A. Parsa's Humongous Tree

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

Parsa has a humongous tree on n vertices.

On each vertex v he has written two integers l_v and r_v.

To make Parsa's tree look even more majestic, Nima wants to assign a number a_v $(l_v \le a_v \le r_v)$ to each vertex v such that the beauty of Parsa's tree is maximized.

Nima's sense of the beauty is rather bizarre. He defines the beauty of the tree as the sum of $|a_u - a_v|$ over all edges (u, v) of the tree.

Since Parsa's tree is too large, Nima can't maximize its beauty on his own. Your task is to find the **maximum** possible beauty for Parsa's tree.

Input

The first line contains an integer t $(1 \le t \le 250)$ — the number of test cases. The description of the test cases follows.

The first line of each test case contains a single integer n $(2 \le n \le 10^5)$ — the number of vertices in Parsa's tree.

The i-th of the following n lines contains two integers l_i and r_i $(1 \le l_i \le r_i \le 10^9)$.

Each of the next $n-1$ lines contains two integers u and v $(1 \le u, v \le n, u \ne v)$ meaning that there is an edge between the vertices u and v in Parsa's tree.

It is guaranteed that the given graph is a tree.

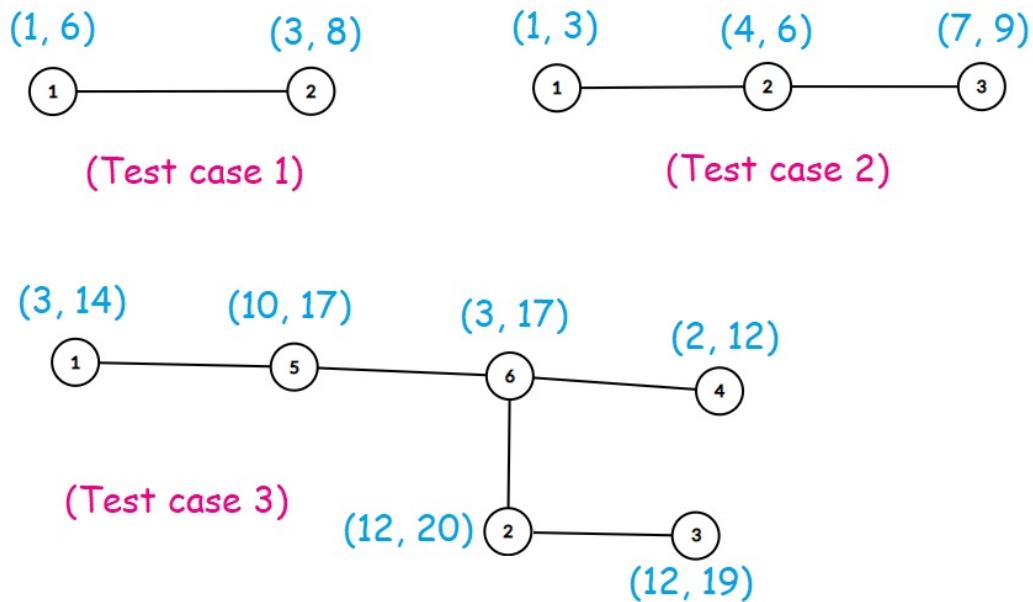It is guaranteed that the sum of n over all test cases doesn't exceed $2 \cdot 10^5$.

Output

For each test case print the **maximum** possible beauty for Parsa's tree.

Example

input
3
2
1 6
3 8
1 2
3
1 3
4 6
7 9
1 2
2 3
6
3 14
12 20
12 19
2 12
10 17
3 17
3 2
6 5
1 5
2 6
4 6

output
7
8
62

Note

The trees in the example:

(Test case 1)   (Test case 2)

(Test case 3)

In the first test case, one possible assignment is $a = \{1, 8\}$ which results in $|1 - 8| = 7$.

