)

#remove wrong value
df$age = replace(df$age,df$age < 18, NA)
df$age = replace(df$age,df$age>65,NA)

summary(df)

View(df)
#replace the na value in age into the age in the same customer ID group
df <- df %>%
    group_by(customer_id) %>%
    fill(age, .direction = 'downup')

#calculate mean and replace na with mean
mean_value <- mean(df$age, na.rm = TRUE)
mean_value <- round(mean_value)
df$age[is.na(df$age)] <- mean_value</pre>
```

Figure 11: covert format and remove the wrong value

During this process, the class age is converted from character into integer format, and removing the wrong values with NA to avoid an age that does not make sense. Calculate the mean and age and replace the NA with the mean values.

```
#annual income--
#convert annual_income from <a href="mailto:chr">chr</a> format to numeric format
df$annual_income = as.numeric(df$annual_income)
summary(df)
view(df)
#round up annual_income to two decimal point
df$annual_income <- round(df$annual_income, 2)
# Calculate the first quartile (Q1) and third quartile (Q3)
Q1 <- quantile(df$annual_income, 0.25, na.rm = TRUE)
Q3 <- quantile(df\u00e4annual_income, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$annual_income[df$annual_income < lower_bound | df$annual_income > upper_bound] <- NA
#replace the na value in annual income into the annual income in the same customer ID group
df <- df %>%
  group_by(customer_id) %>%
  fill(annual_income, .direction = 'downup')
#calculate mean and replace na with mean
mean_value <- mean(df$annual_income, na.rm = TRUE)</pre>
mean_value <- round(mean_value,2)
df$annual_income[is.na(df$annual_income)] <- mean_value
```

Figure 12: annual income

The annual income has been converted from character to integer format, making the values 2 decimal points. Calculating the first and third quartile and interquartile range, defining the lower boundary and upper boundary. The outliers is removed and the mean is calculated to replace the NA values.

```
#monthly_inhand_salary-
replace the na value in monthly <u>inhand</u> salary into the monthly <u>inhand</u> salary in the same customer ID group#
df <- df %>%
  group_by(customer_id) %>%
  fill(monthly_inhand_salary, .direction = 'downup')
#round up to two decimal point
df$monthly_inhand_salary <- round(df$monthly_inhand_salary, 2)</pre>
# Calculate the first quartile (Q1) and third quartile (Q3)
Q1 <- quantile(df\u00e4monthly_inhand_salary, 0.25, na.rm = TRUE)
Q3 <- quantile(df\u00e4monthly_inhand_salary, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5
upper_bound <- Q3 + 1.5 * IQR
df$monthly_inhand_salary[df$monthly_inhand_salary < lower_bound | df$monthly_inhand_salary > upper_bound] <- NA
replace the na value in annual income into the annual income in the same customer ID group#
df <- df %>%
  group_by(customer_id) %>%
  fill(monthly_inhand_salary, .direction = 'downup')
#calculate mean and replace na with mean
mean_value <- mean(df$monthly_inhand_salary, na.rm = TRUE)</pre>
mean_value <- round(mean_value,2)
df$monthly_inhand_salary[is.na(df$monthly_inhand_salary)] <- mean_value
                                            Figure 13: monthly in hand salary
```

We use the quartile methods and convert the values into 2 decimal point to remove the outliers to later replace the NA values based on the same customer ID group.

```
#num_bank_accounts---
# Calculate the first quartile (Q1) and third quartile (Q3) for num_bank_accounts
Q1 <- quantile(df$num_bank_accounts, 0.25, na.rm = TRUE)
Q3 <- quantile(df\num_bank_accounts, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
df$num_bank_accounts[df$num_bank_accounts < lower_bound | df$num_bank_accounts > upper_bound] <- NA
#remove negative value
df$num_bank_accounts[df$num_bank_accounts < 0] <- NA
replace the na value in num bank accounts into the num bank account in the same customer ID group#
  group_by(customer_id) %>%
  fill(num_bank_accounts, .direction = 'downup')
#must has minimum 1 bank account
df$num_bank_accounts = replace(df$num_bank_accounts,df$num_bank_accounts == 0,1)
#remove negative value for num credit card
df$num_credit_card[df$num_credit_card < 0] <- NA
# Calculate the first quartile (Q1) and third quartile (Q3) for num_credit_card
Q1 <- quantile(df$num_credit_card, 0.25, na.rm = TRUE)
Q3 <- quantile(df\snum_credit_card, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$num_credit_card[df$num_credit_card < lower_bound | df$num_credit_card > upper_bound] <- NA
#replace the na value in num credit card into the num credit in the same customer ID group
df <- df %>%
 group_by(customer_id) %>%
 fill(num_credit_card, .direction = 'downup')
```

Figure 14: number of bank accounts and credit card

Using the same methods to remove outliers and some negative values. Replace the NA values with the same customer ID group at their columns. To make sure that they have the same value in the same customer ID group.

```
#interest_rate--
#remove negative value for interest rate
df$interest_rate[df$interest_rate < 0] <- NA
# Calculate the first quartile (Q1) and third quartile (Q3) for interest_rate
Q1 <- quantile(df\$interest_rate, 0.25, na.rm = TRUE)
Q3 <- quantile(df\$interest_rate, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$interest_rate[df$interest_rate < lower_bound | df$interest_rate > upper_bound] <- NA
#replace the na value in interest rate into the interest rate in the same customer ID group
df <- df %>%
  group_by(customer_id) %>%
 fill(interest_rate, .direction = 'downup')
#num_of_loan----
#convert num of loan from chr format to int format
df$num_of_loan = as.integer(df$num_of_loan)
#remove negative value
df$num_of_loan[df$num_of_loan < 0] <- NA
# Calculate the first quartile (Q1) and third quartile (Q3) for num_of_loan
Q1 <- quantile(df$num_of_loan, 0.25, na.rm = TRUE)
Q3 <- quantile(df\snum_of_loan, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$num_of_loan[df$num_of_loan < lower_bound | df$num_of_loan > upper_bound] <- NA
#replace the na value in num_of_loan into the num_of_loan in the same customer ID group
df <- df %>%
  group_by(customer_id) %>%
  fill(num_of_loan, .direction = 'downup')
```

Figure 15: interest rate and number of loans

Convert the number of loans format from character to integer and use the quartile methods to remove the outliers, remove the negative values and replace it with the values group by the same customer ID group.

