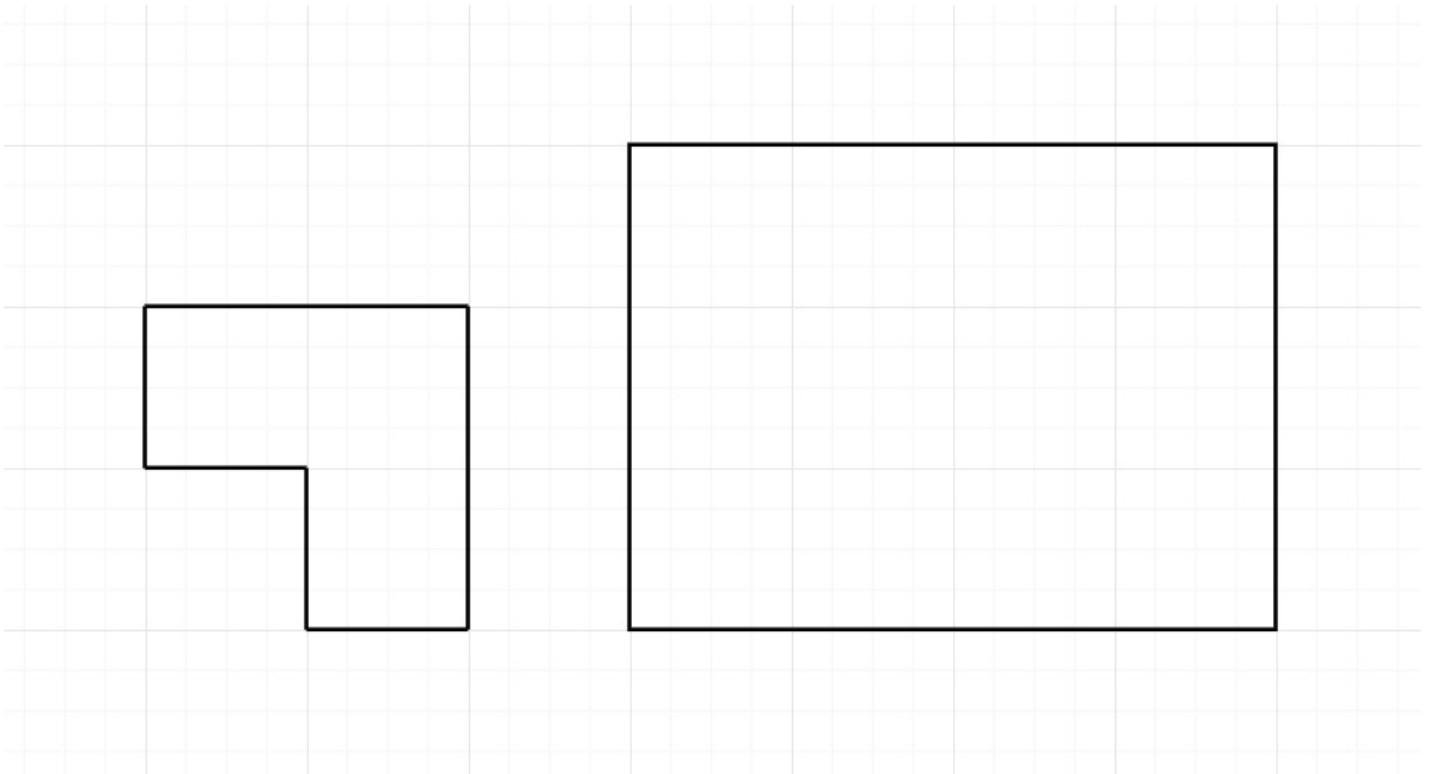


Codeforces Round #566 (Div. 2)

A. Filling Shapes

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

You have a given integer n . Find the number of ways to fill all $3 \times n$ tiles with the shape described in the picture below. Upon filling, no empty spaces are allowed. Shapes cannot overlap.



This picture describes when $n = 4$. The left one is the shape and the right one is $3 \times n$ tiles.

Input

The only line contains one integer n ($1 \leq n \leq 60$) — the length.

Output

Print the number of ways to fill.

Examples

input
4
output
4
input
1
output
0

Note

In the first example, there are 4 possible cases of filling.