In the second test case, one of the possible assignments is $a = \{1, 5, 9\}$ which results in a beauty of $|1 - 5| + |5 - 9| = 8$

B. Kavi on Pairing Duty

Kavi has $2n$ points lying on the OX axis, i-th of which is located at $x = i$.

Kavi considers all ways to split these $2n$ points into n pairs. Among those, he is interested in **good** pairings, which are defined as follows:

Consider n segments with ends at the points in correspondent pairs. The pairing is called good, if for every 2 different segments A and B among those, at least one of the following holds:

- One of the segments A and B lies completely inside the other.
- A and B have the same length.

Consider the following example:

(A)   (B)

(C)
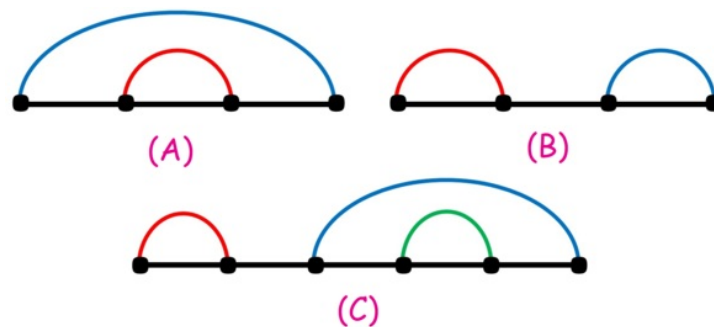
A is a good pairing since the red segment lies completely inside the blue segment.

B is a good pairing since the red and the blue segment have the same length.

C is not a good pairing since none of the red or blue segments lies inside the other, neither do they have the same size.

Kavi is interested in the number of good pairings, so he wants you to find it for him. As the result can be large, find this number modulo 998244353.

Two pairings are called different, if some two points are in one pair in some pairing and in different pairs in another.

Input
The single line of the input contains a single integer n $(1 \le n \le 10^6)$.

Output
Print the number of good pairings modulo 998244353.

Examples

input
```
1
```
output
```
1
```

input
```
2
```
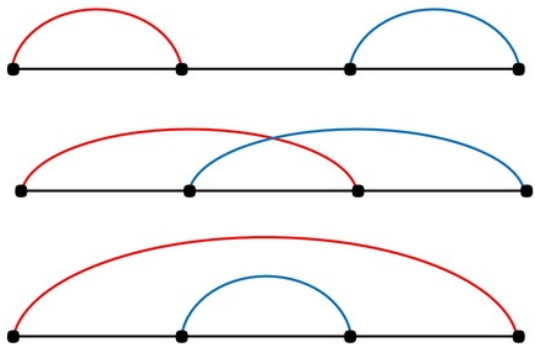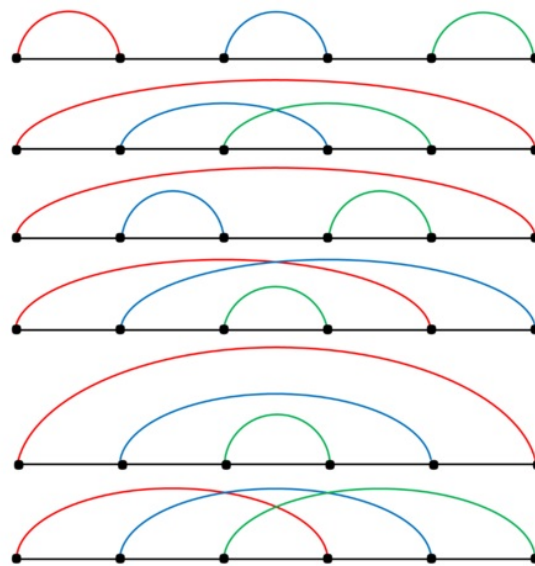
input

3

output

6

input

100

output

688750769

Note

The good pairings for the second example are:

In the third example, the good pairings are:

C. Trees of Tranquillity

time limit per test: 3 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

Soroush and Keshi each have a labeled and rooted tree on n vertices. Both of their trees are rooted from vertex 1.