```
#type_of_loan--
#replace na with Not Specified in type_of_loan column
df$type_of_loan <- ifelse(is.na(df$type_of_loan), "Not Specified", df$type_of_loan)
#delay from due date----
#remove negative value in delay_from_due_date column
df$delay_from_due_date[df$delay_from_due_date < 0] <- NA
# Calculate the first quartile (Q1) and third quartile (Q3) for num_of_loan Q1 <- quantile(df$delay_from_due_date, 0.25, na.rm = TRUE) Q3 <- quantile(df$delay_from_due_date, 0.75, na.rm = TRUE)
# Calculate the interguartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
df$delay_from_due_date[df$delay_from_due_date < lower_bound | df$delay_from_due_date > upper_bound] <- NA
#calculate mean and replace na with mean
mean_value <- mean(df$delay_from_due_date, na.rm = TRUE)
mean_value <- round(mean_value)</pre>
df$delay_from_due_date[is.na(df$delay_from_due_date)] <- mean_value
#num_of_delayed_payment------
#convert num_of_delayed_payment from chr format to int format
df$num_of_delayed_payment = as.integer(df$num_of_delayed_payment)
#remove negative value
df$num_of_delayed_payment[df$num_of_delayed_payment < 0] <- NA
# Calculate the first quartile (Q1) and third quartile (Q3) for num_bank_accounts
Q1 <- quantile(df$num_of_delayed_payment, 0.25, na.rm = TRUE)</pre>
Q3 <- quantile(df$num_of_delayed_payment, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower\_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
df$num_of_delayed_payment[df$num_of_delayed_payment < lower_bound | df$num_of_delayed_payment > upper_bound] <- NA
#calculate mean and replace na with mean
mean_value <- mean(df$num_of_delayed_payment, na.rm = TRUE)</pre>
mean value <- round(mean value)
df$num_of_delayed_payment[is.na(df$num_of_delayed_payment)] <- mean_value
```

Figure 16: type of loan, delay from due date and number of delayed payments

The above figure shows the columns type of loan, we replace the NA values with Not Specified word. Number of delayed payment class needs to replace to integer format and use quartile method to remove the outliers and replace the NA values with mean.

```
#changed_credit_limit--
#convert changed_credit_limit from chr format to num format
df$changed_credit_limit = as.numeric(df$changed_credit_limit)
# Calculate the first quartile (Q1) and third quartile (Q3) for changed_credit_limit
Q1 <- quantile(df$changed_credit_limit, 0.25, na.rm = TRUE)
Q3 <- quantile(df$changed_credit_limit, 0.75, na.rm = TRUE)</pre>
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR</pre>
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$changed_credit_limit[df$changed_credit_limit > lower_bound | df$changed_credit_limit > upper_bound] <- NA
#calculate mean and replace na with mean
mean_value <- mean(df$changed_credit_limit, na.rm = TRUE)</pre>
mean_value
mean_value <- round(mean_value, 2)</pre>
df$changed_credit_limit[is.na(df$changed_credit_limit)] <- mean_value
#num_credit_inquiries-----
# Calculate the first quartile (Q1) and third quartile (Q3) for num_credit_inquiries
Q1 <- quantile(df$num_credit_inquiries, 0.25, na.rm = TRUE)
Q3 <- quantile(df$num_credit_inquiries, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
TOR <- 03 - 01
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$num_credit_inquiries[df$num_credit_inquiries < lower_bound | df$num_credit_inquiries > upper_bound] <- NA
#calculate mean and replace na with mean
mean_value <- mean(df$num_credit_inquiries, na.rm = TRUE)</pre>
mean_value
mean_value <- round(mean_value)</pre>
df$num_credit_inquiries[is.na(df$num_credit_inquiries)] <- mean_value</pre>
```

Figure 17: changed credit limit and number of credit inquiries

Quartile method is using to remove outliers for both columns and replace NA values with mean.

```
#credit_mix---
# Define the levels for the factor
factor_levels <- c("Good", "Bad", "Standard")</pre>
# Create a factor with the specified levels
df$credit_mix <- factor(df$credit_mix, levels = factor_levels)</pre>
#replace na with the credit mix in the same group
df <- df %>%
  group_by(customer_id) %>%
  fill(credit_mix, .direction = 'downup')
#outstanding_debt-----
df$outstanding_debt = as.numeric(df$outstanding_debt)
# Calculate the first quartile (Q1) and third quartile (Q3) for changed_credit_limit
Q1 <- quantile(df$outstanding_debt, 0.25, na.rm = TRUE)
Q3 <- quantile(df\u00e4outstanding_debt, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$outstanding_debt[df$outstanding_debt < lower_bound | df$outstanding_debt > upper_bound] <- NA
#calculate mean and replace na with mean
mean_value <- mean(df$outstanding_debt, na.rm = TRUE)</pre>
mean_value
mean_value <- round(mean_value, 2)</pre>
df$outstanding_debt[is.na(df$outstanding_debt)] <- mean_value
```

Figure 18: credit mix and outstanding debt

We use factor\_levels to category the credit mix with 3 levels. Convert the class of outstanding debt to numeric format and use quartile method to remove the outliers. Replace the NA values with mean.

```
#credit_utilization_ratio------
#round up to 2 decimal point
df$credit_utilization_ratio <- round(df$credit_utilization_ratio, 2)</pre>
# Calculate the first quartile (Q1) and third quartile (Q3) for changed_credit_limit
Q1 <- quantile(df$credit_utilization_ratio, 0.25, na.rm = TRUE)
Q3 <- quantile(df$credit_utilization_ratio, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$credit_utilization_ratio[df$credit_utilization_ratio
                           < lower_bound | df$credit_utilization_ratio > upper_bound] <- NA</pre>
#calculate mean and replace na with mean
mean_value <- mean(df$credit_utilization_ratio, na.rm = TRUE)</pre>
mean_value
mean_value <- round(mean_value, 2)
df$credit_utilization_ratio[is.na(df$credit_utilization_ratio)] <- mean_value
```

Figure 19: credit utilization ratio

The values will be converted to 2 decimal point and remover the outliers with quartile method. Replace the NA value with mean.

