## **Problem**

- 1. Implement the DFS traversal of a graph.
  - (a) Make an undirected graph with at least 10 vertices and 15 edges.
  - (b) Pick a vertex to start DFS. Print the nodes visited during the DFS.
  - (c) Repeat the step b using a directed graph.
  - (d) repeat step b with undirected but disconnected graph.
- 2. Do BFS traversal for a graph with at least 10 vertices and 15 edges. You may use a queue library.
  - (a) Repeat steps a,b,c,d from part 1 above.

Submit the code and submit the screenshots.

# Graphs

Here are the following graphs that I traversed.

## Graph 1

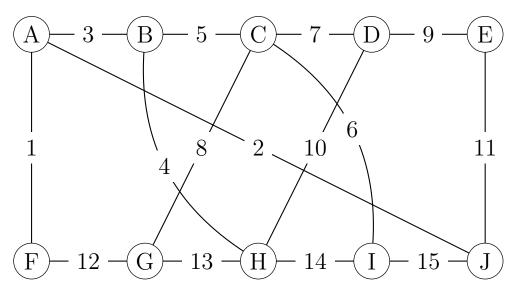
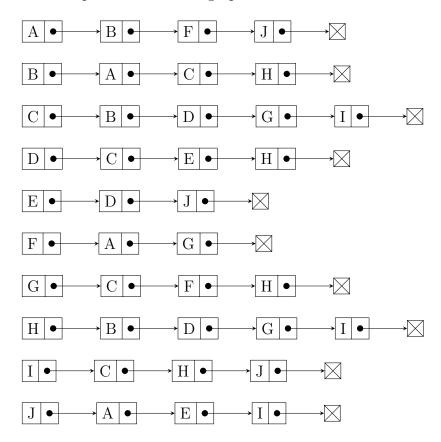


Figure 1: Graph 1

The Adjancency Matrix is as follows:

The LinkedList representation of the graph is as follows:



## Graph 2

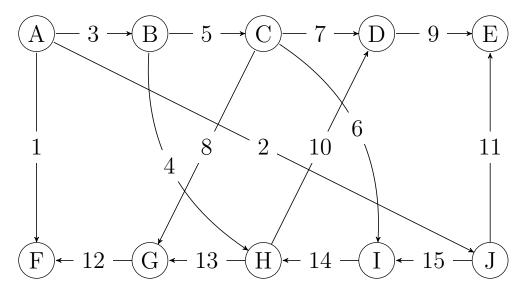
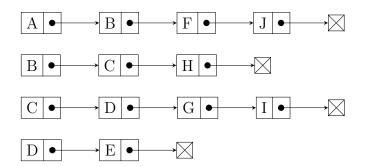
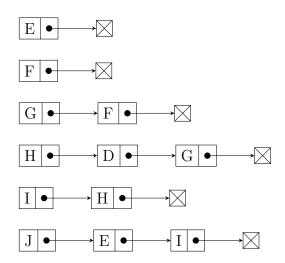


Figure 2: Graph 2

The Adjancency Matrix is as follows:

The LinkedList representation of the graph is as follows:





# Graph 3

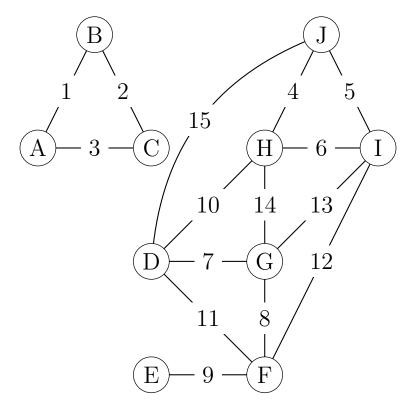
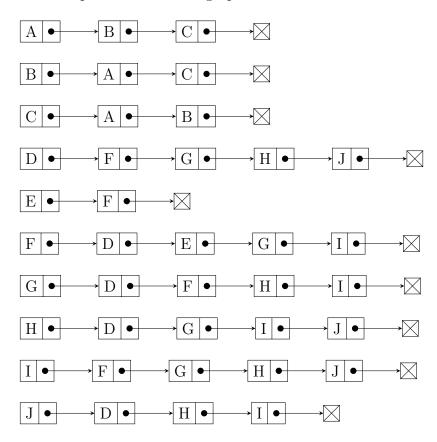


