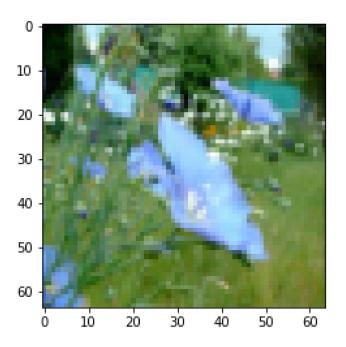
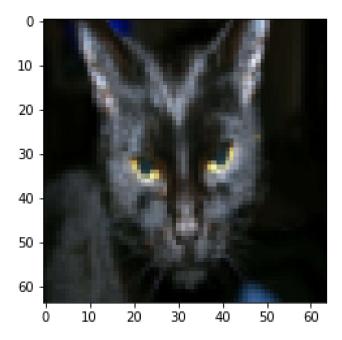
```
[1]: import numpy as np
     import copy
     import matplotlib.pyplot as plt
     import h5py
     import scipy
     from PIL import Image
     from scipy import ndimage
[2]: def load_dataset():
         train_ds = h5py.File('train_catvnoncat.h5', 'r')
         train_set_x = np.array(train_ds['train_set_x'][:])
         train_set_y = np.array(train_ds['train_set_y'][:])
         test_ds = h5py.File('test_catvnoncat.h5', 'r')
         test_set_x = np.array(test_ds['test_set_x'][:])
         test_set_y = np.array(test_ds['test_set_y'][:])
         classes = np.array(test_ds['list_classes'][:])
         train_set_y = train_set_y.reshape((1, train_set_y.shape[0]))
         test_set_y = test_set_y.reshape((1, test_set_y.shape[0]))
         return train_set_x, train_set_y, test_set_x, test_set_y, classes
[3]: train_set_x_orig, train_set_y, test_set_x_orig, test_set_y, classes =_
      ⇔load_dataset()
[4]: index = 20
     plt.imshow(train_set_x_orig[index])
     print ("y = " + str(train_set_y[:, index]) + ", it's a '" + classes[np.

squeeze(train_set_y[:, index])].decode("utf-8") + "' picture.")

    y = [0], it's a 'non-cat' picture.
[4]: ''
```



y = [1], it's a 'cat' picture.



```
[6]: m_train = train_set_x_orig.shape[0]
     m_test = test_set_x_orig.shape[0]
     num_px = train_set_x_orig.shape[1]
     print ("Number of training examples: m_train = " + str(m_train))
     print ("Number of testing examples: m_test = " + str(m_test))
     print ("Height/Width of each image: num px = " + str(num px))
     print ("Each image is of size: (" + str(num_px) + ", " + str(num_px) + ", 3)")
     print ("train_set_x shape: " + str(train_set_x_orig.shape))
     print ("train_set_y shape: " + str(train_set_y.shape))
     print ("test_set_x shape: " + str(test_set_x_orig.shape))
     print ("test_set_y shape: " + str(test_set_y.shape))
    Number of training examples: m_train = 209
    Number of testing examples: m_test = 50
    Height/Width of each image: num_px = 64
    Each image is of size: (64, 64, 3)
    train set x shape: (209, 64, 64, 3)
    train_set_y shape: (1, 209)
    test_set_x shape: (50, 64, 64, 3)
    test_set_y shape: (1, 50)
[7]: train_set_x_flatten = train_set_x_orig.reshape(train_set_x_orig.shape[0], -1).T
     test_set_x_flatten = test_set_x_orig.reshape(test_set_x_orig.shape[0], -1).T
     print ("train_set_x_flatten shape: " + str(train_set_x_flatten.shape))
     print ("train_set_y shape: " + str(train_set_y.shape))
     print ("test_set_x_flatten shape: " + str(test_set_x_flatten.shape))
     print ("test_set_y shape: " + str(test_set_y.shape))
    train_set_x_flatten shape: (12288, 209)
    train_set_y shape: (1, 209)
    test_set_x_flatten shape: (12288, 50)
    test_set_y shape: (1, 50)
[8]: # Let's standardize our dataset.
     train_set_x = train_set_x_flatten / 255.
     test_set_x = test_set_x_flatten / 255.
[9]: def sigmoid(z):
         Compute the sigmoid of z
         Arguments:
         z -- A scalar or numpy array of any size.
```