In the second example, you cannot fill the shapes in 3×1 tiles.

B. Plus from Picture

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input

is the first mcdics codeforces round hooray i am proud about that
output
3 about proud hooray round wow first this is i that mcdics am

input
7 arsijo suggested the idea for this problem
output
0

input
4 same same same differ
output
1 same differ same same

Note
 In the first example, those beautiful lyrics are one of the possible answers. Let's look at the first lyric on the sample output of the first example. "about proud hooray round" forms a beautiful lyric because "about" and "hooray" have same number of vowels, "proud" and "round" have same number of vowels, and both lines have same last vowel. On the other hand, you cannot form any beautiful lyric with the word "codeforces".

In the second example, you cannot form any beautiful lyric from given words.

In the third example, you can use the word "same" up to three times.

D. Complete Mirror

time limit per test: 1 second
 memory limit per test: 256 megabytes
 input: standard input
 output: standard output

You have given tree consist of n vertices. Select a vertex as root vertex that satisfies the condition below.

- For all vertices v_1 and v_2 , if $distance(root, v_1) = distance(root, v_2)$ then $degree(v_1) = degree(v_2)$, where $degree$ means the number of vertices connected to that vertex, and $distance$ means the number of edges between two vertices.

Determine and find if there is such root vertex in the tree. If there are multiple answers, find any of them.

Input
 The first line contains a single integer n ($1 \leq n \leq 10^5$) — the number of vertices.

Each of the next $n - 1$ lines contains two integers v_i and u_i ($1 \leq v_i < u_i \leq n$) — it means there is an edge exist between v_i and u_i . It is guaranteed that the graph forms tree.

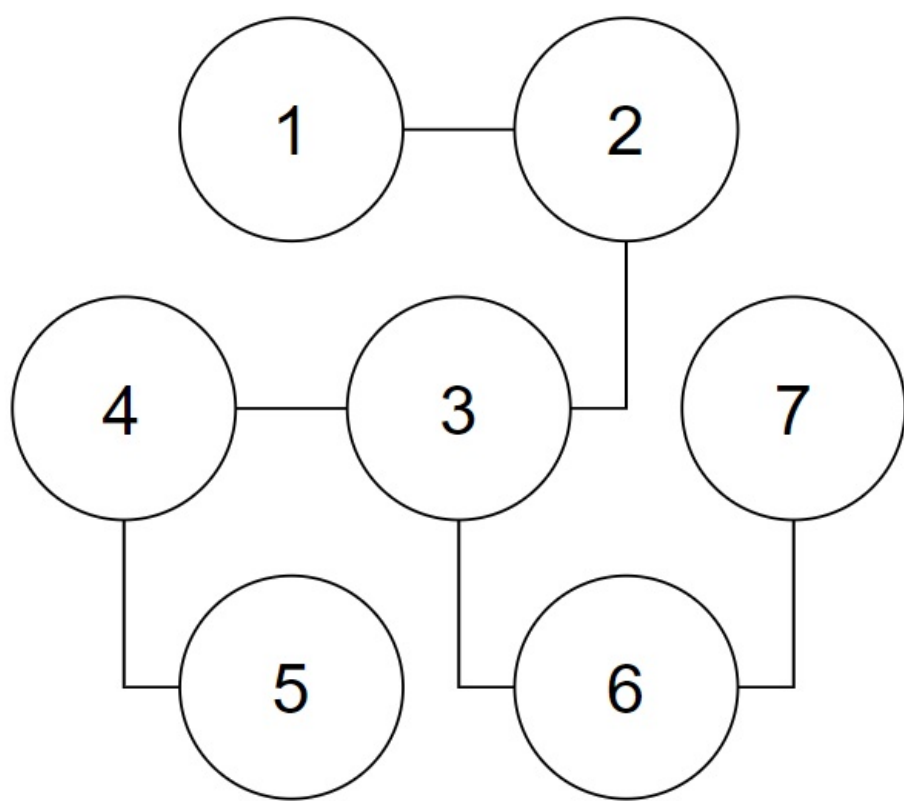
Output
 If there is such root vertex exists, print any of them. Otherwise, print -1 .