Figure 3: Graph 3

The Adjancency Matrix is as follows:

The LinkedList representation of the graph is as follows:



### Code

The Code is broken up in the following way: there are two header files which contain all the functions, one for Depth First Search (DFS) and one for Breath First Search (BFS), and then two c++ files which contain the runs:

- 1. DFS for an Undirected Connected Graph (Graph 1), an Directed (Weakly) Connected Graph (Graph 2), and an Undirected Disconnected Graph (Graph 3)
- 2. BFS for an Undirected Connected Graph (Graph 1), an Directed (Weakly) Connected Graph (Graph 2), and an Undirected Disconnected Graph (Graph 3)

#### Code 1: DFS\_Graph\_Functions.h

```
#ifndef DFS_Graph_Functions
#define DFS_Graph_Functions
#include <iostream>
using namespace std;
// This will be used to make the linked lists.
struct Node {
         char vertex;
         Node* next;
};
class LinkedList {
public:
         Node *head = NULL;
         void add(char);
         void addarray(char *, int);
};
// Adding a vertex.
void LinkedList::add(char v) {
        Node *n = new Node();
         n\rightarrow vertex = v;
         if (head == NULL) {
                 head = n;
         }
         else
         {
                 Node *temp = head;
                  while (temp->next != NULL) {
                          temp = temp -> next;
                 temp \rightarrow next = n;
```

```
}
}
// So that we can add all the vertices that are
// adjacent to L[i] efficiently.
void LinkedList::addarray(char *A, int n) {
        for (int i = 0; i < n; i++) {
                add(A[i]);
        }
}
// This will be used to traverse.
int index(char *A, int n, char c) {
        for (int i = 0; i < n; i++) {
                if (A[i] = c) {
                        return i;
                }
        return -1;
}
// Here we recursively traverse the graph using DFS
// with the Array representation of a graph.
void DFSGraphTraversalA(int A[10][10], int i, bool *transit,
        bool *visited , char *vertices) {
        transit[i] = true;
        for (int j = 0; j < 10; j++) {
                if (j == i) {
                        continue;
                else if (A[i][j] == 1) {
                        if (transit[j] = false) {
                                 DFSGraphTraversalA(A, j, transit, visited,
                                         vertices);
                        }
                }
        visited[i] = true;
        cout << vertices[i] << "";</pre>
}
// This will be used to tell us if our traversal was
// complete in the sense that we traversed all the
// vertices.
int Complete(bool *visited) {
        for (int i = 0; i < 10; i++) {
                if (visited[i] == false) {
                        return i;
                }
```

```
}
        return -1;
}
// Given that our original traversal algorithm does not take
// into consideration the fact that the graph may be disconnected,
// We must have a second algorithm that will traverse all the
// connected components of the graph.
void CDFSGraphTraversalA(int A[10][10], int i, bool *transit,
        bool *visited , char *vertices) {
        cout << "The_First_Connected_Component_is:_";</pre>
        DFSGraphTraversalA(A, i, transit, visited, vertices);
        // Here we check if we have traversed all the vertices.
        int j = Complete(visited);
        // If we have, then we are done.
        if (j = -1) {
                cout << endl;
                cout << "The_Graph_is_Connected!" << endl;</pre>
        // If we haven't, then we go to the first vertex that has not
        // been visited and do our traversal there to find its connected
        // component. We do this until there are no more vertices unvisited.
        else
        {
                 cout << "\nThe_Graph_is_Disconnected!" << endl;;</pre>
                 cout << "The_Other_Connected_Components_are:_" << endl;</pre>
                 while (j != -1) {
                         cout << "Connected_Component:_";</pre>
                         DFSGraphTraversalA(A, j, transit, visited, vertices);
                         j = Complete(visited);
                         cout << endl;
                }
        }
}
// Here we recursively traverse the graph using DFS
// with the Linked List representation of a graph.
void DFSGraphTraversalL(LinkedList *L, int i, bool *transit,
        bool *visited , char *vertices) {
        transit[i] = true;
        int j = 0;
        Node *temp = L[i].head->next;
        while (temp != NULL) {
                j = index(vertices, 10, temp->vertex);
                if (transit[j] = false) 
                         DFSGraphTraversalL(L, j, transit, visited, vertices);
                temp = temp \rightarrow next;
```

