



## Codeforces Round #571 (Div. 2)

## A. Vus the Cossack and a Contest

time limit per test: 1 second memory limit per test: 256 megabytes input: standard input output: standard output

Vus the Cossack holds a programming competition, in which n people participate. He decided to award them all with pens and notebooks. It is known that Vus has exactly m pens and k notebooks.

Determine whether the Cossack can reward **all** participants, giving each of them at least one pen and at least one notebook.

#### Input

The first line contains three integers n, m, and k ( $1 \le n, m, k \le 100$ ) — the number of participants, the number of pens, and the number of notebooks respectively.

#### Output

Print "Yes" if it possible to reward all the participants. Otherwise, print "No".

You can print each letter in any case (upper or lower).

## **Examples**

<b>input</b> 5 8 6	
5 8 6	
output	
Yes	

input	
3 9 3	
output Yes	
Yes	

input		
8 5 20		
input 8 5 20 output		
No		

#### Note

In the first example, there are 5 participants. The Cossack has 8 pens and 6 notebooks. Therefore, he has enough pens and notebooks.

In the second example, there are 3 participants. The Cossack has 9 pens and 3 notebooks. He has more than enough pens but only the minimum needed number of notebooks.

In the third example, there are 8 participants but only 5 pens. Since the Cossack does not have enough pens, the answer is "No".

# C. Vus the Cossack and Strings

time limit per test: 1 second memory limit per test: 256 megabytes input: standard input output: standard output

Vus the Cossack has two binary strings, that is, strings that consist only of "0" and "1". We call these strings a and b. It is known that  $|b| \le |a|$ , that is, the length of b is at most the length of a.

The Cossack considers every substring of length |b| in string a. Let's call this substring c. He matches the corresponding characters in b and c, after which he counts the number of positions where the two strings are different. We call this function f(b,c).

For example, let b=00110, and c=11000. In these strings, the first, second, third and fourth positions are different.

Vus the Cossack counts the number of such substrings c such that f(b,c) is **even**.

For example, let a=01100010 and b=00110. a has four substrings of the length |b|: 01100, 11000, 10001, 00010.

- f(00110,01100) = 2;
  f(00110,11000) = 4;
  f(00110,10001) = 4;
- f(00110, 00010) = 1.

Since in three substrings, f(b,c) is even, the answer is 3.

Vus can not find the answer for big strings. That is why he is asking you to help him.

#### Input

The first line contains a binary string a ( $1 \le |a| \le 10^6$ ) — the first string.

The second line contains a binary string b ( $1 \le |b| \le |a|$ ) — the second string.

## **Output**

Print one number — the answer.

### **Examples**

input	
01100010 00110	
output	
3	

```
input
1010111110
0110

output
4
```

#### Note

The first example is explained in the legend.

In the second example, there are five substrings that satisfy us: 1010, 0101, 1111, 1111.

## D. Vus the Cossack and Numbers

time limit per test: 1 second memory limit per test: 256 megabytes input: standard input output: standard output

Vus the Cossack has n real numbers  $a_i$ . It is known that the sum of all numbers is equal to 0. He wants to choose a sequence b the size of which is n such that the sum of all numbers is 0 and each  $b_i$  is either  $\lfloor a_i \rfloor$  or  $\lceil a_i \rceil$ . In other words,  $b_i$  equals  $a_i$  rounded up or down. It is not necessary to round to the nearest integer.

For example, if a = [4.58413, 1.22491, -2.10517, -3.70387], then b can be equal, for example, to [4, 2, -2, -4].

Note that if  $a_i$  is an integer, then there is no difference between  $|a_i|$  and  $|a_i|$ ,  $b_i$  will always be equal to  $a_i$ .

Help Vus the Cossack find such sequence!

#### Input

The first line contains one integer n ( $1 \le n \le 10^5$ ) — the number of numbers.

Each of the next n lines contains one real number  $a_i$  ( $|a_i| < 10^5$ ). It is guaranteed that each  $a_i$  has exactly 5 digits after the decimal point. It is guaranteed that the sum of all the numbers is equal to 0.

## Output

In each of the next n lines, print one integer  $b_i$ . For each i,  $|a_i - b_i| < 1$  must be met.

If there are multiple answers, print any.

## **Examples**

2 -2

```
input

4
4.58413
1.22491
-2.10517
-3.70387

output
```

input		
5 -6.32509 3.30066 -0.93878 2.00000 1.96321		
output		
-6 3		
-1		

## Note

The first example is explained in the legend.

In the second example, we can round the first and fifth numbers up, and the second and third numbers down. We can round the fourth number neither up, nor down.

