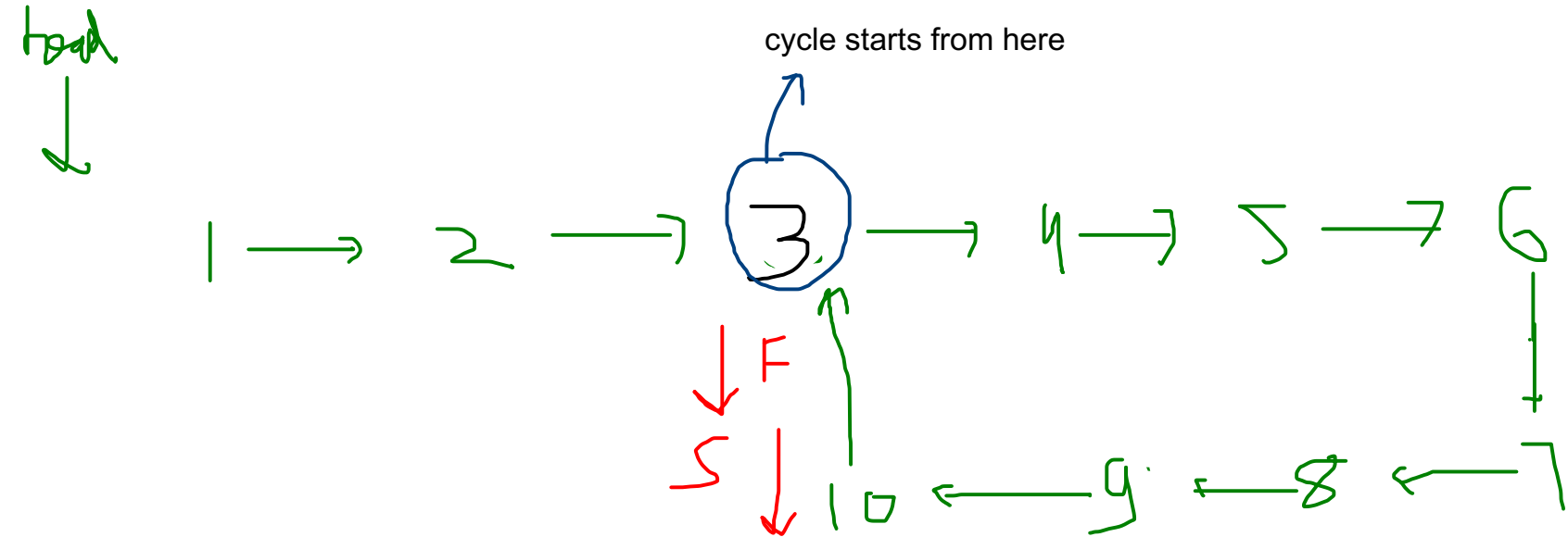


Detect Cycle point in LL

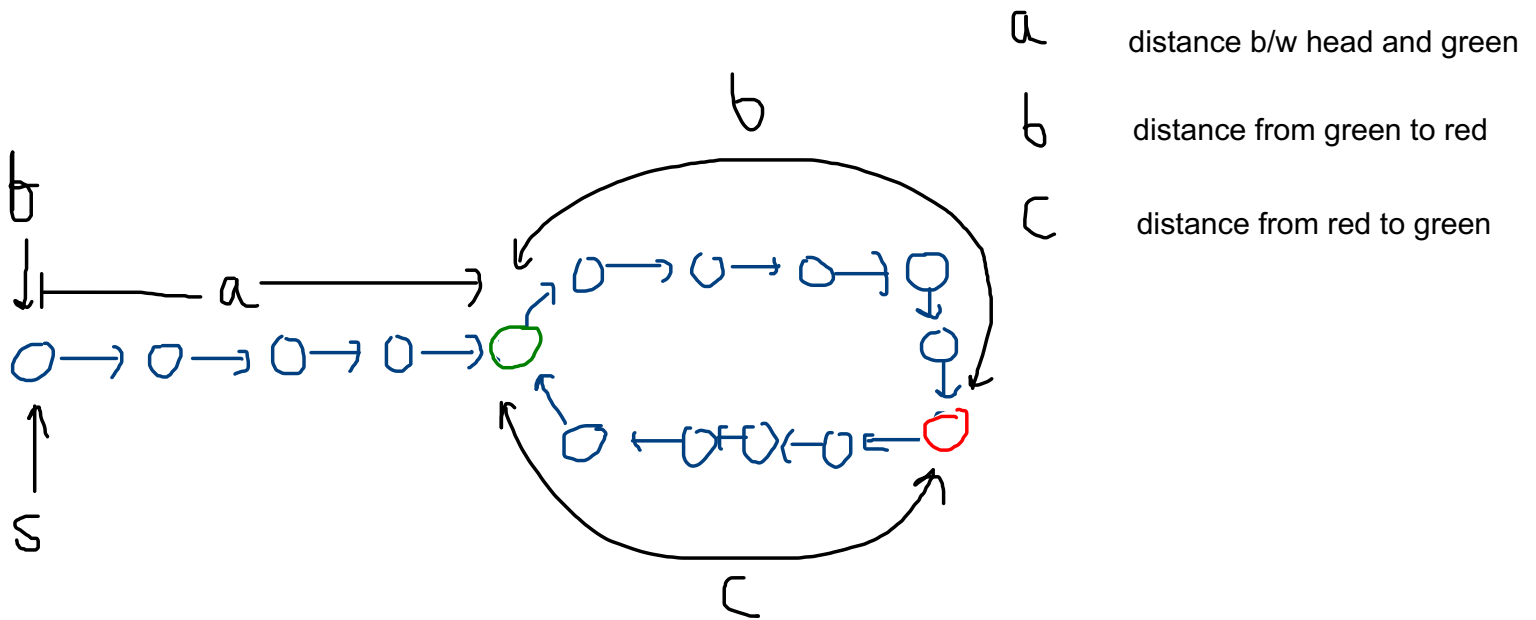


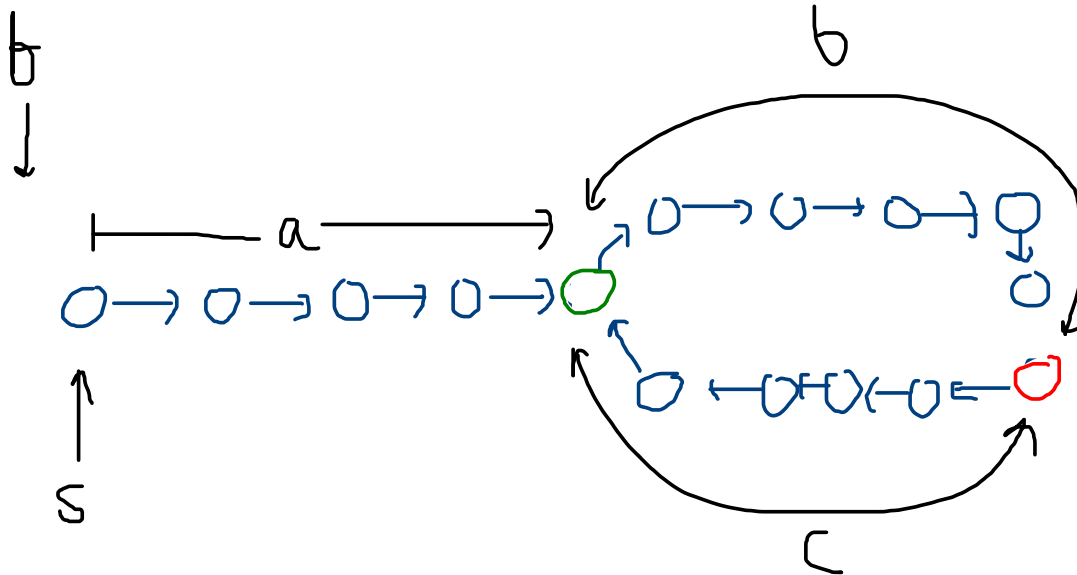
after meet of S and F

Reset slow to head

move both by one one

proof of cycle detection algo





ds

distance travel by S to reach red from head

df

distance travel by F to reach red from head

n

number of rotations S take before meeting of F pointer