#endif DFS\_Graph\_Functions

```
visited [i] = true;
        cout << vertices [i] << "";
}
// Same arguments as for the Array representation.
void CDFSGraphTraversalL(LinkedList *L, int i, bool *transit,
        bool *visited , char *vertices) {
        cout << "The_First_Connected_Component_is:_";</pre>
        DFSGraphTraversalL(L, i, transit, visited, vertices);
        int j = Complete(visited);
        if (j = -1) {
                 cout << endl;
                 cout << "The_Graph_is_Connected!" << endl;</pre>
        }
        else
                 cout << "\nThe_Graph_is_Disconnected!" << endl;</pre>
                 cout << "The_Other_Connected_Components_are:_" << endl;</pre>
                 while (j != -1) {
                         cout << "Connected_Component:_";</pre>
                         DFSGraphTraversalL(L, j, transit, visited, vertices);
                         j = Complete(visited);
                         cout << endl;
                 }
        }
}
```

#### Code 2: BFS\_Graph\_Functions.h

```
#ifndef BFS_Graph_Functions
#define BFS_Graph_Functions
#include <iostream>
#include <queue>
using namespace std;
// This will be used to make the linked lists.
struct Node {
        char vertex;
        Node* next;
};
class LinkedList {
public:
        Node *head = NULL;
        void add(char);
        void addarray(char *, int);
};
// Adding a vertex.
void LinkedList::add(char v) {
        Node *n = new Node();
        n \rightarrow vertex = v;
        if (head == NULL) {
                 head = n;
        }
        else
                 Node *temp = head;
                 while (temp->next != NULL) {
                          temp = temp -> next;
                 temp \rightarrow next = n;
        }
}
// So that we can add all the vertices that are
// adjacent to L[i] efficiently.
void LinkedList::addarray(char *A, int n) {
        for (int i = 0; i < n; i++) {
                 add(A[i]);
        }
}
// This will be used to traverse.
int index(char *A, int n, char c) {
```

```
for (int i = 0; i < n; i++) {
                if (A[i] == c) {
                        return i;
        return -1;
}
// Here we recursively traverse the graph using DFS
// with the Array representation of a graph.
void BFSGraphTraversalA(int A[10][10], int i, bool *visited,
        char *vertices) {
        // Start the queue with the starting node.
        queue<int> Traversal;
        visited [i] = true;
        Traversal.push(i);
        // We will add elements to the queue according to their
        // "level', i.e. going one traversal at a time.
        while (Traversal.empty() != true) {
                // We choose a vertex at level 1 and then add
                // univisited connected vertices and denote them as
                // level l+1.
                int j = Traversal.front();
                Traversal.pop();
                cout << vertices [j] << "";
                for (int k = 0; k < 10; k++) {
                        if (k == j) 
                                continue;
                        if (A[j][k] == 1) {
                                 if (visited[k] = false) {
                                         visited[k] = true;
                                         Traversal.push(k);
                                 }
                        }
                }
        }
}
// This will be used to tell us if our traversal was
// complete in the sense that we traversed all the
// vertices.
int Complete(bool *visited) {
        for (int i = 0; i < 10; i++) {
                if (visited[i] = false) {
                        return i;
                }
        }
```

```
return -1;
}
// Given that our original traversal algorithm does not take
// into consideration the fact that the graph may be disconnected,
// We must have a second algorithm that will traverse all the
// connected components of the graph.
void CBFSGraphTraversalA(int A[10][10], int i, bool *visited,
        char *vertices) {
        cout << "The_First_Connected_Component_is:_";</pre>
        BFSGraphTraversalA(A, i, visited, vertices);
        // Here we check if we have traversed all the vertices.
        int j = Complete(visited);
        // If we have, then we are done.
        if (j = -1) {
                 cout << endl;
                 cout << "The_Graph_is_Connected!" << endl;</pre>
        // If we haven't, then we go to the first vertex that has not
        // been visited and do our traversal there to find its connected
        // component. We do this until there are no more vertices unvisited.
        else
        {
                 cout << "\nThe_Graph_is_Disconnected!" << endl;;</pre>
                 cout << "The_Other_Connected_Components_are:_" << endl;</pre>
                 while (j != -1) {
                         cout << "Connected_Component:_";</pre>
                         BFSGraphTraversalA\left(A,\ j\ ,\ visited\ ,\ vertices\ \right);
                         j = Complete(visited);
                         cout << endl;
                 }
        }
}
// Here we recursively traverse the graph using DFS
// with the Linked List representation of a graph.
void BFSGraphTraversalL(LinkedList *L, int i, bool *visited,
        char *vertices) {
        queue<int> Traversal;
        visited[i] = true;
        Traversal.push(i);
        while (Traversal.empty() != true) {
                 int j = Traversal.front();
                 Traversal.pop();
                 cout << vertices[j] << "_";
```

