Elipse	Centro	Vértice	Foco	Ecuación
Horizontal a>b	C(0,0)	V( a ; 0 ) V'(-a ; 0 )	F(c;0) F'(-c;0)	$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$
	C(h,k)	V( h+a ; k ) V'(h-a ; k)	F( h+c; k) F'(h-c; k)	$\frac{(x-h)^{2}}{b^{2}} = 1$
Vertical	C(0,0)	V(0;a) V'(0;-a)	f(0;c) F'(0;-c)	$\frac{x^2}{b^2} + \frac{y^2}{a^2} = 1$
b>a	C(h,k)	V( h ; k+a ) V'(h ; k-a)	F( h ; k+c ) F'(h ; k-c )	$\frac{(x-h)^2}{b^2} + \frac{(y-k)^2}{a^2} = 1$

 $a^2 = b^2 + c^2$ 

 $Lado\ recto$  $LR = \frac{2b^2}{a}$ 

Exentricidad $e = \frac{c}{a}$ e < 1











Hipérbola	Centro	Vértice	Foco	Ecuación	Asíntota	CA
Horizontal	C(0,0)	V( a ; 0 ) V'(-a ; 0 )	F( c; 0)	$\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$	$y = \pm \frac{b}{a}x$	tegral
a>b	C(h,k)	V( h+a ; k ) V'(h-a ; k)	F( h+c ; k ) F'(h-c ; k )	$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$	$y = k = \pm \frac{b}{a} (x^{-1}h)$	tey"
Vertical	C(0,0)	V(0;a) V'(0;-a)	F(0;c) F'(0;-c)	$Ce^{\frac{y^2}{a^2} - \frac{x^2}{b^2}} = 1$	$y = \pm \frac{a}{b}x$	
b>a	C(h,k)	V( h ; k+a ) V'(h ; k-a)	F( h ; k+c ) F'(h ; k-c )	$\frac{(y-k)^{2}}{a^{2}} - \frac{(x-h)^{2}}{b^{2}} = 1$	$y = \pm \frac{a}{b}(x - h)$	



 $Lado\ recto$  $LR = \frac{2b^2}{a}$ 

Exentricidad $e = \frac{c}{a}$ e < 1











Parábola	Directriz	Vértice	Foco	Ecuación	Eje de simetría
Horizontal	x=-a	V(0;0)	F(a;0)	$y^2 = 4ax$	V=0 1
a>b	x=h-a	V(h; k)	F(h+a;k)	$(y-k)^2 = 4a(x-h)$	nh <sup>d</sup> y=k
Vertical	y=-a	(V(0;0)	Ex F(0; la)	$x^2 = 4ay$	x=0
b>a	y=k-a	V(h ; k )	F( h ; k+a )	$(x-h)^2 = 4a(y-k)$	x=h