```
#credit_historv_age-
df$credit_history_age <- as.character(df$credit_history_age)
# Function to convert "Years and Months" to total months
to_total_months <- function(years_months) {</pre>
  if (is.na(years_months)) {
   return(NA) # Return NA for missing values
  parts <- strsplit(years_months, " ")[[1]] # Split the string into parts</pre>
 years <- as.numeric(parts[1]) # Extract the years part
months <- as.numeric(parts[4]) # Extract the months part</pre>
  return(years * 12 + months) # Convert to total months
# Function to convert total months back to "Years and Months"
to_years_months <- function(total_months) {</pre>
 years <- total_months %/% 12  # Calculate years from total months
months <- total_months %% 12  # Calculate remaining months
return(paste(years, "Years and", months, "Months"))  # Return formatted string</pre>
# Apply the conversion function to create a new column with total months
 mutate(Total_Months = sapply(credit_history_age, to_total_months))
# Function to fill missing values by adding 1 month to the previous value within each customer group
fill_na_with_previous_plus_one <- function(total_months) {</pre>
  for (i in 2:length(total_months)) {
    if (is.na(total_months[i]))
      total_months[i] <- total_months[i - 1] + 1 # Add 1 to the previous value if current is NA
  return(total_months)
# Apply the filling function within each customer group
df <- df %>%
 group_by(customer_id) %>%
  mutate(Total_Months = fill_na_with_previous_plus_one(Total_Months)) %>%
  ungroup()
View(df)
# Convert total months back to "Years and Months"
 mutate(credit_history_age = sapply(Total_Months, to_years_months))
# Drop the intermediate Total_Months column
df <- df %>%
  select(-Total Months)
# Convert "Years and Months" to numerical
convert_decimal <- function(age_str){</pre>
  years <- as.numeric(str_extract(age_str, "\\d+(?=\\sYears)"))</pre>
  months <- as.numeric(str_extract(age_str, "\\d+(?=\\sMonths)"))
  decimal_age <- years + months / 12
  return(decimal_age)
}
df <- df %>%
  mutate(credit_history_age = sapply(credit_history_age, convert_decimal))
df$credit_history_age <- round(df$credit_history_age, 2)
```

Figure 20: credit history age

The credit history age is converted from character into decimal values and the values need to divide by the months with 12. We assume that the credit history age doesn't have data redundancy and shown in Years format for a clearer data represent.

```
#payment_of_min_amount-----
#replace yes with True ,no with False ,left <u>na</u>
#replace na with mode, which is TRUE
df$payment_of_min_amount[is.na(df$payment_of_min_amount)] <- TRUE</pre>
#total_emi_per_month----
#Round up to two decimal point
df$total_emi_per_month <- round(df$total_emi_per_month, 2)</pre>
# Calculate the first quartile (Q1) and third quartile (Q3) for total_emi_per_month
Q1 <- quantile(df$total_emi_per_month, 0.25, na.rm = TRUE)
Q3 <- quantile(df$total_emi_per_month, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$total_emi_per_month[df$total_emi_per_month < lower_bound | df$total_emi_per_month > upper_bound] <- NA
# replace <u>na</u> with the value in the same group
df <- df %>%
 group_by(customer_id) %>%
 fill(total_emi_per_month, .direction = 'downup')
#calculate mean and replace na with mean
mean_value <- mean(df$total_emi_per_month, na.rm = TRUE)</pre>
mean_value <- round(mean_value,2)
df$total_emi_per_month[is.na(df$total_emi_per_month)] <- mean_value
```

Figure 21: payment of min amount and total emi per month

The values of payment of min amount will been replace yes with true and no with false. Mode is used for replacing the NA values which are true. Using quartile methods to remove the outliers and replace the NA values with mean in the total emi per month.

```
#amount_invested_monthly-----
#convert the format from chr to numeric
df$amount_invested_monthly = as.numeric(df$amount_invested_monthly)
#Round up to two decimal point
df$amount_invested_monthly <- round(df$amount_invested_monthly, 2)
# Calculate the first quartile (Q1) and third quartile (Q3) for amount_invested_monthly
Q1 <- quantile(df\$amount_invested_monthly, 0.25, na.rm = TRUE)
Q3 <- quantile(df$amount_invested_monthly, 0.75, na.rm = TRUE)
# Calculate the interquartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
dfsamount_invested_monthly[dfsamount_invested_monthly
                         < lower_bound | df$amount_invested_monthly > upper_bound] <- NA</pre>
#calculate mean and replace na with mean
mean_value <- mean(df$amount_invested_monthly, na.rm = TRUE)</pre>
mean_value
mean_value <- round(mean_value, 2)</pre>
df$amount_invested_monthly[is.na(df$amount_invested_monthly)] <- mean_value
#payment_behaviour-----
# Convert payment_behaviour to lowercase
df$payment_behaviour <- tolower(df$payment_behaviour)</pre>
# Define the levels for the factor
# Create a factor with the specified levels
df$payment_behaviour <- factor(df$payment_behaviour, levels = factor_levels)
#replace na with mode with is low_spent_small_value_payments
df$payment_behaviour[is.na(df$payment_behaviour)] <- "low_spent_small_value_payments"
```

Figure 22: amount invested monthly and payment behaviour

For the amount invested monthly, we converted its class into numeric format and round up to 2 decimal point. Quartile methods is used to remove outliers and replace the NA values with mean. Payment behaviour characters are converted into lowercase and define the levels with 6 different levels. We also create a factor with the specified levels and replace the NA values with mode with low\_spent\_small\_value\_payments.

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```
#convert the format from chr to numeric
df$monthly_balance = as.numeric(df$monthly_balance)
#round up to two decimal point
df$monthly_balance <- round(df$monthly_balance, 2)</pre>
# Calculate the first quartile (Q1) and third quartile (Q3) for monthly_balance
Q1 <- quantile(df$monthly_balance, 0.25, na.rm = TRUE)
Q3 <- quantile(df$monthly_balance, 0.75, na.rm = TRUE)
# Calculate the interguartile range (IQR)
IQR <- Q3 - Q1
# Define the lower and upper bounds
lower_bound <- Q1 - 1.5 * IQR
upper_bound <- Q3 + 1.5 * IQR
# Remove outliers
df$monthly_balance | df$monthly_balance | df$monthly_balance | df$monthly_balance | NA
#calculate mean and replace na with mean
mean_value <- mean(df$monthly_balance, na.rm = TRUE)
mean_value
mean_value <- round(mean_value, 2)</pre>
df$monthly_balance[is.na(df$monthly_balance)] <- mean_value
# Define the levels for the factor
factor_levels <- c("Good", "Poor", "Standard")</pre>
# Create a factor with the specified levels
df$credit_score <- factor(df$credit_score, levels = factor_levels)</pre>
```

Figure 23: monthly balance and credit score

The monthly balance format has been converted into numeric format and make it to have 2 decimal points. Using quartile methods to remove outliers and replace the NA values with mean. For the credit score, we define the factor of credit score as 3 levels. After cleaning the credit score, the data-cleaning process is finished.