#endif BFS\_Graph\_Functions

```
Node *temp = L[j].head \rightarrow next;
                 while (temp != NULL) {
                          int k = index(vertices, 10, temp->vertex);
                          if (visited[k] = false) {
                                   Traversal.push(k);
                                   visited [k] = true;
                          temp = temp -> next;
                 }
        }
}
// Same arguments as for the Array representation.
void CBFSGraphTraversalL(LinkedList *L, int i, bool *visited,
        char *vertices) {
        cout << "The_First_Connected_Component_is:_";</pre>
        BFSGraphTraversalL(L, i, visited, vertices);
        int j = Complete(visited);
        if (j = -1) {
                 cout << endl;
                 cout << "The_Graph_is_Connected!" << endl;</pre>
        }
        else
                 cout << "\nThe_Graph_is_Disconnected!" << endl;</pre>
                 cout << "The_Other_Connected_Components_are:_" << endl;</pre>
                 while (j != -1) {
                          cout << "Connected_Component:_";</pre>
                          BFSGraphTraversalL(L, j, visited, vertices);
                          j = Complete (visited);
                          cout << endl;
                 }
        }
}
```

#### Code 3: Assignment\_4\_DFS.cpp

```
#include "DFS_Graph_Functions.h"
#include <iostream>
using namespace std;
int main() {
         // Adjacency Matrix representation of Graph 1.
         int AG1[10][10] = {
         \{0,1,0,0,0,1,0,0,0,1\},\
         \{1,0,1,0,0,0,0,1,0,0\}
         \{0,1,0,1,0,0,1,0,1,0\},\
         \{0,0,1,0,1,0,0,1,0,0\}
         \{0,0,0,1,0,0,0,0,0,1\},\
         \{1,0,0,0,0,0,1,0,0,0,0\}
         \{0,0,1,0,0,1,0,1,0,0\}
         \{0,1,0,1,0,0,1,0,1,0\}
         \{0,0,1,0,0,0,0,1,0,1\}
         \{1,0,0,0,1,0,0,0,1,0\}\};
         //LinkedList Representation of Graph 1.
         LinkedList LG1[10];
         char A1[4] = { 'A', 'B', 'F', 'J'};
                          'B', 'A', 'C', 'H', };
'C', 'B', 'D', 'G', 'I', };
         char B1[4] = {
         char C1[5] = {
         char D1[4] = \{
                          'D', 'C', 'E', 'H' };
                           'E', 'D', 'J' };
         char E1[3] = \{
                           'F', 'A', 'G', };
'G', 'C', 'F', 'H', };
         char F1[3] = {
         char G1[4] = \{
                          'H', 'B', 'D', 'G', 'I' };
         char H1[5] = {
         char I1 [4] = \{ 'I', 'C', 'H', 'J' \};
         char J1[4] = \{ 'J', 'A', 'E', 'I' \};
         LG1 [0]. addarray (A1, 4);
         LG1[1]. addarray (B1, 4);
         LG1 [2]. addarray (C1, 5);
         LG1[3]. addarray (D1, 4);
         LG1[4]. addarray (E1, 3);
         LG1[5]. addarray (F1, 3);
         LG1[6].addarray(G1, 4);
         LG1[7]. addarray(H1, 5);
         LG1 [8]. addarray (I1, 4);
         LG1[9].addarray(J1, 4);
         // Adjacency Matrix representation of Graph 2.
         int AG2[10][10] = {
         \{0,1,0,0,0,1,0,0,0,1\},
         \{-1,0,1,0,0,0,0,1,0,0\}
         \{0, -1, 0, 1, 0, 0, 1, 0, 1, 0\},\
```

```
\{0,0,-1,0,1,0,0,-1,0,0\}
\{0,0,0,-1,0,0,0,0,0,-1\},\
\{-1,0,0,0,0,0,-1,0,0,0\}
\{0,0,-1,0,0,1,0,-1,0,0\}
\{0, -1, 0, 1, 0, 0, 1, 0, -1, 0\},\
