

ASSIGNMENT - 4

Name: SHADAB JIBAL

ID: 19101072

Section: 05

Ans. to Q.No - 1

1) $A \rightarrow BCD$

Status: Invalid

Reason: For $A=1$, B has two different values.

2) $AB \rightarrow C$

Status: ~~Valid~~

Reason: For $B=0, 1$ has different values.

For every unique pair value of (A, B) ,

there is a unique value c_j .

3) $AB \rightarrow D$

Status: Valid

Reason: For every unique pair value of (A, B) , there's a unique value of D.

i) 4) $D \rightarrow ABC$

Status: Valid

Reason: For every unique value of D ,
there's unique value of (A, B, C) .

5) $BC \rightarrow A$

R Status: Invalid

Reason: for the pair $(B=22, C=0)$,

there are 2 different values of A .

Ans. to Qn - 2

① The candidate keys are BC.

Because, $BC \rightarrow E$, $E \rightarrow A$

$$\therefore BC \rightarrow EA$$

Again, $B \rightarrow D$, So, $BC \rightarrow ADE$.

② Here we can find partial dependency because $B \rightarrow D$ holds. So, we do not need BC to identify D .

③ This relation satisfies 1NF form

because there are no composite/multivalue attributes and nested relations.

Again, it doesn't satisfy 2NF form because of its partial dependence.

④ It is not even in 2NF form. So,

it can not be in 3NF form.

2NF Normalization:

T ₁			
A	B	C	E

T ₂	
B	D

3NF Normalization:

T ₁		
B	C	E

T ₂	
A	E

T ₃	
B	D

Ans. to Q No - 3

- ① This relation satisfies the 3NF form because there are no partial functional dependency and no transitive functional dependency.
- ② This relation doesn't violate any dependency. There are 2 candidate keys here. First one is BC. Second one is DC because of pseudotransitivity rule.

So we can say,

$$BC \rightarrow ADE$$

$$\text{or, } DC \rightarrow ABE$$

Since, (B, D, C) all are prime attributes,
it doesn't violate any kind of dependency.

Because of $D \rightarrow B$, this relation "would"
~~break~~ violate 3NF's transitivity rule, but

it "doesn't" as B is already a primary
attribute.

Ans. to Q No - 4

① Given, $R(A, B, C, D, E, F)$

$$AB \rightarrow CDE$$

$$B \rightarrow F$$

This relation has partial dependency. So,
it is not in 2NF and obviously

NOT into ~~3NF~~ 3NF too.

2NF Normalization.

FD₁

A	B	C	D	E

↑ ↑ ↑ ↑

FD₂

B	F

↑

Here we can't find any transitive

functional dependency, so we can conclude

that this is now in 3NF form,

(Third Normal Form) as well.

P.T.O.

Ans to QNo - 5

- (1) The candidate key is ABC.
- (2) So, the functional dependency of this relation is like: $ABC \rightarrow DE$.

But we also have 2 functional dependencies

as $BC \rightarrow D$ and $B \rightarrow E$.

So, we can see that D and E both can be determined without using all the prime attributes of the primary key. so, they have partial dependency.

So, it is NOT in 2NF form.

Ans. to Q No - 6

- ① The candidate keys of this relation is (Order-ID, Product-ID)
- ② It is in 1NF form as it has no multivalued or composite attribute and no nested relation.
- ③ None of B, C, D, E, G, H have ~~full~~ full functional dependency on the primary key. That's why, this is not in 2NF form.

2NF Normalization:

T1

Order-ID	Order_date	Customer-ID	Customer-Name	Customer-Address

T2

Product-ID	Product-Desc	Price

T3

Order-ID	Product-ID	Order-Quantity

④ There exists transitive dependency between
Order-ID, Customer-ID, Customer-Name,
so, it's not in 3NF form.

3NF Normalization:

T1:

Order-ID	Order-Date	Customer-ID

T2

Customer-ID	Customer-Name	Customer-Address

T3

Product-ID	Product-Desc	Price

T4

Order-ID	Product-ID	Product-Quantity