## 4.0 Data Analysis

# 4.1 To investigate the impact of delayed payment to credit score (Angelina Leanore TP072929)

The three analysis employ a variety of analysis techniques, including the Chi-square test of independence, group by, Visualization, and Descriptive analysis. There are three sorts of visualization used: heatmaps, line plots with points, and violin plots. Descriptive analysis compares the distribution of a variable across several categories.

# 4.1.1 Does the frequency of delayed payment significantly affect the credit score of individuals?

```
mutate(delayed_payment_category = case_when(
    num_of_delayed_payment == 0 ~ "0",
    num_of_delayed_payment <= 7 ~ "1-7",
    num_of_delayed_payment <= 14 ~ "8-14",
    num_of_delayed_payment <= 21 ~ "15-21",
    num_of_delayed_payment > 21 ~ "22+"
    ))

df$credit_score <- factor(df$credit_score, levels = c("Poor", "Standard", "Good"))

contingency_table <- table(df$delayed_payment_category, df$credit_score)
    chisq.test(contingency_table)

contingency_df <- as.data.frame(contingency_table)

colnames(contingency_df) <- c("Delayed_Payment_Category", "Credit_Score", "Count")

ggplot(contingency_df, aes(x = Delayed_Payment_Category, y = Credit_Score, fill = Count)) +
    scale_fill_gradient(low = "white", high = "blue") +
    labs(title = "Heatmap of Credit Scores by Delayed Payment Categories",
        x = "Delayed Payment Category",
        y = "Credit Score",
        fill = "Count") +
    theme_minimal()</pre>
```

Figure 24: Code for Implementing Heatmap

**Extra Feature: Heatmap Visualization** 

Data Analysis Method: Chi-Square test of independence

According to this code, the number of categories with payment delays is used to determine credit score by determining a person's credit score based on how many late payments they have made. Additionally, a contingency table is developed in order to examine the link between he types of delayed payments and credit scores. Lastly, we can view the data's heatmap using geom\_tile.

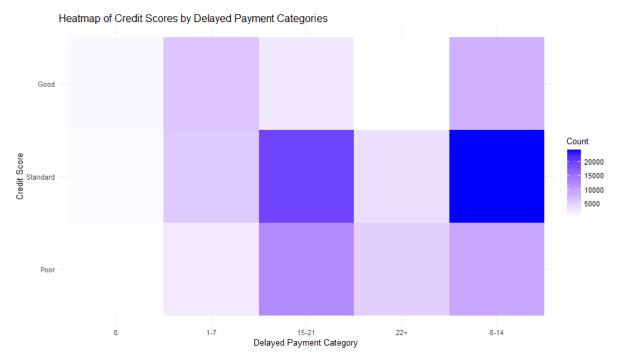


Figure 25: Heatmap

The heatmap demonstrates the relationship between credit scores and the frequency of late payments. There are most members in the "Standard" credit score group, especially in the 8-14 delayed payment range area. Comparatively, the credit score is largely affected by the 8-14 and 22+ delayed payment categories, where a large proportion of people fall into the "Standard" and "Poor" credit categories. Fewer late payments are linked to higher credit ratings, such as "Good" scores the majority of people in the "Poor" credit category with more than 22 late payments are most affected. This heatmap shows that a pattern of often missing payments is associated with a lower credit score.

# 4.1.2 Do individuals with delayed payments in specific months have significantly different credit scores compared to those without delayed payments in those months?

Figure 26: Code for Lineplot with Facets

#### Data Analysis Method: Group by method

This code creates a faceted line plot using ggplot2 to display the credit score count by month and the status of delayed payments. Organizing the data according to month, status of overdue payments, and credit score results in a visually appealing plot. Furthermore, by creating distinct subplots according to each delayed payment status using faceting, y scales can vary individually.

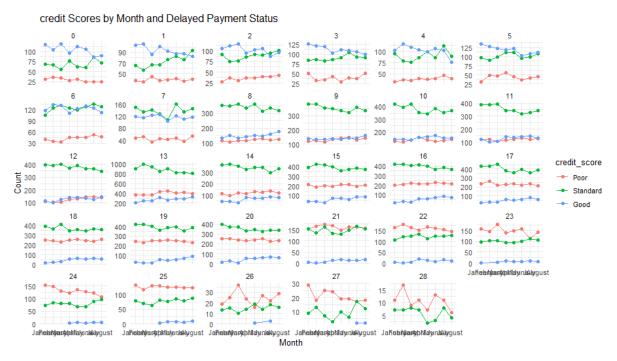


Figure 27: Lineplot with Facets

Based on the Graph above, there are many subplots, each with a numbers 0 to 28 signifying various amounts of overdue payments. Monthly distribution of credit scores is displayed in each subplot. In response, those is display in each subplot. In response, those who have fallen behind on their payments do, on average, have credit score distributions that differ from those of people who have not. "Standard" and "Poor" typically have greater counts than "Good" for the majority of delayed payment counts (0 to 8). A few subplots (26-28) suggest that some kinds of late payments have a more pronounced effect on credit score than others. Furthermore, there appear to be monthly variations in the counts for "Poor" credit score, indicating the potential influence of late payments.

## 4.1.3 Is there a significant difference in the average credit score between periods with frequent and infrequent numbers of delayed payments over time?

```
df$credit_score <- factor(df$credit_score, levels = c("Poor","Standard", "Good"))
threshold <- median(df$num_of_delayed_payment)
df <- df %>%
    mutate(PaymentFrequency = ifelse(num_of_delayed_payment > threshold, "Frequent", "Infrequent"))

ggplot(df, aes(x = PaymentFrequency, y = credit_score, fill = PaymentFrequency)) +
    geom_violin(alpha = 0.7, trim = FALSE) +
    labs(title = "Distribution of Credit Scores by Payment Frequency",
        x = "Payment Frequency",
        y = "Credit Score",
        fill = "Payment Frequency") +
    theme_minimal()

summary(df)
```

Figure 28: Code for Violin Plot

**Extra Feature: Violin Plot Visualization** 

Data Analysis Method: Descriptive Analysis

It is shown in the code that, in order to differentiate between Frequent and Infrequent payments. The entry is labelled as "Frequent" if there have been more delayed payments than the threshold, and "Infrequent" if not. The distribution of credit scores by payment frequency can be seen by using the ggplot tool to construct a violin plot.



