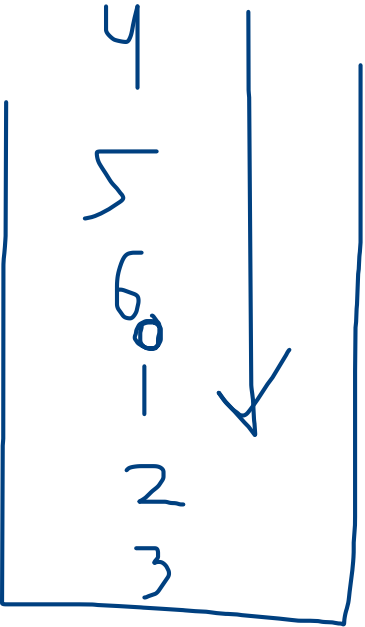
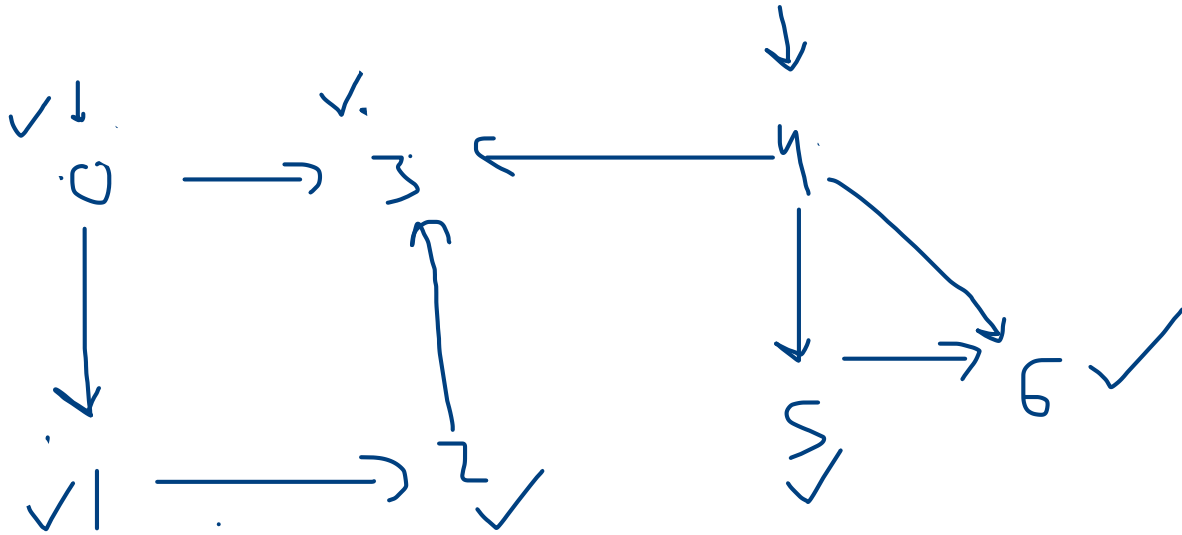


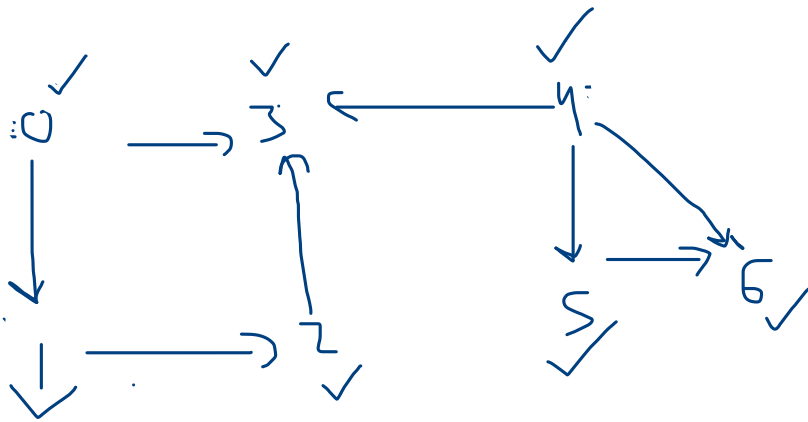
→ 0 1 2 4 5 6 ≥ ✓

Topological Sort (DFS)

