## Assignment No- 03

Name: Shadab Iqbal

ID: 19101072

Course: MAT120

Section: 15



Semester: Spring 2020 Course ID: MAT 120 Course Title: Mathematics I Section:15

Quiz: 03

Name: SHADAB 48BAL ID: 19101072 Date: 30.03.2020

Time: 15 Minutes Marks obtained:

## Answer the following questions: (Total Marks: 15)

Evaluate the following integral

[8]

 $\int_0^{\frac{\pi}{6}} \sin^2 6x \cos^4 3x \, dx.$ 

$$= \int_{0}^{6} \sin^{2} 6x \cos^{3} 3x dx.$$

$$= \int_{0}^{6} \left[ \sin^{2} (2.3n) \cos^{4} 3n \right] dn$$

$$= \int_{0}^{8} \left( 2\sin^{3} 3n \cos^{3} 3n \right)^{2} \cos^{4} n dn \quad \left[ : \sin^{2} n = 2\sin^{2} n \cos^{2} n \right]$$

$$= \int_{0}^{8} 4\sin^{2} 3n \cos^{6} 3n dn \quad \left[ : \sin^{2} n = 2\sin^{2} n \cos^{2} n \right]$$

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Q2. Evaluate the following improper integral  $\int_{0}^{\frac{\pi}{2}} \tan x \ dx$ .

[7]

Solution:

Answer is on the next page



$$= \lim_{k \to \frac{\pi}{2}} \int_{0}^{k} \tan n \, dn$$

= 
$$\lim_{k \to \frac{\pi}{2}} \left( -\ln(\cos k) + \ln(\cos 0) \right)$$

$$= -\ln(\cos^{\frac{\pi}{2}}) + \ln(\cos 0)$$

$$= \infty + 0$$

=  $\infty$  & ... Divergent.