Figure 29: Violin Plot

The distribution of credit scores clearly differs between periods with frequent and infrequently delayed payments, as the violin plot illustrates. Fewer people have excellent credit scores than poor or standard credit scores, which is based on the frequency of late payments. In contrast to the frequent category, the distribution of people with good credit scores is more balance among

those who infrequently make late payments. Based on the frequency of late payments, this visual analysis indicates a considerable variation in average credit scores.

#### Conclusion

In conclusion, based on the findings of each investigation, we can conclude that delayed payments have a considerable impact on credit scores. Frequent late payments are related with a lower credit score, but fewer late payments are associated with higher credit score. Finally, it is show that controlling payment schedules and avoiding frequent delays can improve one's credit score.

# 4.2 To investigate impact of number of loans to a person's credit score (Lee De Xian TP068265)

#### 4.2.1 Does the number of loans affect the credit score of a person's credit score

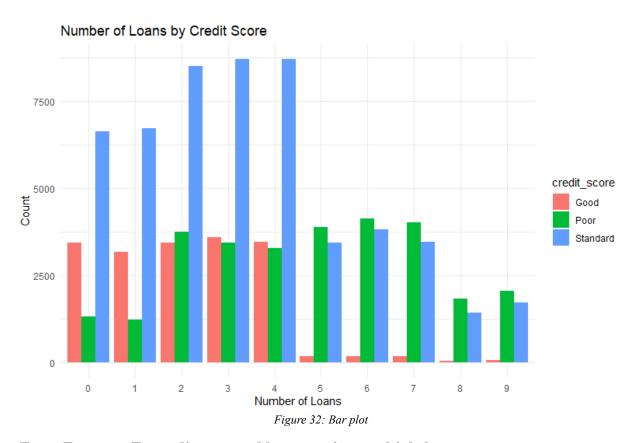
Figure 30:

We start by breaking down the type of loan in the main df into a separate df by identifying the separator then putting it into their respective loan type arrangement which is maximum of 9 as there are only a maximum of 9 loans per person. After that we pick out the columns that are useful to us to reduce bloat in generating plots. To reduce repetition even further, we remove identical data.

Figure 31: Code for Bar Plot

The R script shown above is a basic generation of a grouped bar plot. The purpose of this plot is to show the correlation between the number of loans and the amount of different credit score.

I chose to use "dodge" for the purpose of avoiding overlapping bars of different categories into together.



#### Extra Features: Expanding merged loan type into multiple loan type

#### **Data Analysis Method: Data Visualization**

This is what the bar plot looks like generated. At first glance the most obvious difference is the drastic change of counts from 4 loans to 5 loans. The other observation is that before 5 loans, the majority of people's credit score are of Standard rating, but beyond that Poor rating becomes the majority. Good credit score also drops to almost non-existent beyond 4 while good score being more frequent from 4 and below majority of the time.

#### 4.2.2 Does a particular type of loan affect the credit score?

To achieve this, we must expand the type of loan from the long lists.

Figure 33: code for expanding loan type

Next, we will expand them, merging them into singular column named loan\_type instead of 9 similar data plus removing type and num\_of\_loan which is not related to what we are trying to

find. After removing empty data we remove duplicates ones again. This will result in having every loan type be compared to the customer's credit score.

Figure 34: Code for comparison between type of loan and credit score

Now to form a graph for the data, we first count every type of loan with their corresponding credit score rating. This will result with three data of credit\_score, loan\_type, and count. With this data we can create a graph suited for representing these data. After several tests, we had determined that using bar table is the most suitable for presenting the data.

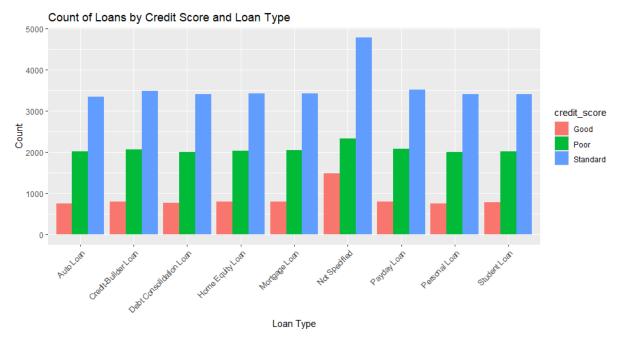


Figure 35: Type of loan compared to credit score

#### **Data Analysis Method: Data Visualization**

Disappointingly, as seen with the plot that there are no correlations between the type of loan and the credit score of a person. The only thing that we are able to learn from this graph is that most of the loan type are unspecified. With this thought lets also show the most common loan type.

```
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```

Figure 36:

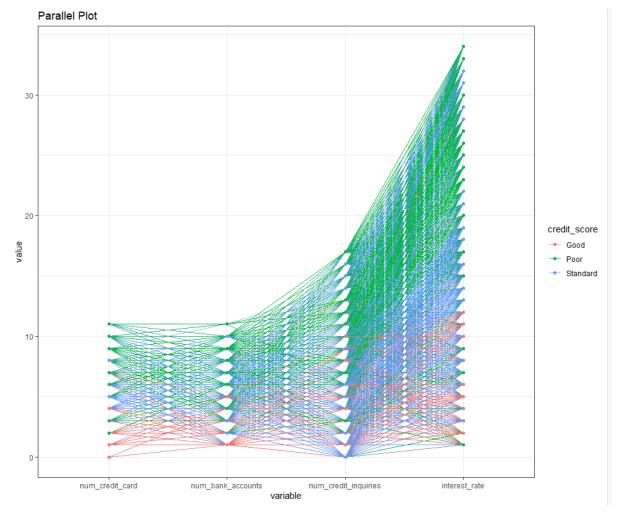
The summarization above shows that "Not Specified" loan type is indeed the largest portion of the registered loan. Following up by Payday loan and Credit-Builder loan as the third.

#### 4.2.3 Conclusion

In the analysis done to find correlations between number of loan and credit score, we have found several discoveries but none that is significantly glaring. The first discovery is that the credit score of a person will drop drastically beyond having 4 loans whereas having a good credit score with 5 loans or above is nearly impossible. Its unfortunate that no correlation were found between type of loan and credit score, but we did discover that majority of loan type are unrecorded therefore being unspecified.

# 4.3 To investigate how the number of credit cards can affect each person's credit score. (Jeff Hong Chee Hin TP074560)

# 4.3.1 Does the number of credit cards will affect the credit score of a person with other three variables?



