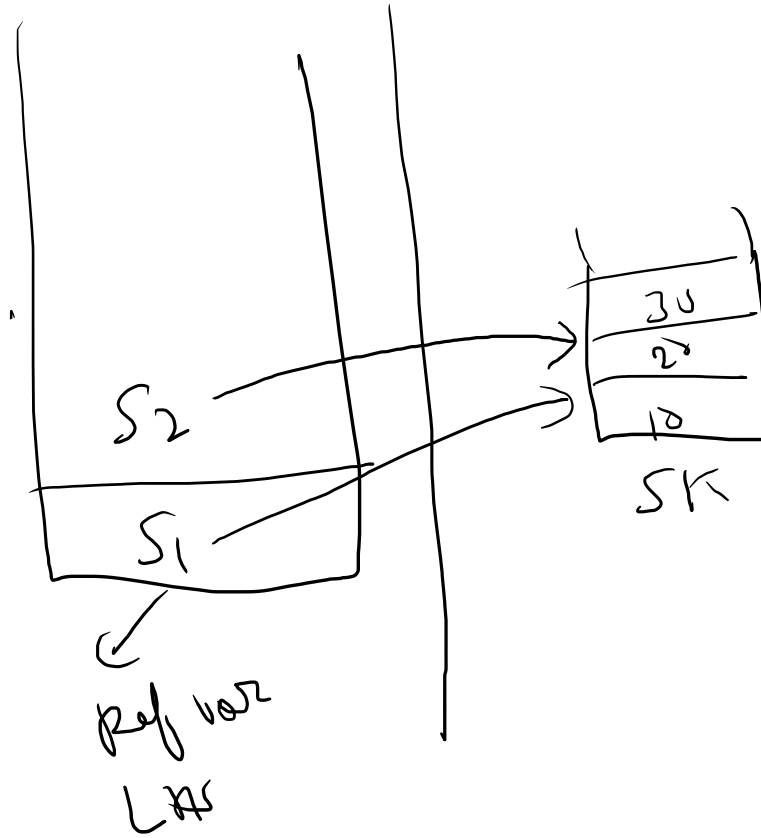


AL 12

Refers

LHS
Stack $S_1 = \text{new Stack}$
Stack $S_2 = S_1$

Java
C++



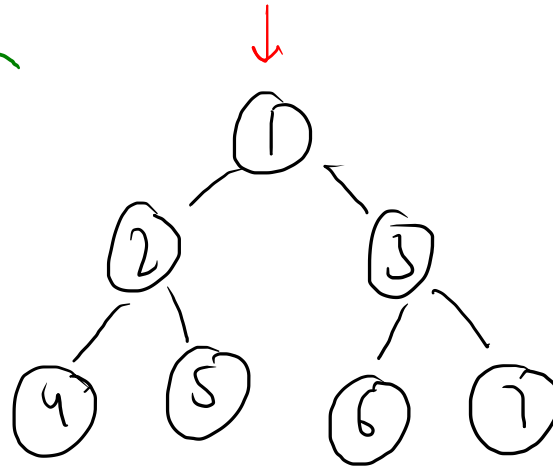
Construct BT from In order & Post order

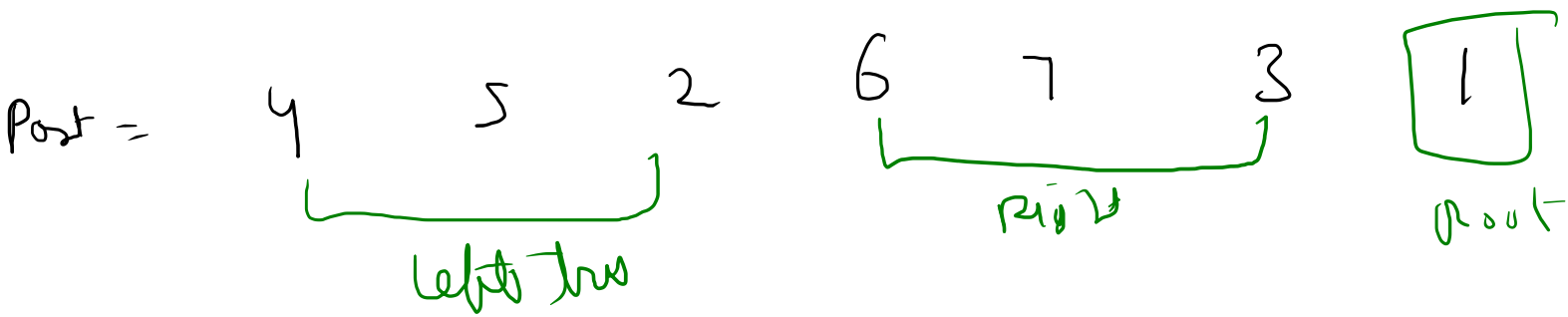