DAG



4 5 6 0 1 2 } ✓



3
2
-
0
0
5
5

```

public static void dfs(ArrayList<Edge>[] graph, int v) {
    boolean[] visited = new boolean[v];
    Stack<Integer> topologicalOrder = new Stack<>();
    for (int i = 0; i < v; i++) {
        if (!visited[i]) {
            dfsUtil(i, graph, visited, topologicalOrder);
        }
    }

    while (!topologicalOrder.isEmpty()) {
        System.out.print(topologicalOrder.pop() + " ");
    }
}

public static void dfsUtil(int src, ArrayList<Edge>[] graph, boolean[] visited, Stack<Integer> topologicalOrder) {
    visited[src] = true;

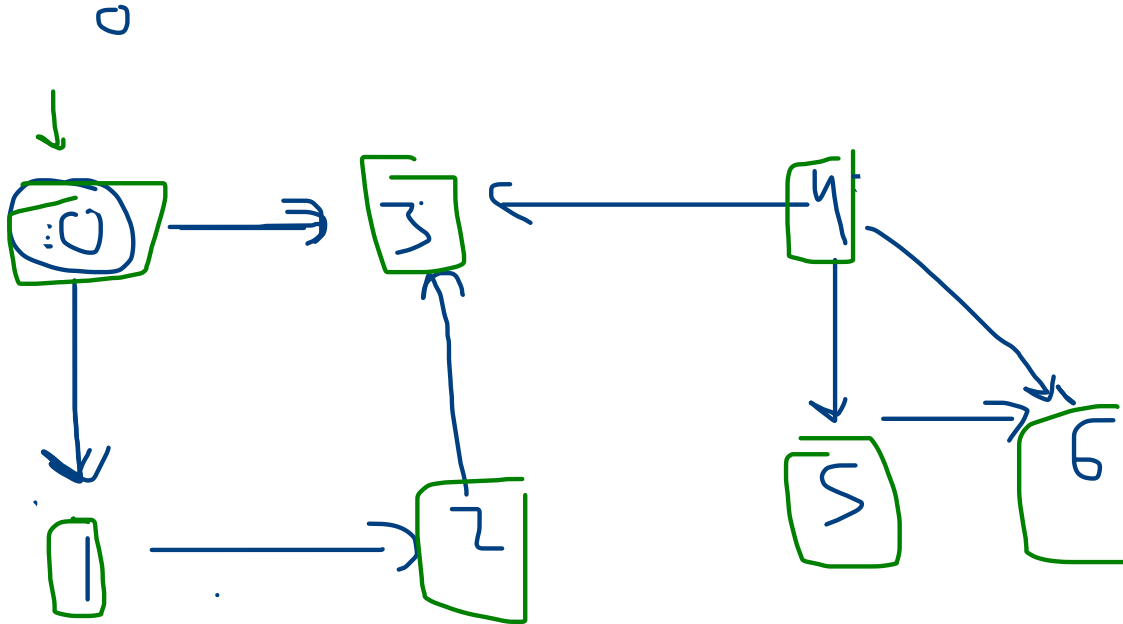
    for (Edge e: graph[src]) {
        if (!visited[e.nbr]) {
            dfsUtil(e.nbr, graph, visited, topologicalOrder);
        }
    }

    topologicalOrder.add(src);
}

```

Kahn's Algorithm (Topological Sort using BFS)