```
> max(df$num_credit_card)
[1] 11
> min(df$num_credit_card)
[1] 0
```

Figure 37: Parallel Coordinate Plot to find the category credit score of a person

**Extra Features: Parallel Coordinate Plot** 

#### **Data Analysis Method: Data Visualisation**

The first implementation of the method to visualise the dataset of credit score classification dataset is the parallel coordinate plot. The parallel coordinate plot can show the relationship between multiple numeric variables and each of the findings is plotted horizontally (Gattu, 2021). This plot visualizes the relationships between credit scores and various factors: the number of credit cards, bank accounts, credit inquiries, and interest rates but mostly focuses on the various factors of the number of credit cards. When the number of credit cards increases, there are many green colour lines at the top of the plot representing that people's credit scores are poor, there correlation between the number of credit cards and a person's credit score value. The red lines usually at the bottom of the plot due to the lesser of credit cards will define mostly people who have a good credit score. According to the plot, the credit score of people who are categorised as standard mostly focused on the number of credit cards around 5-8. For example, the person who doesn't have credit cards, only has one bank account, around five numbers of credit inquiries and an interest rate of around 2%-12% will represent the person who has a good credit score category which the person can apply the loan from the bank successfully. In the plot findings, most people whose credit scores were categorised as poorly focused on the green points which having several credit cards around 9-11, including bank accounts more than 4, some credit inquiries higher than 5, and interest rates above 19% which they are hard to apply for the loan from the bank. According to the code given, the minimum number of credit cards is 0 usually categorised as the person who has a good credit score. The maximum number of credit cards is 11, which will mostly categorised in the poor category of credit score.

## 4.3.2 What is the difference in mean for different categories of credit scores in terms of the number of credit cards

```
> # Summary of ANOVA
   > summary(res.aov)
                      Df Sum Sq Mean Sq F value Pr(>F)
                                    34948
                                               9779 <2e-16 ***
   credit_score
                       2 69896
   Residuals 99997 357379
   Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' '1
   > TukeyHSD(res.aov)
     Tukey multiple comparisons of means
        95% family-wise confidence level
   Fit: aov(formula = num_credit_card ~ credit_score, data = df)
   $credit_score
                          diff
                                       lwr
                                                   upr p adj
                     2.481833 2.439665 2.524001
   Poor - Good
                                                             0
   Standard-Good 1.261226 1.222881 1.299571
                                                             0
   Standard-Poor -1.220607 -1.252951 -1.188262
#HO: There are no difference of mean for different credit score in term of number
#of credit cards.
#H1: There are difference of mean for different credit score in term of number
#of credit cards.
res.aov = aov(num_credit_card ~ credit_score, data = df)
# Summary of ANOVA
summary(res.aov)
# null hypothesis is rejected. There are difference of mean for different credit score in term of number
# To check difference of mean between groups
TukeyHSD(res.aov)
# From here we can see that poor to good, standard to good and standard to poor
# has highly significant differences with an adjusted p-value of
# 0 respectively. (lower than 0.05)
```

Figure 38: Summary of ANOVA and the codes

#### **Extra Features:** ANOVA and TukeyHSD

Data analysis method: Inferential Statistic

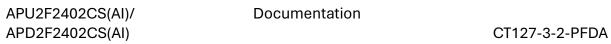
#### **Hypothesis Testing**

- H0 -There is no difference in the mean for different credit scores regarding the number of credit cards.
- H1 There is a difference in the mean for different credit scores regarding the number of credit cards.

To investigate the difference in the mean number of credit cards across different credit score groups, using hypothesis testing to determine if there is a statistically significant difference between the credit score groups. We just set a null hypothesis which is H0 with there being no difference of mean for different credit scores in terms of the number of credit cards. The alternative hypothesis which is H1 is setting as there is the difference of mean for different credit scores in terms of the number of credit cards. From the ANOVA testing, we can see that the result shows that there is a highly significant F-value, and the P-value is less than 0.05 which the value is smaller than 2e^-16 (0.000000000000000) and that's the difference of mean across the different credit groups. So, we can assume that the null hypothesis is rejected, and we can conclude that there are differences of mean for different credit scores in terms of several credit cards. Additionally, if the ANOVA result is significant, we can use the TukeyHSD to show the significant difference in credit score groups. Given the result, we can prove that the poor credit score category has significantly fewer credit cards than the good credit score category. The standard credit score category has higher statistical significance than the poor category and good category of credit scores. All the comparisons between these three groups have brought the p-adjusted value, which is 0, so we can analyze that the p-adjusted value is highly statistically significant because the actual values differences of these three credit score groups are smaller than 0 and need to show that as 0 cause the p-value is extremely small. It is also strong evidence due to the highly significant p-value. Due to the larger dataset size, small differences can become highly statistically significant.

#### 4.3.3 How does the analysis of the impact of credit cards in the category of credit scores