m

number of rotations F take before meeting of S pointer

$$ds = a + n \times (b + c) + b$$

$$df = a + m \times (b + c) + b$$

$$\text{dist} = \text{velocity} \times \text{time}$$

$$\text{time} = \text{dist}/\text{velocity}$$

$$T = ds/s, T = df/f$$

$$\frac{ds}{s} = \frac{df}{f}$$

$$df = \left(\frac{f}{s} \right) ds$$

$$\text{let } \frac{f}{s} = r$$

$$df = r ds$$

$$a + m(b+c) + b = r(a+b) + r \cdot r(b+c)$$

$$(b+c) [m - r \cdot r] = (a+b)(r - 1)$$

$$\Rightarrow \boxed{a+b = \frac{(m - r \cdot r)(b+c)}{(r - 1)}}$$

$$\Rightarrow a + b = \frac{(m - n) (b + c)}{(n - 1)}$$

$$n - 1 \neq 0$$

$$n - 1 > 0$$

$$n > 1$$

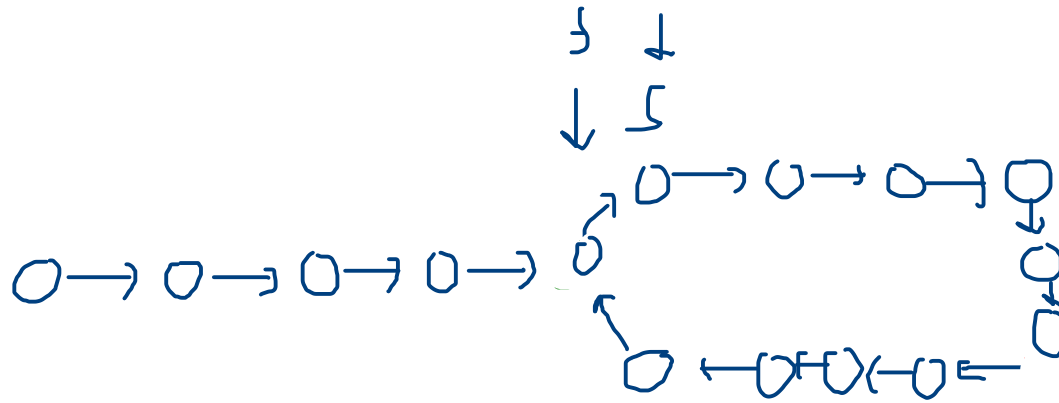
$$\frac{f}{s} > 1$$

$$f = ps$$

$$p \in \mathbb{R}^+, p \neq 1$$

$$m = 1$$

$$n = 1$$