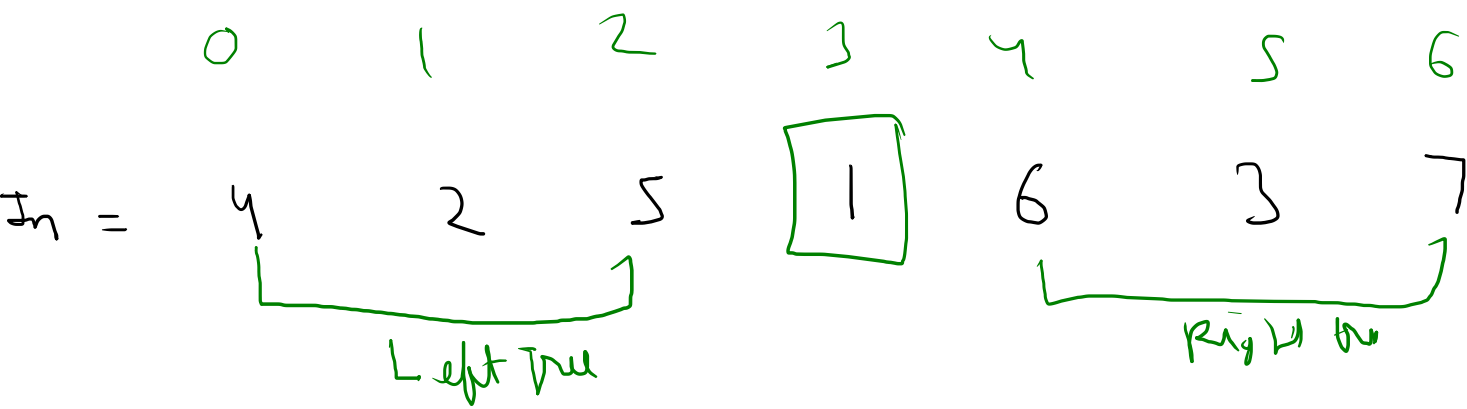
In = 4 2 5 1 6 3 7

Post = 4 5 2 6 7 3 1

Inorder \Rightarrow L N R

Post \Rightarrow L R N





$$in s^o = 0$$

$$p s^i = 0$$

$$in e^o = 6$$

$$p e^i = 6$$

	$\text{in } i_1$ ↓				↓			$\text{in } e_1$ ↓
	0	1	2	3	4	5	6	
$I_n =$	4	2	5	1	6	3	7	