Soroush and Keshi used to be at war. After endless decades of fighting, they finally became allies to prepare a Codeforces round. To celebrate this fortunate event, they decided to make a memorial graph on n vertices.

They add an edge between vertices u and v in the memorial graph if **both** of the following conditions hold:

- One of u or v is the ancestor of the other in Soroush's tree.
- Neither of u or v is the ancestor of the other in Keshi's tree.

Here vertex u is considered ancestor of vertex v, if u lies on the path from 1 (the root) to the v.

Popping out of nowhere, Mashtali tried to find the maximum clique in the memorial graph for no reason. He failed because the graph was too big.

Help Mashtali by finding the size of the maximum clique in the memorial graph.

As a reminder, clique is a subset of vertices of the graph, each two of which are connected by an edge.

Input

The first line contains an integer t $(1 \le t \le 3 \cdot 10^5)$ — the number of test cases. The description of the test cases follows.

The first line of each test case contains an integer n $(2 \le n \le 3 \cdot 10^5)$.

The second line of each test case contains $n-1$ integers $a_2, \ldots, a_n$ $(1 \le a_i < i)$, a_i being the parent of the vertex i in Soroush's tree.

The third line of each test case contains $n-1$ integers $b_2, \ldots, b_n$ $(1 \le b_i < i)$, b_i being the parent of the vertex i in Keshi's tree.

It is guaranteed that the given graphs are trees.

It is guaranteed that the sum of n over all test cases doesn't exceed $3 \cdot 10^5$.

Output

For each test case print a single integer — the **size** of the maximum clique in the memorial graph.

Example

input
4
4
1 2 3
1 2 3
5
1 2 3 4
1 1 1 1
6
1 1 1 1 2
1 2 1 2 2
7
1 1 3 4 4 5
1 2 1 4 2 5

output
1
4
1
3

Note

In the first and third test cases, you can pick any vertex.

In the second test case, one of the maximum cliques is $\{2, 3, 4, 5\}$.

In the fourth test case, one of the maximum cliques is $\{3, 4, 6\}$.

D. It's a bird! No, it's a plane! No, it's AaParsa!

time limit per test: 5 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

There are n cities in Shaazzzland, numbered from 0 to $n-1$. Ghaazzzland, the immortal enemy of Shaazzzland, is ruled by AaParsa.

As the head of the Ghaazzzland's intelligence agency, AaParsa is carrying out the most important spying mission in Ghaazzzland's history on Shaazzzland.

AaParsa has planted m transport cannons in the cities of Shaazzzland. The i-th cannon is planted in the city a_i and is initially pointing at city b_i.

It is guaranteed that each of the n cities has **at least one** transport cannon planted inside it, and that no two cannons from the same city are initially pointing at the same city (that is, all pairs (a_i, b_i) are distinct).

AaParsa used very advanced technology to build the cannons, the cannons rotate every second. In other words, if the i-th cannon is pointing towards the city x at some second, it will target the city $(x+1) \mod n$ at the next second.

As their name suggests, transport cannons are for transportation, specifically for human transport. If you use the i-th cannon to launch yourself towards the city that it's currently pointing at, you'll be airborne for c_i seconds before reaching your target destination.

If you still don't get it, using the i-th cannon at the s-th second (using which is only possible if you are currently in the city a_i) will shoot you to the city $(b_i + s) \mod n$ and you'll land in there after c_i seconds (so you'll be there in the $(s + c_i)$-th second). Also note the cannon that you initially launched from will rotate every second but you obviously won't change direction while you are airborne.

AaParsa wants to use the cannons for travelling between Shaazzzland's cities in his grand plan, and he can start travelling at second 0. For him to fully utilize them, he needs to know the minimum number of seconds required to reach city u from city v using the cannons for every pair of cities (u, v).