$$f = p \times s, p = 2, p \rightarrow \mathbb{R}^+, p \neq 0$$

$$f = 95$$

$$f = 3$$

$$s = 2$$

best --> s will cover total of 0 rotation

$$f = 25$$

$$a + b = \frac{(m - 2n) (b + c)}{(\cancel{m - 1})^2}$$

$r = 2$

$$a + b = \overset{\curvearrowright}{(m - 2n)} (b + c)$$

$$a + b = (b + c) \overset{\curvearrowright}{\cancel{m - 1}}$$

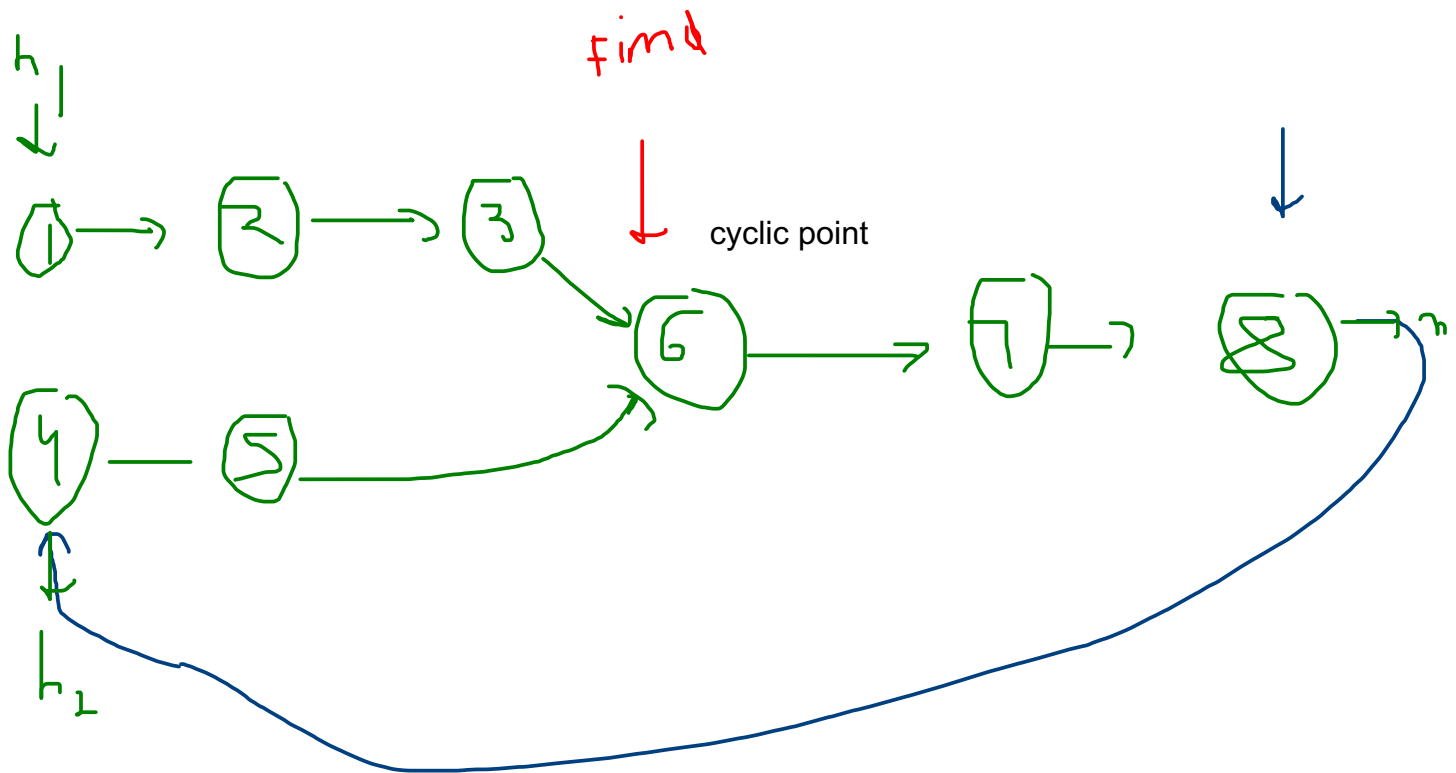
$m - 2n$