```
# Statistical test
# HO: There are no correlation between number of credit cards
# and interest rate
# H1: There are correlation between number of credit cards
# and interest rate
res = cor.test(df$num_credit_card, df$delay_from_due_date, method = "pearson")
# As the p-value is much smaller than the significance level, hence
# null hypothesis is rejected. There are correlation between number of credit cards
# and Interest Rate
# With 0.4980 correlation coefficient, this is a weak positive correlation
# between these two variables.
# Create a Bubble Chart
ggplot(df, aes(x = num_credit_card, y = interest_rate,
              size = outstanding_debt,
               color = credit_score))+
  geom_point(alpha = 0.7)+
  # The Bubbles size will not been so dense with another bubbles
  scale\_size(range = c(0.1,6),name = "Outstanding debt")+
  theme_bw()+
  ggtitle("Bubble Chart")
```



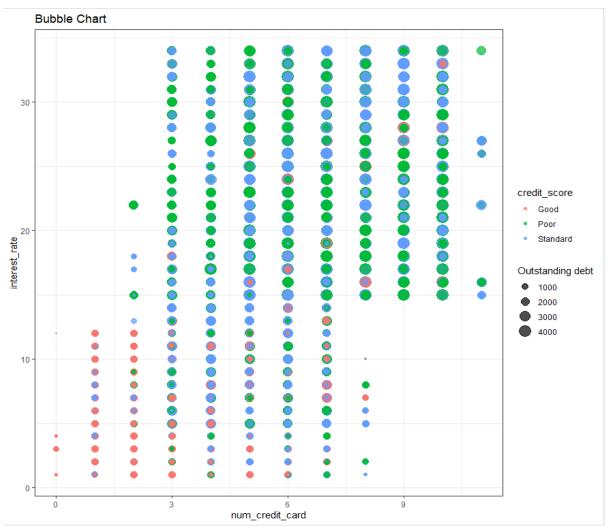


Figure 39: Summary of Statistical test, Bubble Charts and the codes

**Extra Features: Bubble Chart and Statistical Test** 

Data analysis method: Data Visualization and Inferential Statistic

#### **Hypothesis Testing**

- H0: There is no correlation between the number of credit cards and interest rate
- H1: There is a correlation between the number of credit cards and interest rate

Before implementing the bubble chart for analysis of the relationship between credit score and several credit cards, it needs to do a statistical test for the association between the two variables, which are the number of credit cards and interest rate. The result shows that the p-value is much smaller than the significance level; hence, the null hypothesis is rejected, and there is a correlation between them. As the correlation coefficient shows, 0.4980 is a

weak positive correlation, but this is the highest correlation coefficient compared to other variables. Bubble charts use three numeric variables to show the relationships between them to analyze the credit score. Based on the bubble chart, we can see that **red bubble represents** a good credit score, blue bubble represents a standard credit score, and green bubble represents a poor credit score. The size of the bubbles depends on the outstanding debt value. According to the chart, the number of credit cards is less than 4, and the interest rate is around 1%-12%. Most of the size of the bubbles will be small due to the outstanding debt of around 1000-2000. On the top of the bubble chart, it shows there are many green bubbles, which represent a poor credit score. The green bubbles are bigger than the red bubbles, causing the outstanding debt to be mostly around 3000–4000. The poor category of credit score normally has 3-10 credit cards, and their interest rate is higher compared to the good category of credit score. The standard category of credit score is blue bubbles; they also have quite fewer credit cards and a higher interest rate, but they are in between the poor and good categories. The standard category of credit score mostly has 2000–4000 amounts of outstanding debt, which makes the scope of outstanding debts wider than the other two categories of credit score. In a small conclusion, it is analyzed that usually, people with a good credit score will have fewer credit cards, lower interest rates, and smaller amounts of outstanding debt compared to people in people in the poor category of credit score, who have fewer credit cards, a higher interest rate, and a larger amount of outstanding debt.

#### 4.3.4 Conclusion

In conclusion, a person who **owns credit cards more than 5** will affect his credit score **category maintaining the poor category**. Meanwhile, a person who **owns 1-3 credit cards** makes their **credit score** stay in the **good category**. The **recommendation for finance** is encouraging people to have **fewer than 5 credit cards** to **avoid their credit scores becoming lower** because **many credit cards** will make a person to **apply many loans** and **delayed the payments** which **affects their credit score category**.

# 4.4 To investigate the relationship between annual income and a person's credit score. (Ooi Yin Yao TP074427)

Three analysis methods are being used in this analysis. Density Plot, Logistic Regression, and Dunn's Test. Density Plots visualize data distribution. Logistic Regression predicts outcomes based on input features. Dunn's Test compares multiple groups to identify significant differences.

#### 4.4.1 How does the annual income vary with the credit score?

Figure 40: Code for Density Plot

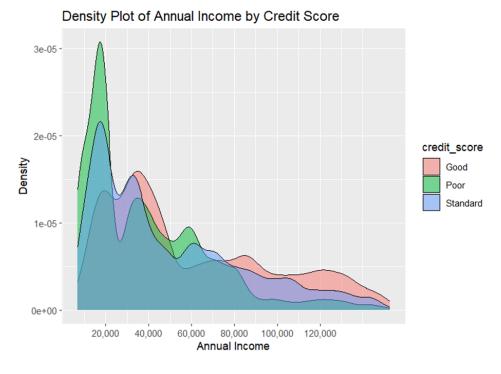


Figure 41: Density Plot

Extra Features: Density Plot

#### Data analysis method: Data Visualization

The density plot above shows a visualization of how annual income varies across different credit score categories: Good, Poor, and Standard. From the plot, it is evident that individuals with different credit scores exhibit distinct income distribution patterns.

For those with a Poor credit score represented in green colour, the distribution is heavily skewed towards the lower end of the income, peaking around the \$10,000 to \$20,000 range. This indicates that a large proportion of individuals with poor credit scores have lower annual incomes. As the income increases beyond \$30,000, the density for the poor credit group diminishes rapidly, showing fewer individuals with poor credit have higher incomes.

Individuals with a Standard credit score represented in blue colour. The density peaks between \$20,000 and \$40,000. However, it starts to drop when reaching \$80,000, indicating a more diverse income range compared to the poor credit group.

For those with a Good credit score represented in red colour, the distribution tends to spread more towards higher income ranges. This group shows a significant rise in the \$40,000 to \$80,000 income range, and even beyond \$100,000, the density remains noticeable, indicating a higher proportion of individuals with good credit scores also have higher annual incomes.

The density plot shows how annual income changes depending on credit scores. People with poor credit scores usually have lower annual income, while those with standard credit scores have incomes spread out more evenly across different levels. On the other hand, individuals with good credit scores tend to earn higher incomes. This suggests that having a higher income might help people maintain better credit scores.

### 4.4.2 Can the number of annual incomes predict the credit score?

```
# Split the data into training and testing sets
set.seed(123)
trainIndex <- createDataPartition(df$credit_score, p = 0.8, list = FALSE)
df_train <- df[trainIndex, ]
df_test <- df[-trainIndex, ]
summary(df_test)

# Fit the multinomial logistic regression model
model <- multinom(credit_score ~ annual_income, data = df_train)

# Print the model summary
summary(model)

# Predict on the test set
predictions <- predict(model, df_test,type= "class")

# Evaluate the model
confusion <- confusionMatrix(predictions, df_test$credit_score)
print(confusion)</pre>
```

Figure 42:Logistic Regression

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```
Confusion Matrix and Statistics
          Reference
Prediction Good Poor Standard
  Standard 3565 5799
                           10634
Overall Statistics
    Accuracy : 0.5318
95% CI : (0.5248, 0.5387)
No Information Rate : 0.5318
    P-Value [Acc > NIR] : 0.5029
                   Kappa: 0
 Mcnemar's Test P-Value : NA
Statistics by Class:
                      Class: Good Class: Poor Class: Standard
Sensitivity
                            0.0000
                                           0.00
                                                          1.0000
Specificity
                           1.0000
                                           1.00
                                                          0.0000
Pos Pred Value
                                                          0.5318
                                            NaN
                              NaN
Neg Pred Value
                            0.8217
                                                             NaN
Prevalence
                            0.1783
                                           0.29
                                                          0.5318
Detection Rate
                            0.0000
                                           0.00
                                                          0.5318
Detection Prevalence
                            0.0000
                                           0.00
                                                          1.0000
                           0.5000
                                                          0.5000
Balanced Accuracy
                                           0.50
```