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Return:
          s -- sigmoid(z)
          s = 1 / (1 + np.exp(-z))
          return s
[10]: print ("sigmoid([0, 2]) = " + str(sigmoid(np.array([0,2]))))
     sigmoid([0, 2]) = [0.5]
                                     0.88079708]
[11]: x = np.array([0.5, 0, 2.0])
      output = sigmoid(x)
      print(output)
     [0.62245933 0.5
                              0.88079708]
[12]: def initialize_with_zeros(dim):
          This function creates a vector of zeros of shape (dim, 1) for w and \Box
       \hookrightarrow initializes b to 0.
          Argument:
          dim -- size of the w vector we want (or number of parameters in this case)
          Returns:
          w -- initialized vector of shape (dim, 1)
          b -- initialized scalar (corresponds to the bias) of type float
          w = np.zeros(shape=(dim, 1), dtype=np.float32)
          b = 0.0
          return w, b
[13]: dim = 2
      w, b = initialize_with_zeros(dim)
      assert type(b) == float
      print ("w = " + str(w))
      print ("b = " + str(b))
     w = [[0.]]
      [0.]]
     b = 0.0
[14]: def propagate(w, b, X, Y):
          Implement the cost function and its gradient for the propagation explained \sqcup
       \hookrightarrow above
```

```
Arguments:
          w -- weights, a numpy array of size (num_px * num_px * 3, 1)
          b -- bias, a scalar
          X -- data of size (num_px * num_px * 3, number of examples)
          Y -- true "label" vector (containing 0 if non-cat, 1 if cat) of size (1, \square)
       ⇔number of examples)
          Return:
          cost -- negative log-likelihood cost for logistic regression
          dw -- gradient of the loss with respect to w, thus same shape as w
          db -- gradient of the loss with respect to b, thus same shape as b
          Tips:
          - Write your code step by step for the propagation. np.log(), np.dot()
          m = X.shape[1]
          # forward propagation (from x to cost)
          # compute activation
          A = sigmoid(w.T @ X + b)
          # compute cost by using np.dot to perform multiplication
          cost = np.sum(Y * np.log(A) + (1 - Y) * np.log(1 - A)) / -m
          # backward propagation (to find grad)
          dw = X @ (A - Y).T / m
          db = np.sum(A - Y) / m
          cost = np.squeeze(np.array(cost))
          grads = \{'dw': dw, 'db': db\}
          return grads, cost
[15]: w = np.array([[1.], [2]])
      b = 1.5
      X = np.array([[1., -2., -1.], [3., 0.5, -3.2]])
      Y = np.array([[1, 1, 0]])
      grads, cost = propagate(w, b, X, Y)
      assert type(grads["dw"]) == np.ndarray
      assert grads["dw"].shape == (2, 1)
      assert type(grads["db"]) == np.float64
```

print ("dw = " + str(grads["dw"]))
print ("db = " + str(grads["db"]))

```
print ("cost = " + str(cost))
     dw = [[0.25071532]]
      [-0.06604096]]
     db = -0.12500404500439652
     cost = 0.15900537707692405
[16]: def optimize(w, b, X, Y, num_iterations=100, learning_rate=0.009,__

¬print_cost=False):
          This function optimizes w and b by running a gradient descent algorithm
          Arguments:
          w \rightarrow weights, a numpy array of size (num px * num px * 3, 1)
          b -- bias, a scalar
          X -- data of shape (num_px * num_px * 3, number of examples)
          Y -- true "label" vector (containing 0 if non-cat, 1 if cat), of shape (1,_{\sqcup}
       \neg number of examples)
          num_iterations -- number of iterations of the optimization loop
          learning_rate -- learning rate of the gradient descent update rule
          print_cost -- True to print the loss every 100 steps
          Returns:
          params -- dictionary containing the weights w and bias b
          grads -- dictionary containing the gradients of the weights and bias with \sqcup
       ⇔respect to the cost function
          costs -- list of all the costs computed during the optimization, this will \sqcup
       ⇒be used to plot the learning curve.
          Tips:
          You basically need to write down two steps and iterate through them:
              1) Calculate the cost and the gradient for the current parameters. Use_{\sqcup}