\{0,0,-1,0,0,0,0,1,0,-1\},\
\{-1,0,0,0,1,0,0,0,1,0\}\};
//LinkedList Representation of Graph 2.
LinkedList LG2[10];
char A2[4] = \{ ',A', ',B', ',F', ',J' \};
char B2[3] = {
                   'B', 'C', 'H' };
                   'C', 'D', 'G', 'I', };
char C2[4] = \{
                   ^{\prime}D^{\prime},^{\prime}E^{\prime}\ \};
char D2[2] = {
                   'E' };
char E2[1] =
                   'F' };
char F2[1] = {
                   'G', 'F' };
'H', 'D', 'G' };
char G2[2] = \{
char H2[3] = {
                   'I', 'H' };
char I2[2] = {
char J2[3] = { 'J', 'E', 'I' };
LG2 [0]. addarray (A2, 4);
LG2[1]. addarray (B2, 3);
LG2[2]. addarray (C2, 4);
LG2[3]. addarray (D2, 2);
LG2 [4]. addarray (E2, 1);
LG2 [5]. addarray (F2, 1);
LG2[6]. addarray(G2, 2);
LG2[7]. addarray (H2, 3);
LG2[8]. addarray(I2, 2);
LG2 [9]. addarray (J2, 3);
// Adjacency Matrix representation of Graph 3.
int AG3[10][10] = {
\{0,1,1,0,0,0,0,0,0,0,0,0,0\}
\{1,1,0,0,0,0,0,0,0,0,0,0,0,0\}
\{0,0,0,0,0,0,1,1,1,0,1\},
\{0,0,0,0,0,0,1,0,0,0,0,0\}
\{0,0,0,0,1,1,0,1,0,1,0\},\
\{0,0,0,1,0,1,0,1,1,0\},\
\{0,0,0,1,0,0,1,0,1,1\},\
\{0,0,0,0,0,1,1,1,0,1\},\
\{0,0,0,0,1,0,0,0,1,1,0\}\};
//LinkedList Representation of Graph 3.
LinkedList LG3[10];
char A3[3] = { 'A', 'B', 'C' };
\begin{array}{ll} \textbf{char} \ \ B3[3] \ = \ \{ \ \ 'B' \ , \ 'A' \ , \ 'C' \ \}; \\ \textbf{char} \ \ C3[3] \ = \ \{ \ \ 'C' \ , \ 'A' \ , \ 'B' \ \}; \end{array}
char D3[5] = \{ 'D', 'F', 'G', 'H', 'J' \};
```

```
char E3[2] = \{ 'E', 'F' \};
            'F', 'D', 'E', 'G', 'I'
'G', 'D', 'F', 'H', 'I'
char F3[5] = {
char G3[5] = {
{\bf char}\ H3[5]\ =\ \{\ 'H', 'D', 'G', 'I', 'J'\}
                             };
char I3[5] = \{ 'I', 'F', 'G', 'H', 'J' \};
char J3[4] = \{ 'J', 'D', 'H', 'I' \};
LG3[0].addarray(A3, 3);
LG3[1]. addarray (B3, 3);
LG3[2]. addarray (C3, 3);
LG3[3]. addarray (D3, 5);
LG3[4]. addarray (E3, 2);
LG3[5]. addarray (F3, 5);
LG3[6]. addarray (G3, 5);
LG3[7].addarray(H3, 5);
LG3[8]. addarray(I3, 5);
LG3 [9]. addarray (J3, 4);
// The vertices will be stored in this array.
char Vertices [10] = { 'A', 'B', 'C', 'D', 'E', 'F',
'G', 'H', 'I', 'J' };
cout << "DFS_traversal_of_Graph_1_using_Adjancency_Matrix." << endl;</pre>
CDFSGraphTraversalA(AG1, 0, Atransit1, Avisited1, Vertices);
cout << endl;
cout << "DFS_traversal_of_Graph_1_using_Linked_List." << endl;</pre>
CDFSGraphTraversalL(LG1, 0, Ltransit1, Lvisited1, Vertices);
cout << endl;
cout << "DFS_traversal_of_Graph_2_using_Adjancency_Matrix." << endl;
CDFSGraphTraversalA(AG2, 0, Atransit2, Avisited2, Vertices);
cout << endl << endl;
cout << "DFS_traversal_of_Graph_2_using_Linked_List." << endl;</pre>
CDFSGraphTraversalL(LG2, 0, Ltransit2, Lvisited2, Vertices);
```

```
cout << endl;
bool Atransit3[10] = { 0,0,0,0,0,0,0,0,0,0,0 };
bool Avisited3[10] = { 0,0,0,0,0,0,0,0,0,0 };

cout << "DFS_traversal_of_Graph_3_using_Adjancency_Matrix." << endl;
CDFSGraphTraversalA(AG3, 0, Atransit3, Avisited3, Vertices);

cout << endl;

bool Ltransit3[10] = { 0,0,0,0,0,0,0,0,0,0 };

bool Lvisited3[10] = { 0,0,0,0,0,0,0,0,0,0 };

cout << "DFS_traversal_of_Graph_3_using_Linked_List." << endl;
CDFSGraphTraversalL(LG3, 0, Ltransit3, Lvisited3, Vertices);
}</pre>
```