Post = 4 5 2 6 7 3 1

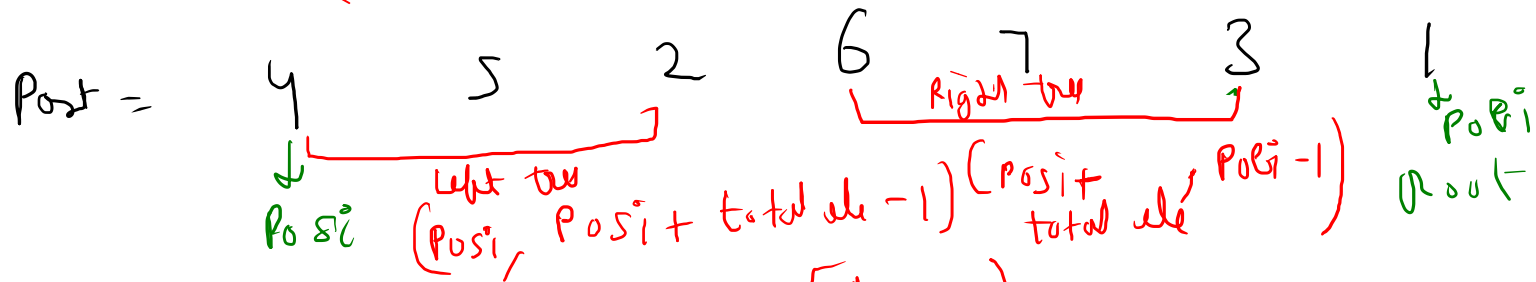
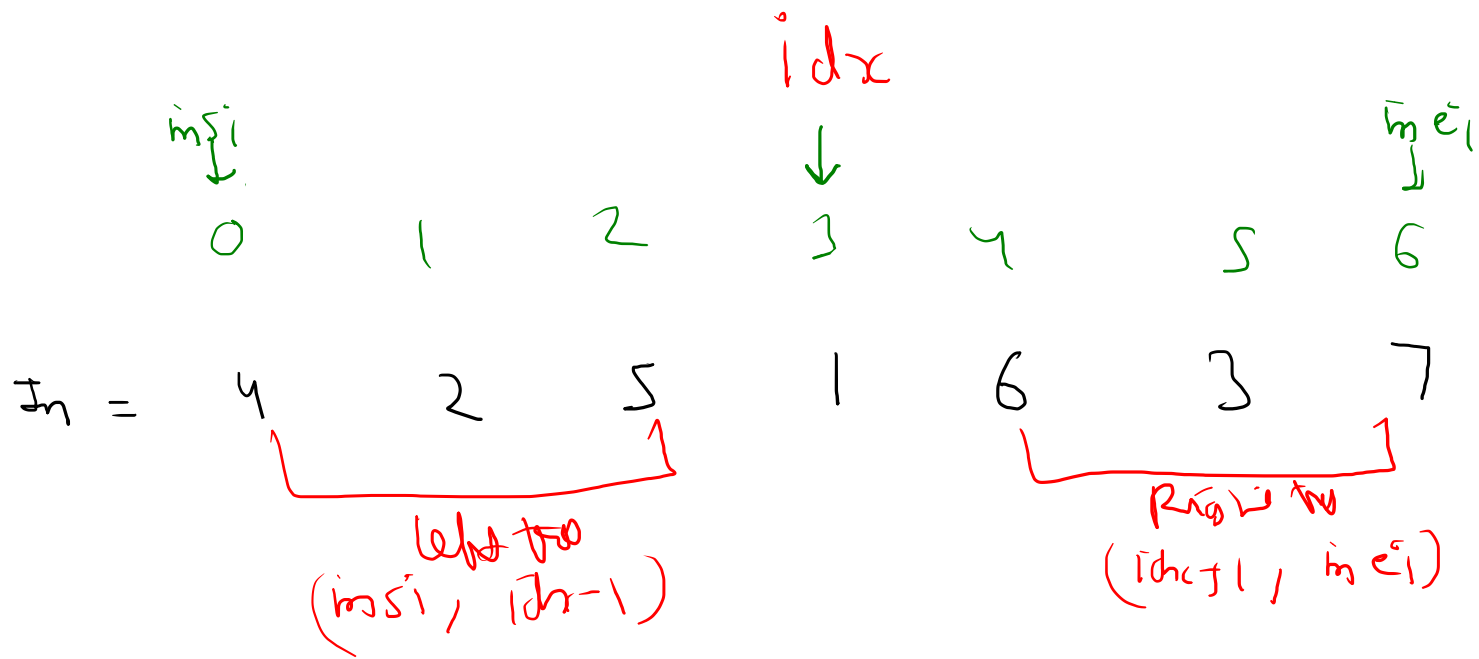
↓
posi