Figure 43: Result of Logistic Regression

Extra Features: Logistic Regression

#### **Data analysis method**: Predictive Analysis

The confusion matrix and statistical summary provided above show the results of a logistic regression model that attempts to predict credit score categories (Good, Poor, Standard) based on annual income. The confusion matrix indicates that all predictions fall into the "Standard" category, regardless of the actual credit score. Overall statistics show an accuracy of 53.18, indicating that the model did not have a good performance. The p-value of 0.5029 further suggests that the model's accuracy is not statistically significant. The Kappa value is 0, which indicates no agreement between the predicted and actual classifications beyond what would be expected by chance. Examining the statistics by class, the sensitivity for both the Good and Poor classes is 0, meaning the model did not correctly identify any instances of these classes.

In summary, the logistic regression model's results indicate that using annual income alone is not an effective predictor of credit scores. The model failed to predict the annual income between the Good, Poor, and Standard credit score categories, instead predicting all annual income as Standard. This suggests that additional factors beyond annual income are necessary to accurately predict an individual's credit score.

#### 4.4.3 Is there any relationship between credit score and annual income?

```
# Perform the Kruskal-Wallis test
kruskal_test <- kruskal.test(annual_income ~ credit_score, data = df)
print(kruskal_test)

# If the Kruskal-Wallis test is significant, perform Dunn's test
if (kruskal_test$p.value < 0.05) {
    dunn_test <- dunn.test(df$annual_income, df$credit_score, method = "bonferroni")
    print(dunn_test)
}</pre>
```

Figure 44:Dunn's Test

```
Kruskal-Wallis rank sum test
data: x and group
Kruskal-Wallis chi-squared = 3871.3721, df = 2, p-value = 0
                           Comparison of x by group
                                 (Bonferroni)
Col Mean-|
Row Mean |
                Good
                           Poor
   Poor
            61.28600
Standard |
            33.87019 -39.74545
             0.0000*
                        0.0000*
alpha = 0.05
Reject Ho if p <= alpha/2
[1] 3871.372
[1] 61.28600 33.87019 -39.74545
[1] 0.000000e+00 9.154189e-252 0.000000e+00
$P.adjusted
[1] 0.000000e+00 2.746257e-251 0.000000e+00
$comparisons
[1] "Good - Poor"
                     "Good - Standard" "Poor - Standard"
```

Figure 45: Result of Dunn's Test

Extra Features: Dunn's Test

#### Data analysis method: Diagnostic Analysis

The findings of the Kruskal-Wallis test show that the annual incomes of the three credit score categories—Good, Standard, and Poor.

The mean rank differences between the groups are displayed in the comparison table. With a mean difference of 61, the mean rank of individuals with a poor credit score is much greater than that of the groups with good and standard credit scores. The Good group and the Standard group have a mean rank difference of 33. Additionally, the mean rank difference between the Standard group and the Poor group is -39.74545, showing that the ranks in the Standard group are much less. The statistical significance of the differences between all pairs of groups is confirmed by the incredibly low p-values, which are almost 0.

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These findings illustrate a clear relationship between credit score and annual income. Specifically, individuals with poor credit scores tend to have lower annual incomes compared to those with standard or good credit scores. It shows that individuals with good credit scores are likely to have higher annual incomes. This suggests that higher income levels are associated with better credit scores.

#### 4.4.4 Conclusion

After the above three different methods and data analysis from three different perspectives, it can be concluded that credit score and annual income have weak positive correlation. In the initial data analysis, the conclusion is that individuals with higher annual income will have better credit scores. However, in the subsequent analysis, it can be found that higher annual income does not mean better credit scores. On the contrary, it can be shown that people with lower annual income have a significantly lower credit score.

### 5.0 Conclusion

In the exploration of the given dataset via RStudio, we've made several understandings on the given dataset. Through the utilization of libraries such as dplyr, tidyr, along with R's other capabilities we can solve the data problems related to the dataset by cleaning up empty data, fixing corrupted data, modifying data to be more streamlined. After the data cleaning and corrections of data, each group members did their analysis based on their prior assumptions and hypotheses with extra features being implemented if needed.

Moving forward, there are several recommendations that can be used to enhance the effectiveness of the process. Firstly, focus should be put on investing in training and resources for expediting the learning process and empower users to be able to leverage the program to its full potential. Moreover, we should adopt practices for data organization to prevent the need for data fixing in the future.

The first glaring limitation is the obvious lack of experienced user in the works especially due to R language's learning curve on mastering R's syntax and libraries. Additionally, the given dataset has proven to be too big to weed out every wrong data as there might be existing data that are difficult to notice in being incorrect.

In terms of future directions, we should enhance the communication between the people responsible for collecting the information to ensure minimization on the frequency of data corruption or error. We should also push the continuation development of specialized packages for improved integration with other data management platforms.

## 6.0 Workload Matrix

Student Name	Task	Signature
Lee De Xian	Individual Data Analysis, Data Cleaning and Conclusion	Tehns
Ooi Yin Yao	Individual Data Analysis, Introduction and Data Cleaning	lei
Jeff Hong Chee Hin	Individual Data Analysis and Data Cleaning	Zess
Angelina Leanore	Individual Data Analysis and Data Exploration	<del>M</del>

## 7.0 References

Gattu, S. (2021, November 5). *Visualize data using parallel coordinates plot*. Analytics Vidhya. <a href="https://www.analyticsvidhya.com/blog/2021/11/visualize-data-using-parallel-coordinates-plot/">https://www.analyticsvidhya.com/blog/2021/11/visualize-data-using-parallel-coordinates-plot/</a>

Steven P. Sanderson II, M. (2023, October 23). *How to create a bubble chart in R using ggplot2*. Steve's Data Tips and Tricks. <a href="https://www.spsanderson.com/steveondata/posts/2023-10-23/index.html">https://www.spsanderson.com/steveondata/posts/2023-10-23/index.html</a>

Gemignani, Z. (2021, September 15). *Better know a visualization: Understanding parallel coordinates charts - juice analytics*. Launch Customer-Facing Data Products - Juice Analytics. <a href="https://www.juiceanalytics.com/writing/writing/parallel-coordinates">https://www.juiceanalytics.com/writing/writing/parallel-coordinates</a>