#### Code 4: Assignment\_4\_BFS.cpp

```
#include "BFS_Graph_Functions.h"
#include <iostream>
using namespace std;
int main() {
         // Adjacency Matrix representation of Graph 1.
         int AG1[10][10] = {
         \{0,1,0,0,0,1,0,0,0,1\},\
         \{1,0,1,0,0,0,0,1,0,0\}
         \{0,1,0,1,0,0,1,0,1,0\},\
         \{0,0,1,0,1,0,0,1,0,0\}
         \{0,0,0,1,0,0,0,0,0,1\},\
         \{1,0,0,0,0,0,1,0,0,0,0\}
         \{0,0,1,0,0,1,0,1,0,0\}
         \{0,1,0,1,0,0,1,0,1,0\}
         \{0,0,1,0,0,0,0,1,0,1\}
         \{1,0,0,0,1,0,0,0,1,0\}\};
         //LinkedList Representation of Graph 1.
         LinkedList LG1[10];
         char A1[4] = { 'A', 'B', 'F', 'J' };
                          'B', 'A', 'C', 'H', };
'C', 'B', 'D', 'G', 'I'
         char B1[4] = {
         char C1[5] = {
         char D1[4] = \{
                          'D', 'C', 'E', 'H' };
                           'E', 'D', 'J' };
         char E1[3] = \{
                           'F', 'A', 'G', };
'G', 'C', 'F', 'H', };
         char F1[3] = {
         char G1[4] = \{
                          'H', 'B', 'D', 'G', 'I' };
         char H1[5] = {
         char I1 [4] = \{ 'I', 'C', 'H', 'J' \};
         char J1[4] = { 'J', 'A', 'E', 'I' };
         LG1 [0]. addarray (A1, 4);
         LG1[1]. addarray (B1, 4);
         LG1 [2]. addarray (C1, 5);
         LG1[3]. addarray (D1, 4);
         LG1[4]. addarray (E1, 3);
         LG1[5]. addarray (F1, 3);
         LG1[6].addarray(G1, 4);
         LG1[7]. addarray(H1, 5);
         LG1 [8]. addarray (I1, 4);
         LG1 [9]. addarray (J1, 4);
         // Adjacency Matrix representation of Graph 2.
         int AG2[10][10] = {
         \{0,1,0,0,0,1,0,0,0,1\},
         \{-1,0,1,0,0,0,0,1,0,0\}
         \{0, -1, 0, 1, 0, 0, 1, 0, 1, 0\},\
```

```
\{0,0,-1,0,1,0,0,-1,0,0\}
\{0,0,0,-1,0,0,0,0,0,-1\},\
\{-1,0,0,0,0,0,-1,0,0,0\}
\{0,0,-1,0,0,1,0,-1,0,0\}
\{0, -1, 0, 1, 0, 0, 1, 0, -1, 0\},\
\{0,0,-1,0,0,0,0,1,0,-1\},\
\{-1,0,0,0,1,0,0,0,1,0\}\};
//LinkedList Representation of Graph 2.
LinkedList LG2[10];
char A2[4] = \{ ',A', ',B', ',F', ',J' \};
                   'B', 'C', 'H' };
char B2[3] = {
                   'C', 'D', 'G', 'I', };
char C2[4] = \{
                   ^{\prime}D^{\prime},^{\prime}E^{\prime}\ \};
char D2[2] = {
                   'E' };
char E2[1] =
                   'F' };
char F2[1] = {
                   'G', 'F' };
'H', 'D', 'G' };
char G2[2] = \{
char H2[3] = {