Note that AaParsa can stay in a city for as long as he wants.

Input

The first line contains two integers n and m $(2 \le n \le 600, n \le m \le n^2)$ — the number of cities and cannons correspondingly.

The i-th line of the following m lines contains three integers a_i, b_i and c_i $(0 \le a_i, b_i \le n-1, 1 \le c_i \le 10^9)$, denoting the cannon in the city a_i, which is initially pointing to b_i and travelling by which takes c_i seconds.

It is guaranteed that each of the n cities has **at least one** transport cannon planted inside it, and that no two cannons from the same city are initially pointing at the same city (that is, all pairs (a_i, b_i) are distinct).

Output

Print n lines, each line should contain n integers.

The j-th integer in the i-th line should be equal to the minimum time required to reach city j from city i.

Examples

input
3 4
0 1 1
0 2 3

```
1 0 1
2 0 1
```

output

```
0 1 2
1 0 2
1 2 0
```

input

```
6 6
0 0 1
1 1 1
2 2 1
3 3 1
4 4 1
5 5 1
```

output

```
0 2 3 3 4 4
4 0 2 3 3 4
4 4 0 2 3 3
3 4 4 0 2 3
3 3 4 4 0 2
2 3 3 4 4 0
```

input

```
4 5
0 1 1
1 3 2
2 2 10
3 0 1
0 0 2
```

output

```
0 1 2 3
3 0 3 2
12 13 0 11
1 2 2 0
```

Note

In the first example one possible path for going from 0 to 2 would be:

1. Stay inside 0 and do nothing for 1 second.
2. Use the first cannon and land at 2 after 1 second.

Note that: we could have used the second cannon in 0-th second but it would have taken us 3 seconds to reach city 2 in that case.

E. Mashtali and Hagh Trees

Today is Mashtali's birthday! He received a **Hagh** tree from Haj Davood as his birthday present!

A directed tree is called a **Hagh** tree iff:

- The length of the longest directed path in it is exactly n.
- Every vertex has **at most three edges** attached to it independent of their orientation.
- Let's call vertices u and v friends if one of them has a directed path to the other. For every pair of vertices u and v that are not friends, there should exist a vertex w that is friends with both u and v (a mutual friend).

After opening his gift, Mashtali found out that the labels on the vertices were gone.

Immediately, he asked himself: how many different unlabeled Hagh trees are there? That is, how many possible trees could he have received as his birthday present?

At the first glance, the number of such trees seemed to be infinite since there was no limit on the number of vertices; but then he solved the problem and proved that **there's a finite number of unlabeled Hagh trees!**

Amazed by this fact, he shared the task with you so that you could enjoy solving it as well. Since the answer can be rather large he asked you to find the number of different unlabeled Hagh trees modulo 998244353.

Here two trees are considered different, if they are not isomorphic: if there is no way to map nodes of one tree to the second tree, so that edges are mapped to edges preserving the orientation.

Some examples for $n = 2$:
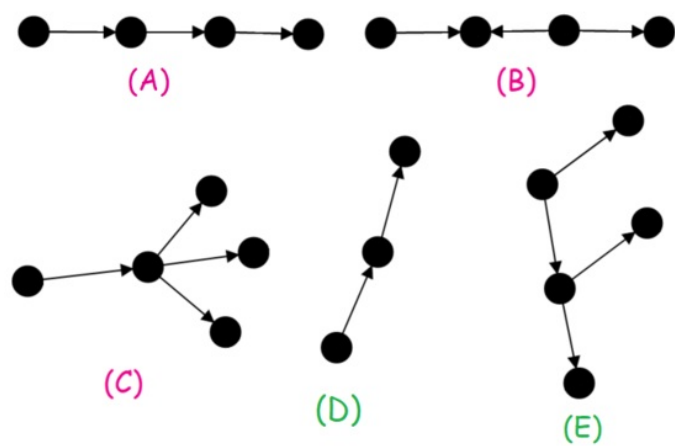
Directed trees D and E are Hagh. C is not Hagh because it has a vertex with 4 edges attached to it. A and B are not Hagh because their longest directed paths are not equal to n. Also in B the leftmost and rightmost vertices are not friends neither do they have a mutual friend.