$$a + \cancel{b} = \cancel{b} + c$$

$a = c$ dist from head to green and red to green is equal

Intersection of LL

MI



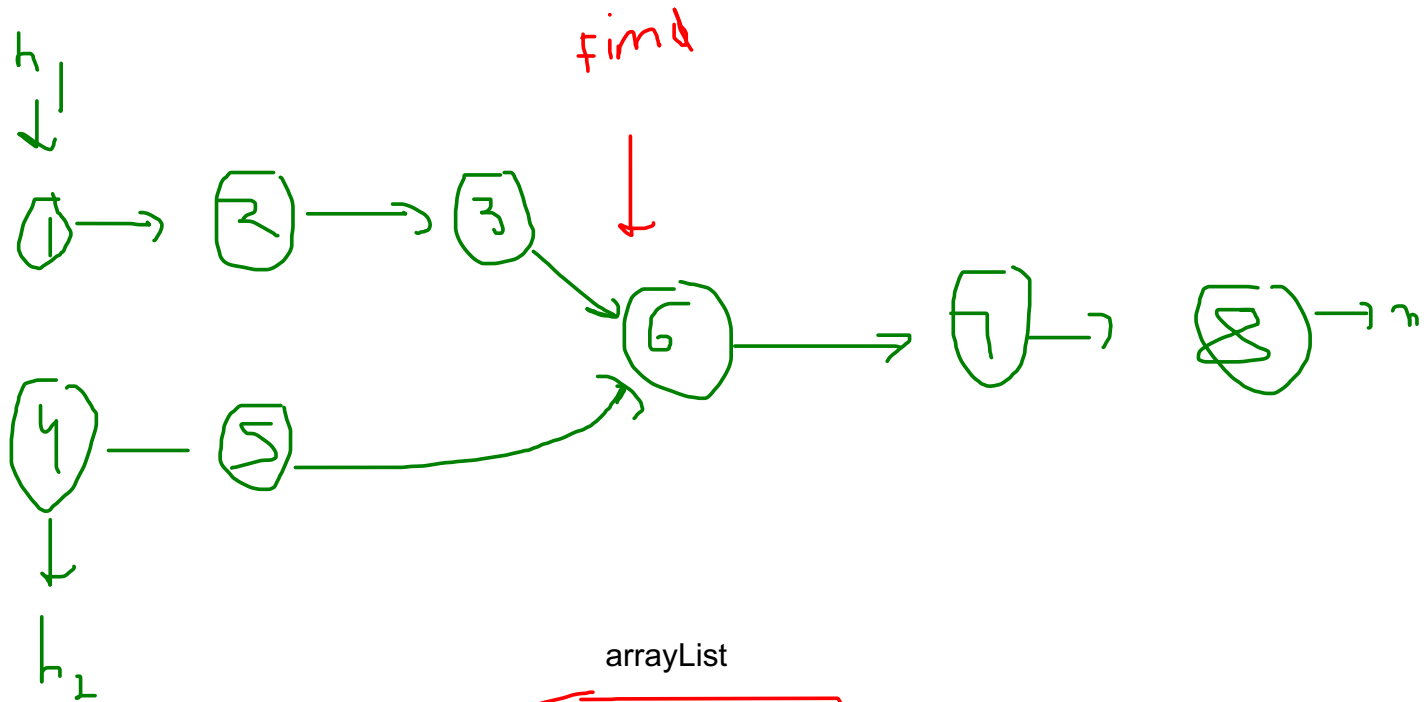
input

head1 and head2

correct input again

Intersection of LL

M2



arrayList

arr1 = 1, 2, 3, 6, 7, 8

arr2 = 4, 5, 6, 7, 8

input

head1 and head2

Remove Duplicates

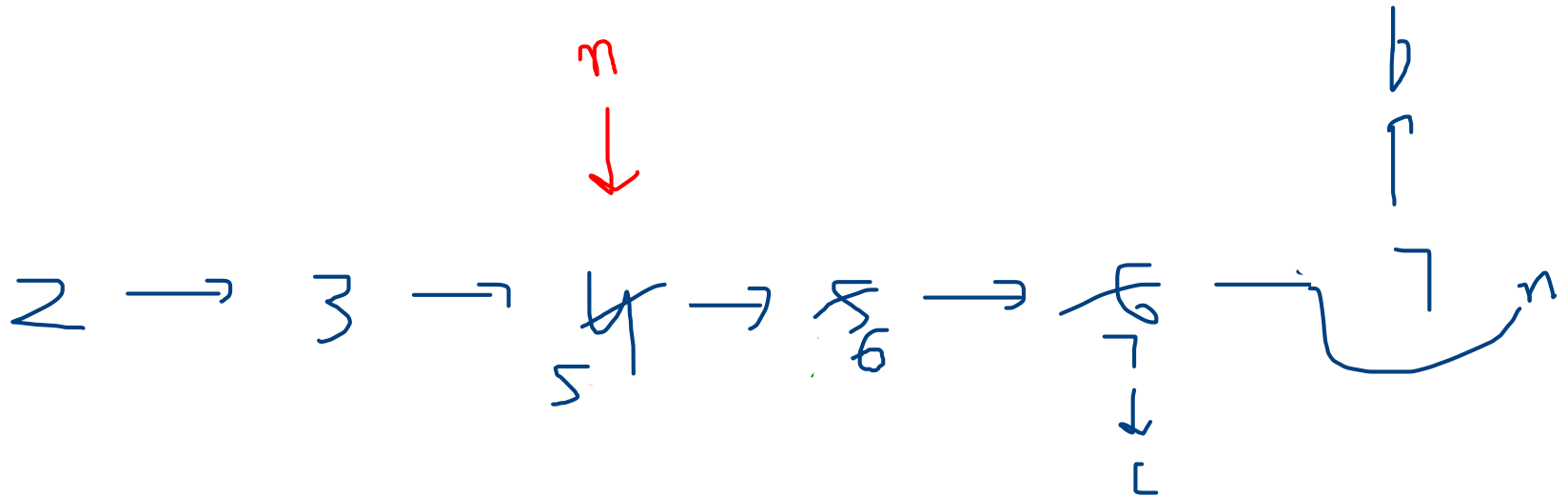


1 → 1 → 1 → 2 → 2 → 3 → 4 → 5 → 5