↓
root

$$\ln 5^0 = 0$$
$$\ln e^0 = 6$$
$$p \delta^i = 0$$
$$p_{ei} = 6$$

Stbl

node
 $\Rightarrow p o e i = \text{node}$
 \downarrow
Search about in
rover



total element = idx - in si

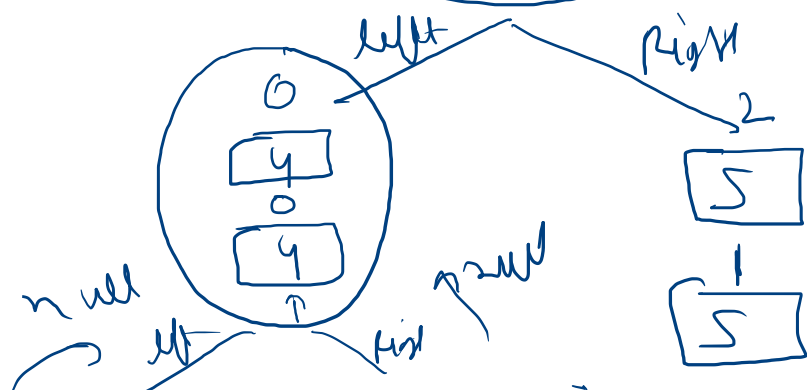
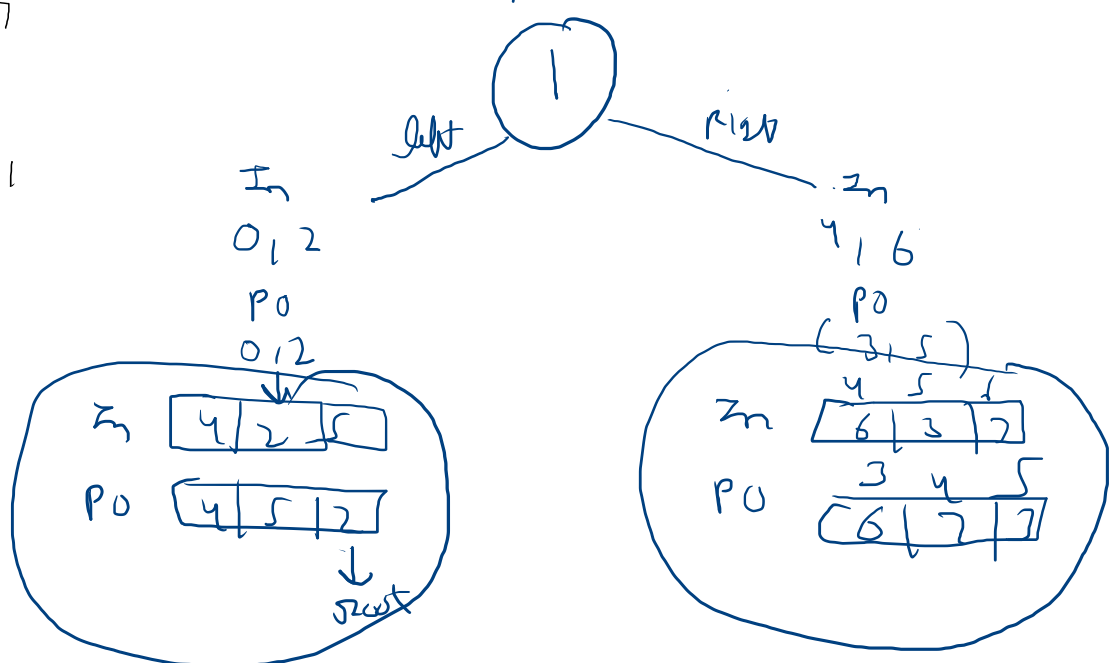
(1, 5)

1 2 3 4

5 - 1 = 4

0 1 2 3 4 5 6
 $I_n =$ 4 2 5 1 6 3 7
 $Post =$ 4 5 2 6 7 3 1

I_n, P_0
 3, 6



Base case
 (0, -1)