Input

The first line of input contains a single integer n $(1 \le n \le 10^6)$.

Output

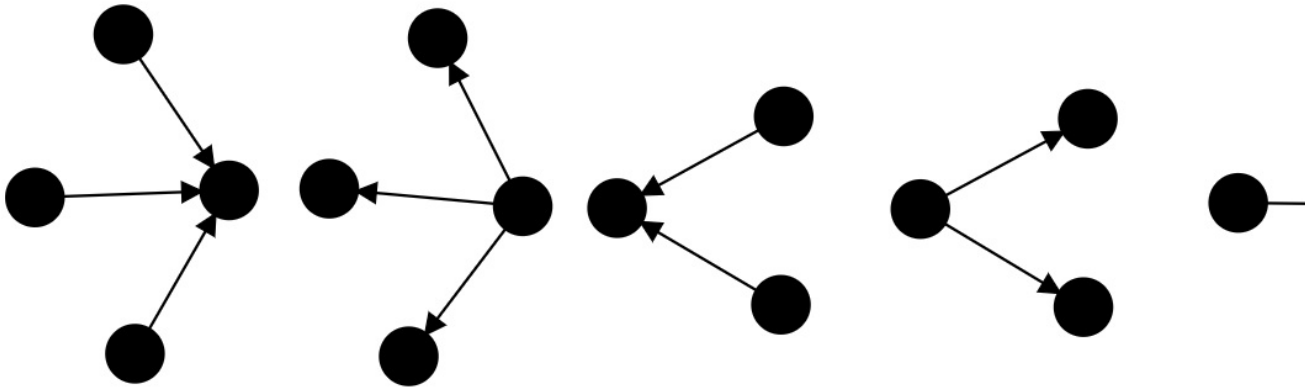Print a single integer, the answer to Mashtali's task modulo 998244353.

Examples

input
1
output
5

input
2
output
31

input
344031
output
272040628

Note

All the five Hagh trees for $n = 1$:

F. AmShZ Farm

time limit per test: 2 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

To AmShZ, all arrays are equal, but some arrays are **more-equal** than others. Specifically, the arrays consisting of n elements from 1 to n that can be turned into permutations of numbers from 1 to n by adding a non-negative integer to each element.

Mashtali ~~who wants to appear in every problem statement~~ thinks that an array b consisting of k elements is compatible with a **more-equal** array a consisting of n elements if for each $1 \le i \le k$ we have $1 \le b_i \le n$ and also $a_{b_1} = a_{b_2} = \ldots = a_{b_k}$.

Find the number of pairs of arrays a and b such that a is a more-equal array consisting of n elements and b is an array compatible with a consisting of k elements modulo 998244353.

Note that the elements of b are **not necessarily distinct**, same holds for a.

Input

The first line of input contains two integers n and k $(1 \le n \le 10^9, 1 \le k \le 10^5)$.

Output

Print a single integer — the answer to the problem modulo 998244353.

Examples

input
1 1
output
1

input
2 2
output
8

input
5 4

output

50400

input

20 100

output

807645526

input

10000000 10000

output

883232350

Note

There are eight possible pairs for the second example:

1. $a = \{1, 1\}, b = \{1, 1\}$
2. $a = \{1, 1\}, b = \{1, 2\}$
3. $a = \{1, 1\}, b = \{2, 1\}$
4. $a = \{1, 1\}, b = \{2, 2\}$
5. $a = \{1, 2\}, b = \{1, 1\}$
6. $a = \{1, 2\}, b = \{2, 2\}$
7. $a = \{2, 1\}, b = \{1, 1\}$
8. $a = \{2, 1\}, b = \{2, 2\}$