

TAD<Graph>			
$G = (V, E)$, where V is the set of vertices and E is the set of edges.			
{inv: $\forall(V_i, V_j) \rightarrow (i \neq j) =$ An already existing vertex can't be added.}			
Operations:			
• Graph	constructor		\rightarrow Graph
• insertVertex	modifier	Graph x key x value	\rightarrow Graph
• deleteVertex	modifier	Graph x key	\rightarrow Graph
• insertEdge	modifier	Graph x key x key x weight	\rightarrow Graph
• deleteEdge	modifier	Graph x key x key	\rightarrow Graph
• adjacent	analyzer	Graph x key x key	\rightarrow boolean
• bfs	analyzer	Graph x key	\rightarrow Graph
• dfs	analyzer	Graph	\rightarrow Graph
• dijkstra	analyzer	Graph x key x key	\rightarrow int[]
• floydWarshall	analyzer	Graph	\rightarrow int[][]
• prim	analyzer	Graph	\rightarrow ArrayList<Integer>
• kruskal	analyzer	Graph x ArrayList<Integer> x ArrayList<Integer>	\rightarrow ArrayList<Integer>

Graph()
 “Creates a new graph”
 {pre: TRUE}
 {pos: Creates a graph}

insertVertex(G, k, value)
 “Adds a new vertex in the graph G ”
 {pre: $G = \{\}$ \wedge the new vertex must not belong to the vertex set}
 {post: The vertex has been added to the graph G }

deleteVertex(G, k)
 “Deletes a vertex with the specified key of the graph G ”
 {pre: k must be a key of a vertex in the set of vertices of the graph G }
 {pos: The vertex is removed from the graph G }

insertEdge(G, k1, k2, weight)
 “Adds an edge between the vertexes with keys $k1$ and $k2$ with the specified weight to the graph G ”
 {pre: $k1$ and $k2$ keys must belong to vertexes in the set of vertexes of the graph G }
 {pos: A weighted edge connecting the vertexes with keys $k1$ and $k2$ has been created in the graph G }

deleteEdge(G, k1, k2)

“Deletes the edge between the vertexes with keys $k1$ and $k2$ of the graph G ”

{pre: There must be an edge between the vertexes with keys $k1$ and $k2$ }

{pos: The edge is removed from the graph G }

adjacent(G, k1, k2)

“Returns true if vertexes with keys $k1$ and $k2$ form an edge”

{pre: There must be an edge between the vertexes with keys $k1$ and $k2$ }

{pos: true if vertexes with keys $k1$ and $k2$ form an edge. False otherwise}

bfs(G, k)

“Explores the graph G starting on the vertex with key k and carries on with all its neighbors”

{pre: $k1$ must belong to a vertex in the set of vertexes of the graph G }

{post: All nodes reachable from the source vertex}

dfs(G)

“Explores all the graph G starting in the first vertex”

{pre: TRUE}

{post: All vertexes visited during the DFS traversal}

dijkstra(G, k1, k2)

“Returns the shortest path between the vertexes with keys $k1$ and $k2$ ”

{pre: G must be an undirected or directed weighted graph without negative cycles}

{post: Shorter distances from one source node to all are returned}

floydWarshall(G)

“Returns the shortest path between all the pair of vertexes”

{pre: G must be a weighted graph without negative cycles.}

{post: All shortest distances between all pairs of nodes are returned}

prim(G)

“Creates a minimal spanning tree from an initial node.”

{pre: G must be undirected and connected graph with non-negative edge weights}

{post: get a minimum spanning tree connecting all vertexes of the graph G }

kruskal(G)

“Creates a minimal spanning tree with no cycles and minimal weight.”

{pre: G must be undirected and connected graph with non-negative edge weights}

{post: get a minimum spanning tree of the graph G that connects vertices without cycles and with the minimum weight}