Examples

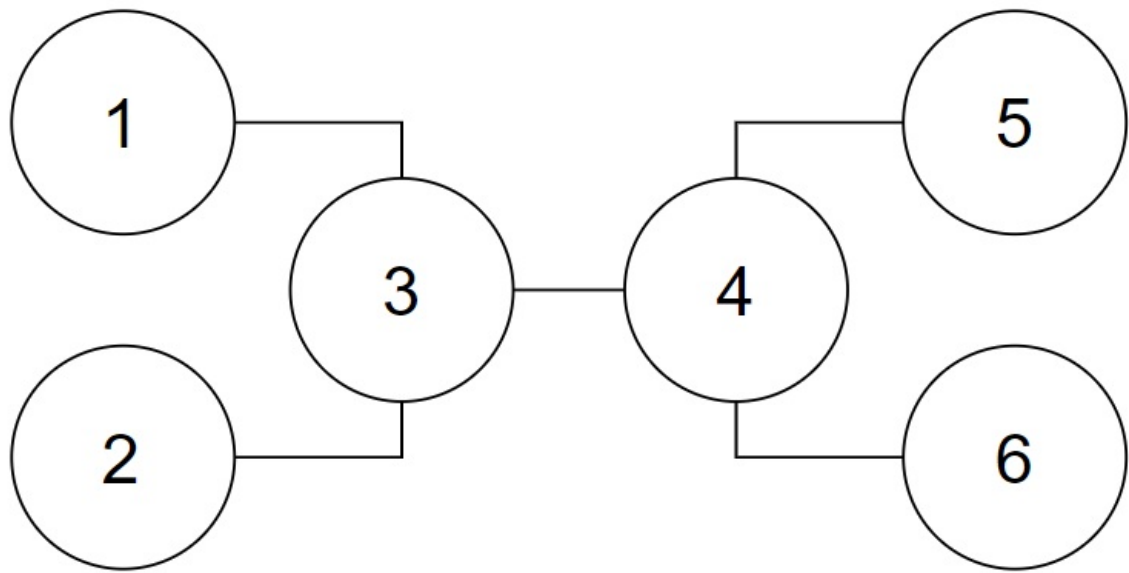
input
<div> <div>7</div> <div>1 2</div> <div>2 3</div> <div>3 4</div> <div>4 5</div> <div>3 6</div> <div>6 7</div> </div>
output
3

input
<div> <div>6</div> <div>1 3</div> <div>2 3</div> <div>3 4</div> <div>4 5</div> <div>4 6</div> </div>
output
-1

Note
 This is the picture for the first example. 1, 5, 7 also can be a valid answer.



This is the picture for the second example. You can see that it's impossible to find such root vertex.



E. Product Oriented Recurrence

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

Let $f_x = c^{2x-6} \cdot f_{x-1} \cdot f_{x-2} \cdot f_{x-3}$ for $x \geq 4$.

You have given integers n, f_1, f_2, f_3 , and c . Find $f_n \bmod (10^9 + 7)$.

Input

The only line contains five integers n, f_1, f_2, f_3 , and c ($4 \leq n \leq 10^{18}, 1 \leq f_1, f_2, f_3, c \leq 10^9$).

Output

Print $f_n \bmod (10^9 + 7)$.

Examples

input
5 1 2 5 3
output
72900

input
17 97 41 37 11
output
317451037

Note

In the first example, $f_4 = 90, f_5 = 72900$.

In the second example, $f_{17} \approx 2.28 \times 10^{29587}$.

F. Maximum Sine

time limit per test: 3 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

You have given integers a, b, p , and q . Let $f(x) = \text{abs}(\sin(\frac{p}{q}\pi x))$.

Find minimum possible integer x that maximizes $f(x)$ where $a \leq x \leq b$.

Input

Each test contains multiple test cases.

The first line contains the number of test cases t ($1 \leq t \leq 100$) — the number of test cases.

The first line of each test case contains four integers a, b, p , and q ($0 \leq a \leq b \leq 10^9, 1 \leq p, q \leq 10^9$).

Output

Print the minimum possible integer x for each test cases, separated by newline.

Example

input
2 0 3 1 3 17 86 389 995
output
1 55

Note

In the first test case, $f(0) = 0, f(1) = f(2) \approx 0.866, f(3) = 0$.

In the second test case, $f(55) \approx 0.999969$, which is the largest among all possible values.