                   'I', 'H' };
char I2[2] = {
char J2[3] = { 'J', 'E', 'I' };
LG2 [0]. addarray (A2, 4);
LG2[1]. addarray (B2, 3);
LG2[2]. addarray (C2, 4);
LG2[3]. addarray (D2, 2);
LG2 [4]. addarray (E2, 1);
LG2 [5]. addarray (F2, 1);
LG2[6]. addarray(G2, 2);
LG2[7]. addarray (H2, 3);
LG2[8]. addarray(I2, 2);
LG2 [9]. addarray (J2, 3);
// Adjacency Matrix representation of Graph 3.
int AG3[10][10] = {
\{0,1,1,0,0,0,0,0,0,0,0,0,0\}
\{1,1,0,0,0,0,0,0,0,0,0,0,0\}
\{0,0,0,0,0,0,1,1,1,0,1\},
\{0,0,0,0,0,0,1,0,0,0,0,0\}
\{0,0,0,0,1,1,0,1,0,1,0\},\
\{0,0,0,1,0,1,0,1,1,0\},\
\{0,0,0,1,0,0,1,0,1,1\},\
\{0,0,0,0,0,1,1,1,0,1\},\
\{0,0,0,0,1,0,0,0,1,1,0\}\};
//LinkedList Representation of Graph 3.
LinkedList LG3[10];
char A3[3] = { 'A', 'B', 'C' };
\begin{array}{ll} \textbf{char} \ \ B3[3] \ = \ \{ \ \ 'B' \ , \ 'A' \ , \ 'C' \ \}; \\ \textbf{char} \ \ C3[3] \ = \ \{ \ \ 'C' \ , \ 'A' \ , \ 'B' \ \}; \end{array}
char D3[5] = \{ 'D', 'F', 'G', 'H', 'J' \};
```

```
char E3[2] = \{ 'E', 'F' \};
             'F', 'D', 'E', 'G', 'I' };
'G', 'D', 'F', 'H', 'I' };
char F3[5] = {
char G3[5] = {
char H3[5] = { 'H', 'D', 'G', 'I', 'J'}
char I3[5] = \{ 'I', 'F', 'G', 'H', 'J' \};
char J3[4] = \{ 'J', 'D', 'H', 'I' \};
LG3[0].addarray(A3, 3);
LG3[1]. addarray (B3, 3);
LG3 [2]. addarray (C3, 3);
LG3[3]. addarray (D3, 5);
LG3[4]. addarray (E3, 2);
LG3[5]. addarray (F3, 5);
LG3[6]. addarray (G3, 5);
LG3[7]. addarray (H3, 5);
LG3[8]. addarray(I3, 5);
LG3 [9]. addarray (J3, 4);
// The vertices will be stored in this array.
char Vertices [10] = { 'A', 'B', 'C', 'D', 'E', 'F',
'G', 'H', 'I', 'J' };
cout << "BFS_traversal_of_Graph_1_using_Adjancency_Matrix." << endl;
CBFSGraphTraversalA(AG1, 0, Avisited1, Vertices);
cout << endl;
cout << "BFS_traversal_of_Graph_1_using_Linked_List." << endl;</pre>
CBFSGraphTraversalL(LG1, 0, Lvisited1, Vertices);
cout << endl;
cout << "DFS_traversal_of_Graph_2_using_Adjancency_Matrix." << endl;</pre>
CBFSGraphTraversalA(AG2, 0, Avisited2, Vertices);
cout << endl;
cout << "DFS_traversal_of_Graph_2_using_Linked_List." << endl;</pre>
CBFSGraphTraversalL(LG2, 0, Lvisited2, Vertices);
cout << endl;
```

```
cout << "DFS_traversal_of_Graph_3_using_Adjancency_Matrix." << endl;
CBFSGraphTraversalA(AG3, 0, Avisited3, Vertices);

cout << endl;
bool Lvisited3[10] = { 0,0,0,0,0,0,0,0,0,0,0 };

cout << "DFS_traversal_of_Graph_3_using_Linked_List." << endl;
CBFSGraphTraversalL(LG3, 0, Lvisited3, Vertices);
}</pre>
```