¬propagate().
              2) Update the parameters using gradient descent rule for w and b.
          w = copy.deepcopy(w)
          b = copy.deepcopy(b)
          costs = []
          for i in range(num_iterations):
              # cost and gradient calculation
              grads, cost = propagate(w, b, X, Y)
              # Retrieve derivatives from grads
              dw = grads["dw"]
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db = grads["db"]
              # update rule
              w -= learning_rate * dw
              b -= learning_rate * db
              # Record the costs
              if i % 100 == 0:
                  costs.append(cost)
                  # Print the cost every 100 training iterations
                  if print_cost:
                      print ("Cost after iteration %i: %f" %(i, cost))
          params = \{"w": w,
                    "b": b}
          grads = {"dw": dw,
                   "db": db}
          return params, grads, cost
[17]: params, grads, costs = optimize(w, b, X, Y, num_iterations=100, learning_rate=0.
       ⇔009, print_cost=False)
      print ("w = " + str(params["w"]))
      print ("b = " + str(params["b"]))
      print ("dw = " + str(grads["dw"]))
      print ("db = " + str(grads["db"]))
      print("Costs = " + str(costs))
     w = [[0.80956046]]
      [2.0508202]]
     b = 1.5948713189708588
     dw = [[ 0.17860505]]
      [-0.04840656]]
     db = -0.08888460336847771
     Costs = 0.10579008649578009
[18]: def predict(w, b, X):
          Predict whether the label is 0 or 1 using learned logistic regression_{\sqcup}
       \Rightarrow parameters (w, b)
          Arguments:
          w -- weights, a numpy array of size (num_px * num_px * 3, 1)
          b -- bias, a scalar
```

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Returns:
           Y_prediction -- a numby array (vector) containing all predictions (0/1) for
        \hookrightarrow the examples in X
           m = X.shape[1]
           Y_prediction = np.zeros((1, m))
           w = w.reshape(X.shape[0], 1)
           # compute vector 'A' predicting the probabilities of a cat being present in
        \hookrightarrow the picture
           A = sigmoid(w.T @ X + b)
           for i in range(A.shape[1]):
                # convert probabilities A[O, i] to actual predictions p[O, i]
               if A[0, i] > 0.5:
                    Y_prediction[0, i] = 1
               else:
                    Y_prediction[0, i] = 0
           return Y_prediction
[19]: w = np.array([[0.1124579], [0.23106775]])
      b = -0.3
      X = \text{np.array}([[1., -1.1, -3.2], [1.2, 2., 0.1]])
      print ("predictions = " + str(predict(w, b, X)))
     predictions = [[1. 1. 0.]]
[20]: def model(X_train, Y_train, X_test, Y_test, num_iterations=2000,__
        →learning_rate=0.5, print_cost=False):
           11 11 11
           Builds the logistic regression model by calling the function you've\sqcup
        \rightarrow implemented previously
           Arguments:
           X_{train} -- training set represented by a numpy array of shape (num_px *\_\)
        \hookrightarrow num_px * 3, m_train)
           Y_{\perp}train -- training labels represented by a number array (vector) of shape \sqcup
        \hookrightarrow (1, m_train)
           X_{\_} test -- test set represented by a numpy array of shape (num_px * num_px *_\_
        \hookrightarrow 3, m_test)
           Y_{test} -- test labels represented by a numpy array (vector) of shape (1, \Box
        \hookrightarrow m_test)
```

X -- data of size (num\_px \* num\_px \* 3, number of examples)

```
num\_iterations -- hyperparameter representing the number of iterations to_{\sqcup}
⇔optimize the parameters
  learning_rate -- hyperparameter representing the learning rate used in the __
→update rule of optimize()
  print_cost -- Set to True to print the cost every 100 iterations
  Returns:
  \it d -- dictionary containing information about the model.
  w, b = initialize_with_zeros(dim=X_train.shape[0])
  # Gradient descent
  params, grads, costs = optimize(w, b, X_train, Y_train, num_iterations,_
⇔learning_rate, print_cost)
  # Retrieve parameters w and b from dictionary "params"
  w = params['w']
  b = params['b']
  # Predict test/train set examples
  Y_prediction_test = predict(w, b, X_test)
  Y_prediction_train = predict(w, b, X_train)
  # Print train/test Errors
  if print_cost:
      print("train accuracy: {} %".format(100 - np.mean(np.
→abs(Y_prediction_train - Y_train)) * 100))
      print("test accuracy: {} %".format(100 - np.mean(np.
→abs(Y_prediction_test - Y_test)) * 100))
  d = {"costs": costs,
       "Y_prediction_test": Y_prediction_test,
        "Y_prediction_train" : Y_prediction_train,
       "w" : w,
        "b" : b,
        "learning_rate" : learning_rate,
       "num_iterations": num_iterations}
  return d
```

```
[21]: logistic_regression_model = model(train_set_x, train_set_y, test_set_x, uset_set_x, num_iterations=10000, learning_rate=0.002, print_cost=True)
```