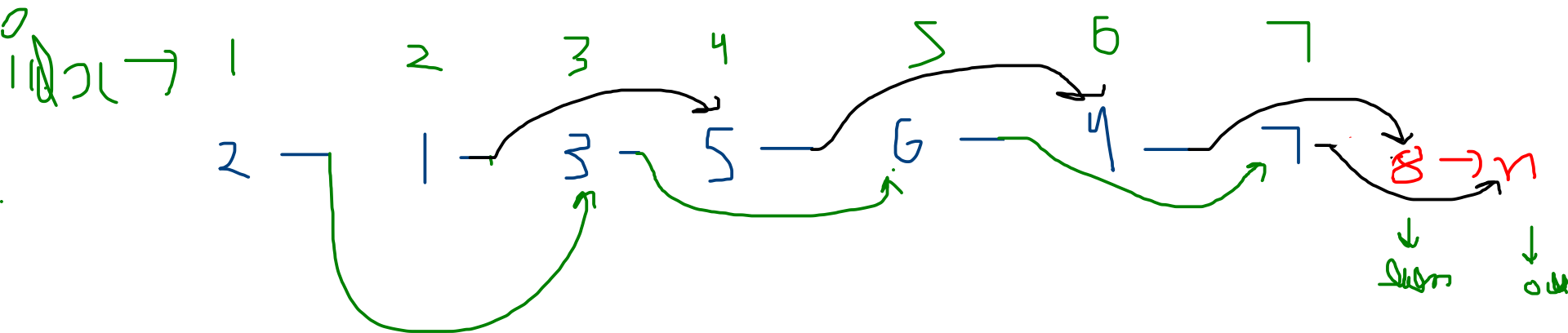
0 | 1 ⇒ 1 → 2 → 3 → 4 → 5

remove a node in LL

head is not given,
remove node is given



Odd Even



odd = head
even = head.next

\approx [2,1,3,5,6,4,7]

odd.next = even.next

odd = odd.next

\cup [2,3,6,7,1,5,4]

even.next = odd.next

0 4 1

even

even = even.next

2 \rightarrow 3 \rightarrow 6 \rightarrow 7 \rightarrow 1 \rightarrow 5 \rightarrow 4