DAG

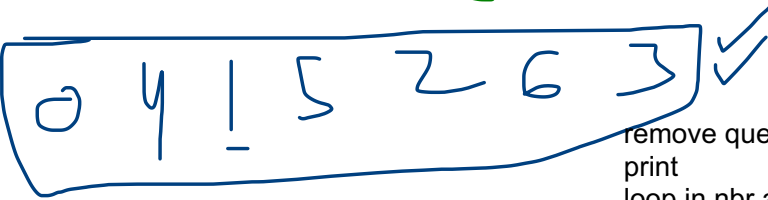
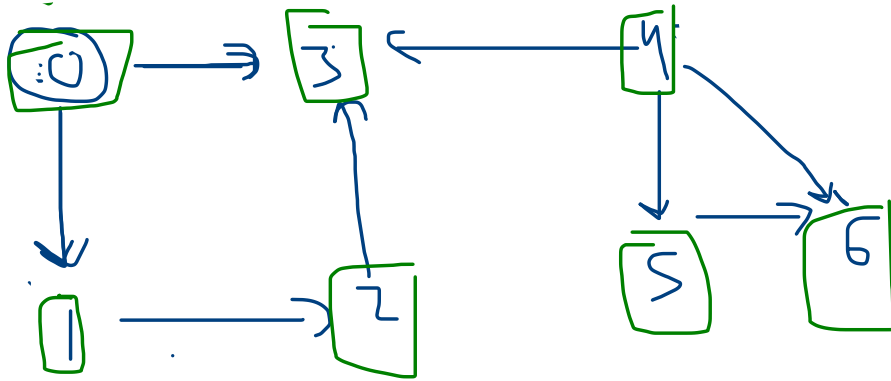


in degree =

0	1	2	3	4	5	6
0	1	1	3	0	1	2

out degree =

0	1	2	3	4	5	6
2	1	1	0	3	1	0



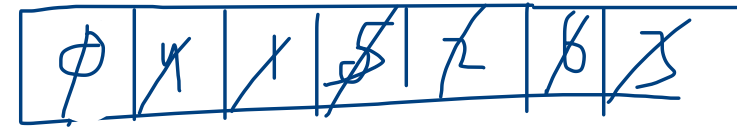
remove que
print
loop in nbr and decrement indegree
add vertex with indeg = 0 in que

✓ indegree =

0	1	2	3	4	5	6
0	1	1	3	0	1	2
	0	0	2+0		0	1+0

ind = 0

que

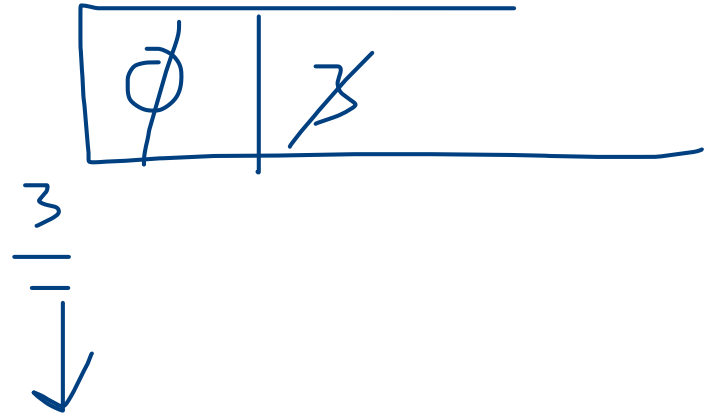
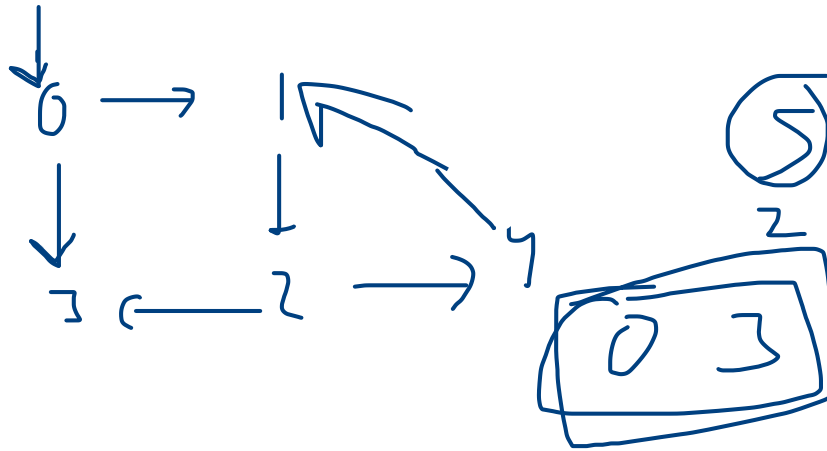


