



Course Introduction

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Course Introduction

- **Course Code: PHM 212s**
- **Course Name: Complex, Special functions and Numerical Analysis**
- **Instructors: Dr. Makram Roshdy Eskaros. “makram_eskaros@eng.asu.edu.eg”**
- **Textbook:**

“Advanced Engineering Mathematics”, Erwin Kreyszig 10th edition. (2011), Wiley Int. Edition.
- **Contents:**
 - **Special functions (The Gamma and Beta functions)**
 - **Series solutions for ordinary differential equations**
 - **Bessel functions**

- Legendre's polynomials
- Functions of the complex variable
- Numerical solutions for ordinary differential equations
- Numerical solutions for partial differential equations

▪ **Grading Policy**

The grade you receive will be based on your performance on the quizzes, midterm, attendance, participation, reports/weekly assignments and final exam according to the following table:

Final Exam, according to faculty calendar.	60%
Unannounced Quizzes (Two Quizzes).	10%
Assignments and Reports.	10%
One Midterm (According to faculty calendar).	20%

■ Assignments Grading

Students are requested to submit the assignments in time, late submission up to one week leads to grading your assignment 75% from its grade, further late will lead to 50% grading.

Assignment No. 1 Gamma and Beta Functions

- 1) Prove that $L \{t^n\} = \frac{\Gamma(n+1)}{s^{n+1}}$ for any real number $n > -1$. Hence, find Laplace transform for each of the following functions:

i) $t^{5/2}$

ii) $t^{-1/3}$

$\sqrt{t} e^{-3t}$

- 2) Given that n is a positive integer and x is a real number, show that

$$\beta(x, n) = \frac{(n-1)!}{x(x+1)(x+2) \dots (x+n-1)}$$

Hence, evaluate $\beta(0.1, 3)$

- 3) With and without using Legendre duplication formula

$$\Gamma\left(n + \frac{1}{2}\right) = \frac{(2n)!}{2^{2n} n!} \sqrt{\pi}$$