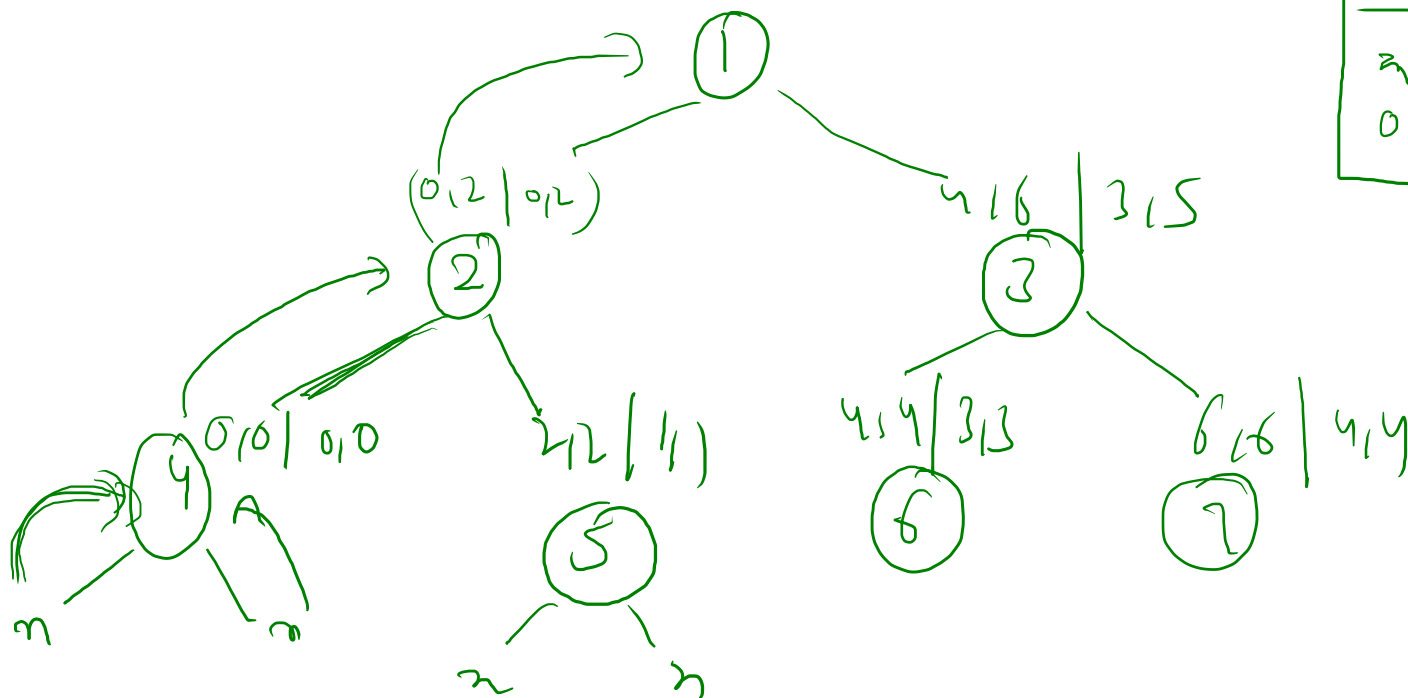
$pos_i > pos_l$
 $(0, 0 \text{ for } 1)$

$In =$

1	2	3	4	5	6
4	2	5	1	6	3
				↑	

 $Post =$

4	5	2	6	7	3
					↑



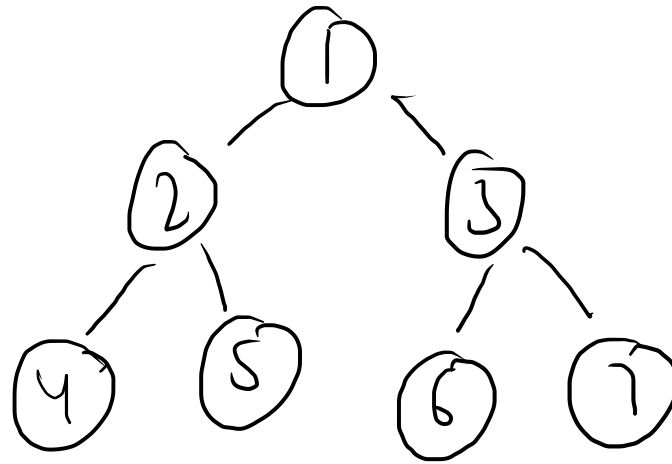
4, 6	3, 5
~	~
0, 2	0, 2
1	1

Recursive stack

Construct

Post &

Pre order



Post \rightarrow 4 5 2 6 7 3 1

Pre \rightarrow 1 2 4 5 3 6 7

Post \rightarrow L R N

Pre \rightarrow N L R

	Posi ↓		idx ↓				Posi ↓
	0	1	2	3	4	5	6

Post \Rightarrow

4	5	2	6	7	3	1
---	---	---	---	---	---	---

Left Tree
(Posi, idx)

Right
(idx + 1, Posi - 1)

Posi
↓

(Posi + 1, Posi + total)

Pei
↓

Pre \Rightarrow

1	2	4	5	3	6
---	---	---	---	---	---

Left

Right (Posi + total + 1, Pei)

node \Rightarrow Posi - Posi

idx \Rightarrow element on
Post order
with value
 \Rightarrow [Posi + 1]

total \Rightarrow idx - Posi + 1
ele
Left Tree