0 4 1 5 2

verify

ind = 0

$D \subset G$
 \equiv



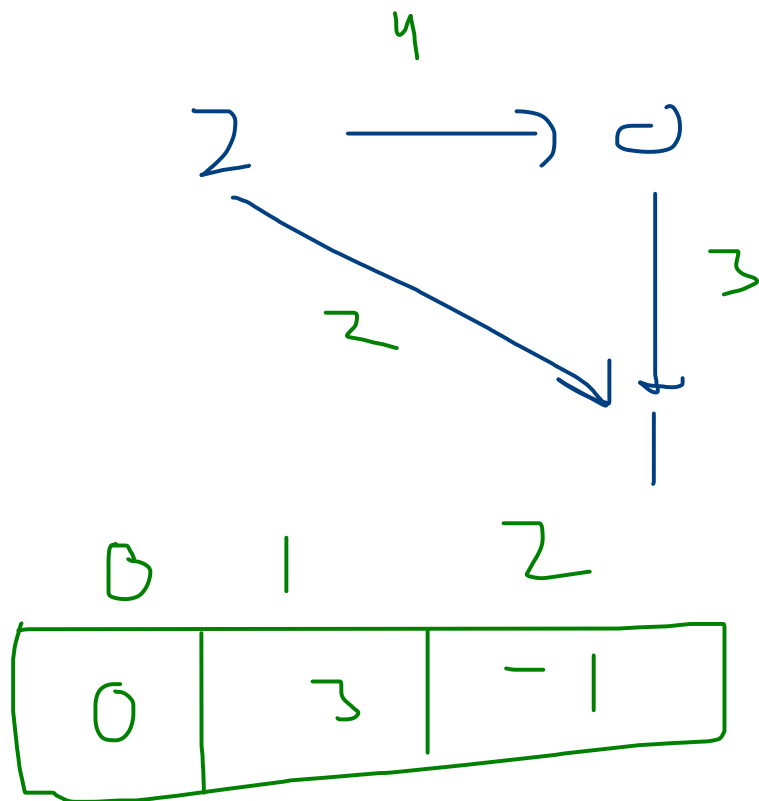
ind=

0	1	2	3	4
0	2	1	1	1
	1		0	

Course Schedule

Shortest Path in DAG

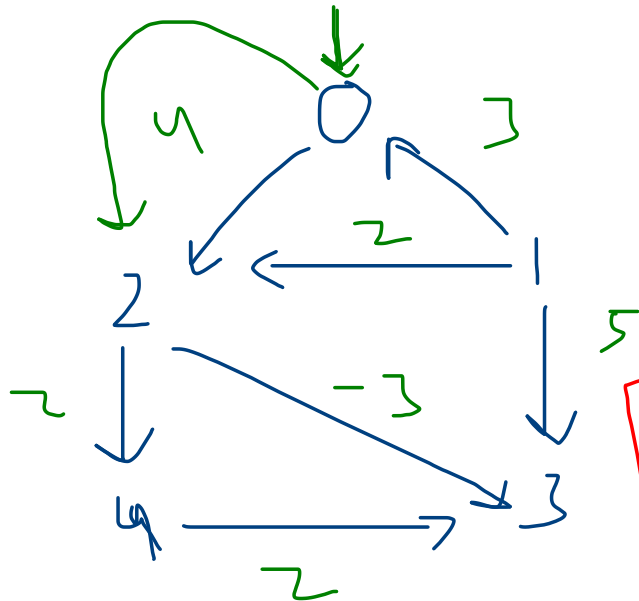
$g_u = 0$



src: 0

==

BFS



\emptyset	2	3	4
-------------	---	---	---

$$if (wt[u,v] + dist[u] < dist[v])$$

$$\{$$

$$dist[v]$$

$$= wt[u,v] + dist[u]$$

$$\}$$

dist

0	1	2	3	4
0	1	4	1	6