## E. Vus the Cossack and a Field

time limit per test: 2 seconds memory limit per test: 256 megabytes input: standard input output: standard output

Vus the Cossack has a field with dimensions  $n \times m$ , which consists of "0" and "1". He is building an infinite field from this field. He is doing this in this way:

- 1. He takes the current field and finds a new inverted field. In other words, the new field will contain "1" only there, where "0" was in the current field, and "0" there, where "1" was.
- 2. To the current field, he adds the inverted field to the right.
- 3. To the current field, he adds the inverted field to the bottom.
- 4. To the current field, he adds the current field to the bottom right.
- 5. He repeats it.

For example, if the initial field was:

 $\begin{array}{cc} 1 & 0 \\ 1 & 1 \end{array}$ 

After the first iteration, the field will be like this:

After the second iteration, the field will be like this:

1 0 1 1 1 1 0 0 0 0 1 1 0 1 0 0 1 1 1 0 1 1 1 1 1 0 0

And so on...

Let's numerate lines from top to bottom from 1 to infinity, and columns from left to right from 1 to infinity. We call the submatrix  $(x_1,y_1,x_2,y_2)$  all numbers that have coordinates (x,y) such that  $x_1 \leq x \leq x_2$  and  $y_1 \leq y \leq y_2$ .

The Cossack needs sometimes to find the sum of all the numbers in submatrices. Since he is pretty busy right now, he is asking you to find the answers!

#### Input

The first line contains three integers n, m, q ( $1 \le n, m \le 1\,000$ ,  $1 \le q \le 10^5$ ) — the dimensions of the initial matrix and the number of queries.

Each of the next n lines contains m characters  $c_{ij}$  ( $0 \le c_{ij} \le 1$ ) — the characters in the matrix.

Each of the next q lines contains four integers  $x_1$ ,  $y_1$ ,  $x_2$ ,  $y_2$  ( $1 \le x_1 \le x_2 \le 10^9$ ),  $1 \le y_1 \le y_2 \le 10^9$ ) — the coordinates of the upper left cell and bottom right cell, between which you need to find the sum of all numbers.

### Output

For each query, print the answer.

#### **Examples**

input		
2 2 5		
10		
11		
1 1 8 8		
2 4 5 6		
1 2 7 8		
10 11 1 1 8 8 2 4 5 6 1 2 7 8 3 3 6 8		
5 6 7 8		
output		
32 5 25 14		
5		
25		
14		
4		

```
input

2 3 7
100
101
101
4 12 5 17
5 4 9 4
1 4 13 18
12 1 14 9
3 10 7 18
3 15 12 17
8 6 8 12

output

6
3
98
13
22
15
3
```

### Note

The first example is explained in the legend.

# F. Vus the Cossack and a Graph

time limit per test: 4 seconds memory limit per test: 256 megabytes input: standard input output: standard output

Vus the Cossack has a simple graph with n vertices and m edges. Let  $d_i$  be a degree of the i-th vertex. Recall that a degree of the i-th vertex is the number of conected edges to the i-th vertex.

He needs to remain not more than  $\lceil \frac{n+m}{2} \rceil$  edges. Let  $f_i$  be the degree of the i-th vertex after removing. He needs to delete them in such way so that  $\lceil \frac{d_i}{2} \rceil \leq f_i$  for each i. In other words, the degree of each vertex should not be reduced more than twice.

Help Vus to remain the needed edges!

## Input

The first line contains two integers n and m ( $1 \le n \le 10^6$ ,  $0 \le m \le 10^6$ ) — the number of vertices and edges respectively.

Each of the next m lines contains two integers  $u_i$  and  $v_i$  ( $1 \le u_i, v_i \le n$ ) — vertices between which there is an edge.

It is guaranteed that the graph does not have loops and multiple edges.

It is possible to show that the answer always exists.

### **Output**

In the first line, print one integer k ( $0 \le k \le \lceil \frac{n+m}{2} \rceil$ ) — the number of edges which you need to **remain**.

In each of the next k lines, print two integers  $u_i$  and  $v_i$  ( $1 \le u_i, v_i \le n$ ) — the vertices, the edge between which, you need to remain. You can not print the same edge more than once.

## **Examples**

# input

4	
2 2 3 3 4 4 4 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	
output	
1	
3	
$\frac{1}{4}$	
1 2 1 3 2 3 3 4 4 5 5	
nput	
3	
0.8	
8	
0.4	
5	
31	
8	
. 7	
4	
$\overline{07}$	
7	
9	
9	
0 20 3 5 5 0 8 8 8 0 4 5 1 1 8 2 2 7 4 0 7 1 1 6 6 9 9	
output	
2	
:1	
4	
1	
4	
5	
6	
0 4	
2 11 1 1 4 5 5 1 1 4 3 3 3 5 5 3 6 0 0 4 0 7	