

## Transistor

BCS 1600, Project 1-2

### Group 11

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## 1 | Abstract

Abstract goes here.

## 2 | Introduction

Introduction goes here.

## **3 | Methodology**

Methodology goes here.

### **3.1 | Subsection 1**

### **3.2 | Subsection 2**

## 4 | Implementation

The following section describes the general outline of how the algorithms are implemented.

### 4.1 | Routing algorithm

The algorithm is implemented as follows:

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**Algorithm 1** Placeholder for Algorithm

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```

Initialise population list  $p$  of size  $n_p$  with randomly generated solutions
Initialise empty list  $c$  of size  $n_c$ 
Initialise best solution  $a = 0$ 
Initialise iterator  $i = 0$ 
Initialise maximum number of repetitions  $r$ 
Initialise minimum subset size  $t$ 
for parent in list  $p$  do
    Create subset  $q$  of population of random size  $s \in [t, n_p]$ 
    for element in subset  $q$  do
        Evaluate value of element
    end for
    Select two best elements  $e_1, e_2$  with most weight
    Create child  $k$  using cross-over of  $e_1$  and  $e_2$ 
    Mutate child  $k$  ▷ The mutation adds or removes a pentomino
    Add child  $k$  to list  $c$ 
    if  $n_c$  equals  $n_p$  then
        List  $p$  is set to list  $c$ 
        List  $c$  is emptied
        Increase value of iterator  $i$  by 1
        if evaluation of  $k > a$  then
            Solution  $a$  is set to evaluation of  $k$ ;
        end if
        if  $i = r$  then ▷ The number  $m$  is arbitrarily selected
            break for loop;
        end if
    end if
end for
Ensure:  $k$ 

```

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Algorithm description goes here.

## 5 | Experiments

Experiment goes here.

## 6 | Results

Result goes here.

## 7 | Discussion

Discussion goes here.



## 8 | Conclusion

Conclusion goes here.

## 9 | References

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- [3] Yang Song, Chi Zhang, and Yuguang Fang. Multiple multidimensional knapsack problem and its applications in cognitive radio networks. In *MILCOM 2008 - 2008 IEEE Military Communications Conference*. IEEE, Nov 2008.

## **A | Appendix: pseudocode and flowcharts**