### Results

The following are the runs that I did. Note that I did both algorithms using an Adjancency Matrix and Linked List representation of a graph. Given that I got the same results from both methods, it shows that my method is correct.

```
DFS traversal of Graph 1 using Adjancency Matrix.
The First Connected Component is: F G H I J E D C B A
The Graph is Connected!

DFS traversal of Graph 1 using Linked List.
The First Connected Component is: F G H I J E D C B A
The Graph is Connected!

DFS traversal of Graph 2 using Adjancency Matrix.
The First Connected Component is: E D F G H I C B J A
The Graph is Connected!

DFS traversal of Graph 2 using Linked List.
The First Connected Component is: E D F G H I C B J A
The Graph is Connected!

DFS traversal of Graph 3 using Adjancency Matrix.
The First Connected Component is: E D F G H I C B J A
The Graph is Disconnected!

DFS traversal of Graph 3 using Adjancency Matrix.
The First Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Components are:
Connected Component: E J I H G F D

DFS traversal of Graph 3 using Linked List.
The First Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B A
The Graph is Disconnected!
The Other Connected Component is: C B
```

Figure 4: Depth First Search

```
## Microsoft Visual Studio Debug Console

## St raversal of Graph 1 using Adjancency Matrix.
The First Connected Component is: A B F J C H G E I D
The Graph is Connected!

### St traversal of Graph 1 using Linked List.
The First Connected Component is: A B F J C H G E I D
The Graph is Connected!

### DFS traversal of Graph 2 using Adjancency Matrix.
The First Connected Component is: A B F J C H E I D G
The Graph is Connected!

### DFS traversal of Graph 2 using Linked List.
The First Connected Component is: A B F J C H E I D G
The Graph is Connected!

### DFS traversal of Graph 3 using Adjancency Matrix.
### DFS traversal of Graph 3 using Adjancency Matrix.
### The First Connected Component is: A B C
### The Graph is Disconnected!
### DFS traversal of Graph 3 using Linked List.
### The Other Connected Components are:
### Connected Component is: A B C
### The Graph is Disconnected!
### DFS traversal of Graph 3 using Linked List.
### The First Connected Component is: A B C
### The Graph is Disconnected!
### The Other Connected Components are:
### Connected Component of F G H J E I
### C:\Users\earlies H DFS travers\earlies H DF
```

Figure 5: Breath First Search