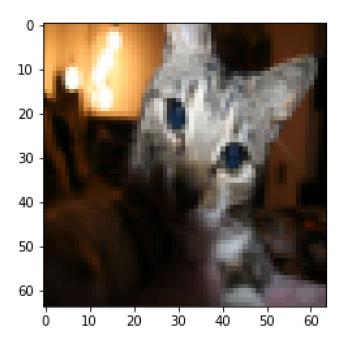
Cost after iteration 0: 0.693147 Cost after iteration 100: 0.555752 Cost after iteration 200: 0.506847

```
Cost after iteration 300: 0.471079
Cost after iteration 400: 0.442324
Cost after iteration 500: 0.418139
Cost after iteration 600: 0.397247
Cost after iteration 700: 0.378867
Cost after iteration 800: 0.362480
Cost after iteration 900: 0.347718
Cost after iteration 1000: 0.334308
Cost after iteration 1100: 0.322043
Cost after iteration 1200: 0.310759
Cost after iteration 1300: 0.300326
Cost after iteration 1400: 0.290639
Cost after iteration 1500: 0.281610
Cost after iteration 1600: 0.273167
Cost after iteration 1700: 0.265247
Cost after iteration 1800: 0.257798
Cost after iteration 1900: 0.250775
Cost after iteration 2000: 0.244139
Cost after iteration 2100: 0.237856
Cost after iteration 2200: 0.231897
Cost after iteration 2300: 0.226234
Cost after iteration 2400: 0.220846
Cost after iteration 2500: 0.215710
Cost after iteration 2600: 0.210808
Cost after iteration 2700: 0.206124
Cost after iteration 2800: 0.201643
Cost after iteration 2900: 0.197351
Cost after iteration 3000: 0.193236
Cost after iteration 3100: 0.189286
Cost after iteration 3200: 0.185492
Cost after iteration 3300: 0.181844
Cost after iteration 3400: 0.178334
Cost after iteration 3500: 0.174953
Cost after iteration 3600: 0.171695
Cost after iteration 3700: 0.168552
Cost after iteration 3800: 0.165519
Cost after iteration 3900: 0.162590
Cost after iteration 4000: 0.159760
Cost after iteration 4100: 0.157023
Cost after iteration 4200: 0.154375
Cost after iteration 4300: 0.151811
Cost after iteration 4400: 0.149329
Cost after iteration 4500: 0.146923
Cost after iteration 4600: 0.144590
Cost after iteration 4700: 0.142328
Cost after iteration 4800: 0.140133
Cost after iteration 4900: 0.138001
Cost after iteration 5000: 0.135931
```

```
Cost after iteration 5100: 0.133920
Cost after iteration 5200: 0.131965
Cost after iteration 5300: 0.130063
Cost after iteration 5400: 0.128214
Cost after iteration 5500: 0.126414
Cost after iteration 5600: 0.124662
Cost after iteration 5700: 0.122956
Cost after iteration 5800: 0.121294
Cost after iteration 5900: 0.119675
Cost after iteration 6000: 0.118096
Cost after iteration 6100: 0.116557
Cost after iteration 6200: 0.115055
Cost after iteration 6300: 0.113590
Cost after iteration 6400: 0.112161
Cost after iteration 6500: 0.110765
Cost after iteration 6600: 0.109403
Cost after iteration 6700: 0.108072
Cost after iteration 6800: 0.106772
Cost after iteration 6900: 0.105501
Cost after iteration 7000: 0.104259
Cost after iteration 7100: 0.103044
Cost after iteration 7200: 0.101857
Cost after iteration 7300: 0.100695
Cost after iteration 7400: 0.099559
Cost after iteration 7500: 0.098446
Cost after iteration 7600: 0.097358
Cost after iteration 7700: 0.096292
Cost after iteration 7800: 0.095248
Cost after iteration 7900: 0.094226
Cost after iteration 8000: 0.093224
Cost after iteration 8100: 0.092243
Cost after iteration 8200: 0.091281
Cost after iteration 8300: 0.090338
Cost after iteration 8400: 0.089414
Cost after iteration 8500: 0.088508
Cost after iteration 8600: 0.087619
Cost after iteration 8700: 0.086747
Cost after iteration 8800: 0.085892
Cost after iteration 8900: 0.085053
Cost after iteration 9000: 0.084229
Cost after iteration 9100: 0.083420
Cost after iteration 9200: 0.082626
Cost after iteration 9300: 0.081847
Cost after iteration 9400: 0.081081
Cost after iteration 9500: 0.080329
Cost after iteration 9600: 0.079591
Cost after iteration 9700: 0.078865
Cost after iteration 9800: 0.078152
```

Cost after iteration 9900: 0.077451 train accuracy: 99.52153110047847 % test accuracy: 70.0 %

y = 1, you predicted that it is a "cat" picture.



[]: